

THE TMD EXPERIMENTAL PROGRAM

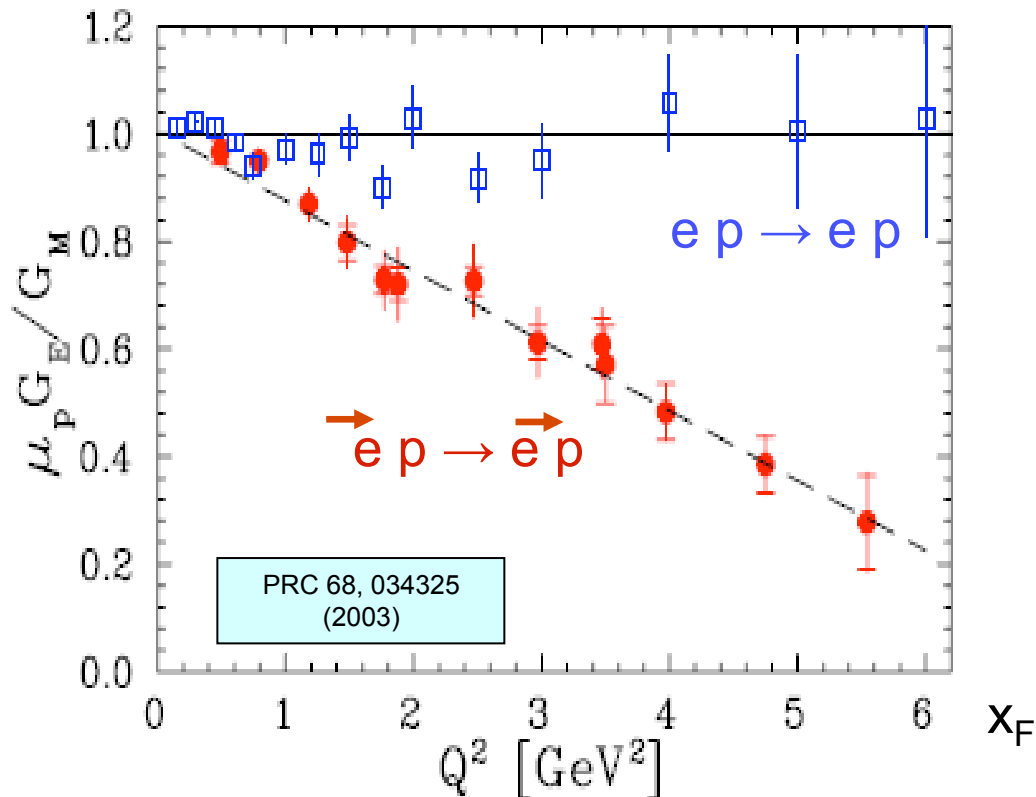
Contalbrigo Marco
INFN Ferrara

ELBA XII Workshop
June 26, 2012 Marciana Marina

The Spin Degree of Freedom

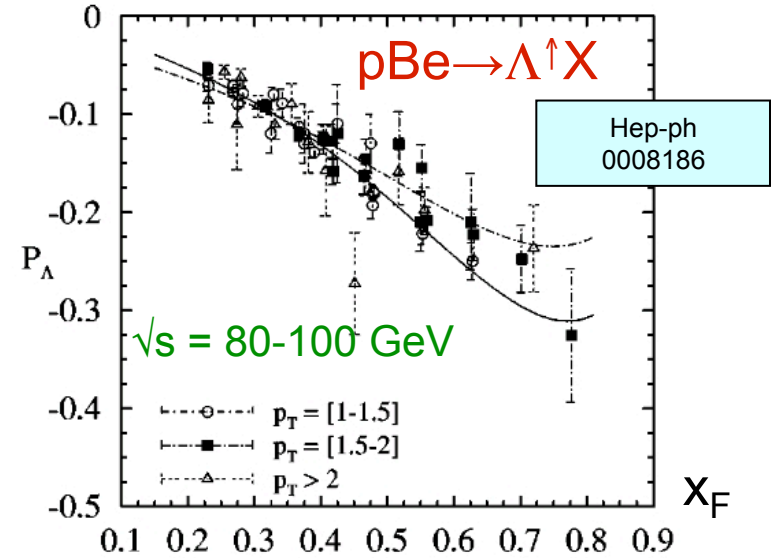
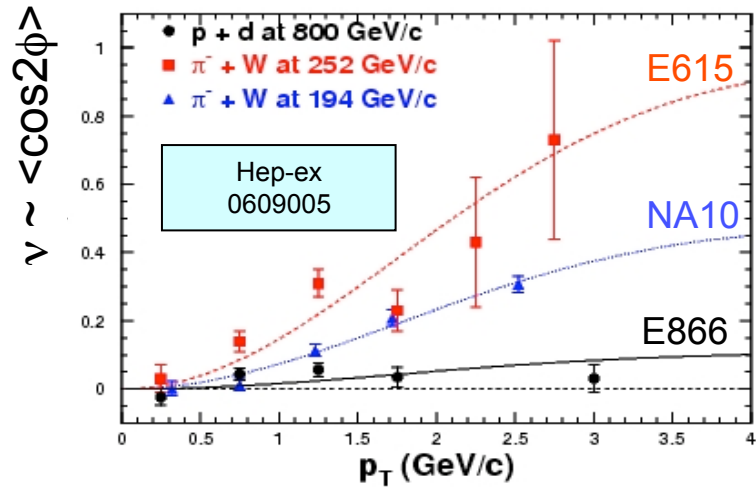
Spin degrees of freedom can explain otherwise surprising phenomena and bring new insights into nuclear matter structure

Fundamental: do not neglect it !!



The Spin Surprising Phenomenology

Drell-Yan $pp \rightarrow eeX$



The Spin Structure of the Nucleon

Describe the complex nucleon structure in terms of partonic degrees of freedom of QCD

Important testing ground for QCD

Latest news from Deep Inelastic Scattering (DIS)
 Phys Lett B647 (2007) 8-17
 Phys. Rev. D 75 (2007) 012007

$$\Delta\Sigma = 0.33 \pm 0.03$$

ΔG small at $0.02 < x < 0.3$
 From DIS and pp scattering
 e-print 0804.0422

Proton's spin

$$\frac{1}{2} = \frac{1}{2} \sum_f (q_f^+ - q_f^-) + L_q + \Delta G + L_g$$

Understanding of the orbital motion of quarks is crucial!

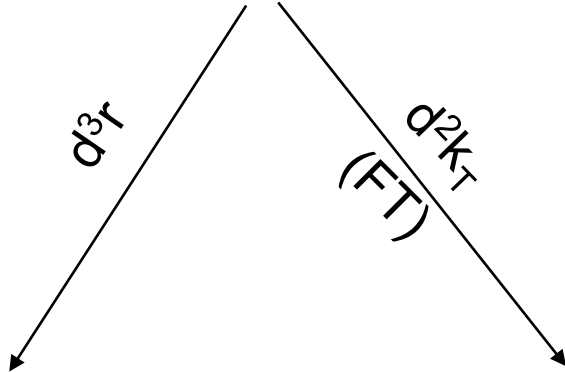
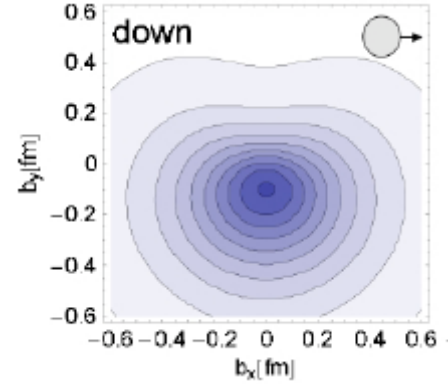
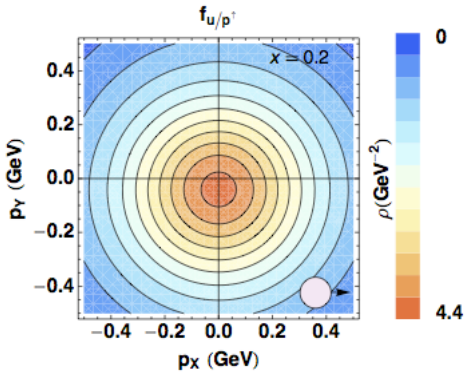
The real experience: 3D !



Quantum Phase-space Distributions of Quarks

$W_p^q(x, k_T, r)$ "Mother" Wigner distributions

Probability to find a quark q in a nucleon P with a certain polarization in a position r & momentum k



TMD PDFs: $f_p^u(x, k_T), \dots$

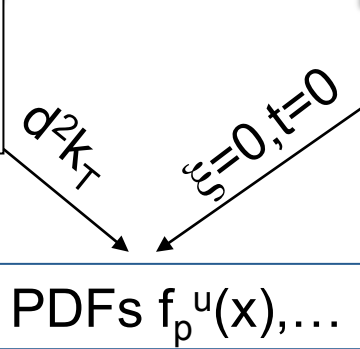
GPDs: $H_p^u(x, \xi, t), \dots$

Semi-inclusive measurements
Momentum transfer to quark
Direct info about momentum distribution

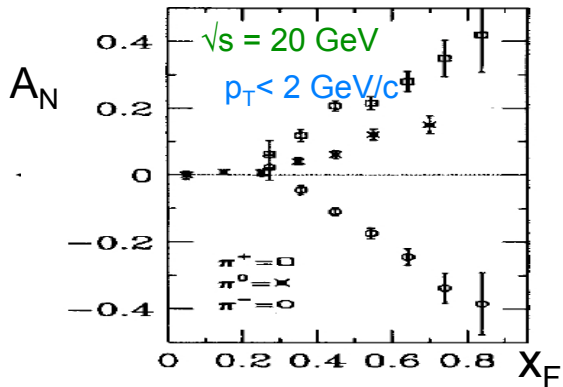
Exclusive Measurements
Momentum transfer to target
Direct info about spatial distribution

May explain SSA & Lam-Tung

May solve proton spin puzzle



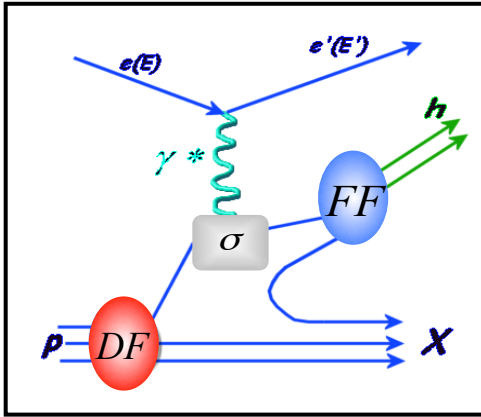
PDFs $f_p^u(x), \dots$



$$J_q = \frac{1}{2} \Delta \Sigma + L_q = \lim_{t \rightarrow 0} \int_{-1}^1 dx x [H(x, \xi, t) + E(x, \xi, t)]$$

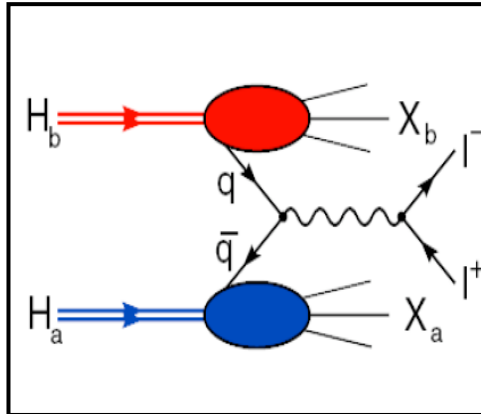
TMD STUDIES AT PRESENT FACILITIES

Physics reactions



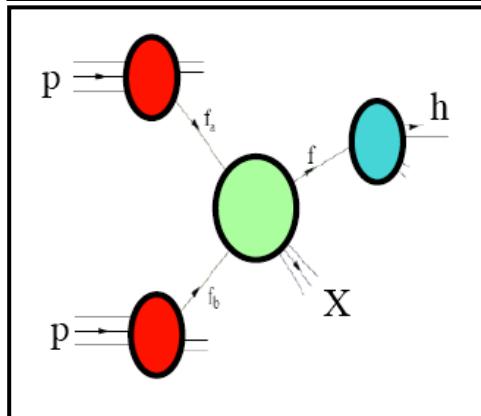
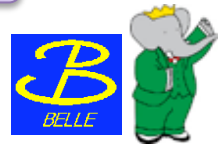
SIDIS: rich phenomenology, the most explored so far

$$\text{SIDIS} \quad \sigma^{ep \rightarrow ehX} = \sum_q \text{DF} \otimes \sigma^{eq \rightarrow eq} \otimes \text{FF}$$



e⁺e⁻: B-factories as powerful fragmentation laboratories

$$e^+e^- \quad \sigma^{ee \rightarrow hhX} = \sum_q \sigma^{qq \rightarrow ee} \otimes \text{FF} \otimes \text{FF}$$



DY: challenging for experiments (only unpolarized so far)

$$\text{DY} \quad \sigma^{pp \rightarrow eeX} = \sum_q \text{DF} \otimes \text{DF} \otimes \sigma^{qq \rightarrow ee}$$


















Hadron reactions: challenging for theory (ISI + FSI)

$$pp \quad \sigma^{pp \rightarrow hX} = \sum_q \text{DF} \otimes \text{DF} \otimes \sigma^{qq \rightarrow qq} \otimes \text{FF}$$



Leading Twist TMDs

quark polarisation

		quark polarisation		
N/q		U	L	T
nucleon polarisation	U	f_1  Number Density		h_1^\perp  -  Boer-Mulders
	L		g_1  -  Helicity	h_{1L}^\perp  -  Worm-gear
	T	f_{1T}^\perp  -  Sivers	g_{1T}^\perp  -  Worm-gear	h_1  -  Transversity h_{1T}^\perp  -  Pretzelosity

Number density and helicity:

Focusing here in transverse momentum dependence

Transversity:

Survives transverse momentum integration
(missing leading-twist collinear piece)

Differs from helicity due to relativistic effects and
no mix with gluons in the spin-1/2 nucleon

Off-diagonal elements:

Interference between wave functions with different angular momenta: contains information about parton orbital angular motion and spin-orbit effects
















Testing QCD at the amplitude level

T-odd elements:

- sign change between DY and SIDIS
 - universality of TMDs

Strict prediction from TMDs + QCD !

quark polarisation

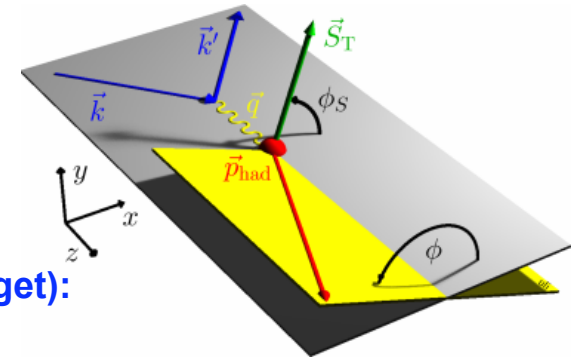
		quark polarisation		
N/q		U	L	T
nucleon polarisation	U	D_1  Unpolarized		H_1^\perp  -  Collins
	L		G_{1L}  - 	H_{1L}^\perp  - 
	T	D_{1T}^\perp  - 	G_{1T}^\perp  - 	H_1  -  H_{1T}^\perp  - 

The SIDIS Case

quark polarisation

N/q	U	L	T
U	f_1 Number Density		h_1^\perp Boer-Mulders
L		g_1 Helicity	h_{1L}^\perp Worm-gear
T	f_{1T}^\perp Sivers	g_{1T}^\perp Worm-gear	h_1 Transversity h_{1T}^\perp Pretzelosity

SIDIS cross section
(transversely polarized target):



$$Q^2 \equiv -q^2$$

Negative squared 4-momentum transfer

$$\nu \equiv \frac{P \cdot q}{M} \stackrel{\text{lab}}{=} E - E'$$

Energy of the virtual photon

$$x = \frac{Q^2}{2P \cdot q} = \frac{Q^2}{2M\nu}$$

Bjorken scaling variable

$$z = \frac{P \cdot p}{P \cdot q} \stackrel{\text{lab}}{=} \frac{E_h}{\nu}$$

Fractional energy of the observed final state hadron
















$$\frac{d^6\sigma}{dx dQ^2 dz d\phi_S d\phi dP_{h\perp}^2} \stackrel{\text{Leading}}{\propto} \stackrel{\text{Twist}}{S_T} \left\{ \sin(\phi - \phi_S) F_{UT,T}^{\sin(\phi - \phi_S)} \right\}$$

$$+ S_T \left\{ \varepsilon \sin(\phi + \phi_S) F_{UT}^{\sin(\phi + \phi_S)} + \varepsilon \sin(3\phi - \phi_S) F_{UT}^{\sin(3\phi - \phi_S)} \right\}$$

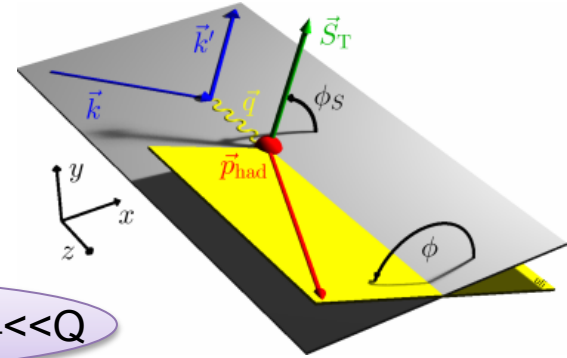
$$+ S_T \lambda_e \left\{ \sqrt{1 - \varepsilon^2} \cos(\phi - \phi_S) F_{LT}^{\cos(\phi - \phi_S)} \right\} + \dots$$

The SIDIS Case

quark polarisation

N/q	U	L	T
U	f_1  Number Density		h_1^\perp  -  Boer-Mulders
L		g_1  -  Helicity	h_{1L}^\perp  -  Worm-gear
T	f_{1T}^\perp  -  Sivers	g_{1T}^\perp  -  Worm-gear	h_1  -  Transversity h_{1T}^\perp  -  Pretzelosity

SIDIS cross section
(transversely pol. target):

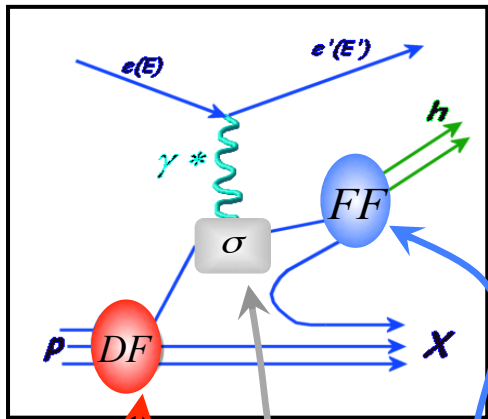


TMD factorization for $P_T \ll Q$

$$f \otimes D = \int_q e_q^2 d^2 p_T d^2 k_T \dots w(k_T, p_T) f^q(x, k_T^2) D^q(z, p_T^2)$$

Involved phenomenology due to the convolution over transverse momentum

$$h_1 \otimes H_1^\perp$$



$$\sigma^{ep \rightarrow ehX} = \sum_q \text{DF} \otimes \sigma^{eq \rightarrow eq} \otimes \text{FF}$$

$$\frac{d^6 \sigma}{dx dQ^2 dz d\phi_S d\phi dP_{h\perp}^2} \stackrel{\text{Leading}}{\propto} \stackrel{\text{Twist}}{S_T} \left\{ \sin(\phi - \phi_S) F_{UT,T}^{\sin(\phi - \phi_S)} \right\}$$

$$+ S_T \left\{ \varepsilon \sin(\phi + \phi_S) F_{UT}^{\sin(\phi + \phi_S)} + \varepsilon \sin(3\phi - \phi_S) F_{UT}^{\sin(3\phi - \phi_S)} \right\}$$

$$+ S_T \lambda_e \left\{ \sqrt{1 - \varepsilon^2} \cos(\phi - \phi_S) F_{LT}^{\cos(\phi - \phi_S)} \right\} + \dots$$

$$f_{1T}^\perp \otimes D_1$$

$$h_{1T}^\perp \otimes H_1^\perp$$

$$g_{1T}^\perp \otimes D_1$$

First Evidences

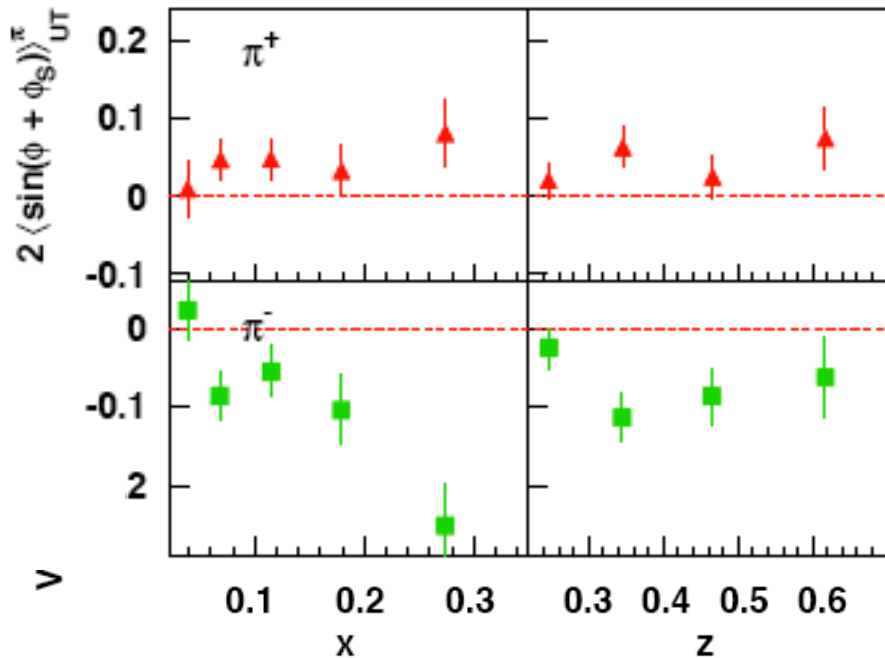
$$\sigma_{UT}^{\sin(\phi+\phi_S)} \propto h_1 \otimes H_1^\perp$$

SIDIS:
ep → e'hX

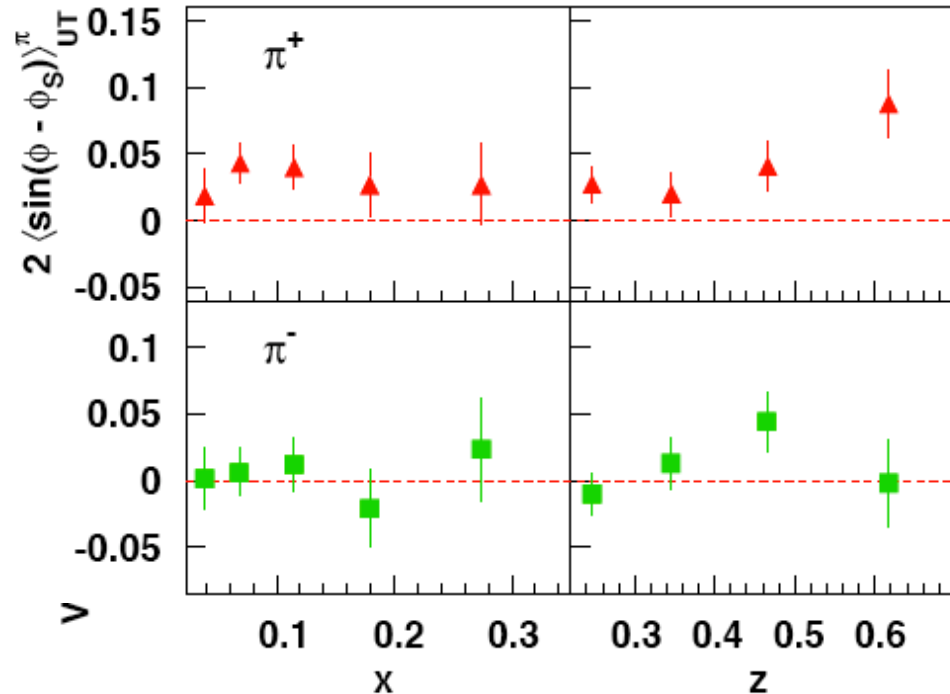
$$\sigma_{UT}^{\sin(\phi-\phi_S)} \propto f_{1T}^\perp \otimes D_1$$

2005: First evidence from HERMES measuring SIDIS on proton

A. Airapetian et al, Phys. Rev. Lett. 94 (2005) 012002


















Non-zero transversity !!
Non-zero Collins function !!



Non-zero Sivers function !!

NUMBER DENSITY

	N/q	U	L	T
nucleon polarisation	U	f_1  <i>Number Density</i>		h_1^\perp  -  <i>Boer-Mulders</i>
	L		g_1  -  <i>Helicity</i>	h_{1L}^\perp  -  <i>Worm-gear</i>
	T	f_{1T}^\perp  -  <i>Sivers</i>	g_{1T}^\perp  -  <i>Worm-gear</i>	h_1  -  <i>Transversity</i> h_{1T}^\perp  -  <i>Pretzelosity</i>

(THE BASELINE)

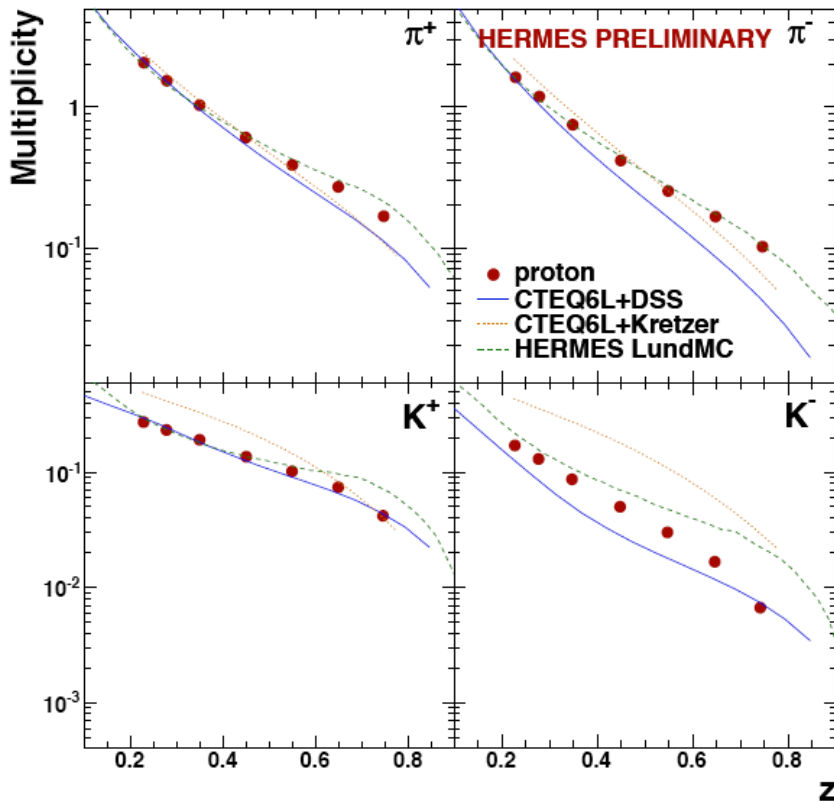
The hadron multiplicities

$$f_1 \cdot D_1$$

LO interpretation:

$$M_N^h = \frac{1}{N_N^{DIS}(Q^2)} \frac{dN_N^h(z, Q^2)}{dz} = \frac{\sum_q e_q^2 \int dx f_{1q}(x, Q^2) D_{1q}^h(z, Q^2)}{\sum_q e_q^2 \int dx f_{1q}(x, Q^2)}$$

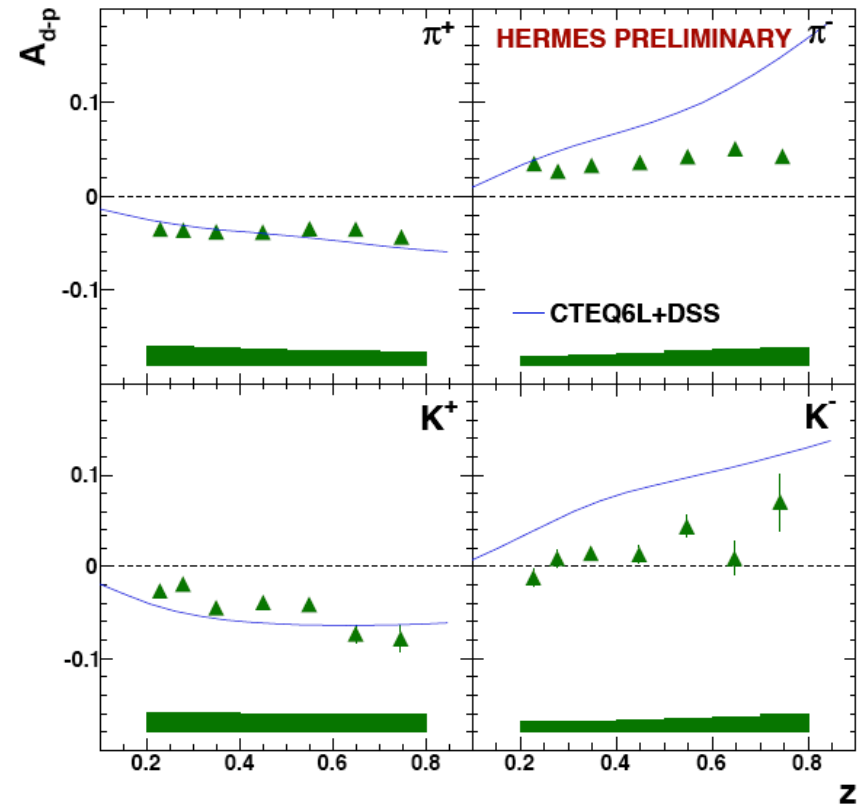
SIDIS data constrain fragmentation at low c.m. energy and bring enhanced flavor sensitivity



Proton-deuteron asymmetry:

$$A_{d-p}^h \equiv \frac{M_d^h - M_p^h}{M_d^h + M_p^h}$$

Reflects different flavor content
Correlated systematics cancels

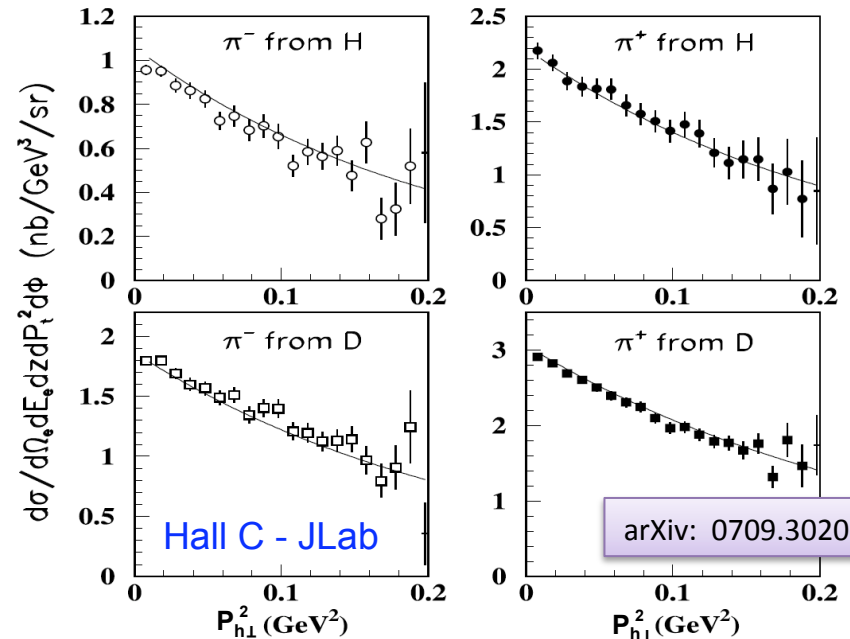
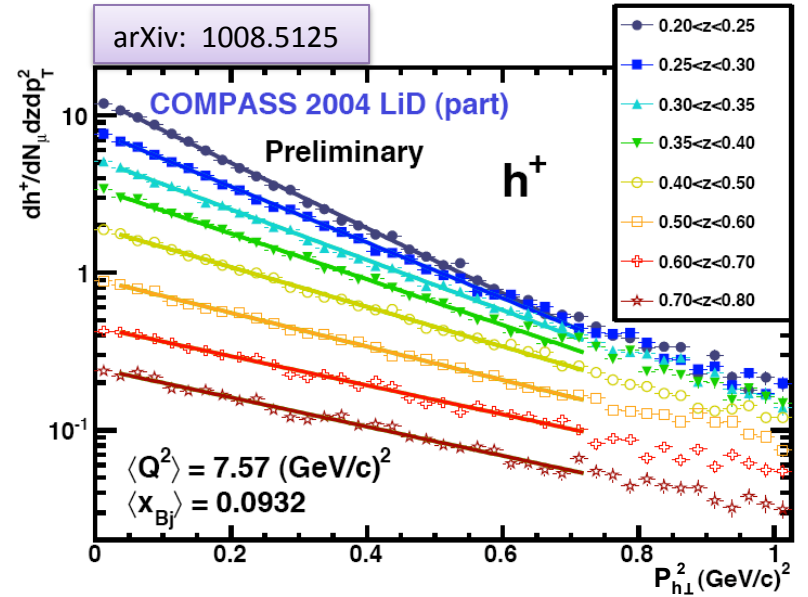
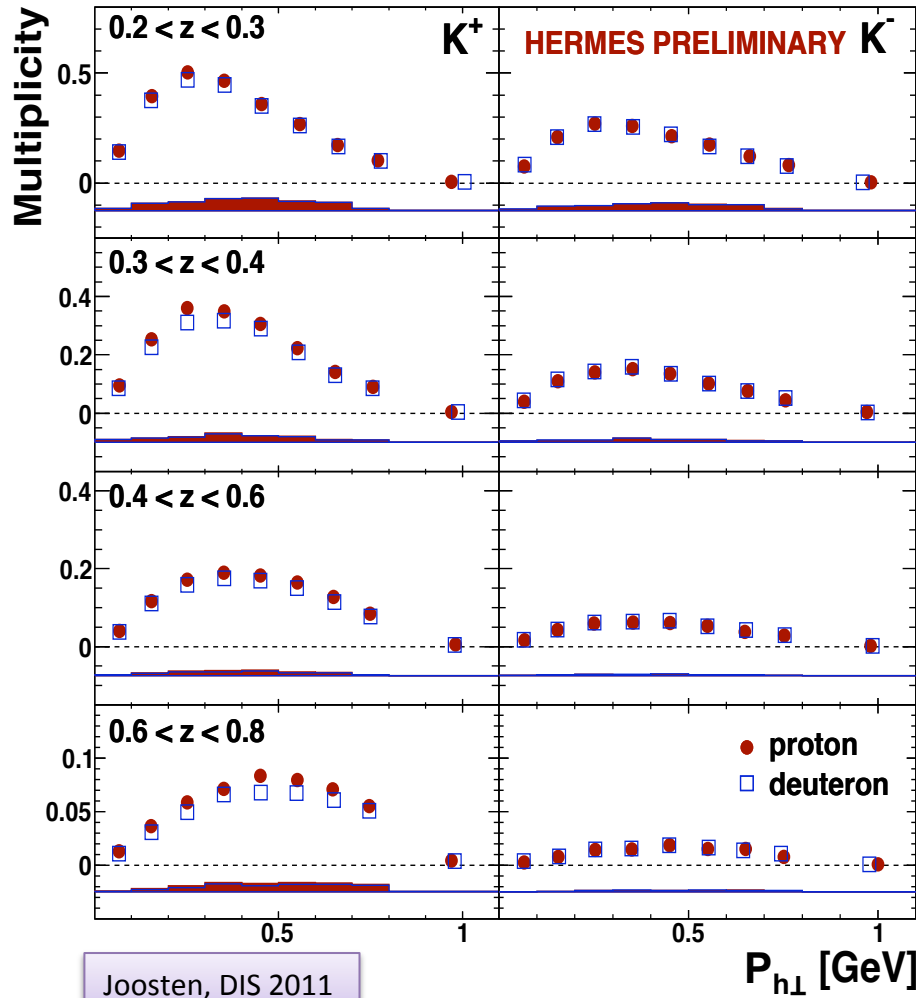


The $P_{h\perp}$ -unintegrated multiplicities

$$f_1 \otimes D_1$$

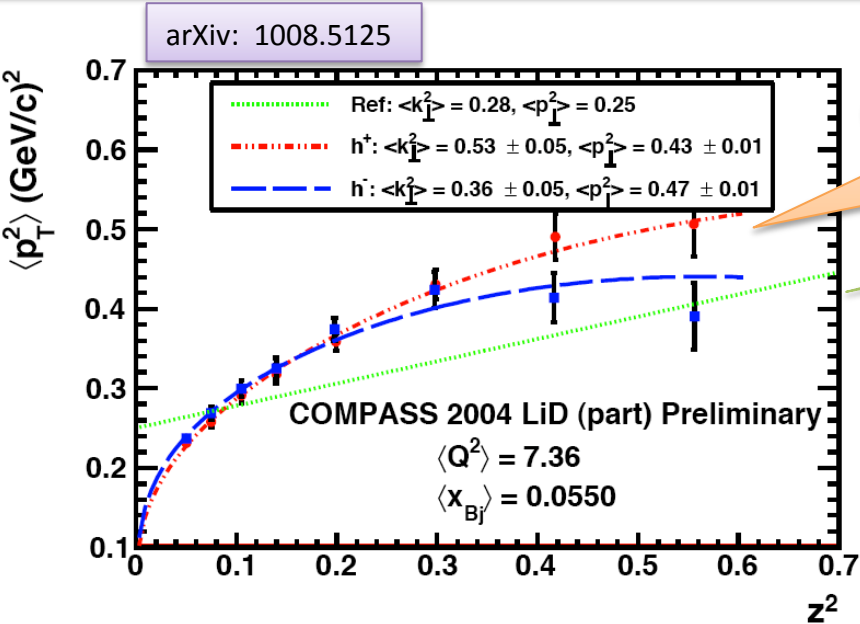
Disentanglement of z and $P_{h\perp}$: access to the transverse intrinsic quark k_T and fragmentation p_T ,

i.e. from gaussian ansatz $\langle P_{h\perp}^2 \rangle = z^2 \langle k_T^2 \rangle + \langle p_T^2 \rangle$



The evolution

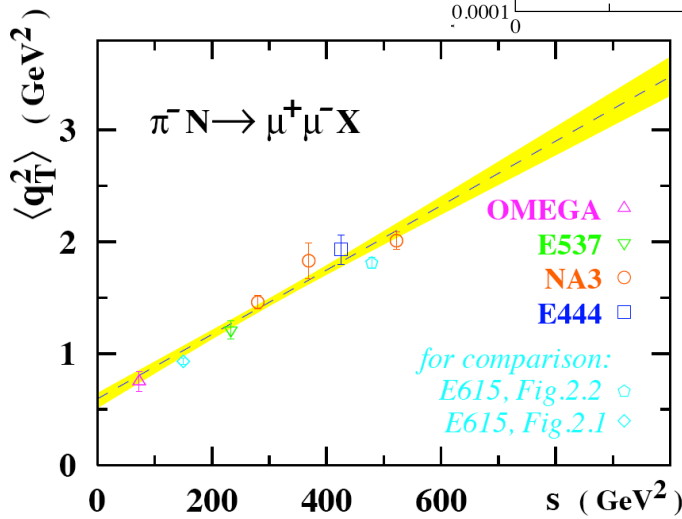
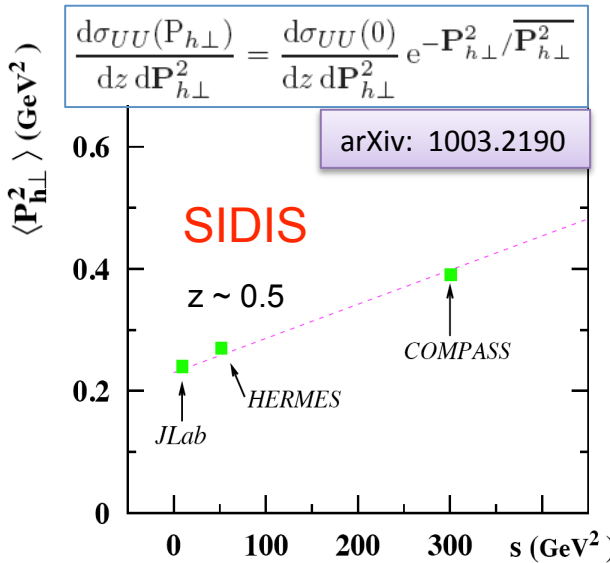
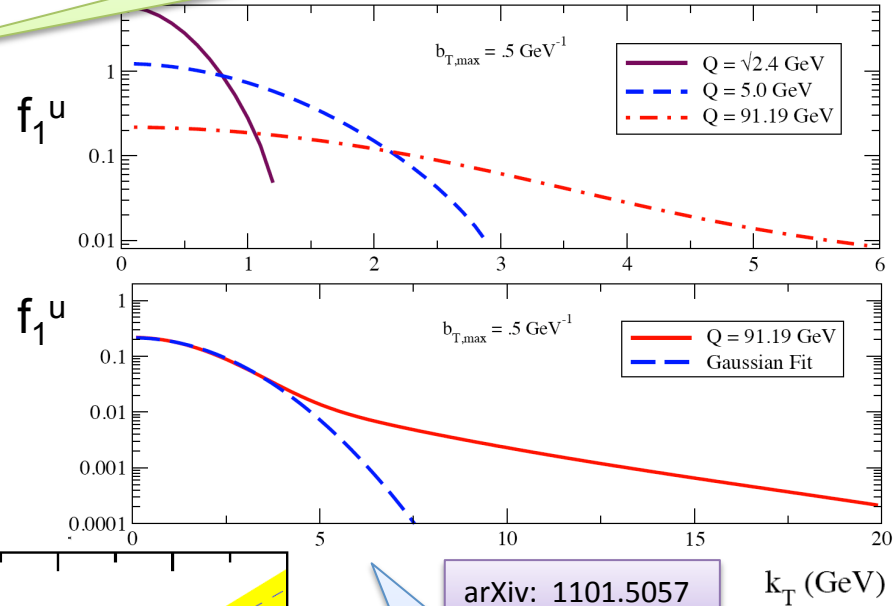
$$f_1 \otimes D_1$$



Is p_T independent of z ?

$$\langle P_{h\perp}^2 \rangle = z^2 \langle k_T^2 \rangle + z^\alpha (1-z)^\beta \langle p_T^2 \rangle$$

Gaussian ansatz

$$\langle P_{h\perp}^2 \rangle = z^2 \langle k_T^2 \rangle + \langle p_T^2 \rangle$$


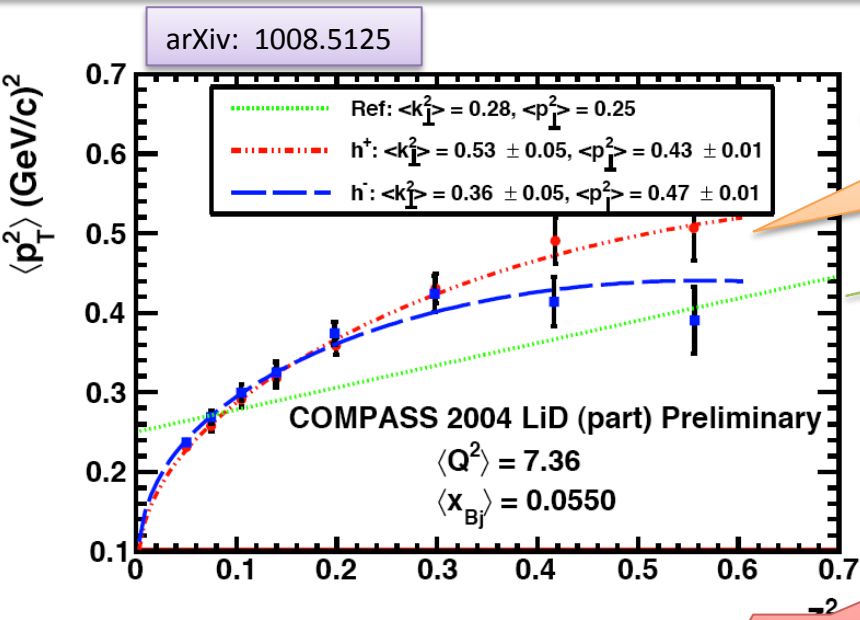
arXiv: 1101.5057

Indirect indication of a k_T and p_T broadening with c.m. energy:

TMD Q^2 evolution

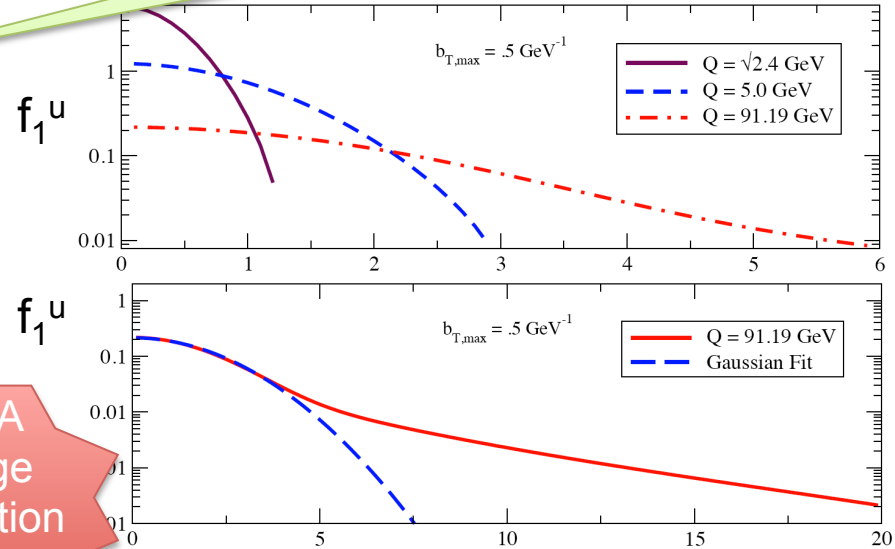
The evolution

$$f_1 \otimes D_1$$

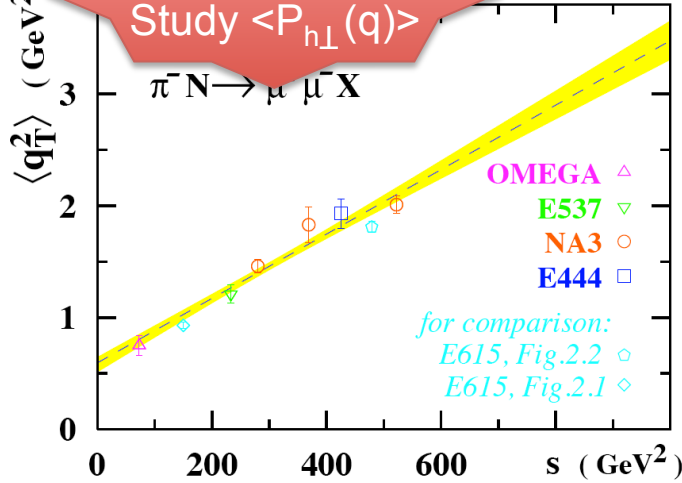
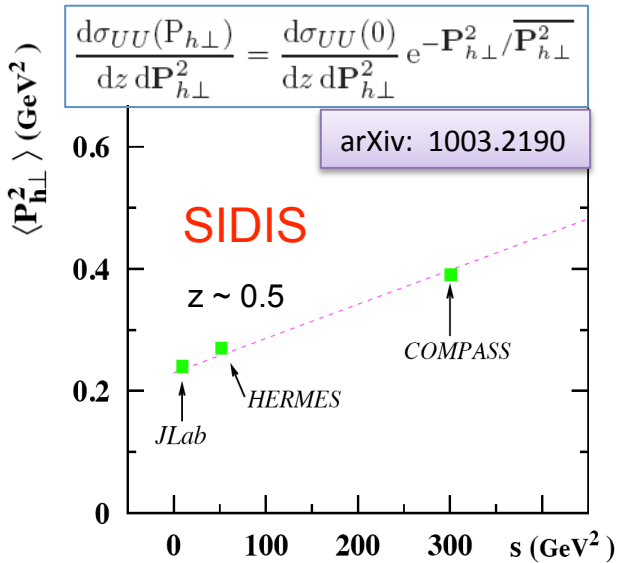


Is p_T independent of z ?
 $\langle P_{h\perp}^2 \rangle = z^2 \langle k_T^2 \rangle + z^\alpha (1-z)^\beta \langle p_T^2 \rangle$

Gaussian ansatz
 $\langle P_{h\perp}^2 \rangle = z^2 \langle k_T^2 \rangle + \langle p_T^2 \rangle$


















Precise DATA
 Wide Q^2 range
 Fix TMD evolution
 Study $\langle P_{h\perp}(q) \rangle$

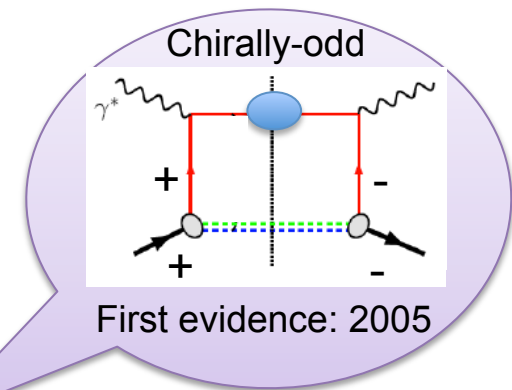


arXiv: 1101.5057

Indirect indication of a k_T and p_T broadening with c.m. energy:
 TMD Q^2 evolution

TRANSVERSITY

	N/q	U	L	T
nucleon polarisation	U	f_1  Number Density		h_1^\perp  -  Boer-Mulders
	L		g_1  -  Helicity	h_{1L}^\perp  -  Worm-gear
	T	f_{1T}^\perp  -  Sivers	g_{1T}^\perp  -  Worm-gear	h_1^\perp  -  Transversity h_{1T}^\perp  -  Pretzelosity



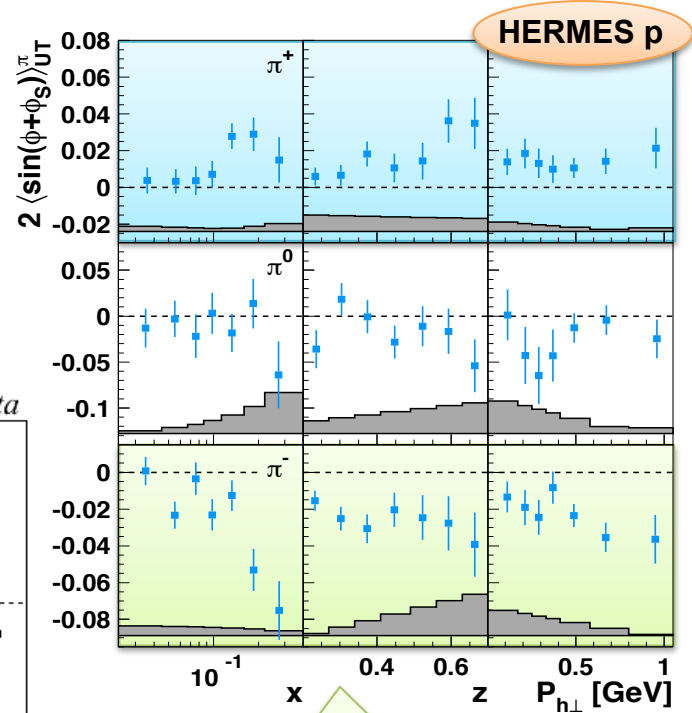
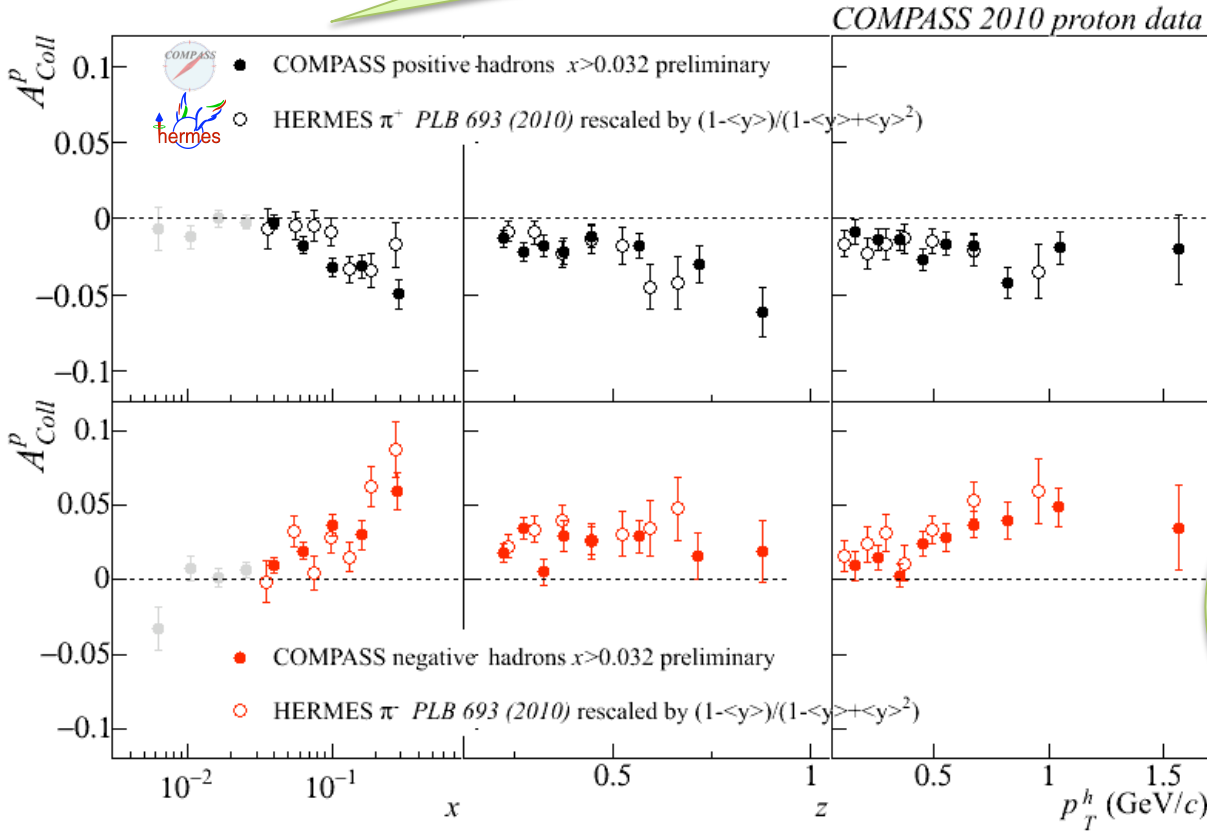
(THE COLLINEAR MISSING PIECE)

The Collins SIDIS amplitude

$$h_1 \otimes H_1^\perp$$

$$A_{UT}^{\sin(\phi + \phi_S)} \propto \frac{\sum_q e h_1^q(x, p_T^2) \otimes_\omega H_1^{q,\perp}(z, k_T^2)}{\sum_q e_q^2 f_1^q(x, p_T^2) \otimes D_1^q(z, k_T^2)}$$

Consistent non-zero signals for charged pions



Scattering mostly off u quark thanks to greater number density and electric charge

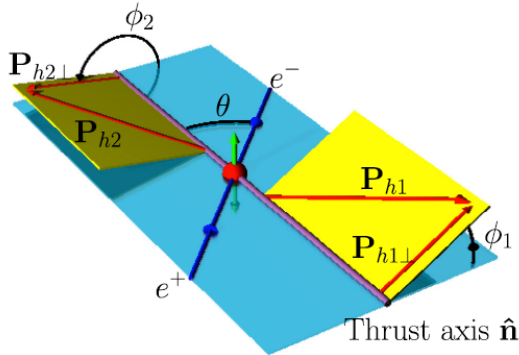
↓

Opposite sign for pions reveals Collins features

Collins frag. @ B-factories

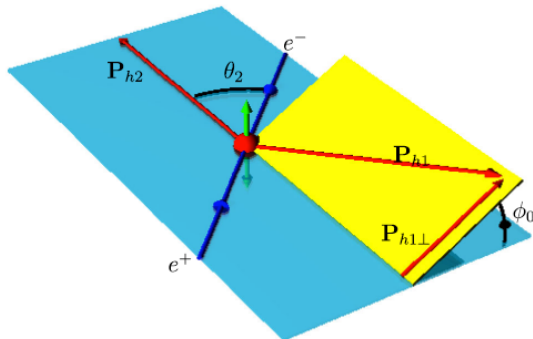
$$H_1^\perp \otimes H_1^\perp$$

$$\frac{d\sigma(ee \rightarrow hhX)}{d\Omega dz_1 dz_2 d\phi_1 d\phi_2} \propto (1 + \cos^2 \theta) D_1^{(0)} D_1^{(0)} + \mu \sin^2 \theta \cos(\phi_1 + \phi_2) H_1^{\perp,(1)} H_1^{\perp,(1)}$$



Different from zero signal!

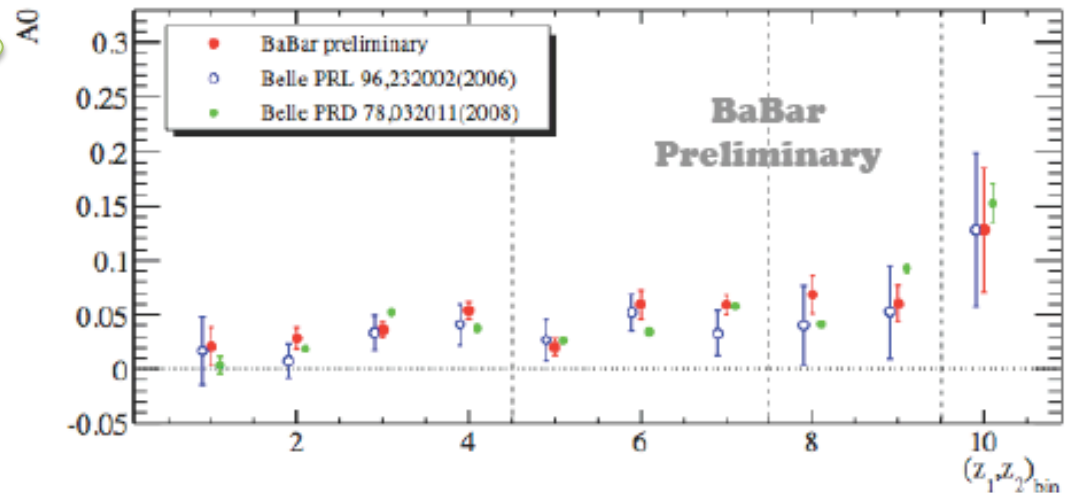
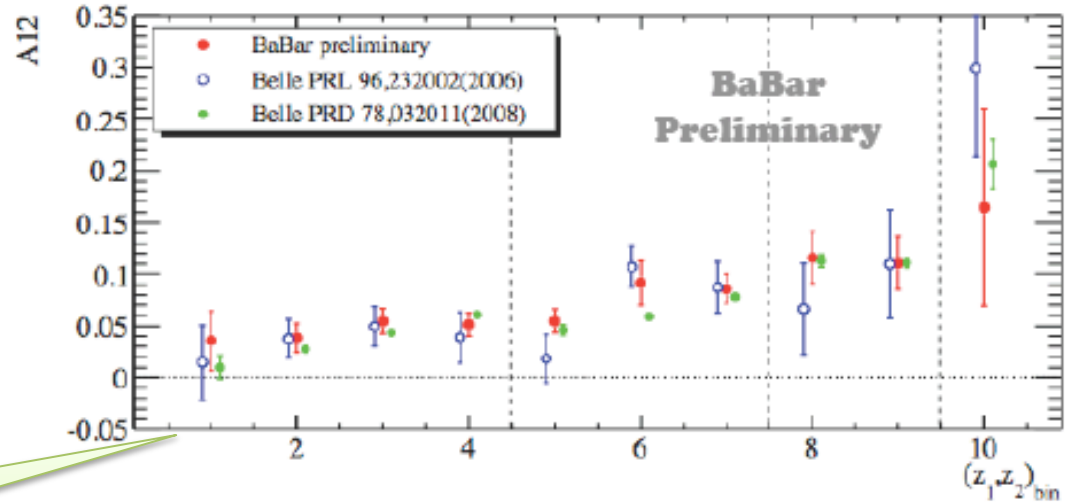
At low z little memory of the struck quark



BaBar preliminary:
 $\mathcal{L} \approx 45 \text{ fb}^{-1}$

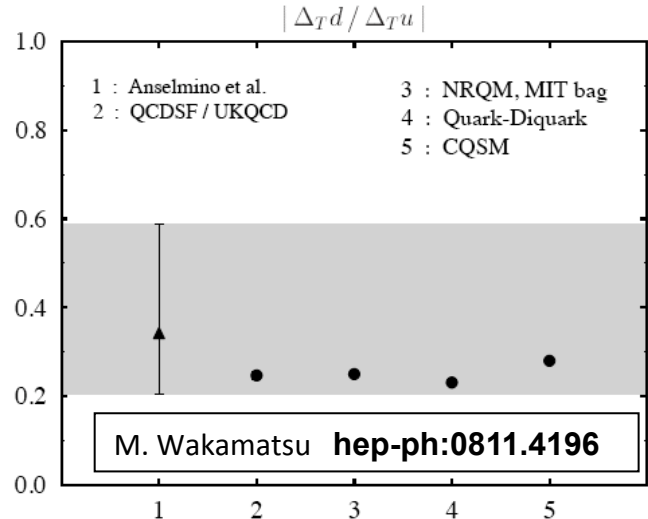
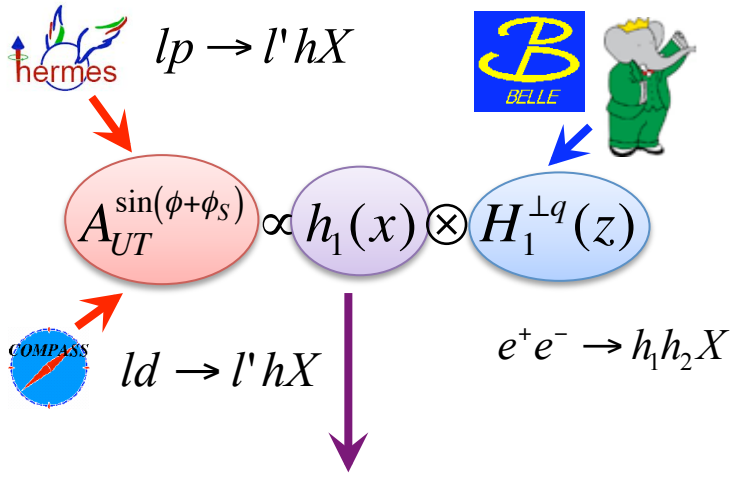
Belle Off-peak:
 $\mathcal{L} \approx 29 \text{ fb}^{-1}$

Belle full statistics
(supersede previous results)
 $\mathcal{L} \approx 547 \text{ fb}^{-1}$



Transversity signals

$$h_1 \otimes H_1^\perp$$



Tensor charge

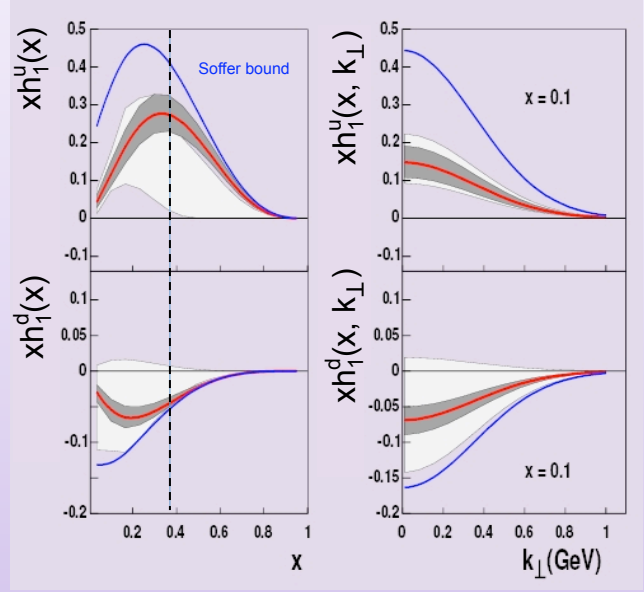
$$\int_0^1 dx [h_1^q(x) - \bar{h}_1^q(x)] = \delta q$$

$$\delta u = 0.54^{+0.09}_{-0.22}$$

$$\delta d = -0.23^{+0.09}_{-0.16}$$

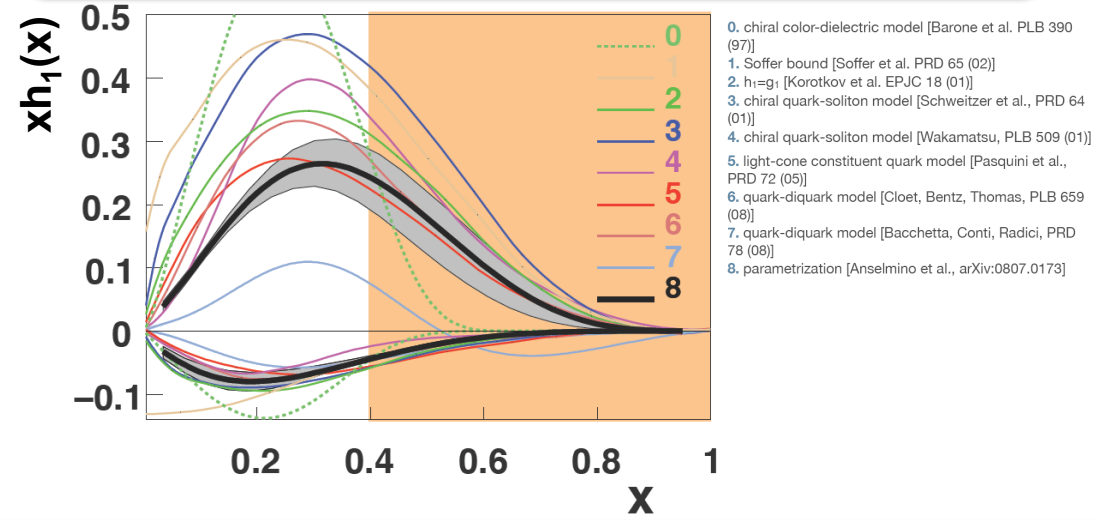
M. Anselmino et al
hep-ph:0812.4366

First extraction of Transversity!



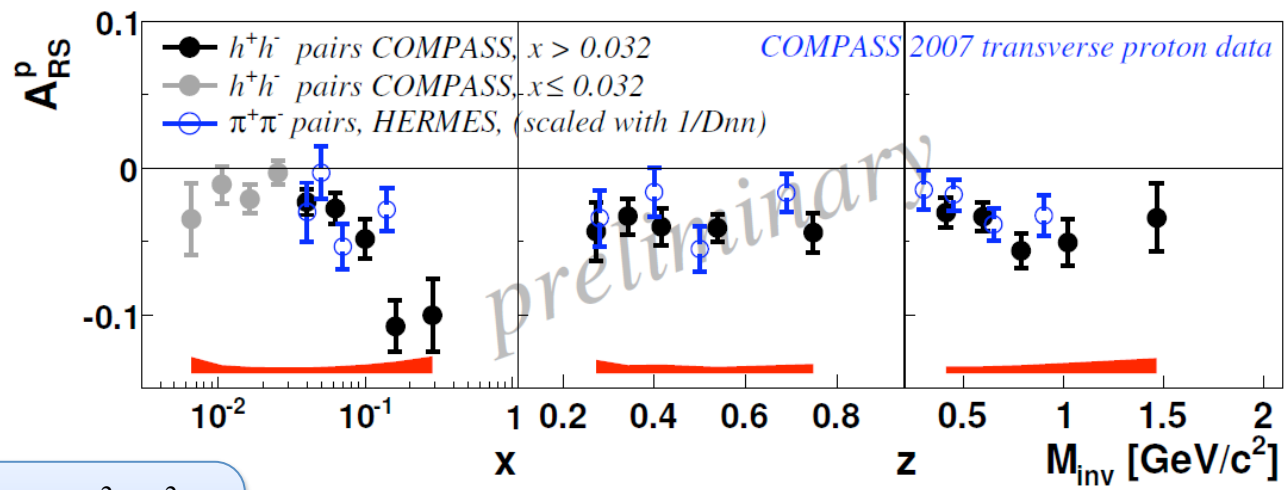
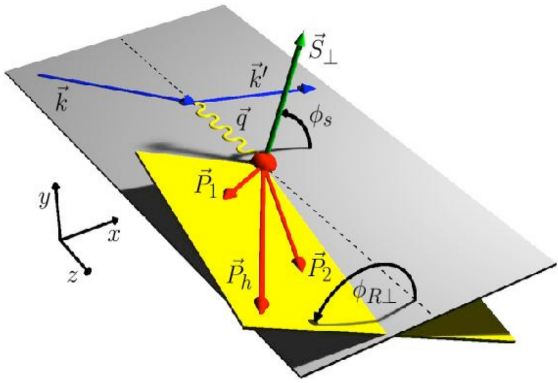
Anselmino et al. Phys. Rev. D 75 (2007)

- Existing data limited to $x < 0.3$
- Gaussian ansatz
- Evolution from high energy colliders



Two hadron asymmetries

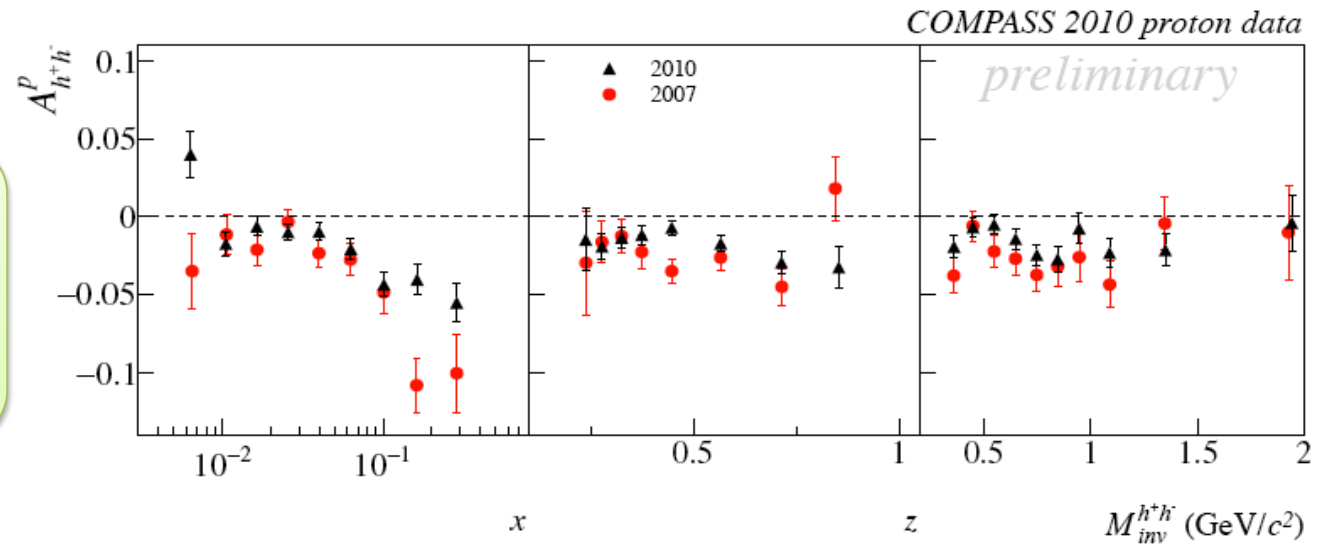
$$h_1 \otimes H_1^\Delta$$



$$A_{UT}^{\sin(\phi_R + \phi_S)\sin\theta} \propto \frac{\sum_q e_q^2 h_1(x, Q^2) H_1^\Delta(z, M_h^2, Q^2)}{\sum_q e_q^2 f_1(x, Q^2) D_1^\Delta(z, M_h^2, Q^2)}$$

Issue with unknown pp-terms in partial wave expansion

- Survives P_h integration
- Collinear factorization (simple product)
- DGLAP evolution
- Universality



Transversity signals

$$h_1 \otimes H_1^{\triangleleft}$$

$$lp \rightarrow l' \pi^+ \pi^- X$$



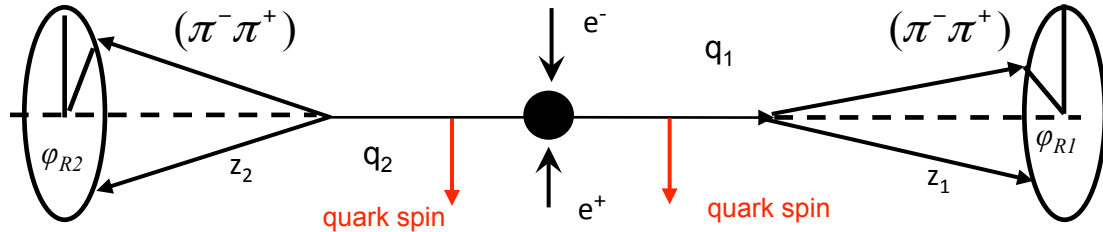
$$A_{UT}^{\sin(\phi_{R\perp} + \phi_S)} \propto \sin \vartheta h_1(x) \otimes H_1^{\triangleleft q}(z)$$

1st collinear extraction !



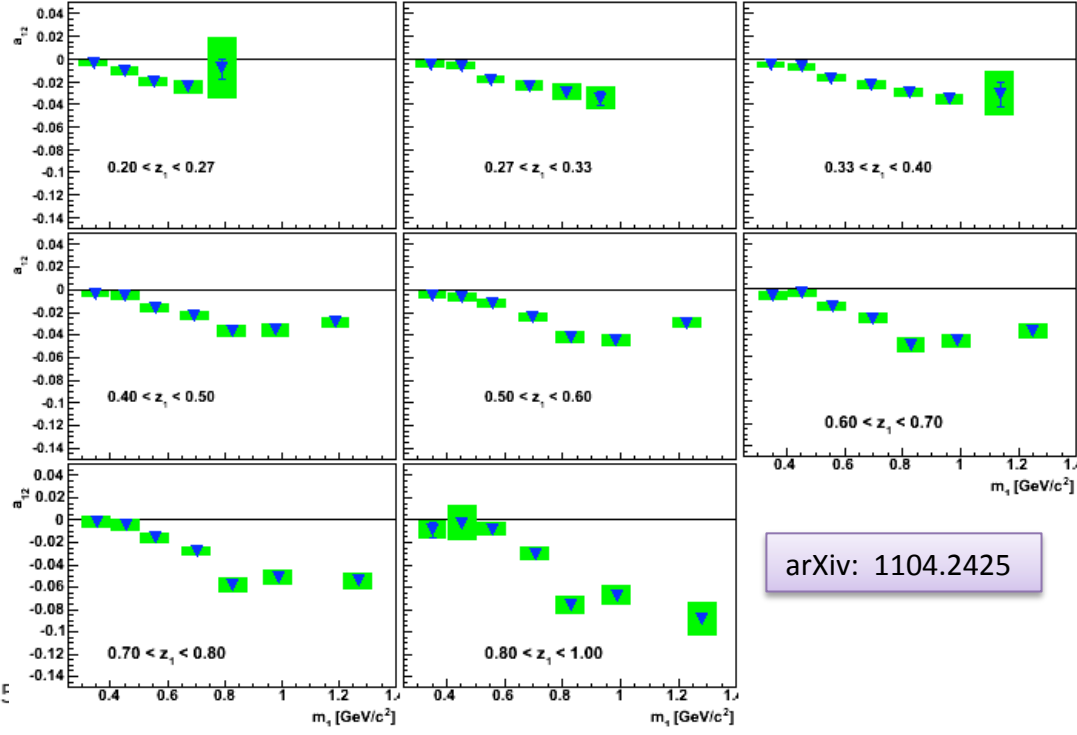
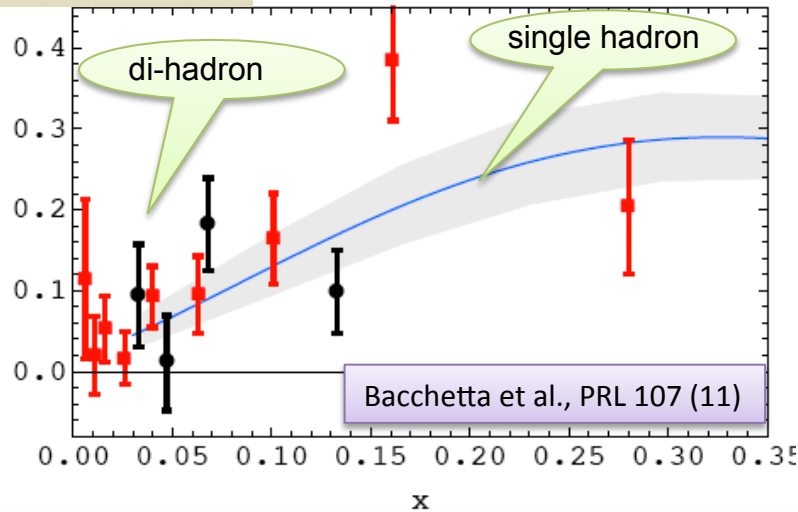
$$e^+ e^- \rightarrow (\pi^+ \pi^-)(\pi^+ \pi^-) X$$

Different from zero correlations !



- HERMES
- COMPASS
- Anselmino et al., N.P.B191 (Pr.Sup.) (09)

$$x h_1^{u_v}(x) - \frac{x}{4} h_1^{d_v}(x)$$



arXiv: 1104.2425

Transversity signals

$$h_1 \otimes H_1^{\triangleleft}$$

$$lp \rightarrow l' \pi^+ \pi^- X$$



Precise DATA
wide x range
test TMD formalism
tensor charge

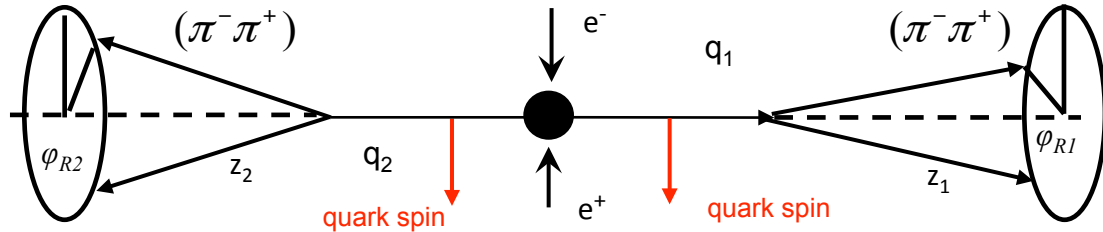
$$A_{UT}^{\sin(\phi_{R\perp} + \phi_S)} \propto \sin \vartheta h_1(x) \otimes H_1^{\triangleleft q}(z)$$

1st collinear extraction !



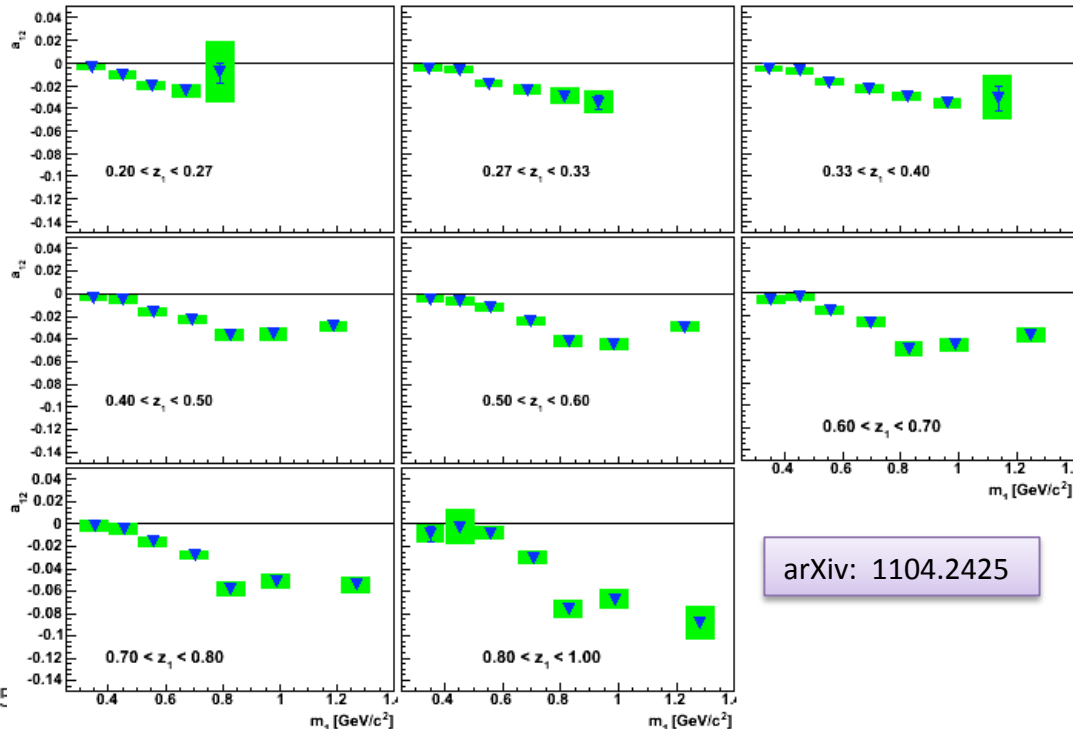
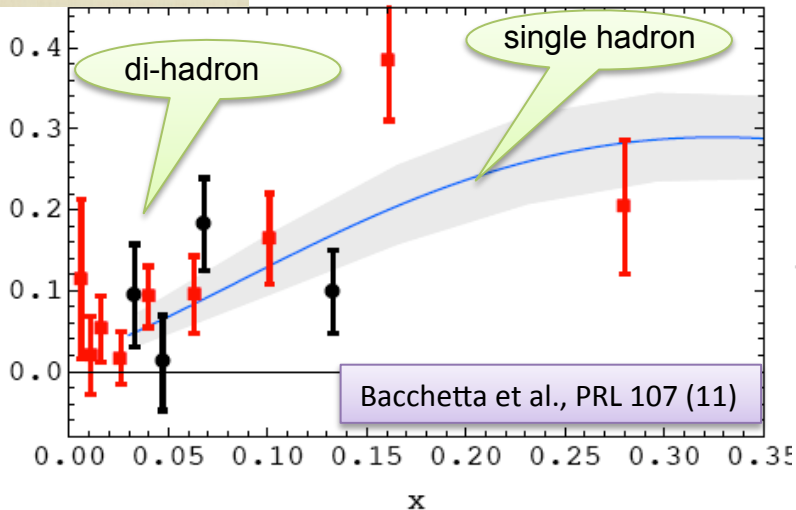
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Different from zero correlations !


















- HERMES
- COMPASS
- Anselmino et al., N.P.B191 (Pr.Sup.) (09)

$$x h_1^{u_v}(x) - \frac{x}{4} h_1^{d_v}(x)$$



arXiv: 1104.2425

CAHN & BOER-MULDERS

	N/q	U	L	T
nucleon polarisation	U	f_1  Number Density		h_1^\perp  -  Boer-Mulders
	L		g_1  -  Helicity	h_{1L}^\perp  -  Worm-gear
	T	f_{1T}^\perp  -  Sivers	g_{1T}^\perp  -  Worm-gear	h_1  -  Transversity h_{1T}^\perp  -  Pretzelosity

Naïve-T-odd
Chirally-odd
Spin effect in unpolarized
reactions

(THE NEGLECTED EFFECTS)

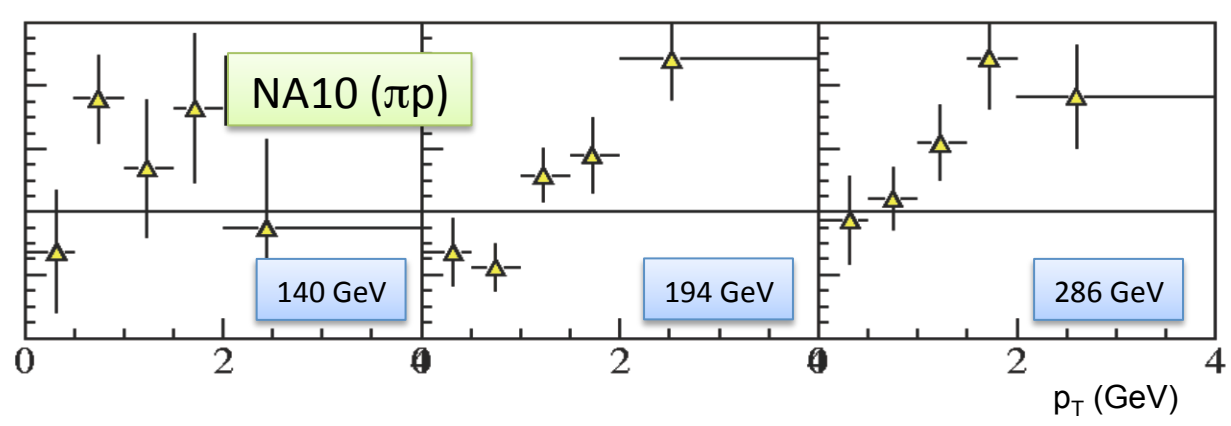
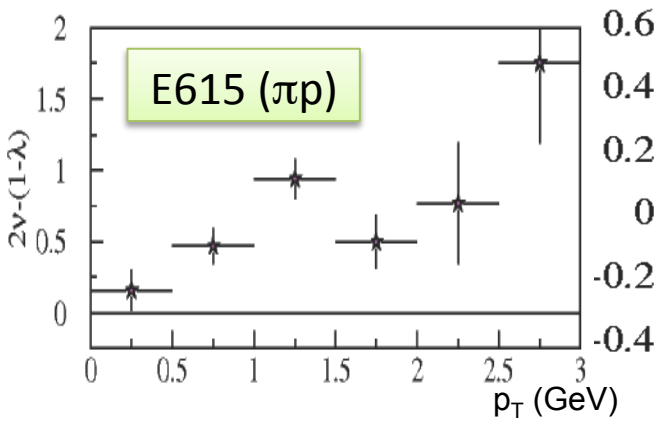
The Lam-Tung relation

$$h_1^\perp \otimes h_1^\perp$$

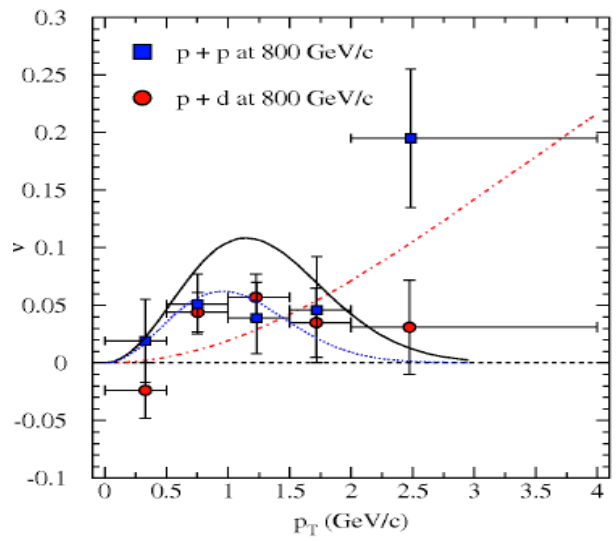
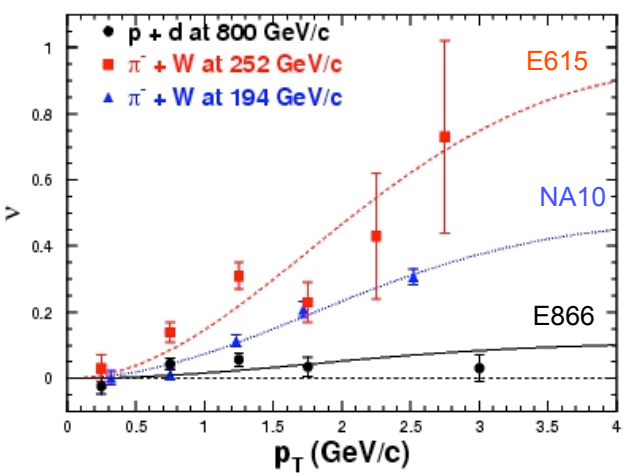
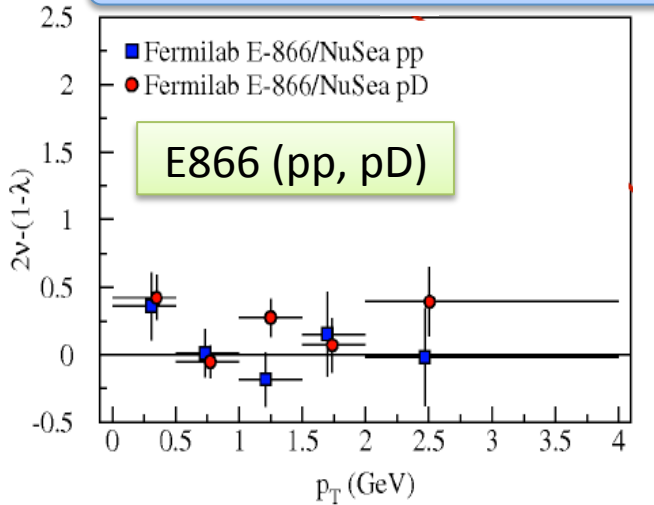
$$\frac{d\sigma^{DY}(hp \rightarrow eeX)}{d\Omega} \propto 1 + \lambda \cos^2 \theta + \mu \sin 2\theta \cos \phi + \frac{\nu}{2} \sin^2 \theta \cos 2\phi$$

$$(1 - \lambda) = 2\nu$$

Preserved by NLO and resummation
Analogous of SIDIS Callan-Gross



Boer-Mulders offers a possible explanation $\nu \approx h_{1q}^\perp \times h_{1\bar{q}}^\perp$



The azimuthal modulation

$$h_1^\perp \otimes H_1^\perp$$

$$\frac{d^5 \sigma^{SIDIS}(ep \rightarrow e' h X)}{dx dy dz d\phi dP_{h\perp}^2} \propto \{ F_{UU,T} + \varepsilon F_{UU,L} + \sqrt{2\varepsilon(1+\varepsilon)} \cos(\phi) F_{UU}^{\cos(\phi)} + \varepsilon s \cos(2\phi) F_{UU}^{\cos(2\phi)} \}$$

$$(f_1 \otimes D_1) / Q$$

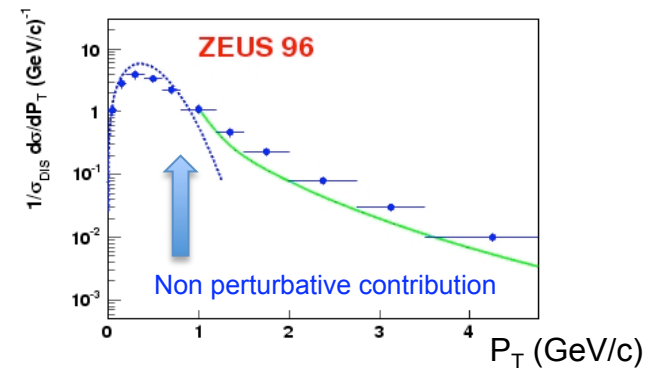
$$h_1^\perp \otimes H_1^\perp$$

Kinematical effect redicted since 1978
by Cahn due to non-zero intrinsic k_T

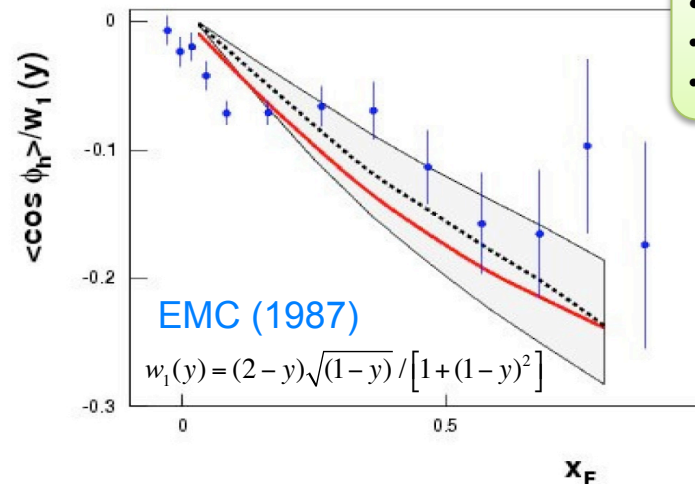
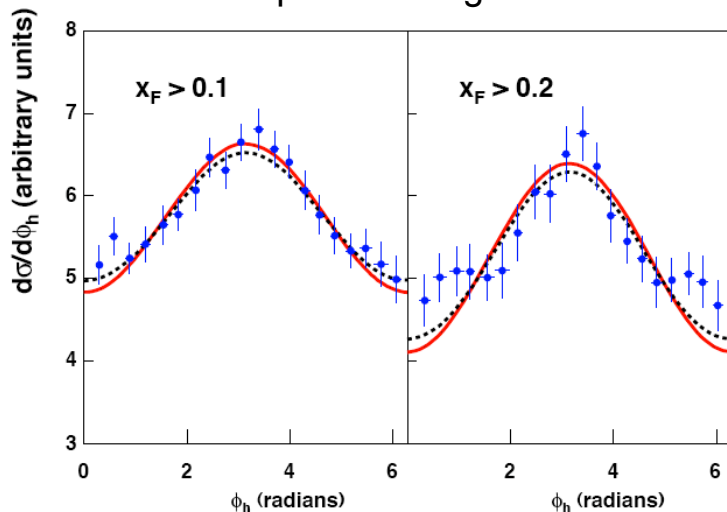
Cahn PLB 78 (1978)

Leading-twist contribution introduced
by Boer & Mulders in 1998

Boer & Mulders PRD 57 (1998)



Till 2008: qualitative agreement with Cahn expectations

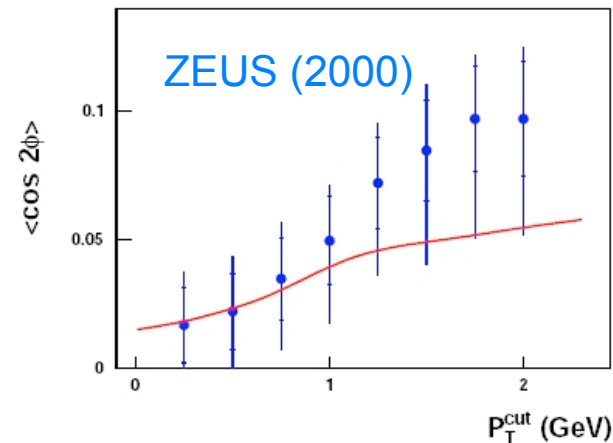
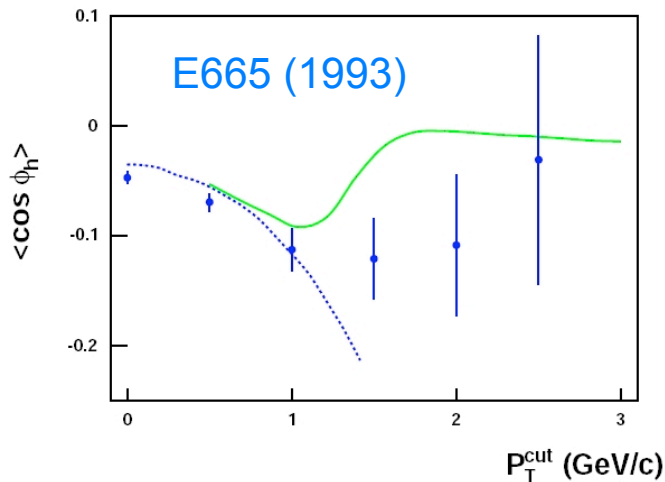
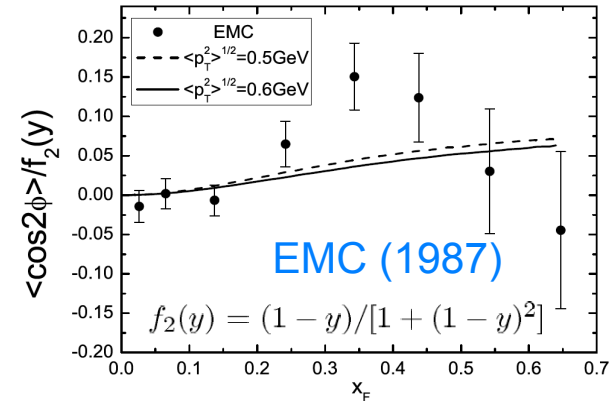
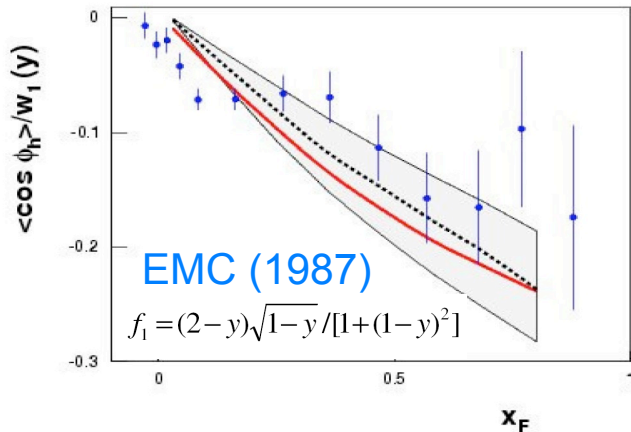


- No hadron identification
- No charge separation
- Poor statistics for $\cos 2\phi$

$\cos\phi$

Up to 2008

$\cos 2\phi$



Qualitative agreement with expectations based on Cahn model, but investigation far to be conclusive

- No hadron identification
- No charge separation
- Poor statistics for $\cos 2\phi$

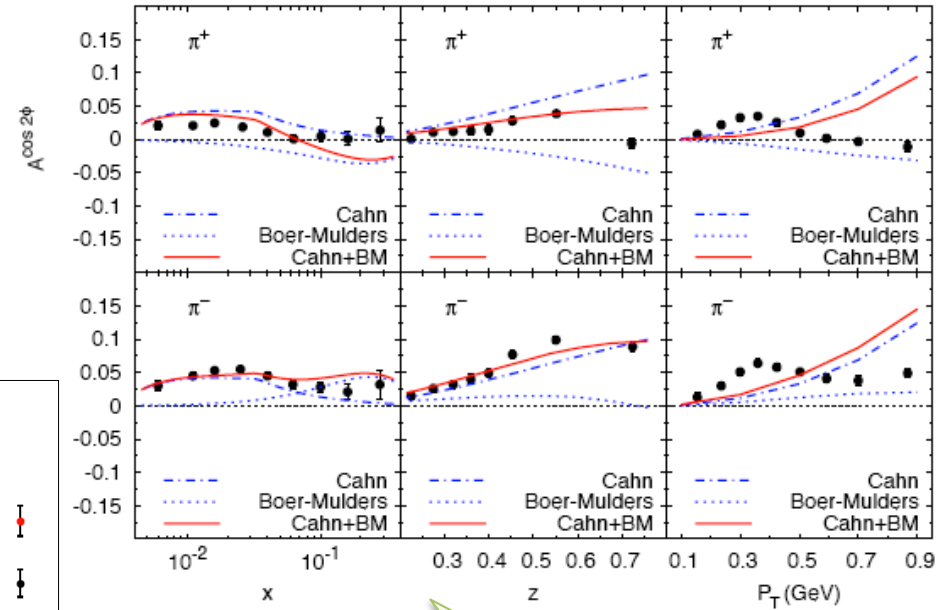
The SIDIS $\cos 2\phi$ dependence

$$h_1^\perp \otimes H_1^\perp$$

$$\sigma_{UU}^{\cos(2\phi)} \propto h_1^\perp \otimes H_1^\perp + [f_1 \otimes D_1 + \dots] / Q^2$$

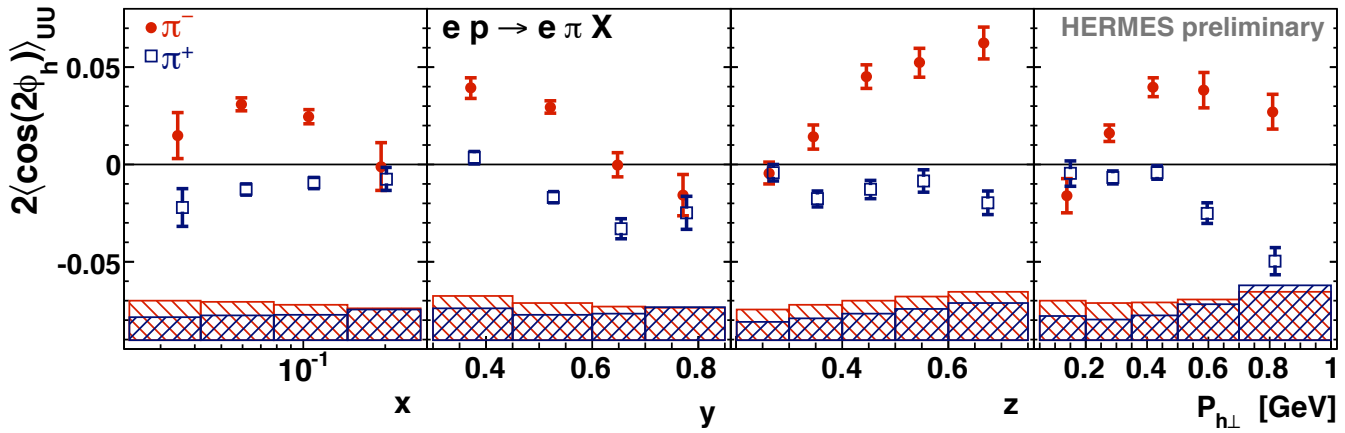
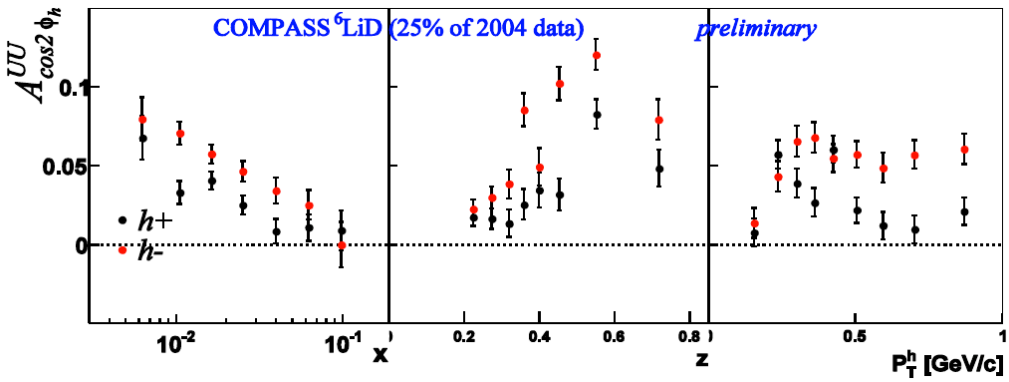
Non-zero !

Issue on DATA consistency



arXiv: 0912.5194

Can be explained by large uncertainty on Cahn and neglected HT effects



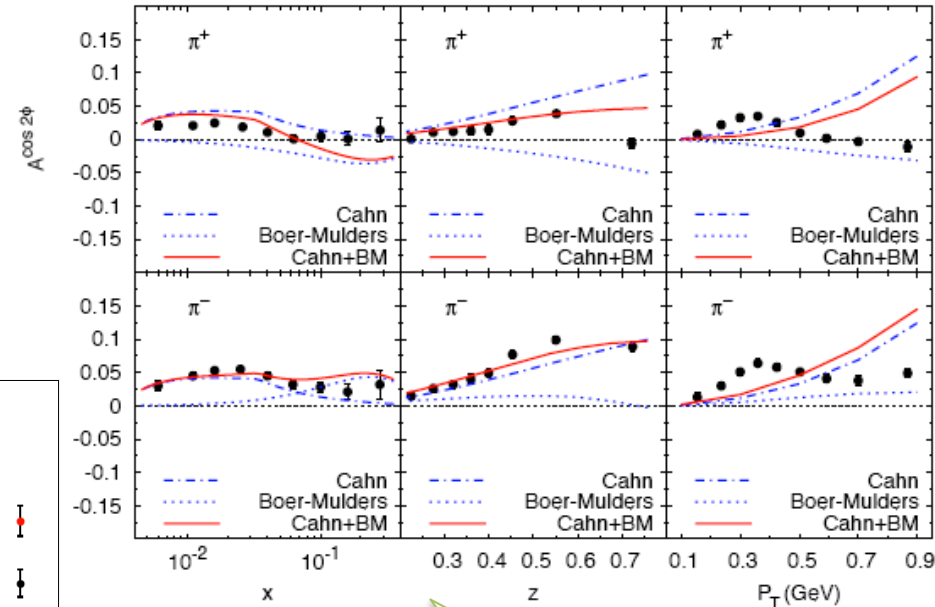
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Non-zero !

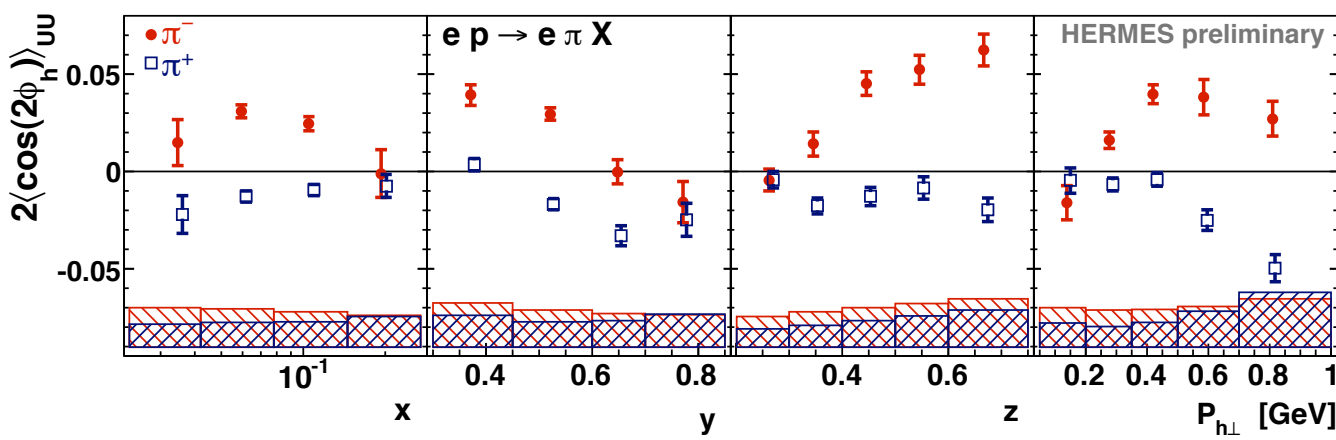
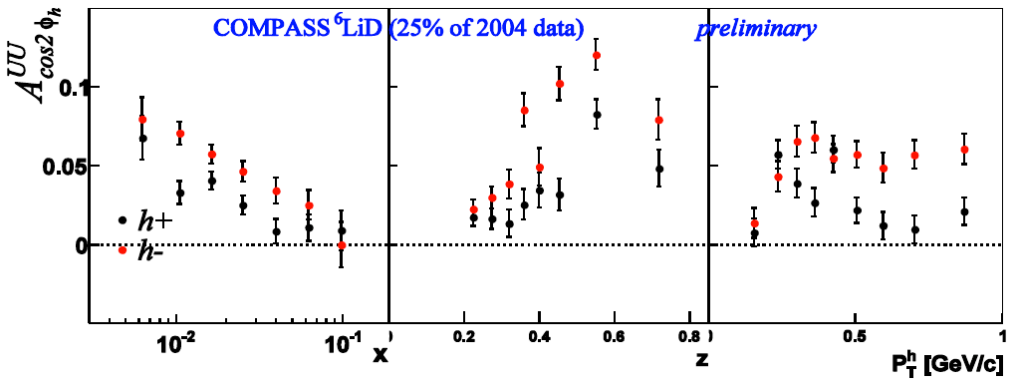
Issue on DATA consistency



arXiv: 0912.5194















Can be explained by large uncertainty on Cahn and neglected HT effects

Precise DATA wide kin. range to isolate sub-leading terms

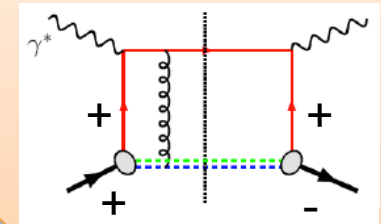


SIVERS

nucleon polarisation

N/q	U	L	T
U	f_1  <i>Number Density</i>		h_1^\perp  -  <i>Boer-Mulders</i>
L		g_1  -  <i>Helicity</i>	h_{1T}  <i>Worm-gear</i>
T	f_{1T}^\perp  -  <i>Sivers</i>	g_{1T}^\perp  -  <i>Worm-gear</i>	h_1  -  <i>Transversity</i> h_{1T}^\perp  -  <i>Pretzelosity</i>

Naïve-T-odd
Non-trivial gauge link

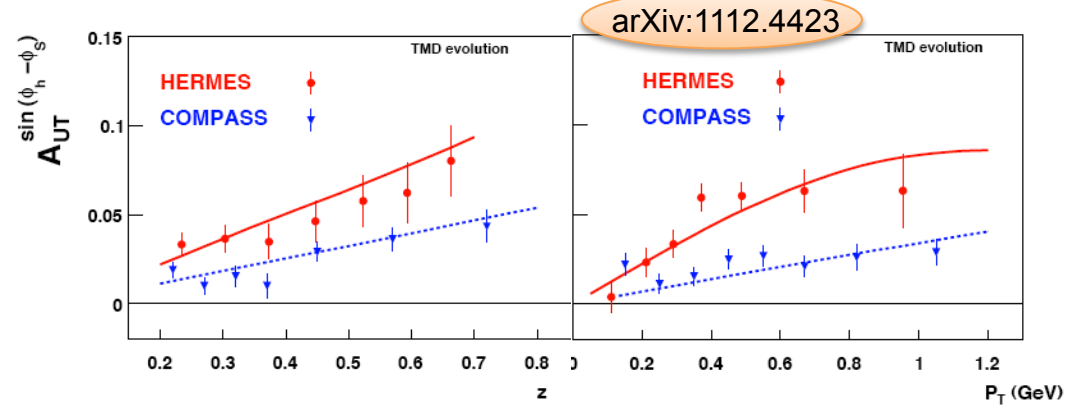
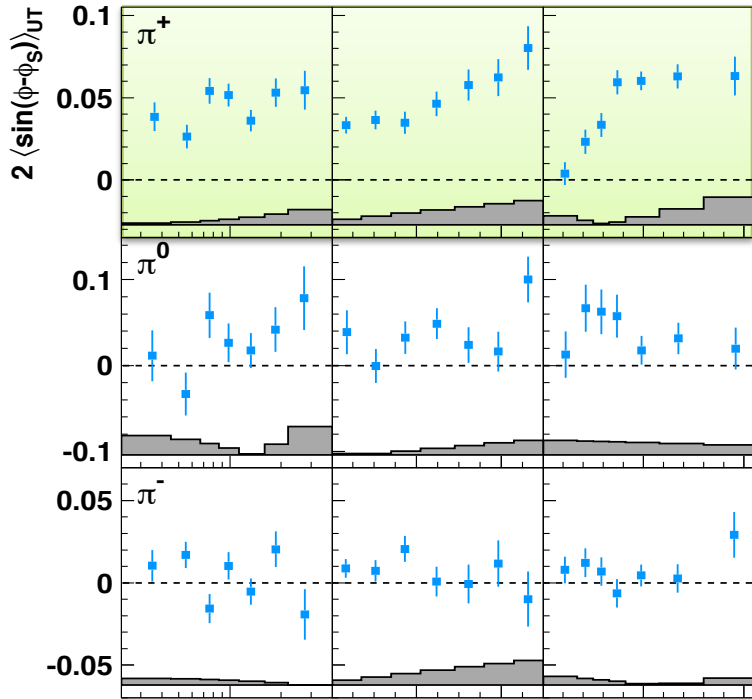


Process dependence

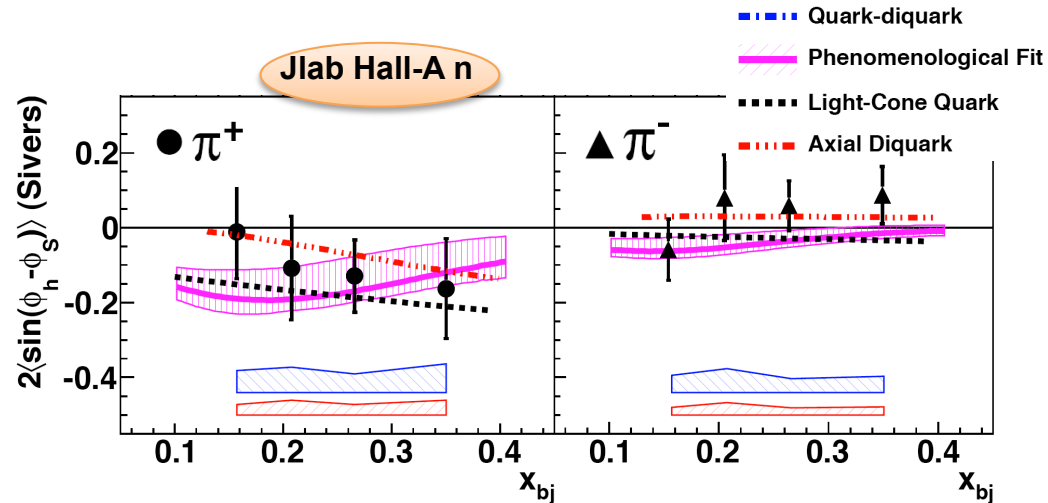
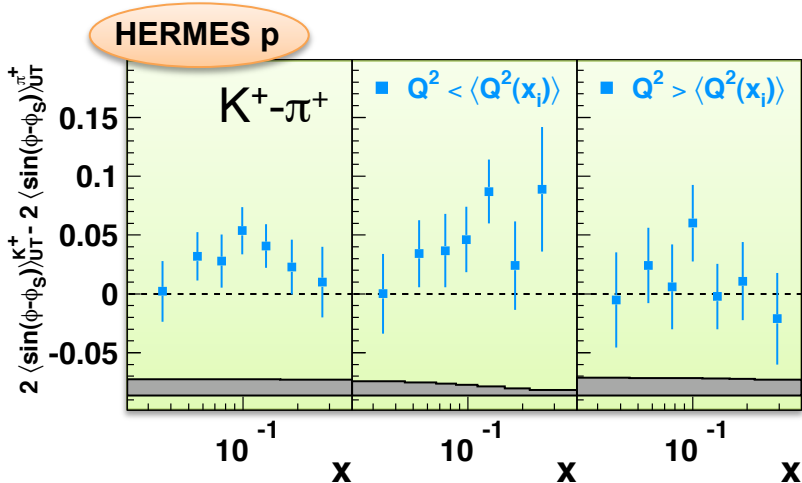
(THE TMD CHALLENGE)

The Sivers signals

$$f_{1T}^\perp \otimes D_1$$

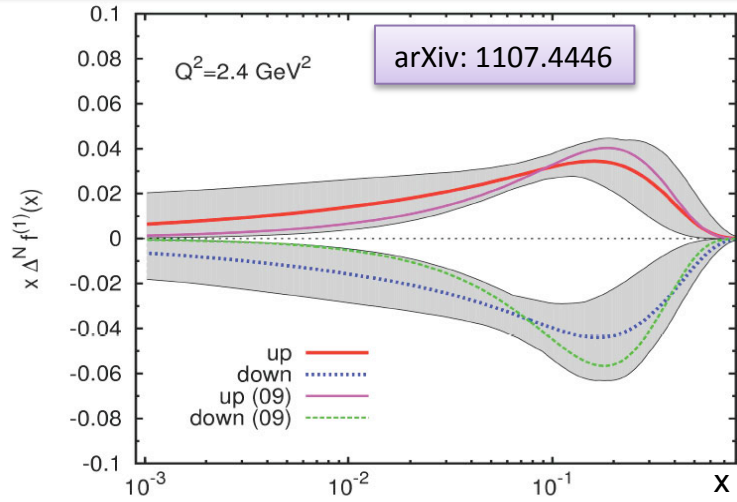


Non zero ! for positive hadrons on proton
 Flavor tagging: K^+ signals larger than π^+
 No signal on deuteron target



The Sivers challenges

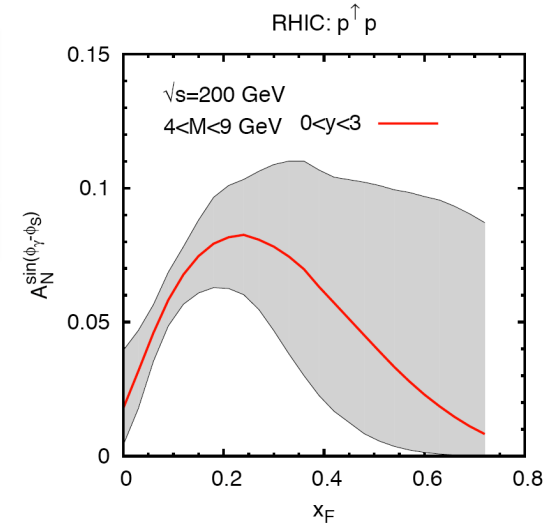
$$f_{1T}^\perp \otimes D_1$$



From SIDIS to Drell-Yan:

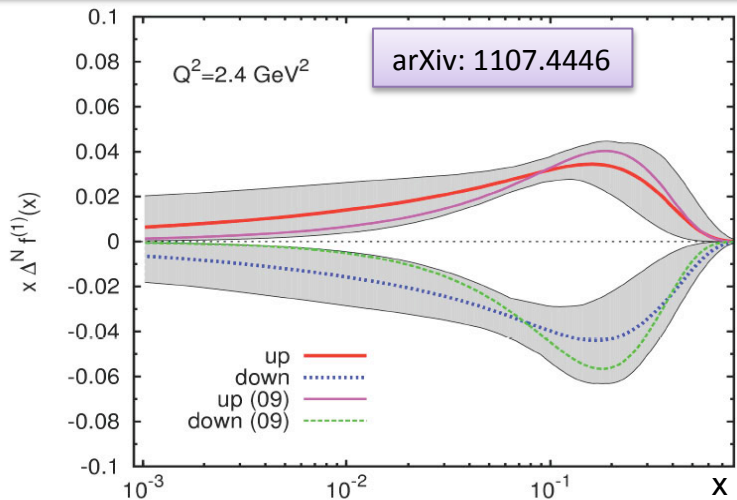
Sign change as a crucial test of TMDs factorization

arXiv: 0901.3078



The Sivvers challenges

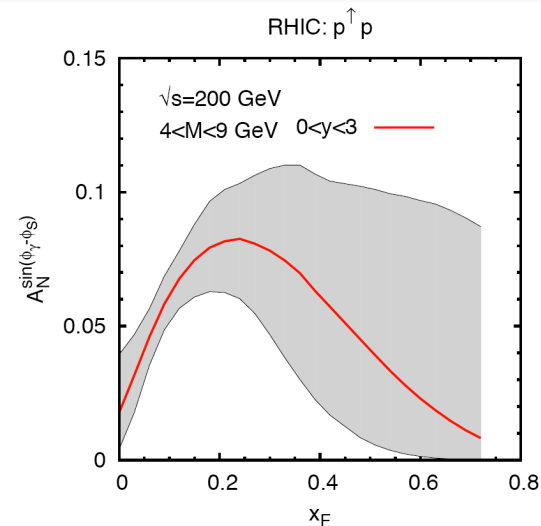
$$f_{1T}^\perp \otimes D_1$$



From SIDIS to Drell-Yan:

Sign change as a crucial test of TMDs factorization

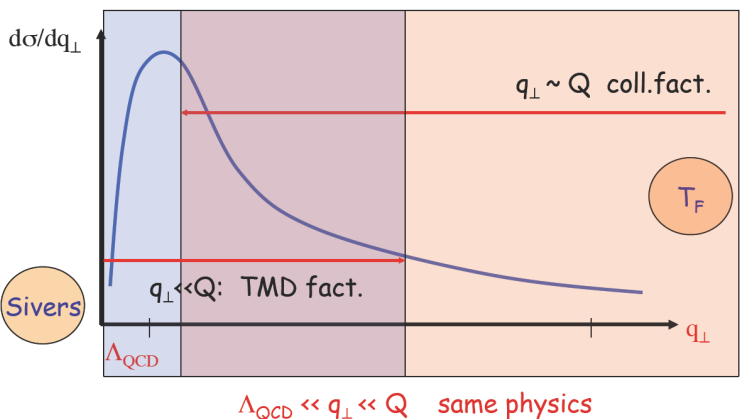
arXiv: 0901.3078



From SIDIS to pp: A possible candidate to explain SSA

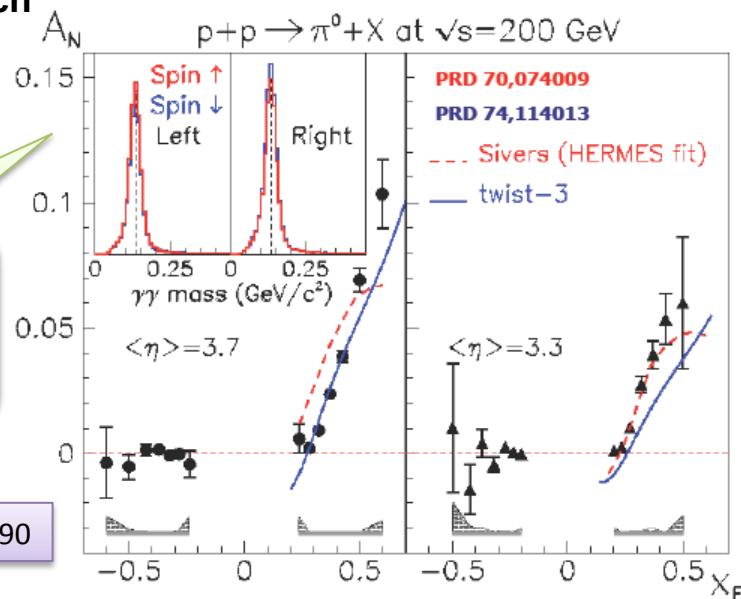
Coverage at large p_T and relation with twist-3 collinear approach

$$gT_{q,F}(x, x) = - \int d^2 k_\perp \frac{|k_\perp|^2}{M} f_{1T}^{\perp q}(x, k_\perp^2) |_{\text{SIDIS}}$$



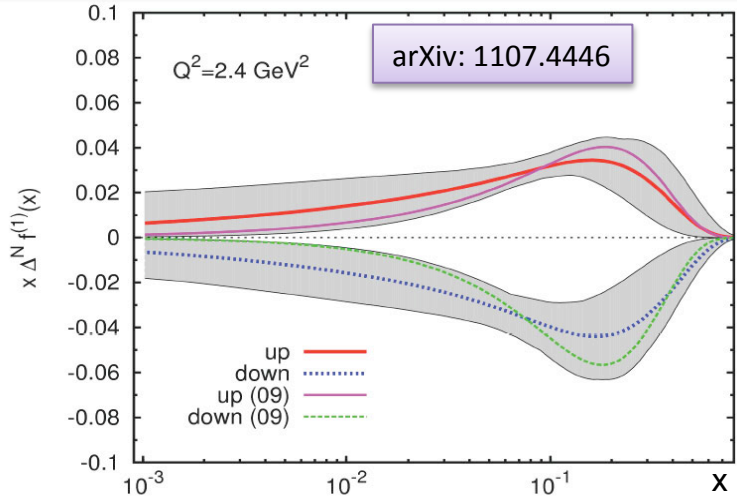
After 1st promising results a sign mismatch was found

arXiv: 0801.2990



The Sivvers challenges

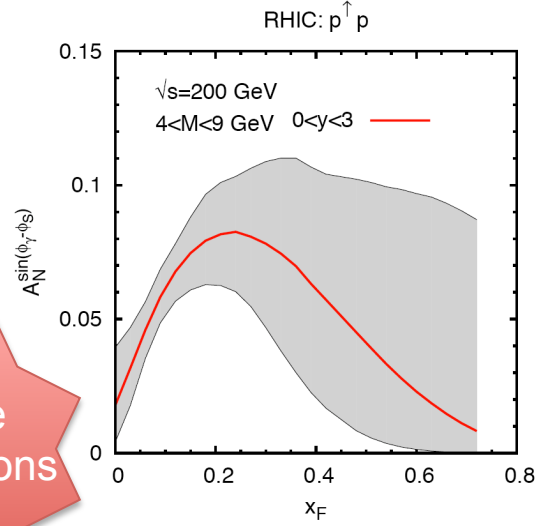
$$f_{1T}^\perp \otimes D_1$$



arXiv: 1107.4446

From SIDIS to Drell-Yan:
 Sign change as a crucial test of TMDs factorization

arXiv: 0901.3078

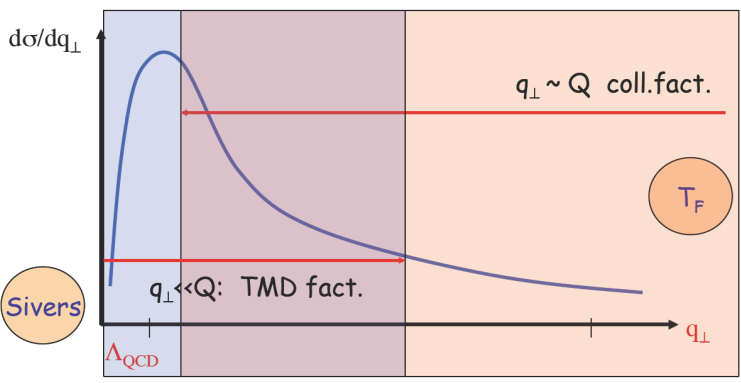


Precise DATA
 wide kin. range
 match other reactions
 test TMD factor.

From SIDIS to pp: A possible candidate to explain SSA

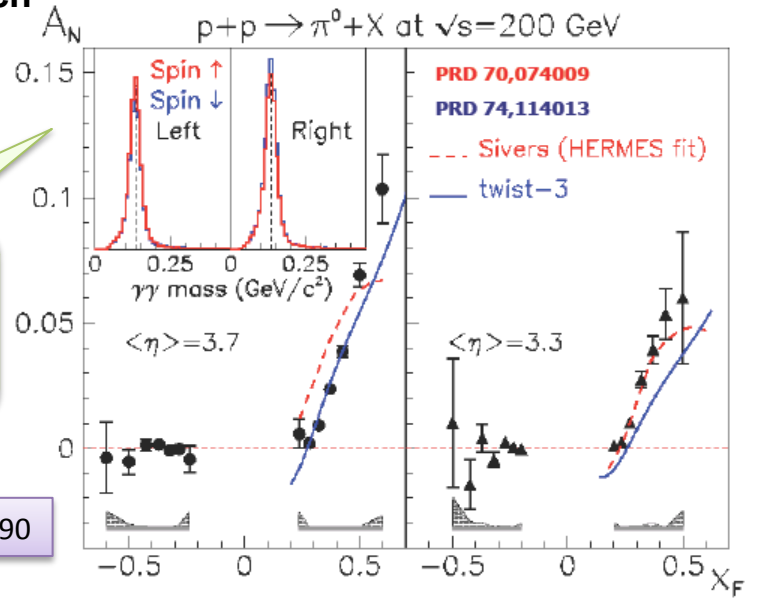
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After 1st promising results a sign mismatch was found

arXiv: 0801.2990



Honour and Duty

TMDs describe a new class of phenomena providing novel insights into the rich nuclear structure

Experiments have got access to all PDFs and FFs, but in a convoluted way, first generation non-zero results provide promises but also open questions

Full coverage of valence region not achieved
Limited knowledge on $P_{h\perp}$ dependences
Flavor decomposition often missing
Evolution properties to be defined
Role of the higher twist to be quantified
Universality \leftrightarrow Fundamental test of QCD



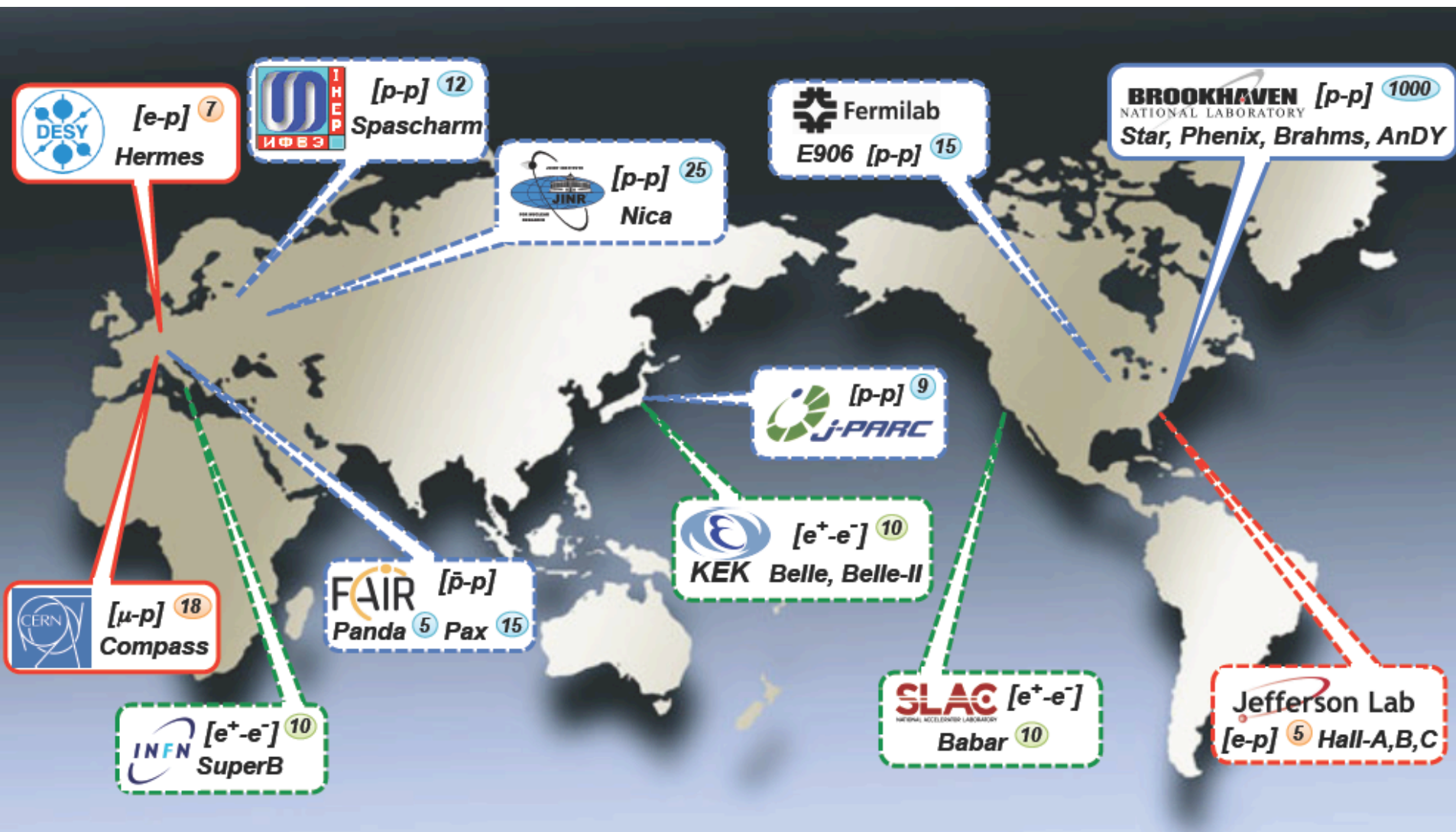
large x coverage
wide $P_{h\perp}$ acceptance
hadron ID
large Q^2 coverage
multi-dimensional analysis
complementary channels

Still incomplete phenomenology is asking for new inputs

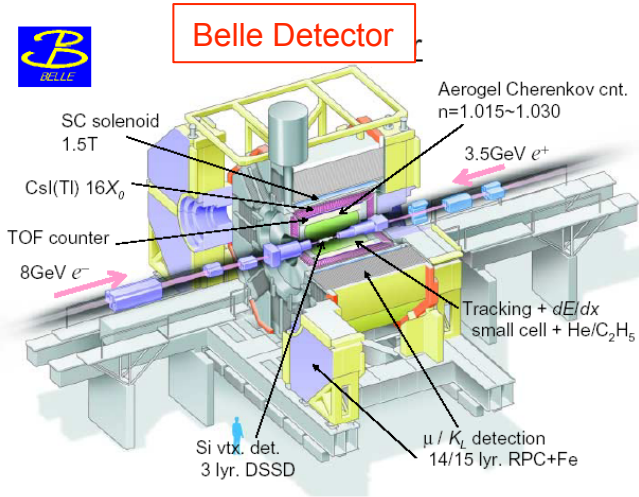
Crucial: completeness
flavor tagging, wide acceptance and four-fold differential extraction
in all variables (x, z, Q^2, P_T) to have all dependencies resolved

TMD STUDIES AT FUTURE FACILITIES

A World-wide Challenge



Fragmentation @ e+e- Colliders



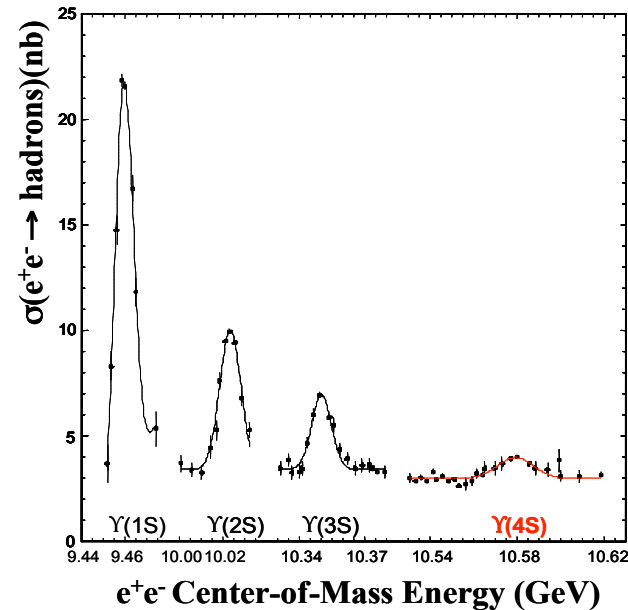
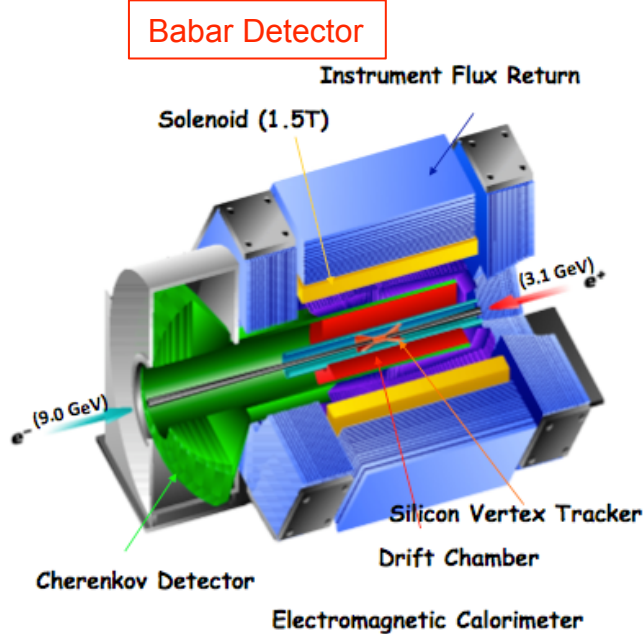
Hadrons in opposite hemispheres:

$$\frac{d\sigma(e^+e^- \rightarrow h_1 h_2 X)}{dz_1 dz_2 d\Omega} = \frac{3\alpha^2}{Q^2} A(y) \sum_{a, \bar{a}} e_a^2 D_1 \bar{D}_1$$

Dependence on transverse momentum

FFs for various hadron: 2π, kaons, (ρ, ... Λ)

Scale dependence: look for different c.m. energies



Different detector: systematic check !

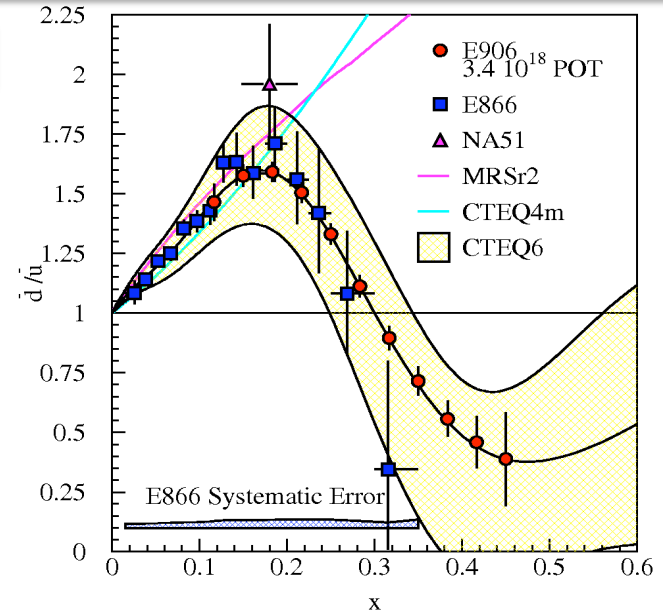
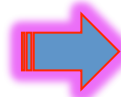
pp, pd Drell-Yan in the States

Unpolarized @ Fermilab to access Boer-Mulders

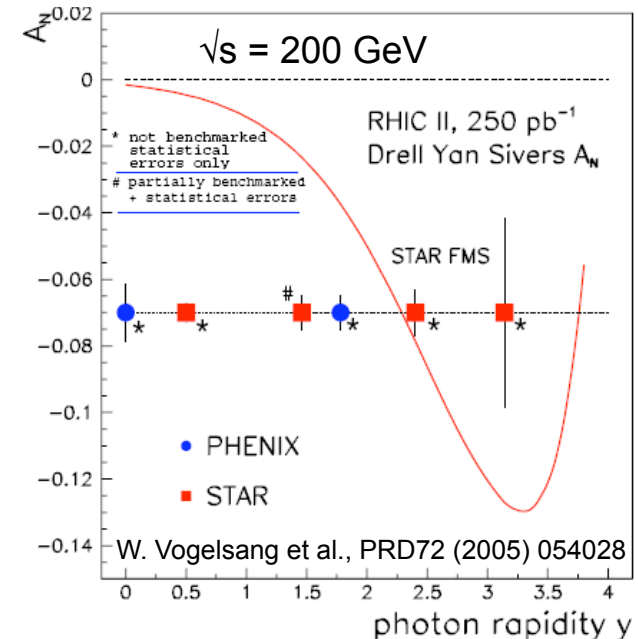
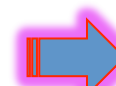
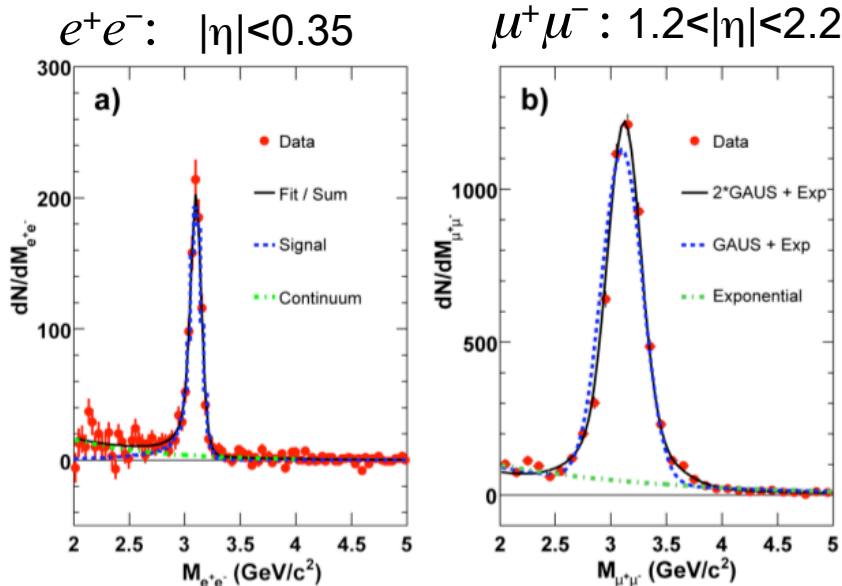
$$\frac{\sigma^{pd}}{2\sigma^{pp}} \Big|_{x_b \gg x_t} \approx \frac{1}{2} \left[1 + \frac{\bar{d}(x_t)}{\bar{u}(x_t)} \right]$$

E906: test run this year

Extends E866 measurements at 120 GeV
xsec scales as 1/s
background scales as s.



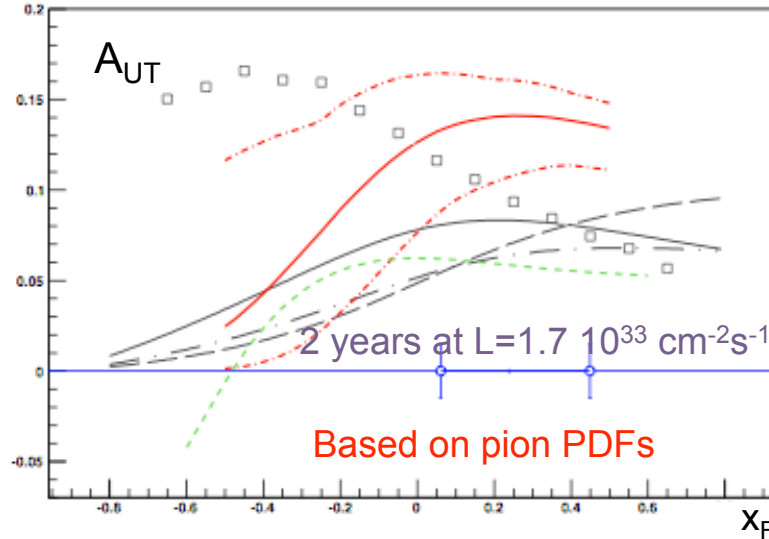
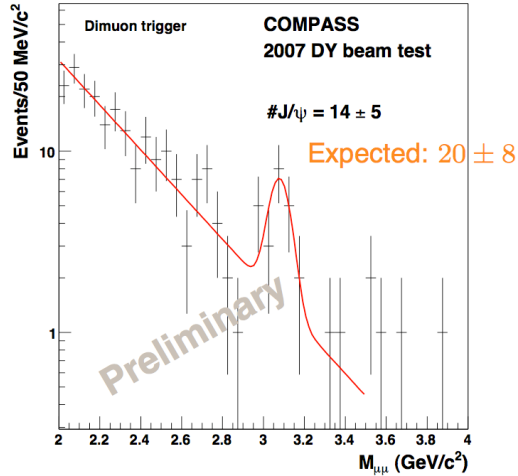
Polarized @ Brookhaven to access Sivers



RHIC experiments: preparatory phase

Valence antiquark Drell-Yan in Europe

Pion beam @ CERN



- solid and dashed: Efremov et al, PLB612(2005)233;
- dot-dashed: Collins et al, PRD73(2006)014021;
- solid, dot-dashed: Anselmino et al, PRD79(2009)054010;
- boxes: Bianconi et al, PRD73(2006)114002;
- short-dashed: Bacchetta et al, PRD78(2008)074010.

Anti-proton beam @ FAIR

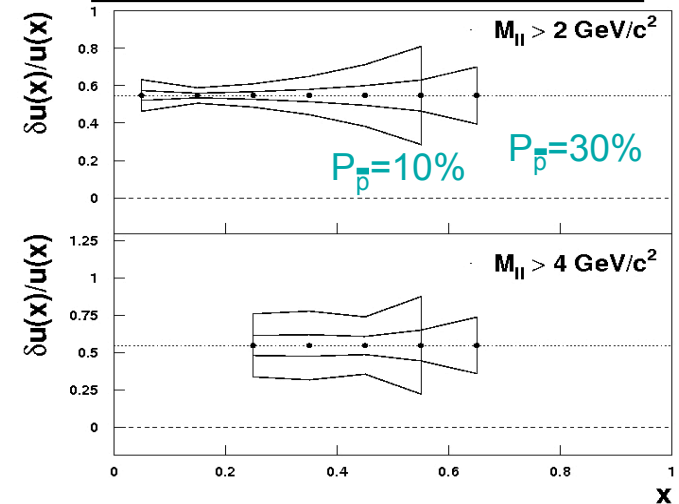
PANDA: unpolarized target ($s=30 \text{ GeV}^2$)

PAX: polarized collider ($s=200 \text{ GeV}^2$)

$$A_{TT} = \frac{d\sigma^{\uparrow\uparrow} - d\sigma^{\uparrow\downarrow}}{d\sigma^{\uparrow\uparrow} + d\sigma^{\uparrow\downarrow}} \approx \hat{a}_{TT} \frac{h_{1u}(x_1) h_{1u}(x_2)}{u(x_1) u(x_2)}$$

- u-dominance
- $|h_{1u}| > |h_{1d}|$

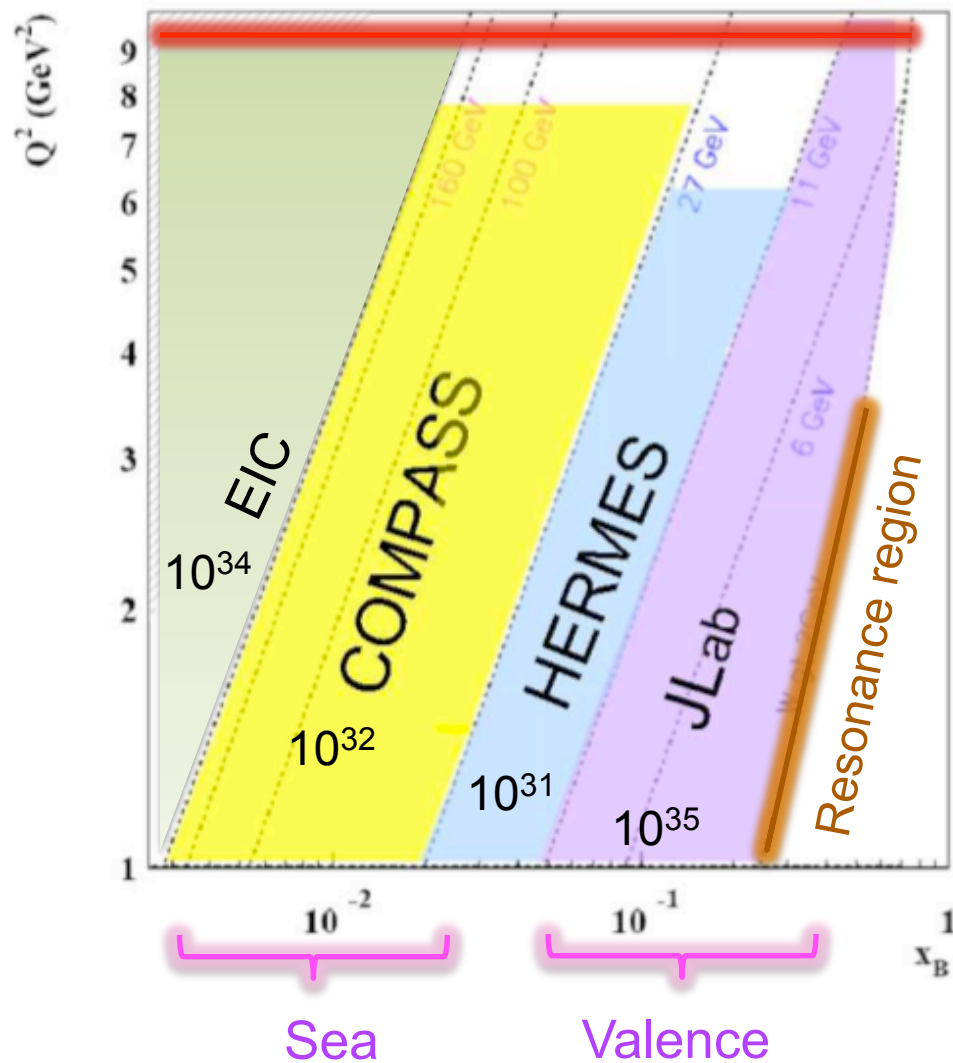
1year run: 10 % precision on the $h_{1u}(x)$ in the valence region



THE TMDs ON THE SIDIS LANSCAPE

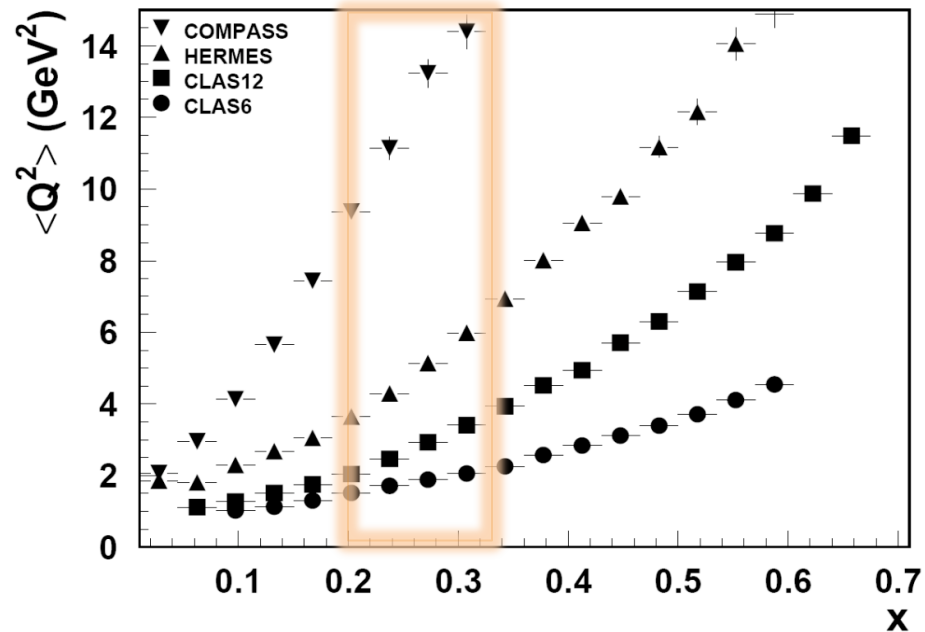
The SIDIS Landscape

Limit defined by luminosity



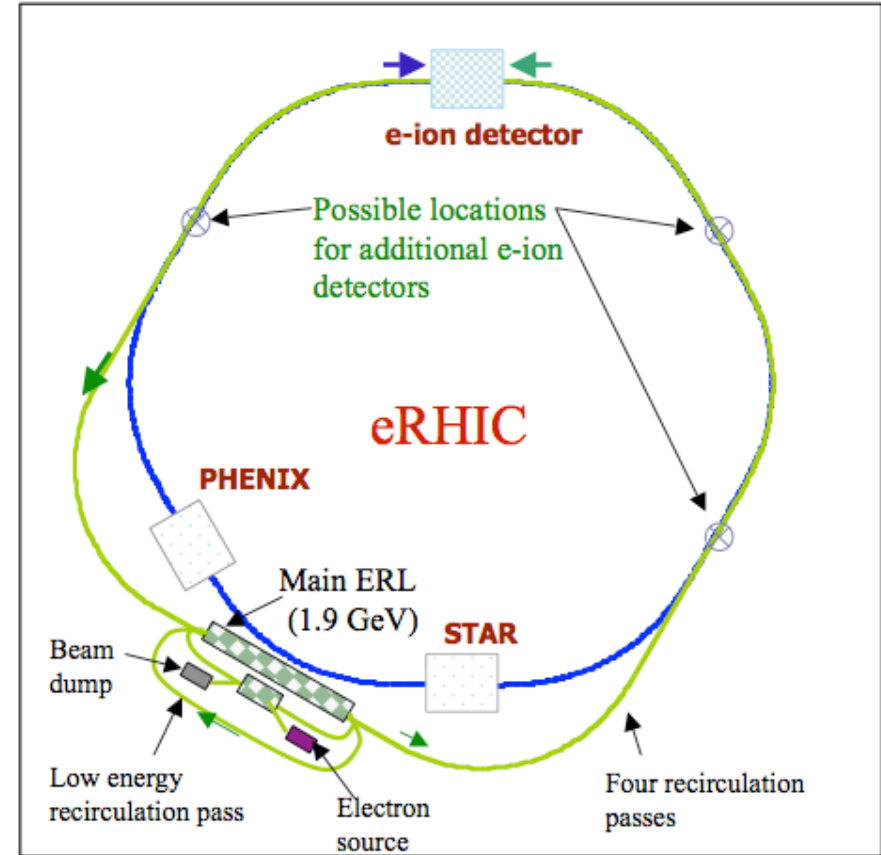
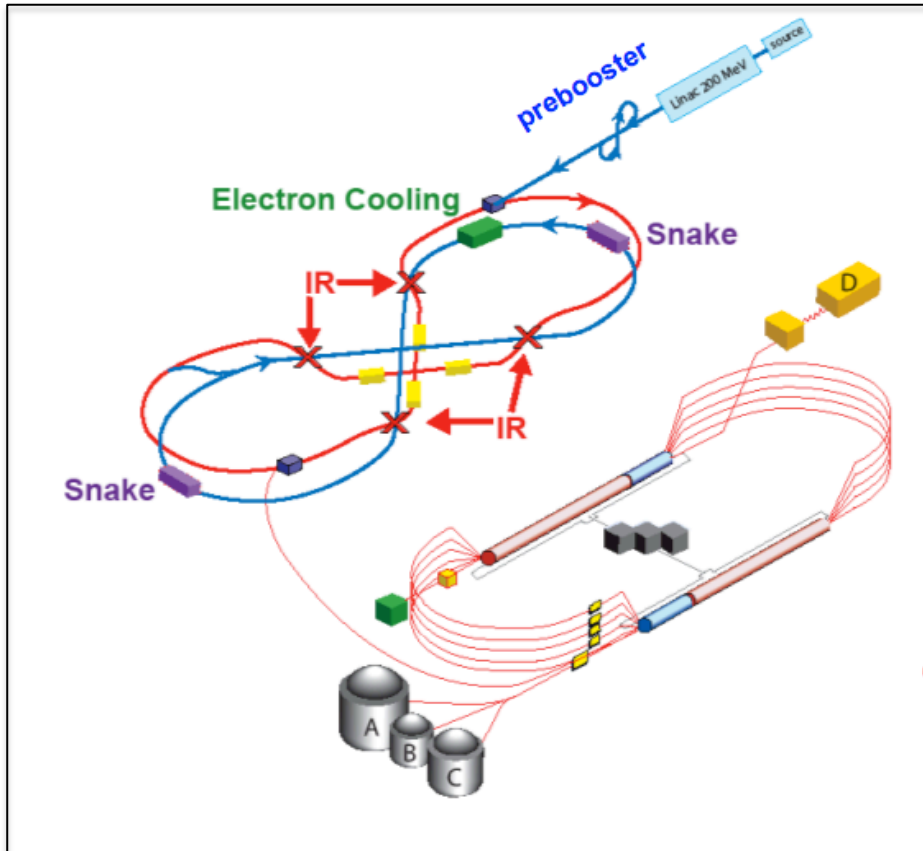
$$\frac{d\sigma(ep \rightarrow e' hX)}{dx dy dz dP_{h\perp}} \propto \sum_q e_q^2 C [q(x, k_T) D_q^h(z, p_T)]$$

Different Q^2 for same x range



Complementary experiments

Electron Ion Collider



30-225 GeV protons
 3 – 9 GeV electrons
 $\sqrt{s} \sim 20-90$ GeV
 $L \sim 0.7-6 \cdot 10^{34} \text{ cm}^{-2} \text{ s}^{-1}$

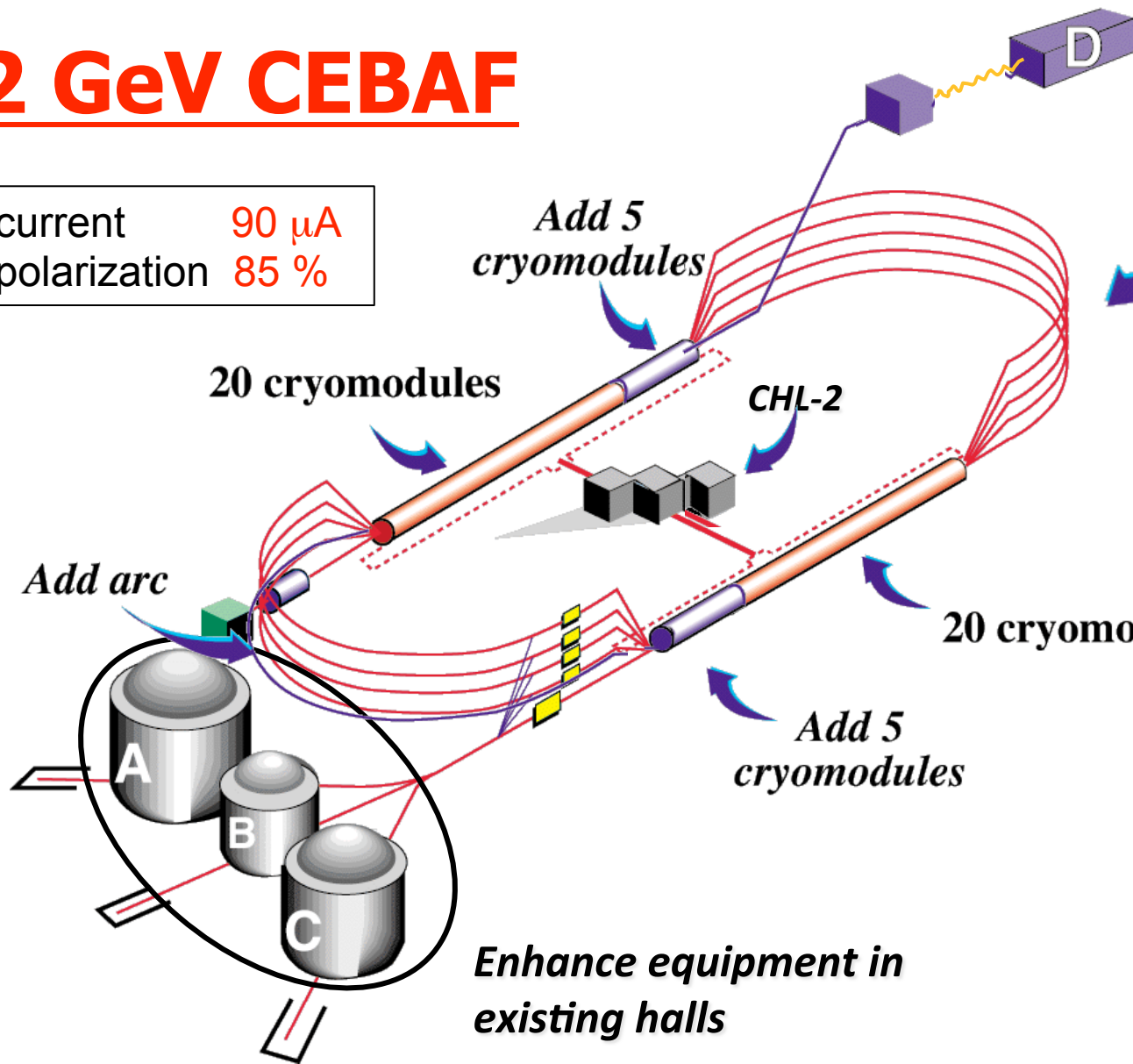
e,p polarization
 greater than 70 %

50-250 GeV protons
 3 – 10 GeV electrons
 $\sqrt{s} \sim 25-100$ GeV
 $L \sim 0.5-3 \cdot 10^{33} \text{ cm}^{-2} \text{ s}^{-1}$

High luminosity is better than high-energy: Sudakov suppression (soft gluon radiation)

12 GeV CEBAF

Beam current	90 μA
Beam polarization	85 %



**add Hall D
(and beam line)**

**Upgrade magnets
and power
supplies**

**2008-2014:
Construction (funded at
99%)**

May 2012
6 GeV Accelerator
Shutdown starts

May 2013
Accelerator
Commissioning starts

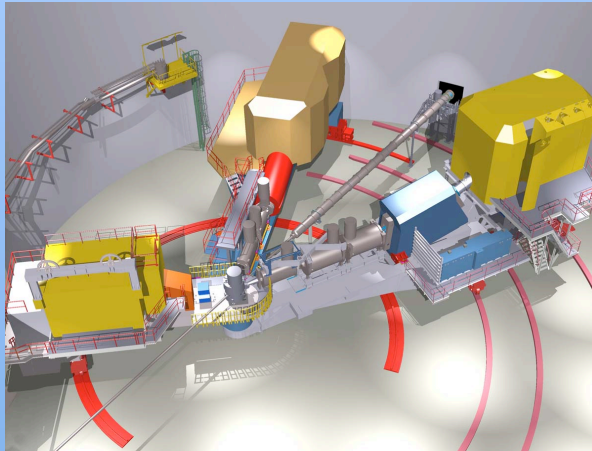
October 2013
Hall Commissioning
starts

2013-2015
Pre-Ops (beam
commissioning)

**Enhance equipment in
existing halls**

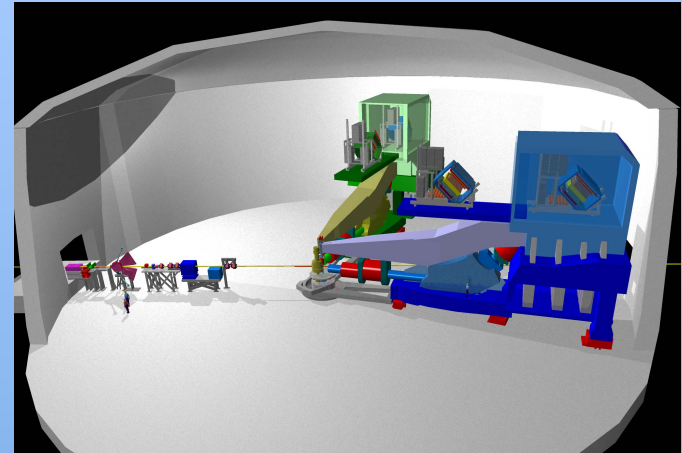
SIDIS @ JLab12

Hall-C



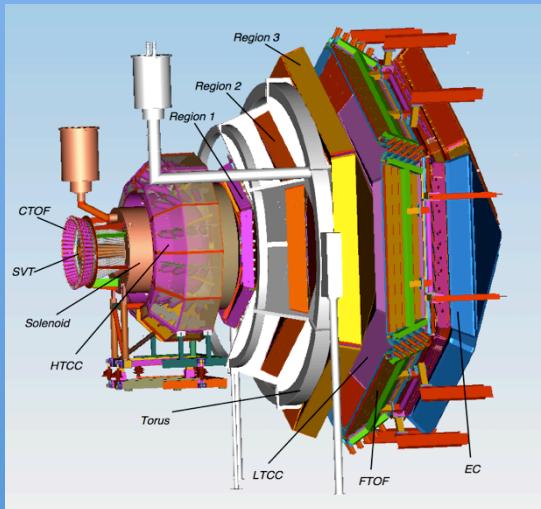
Super High Momentum Spectrometer (SHMS)
unpolarized SIDIS, hadron ID

Hall-A



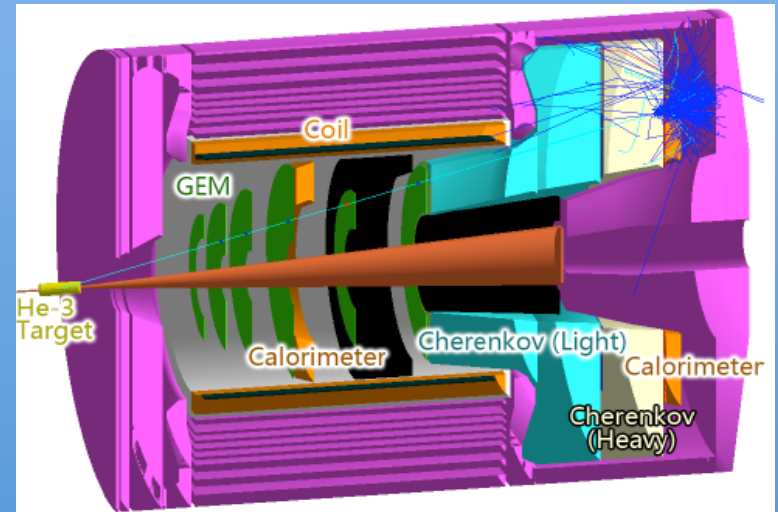
Spectrometer Pair, polarized ^3He target
up to to $10^{37} \text{ cm}^{-2} \text{ s}^{-1}$ hadron ID

Hall-B



CLAS12 H,D polarized targets up to $10^{35} \text{ cm}^{-2} \text{ s}^{-1}$
complete" acceptance, hadron ID

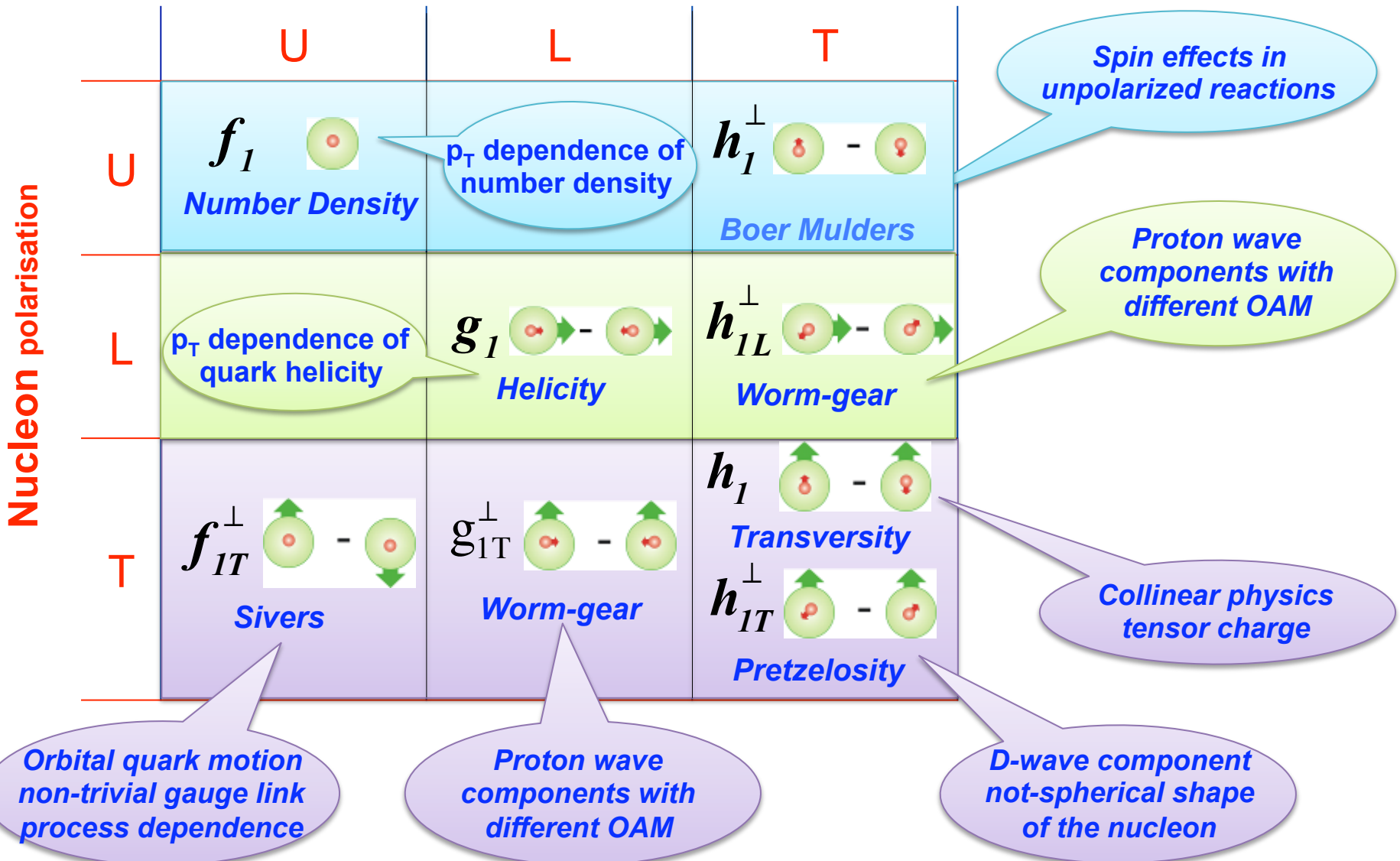
Hall-A



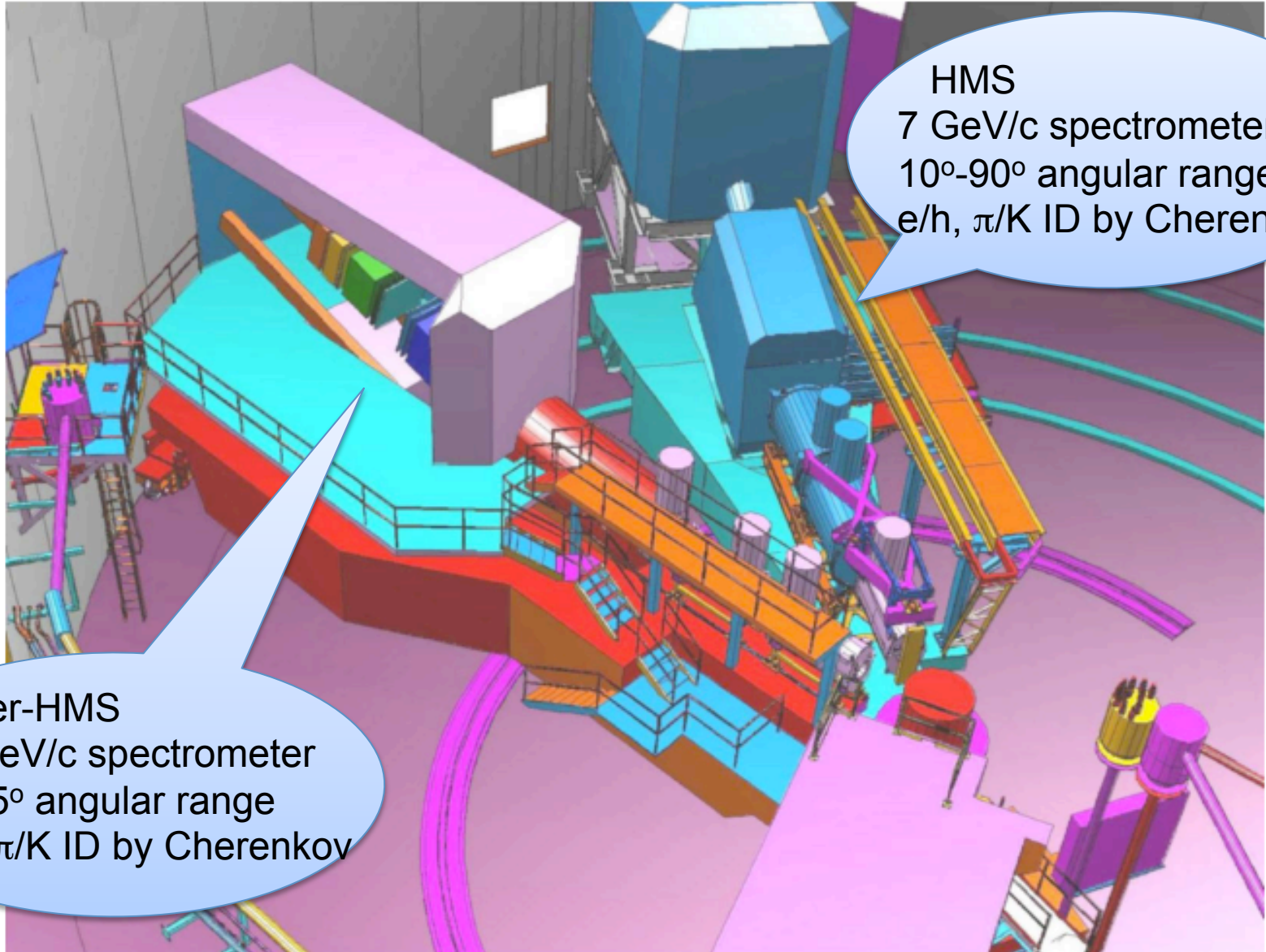
SOLID ^3He , NH_3 polarized targets
up to $10^{36} \text{ cm}^{-2} \text{ s}^{-1}$ large acceptance, pion ID

Leading Twist TMDs

Quark polarisation



The Hall-C High-momentum Spectrometers



HMS
7 GeV/c spectrometer
10°-90° angular range
e/h, π /K ID by Cherenkov

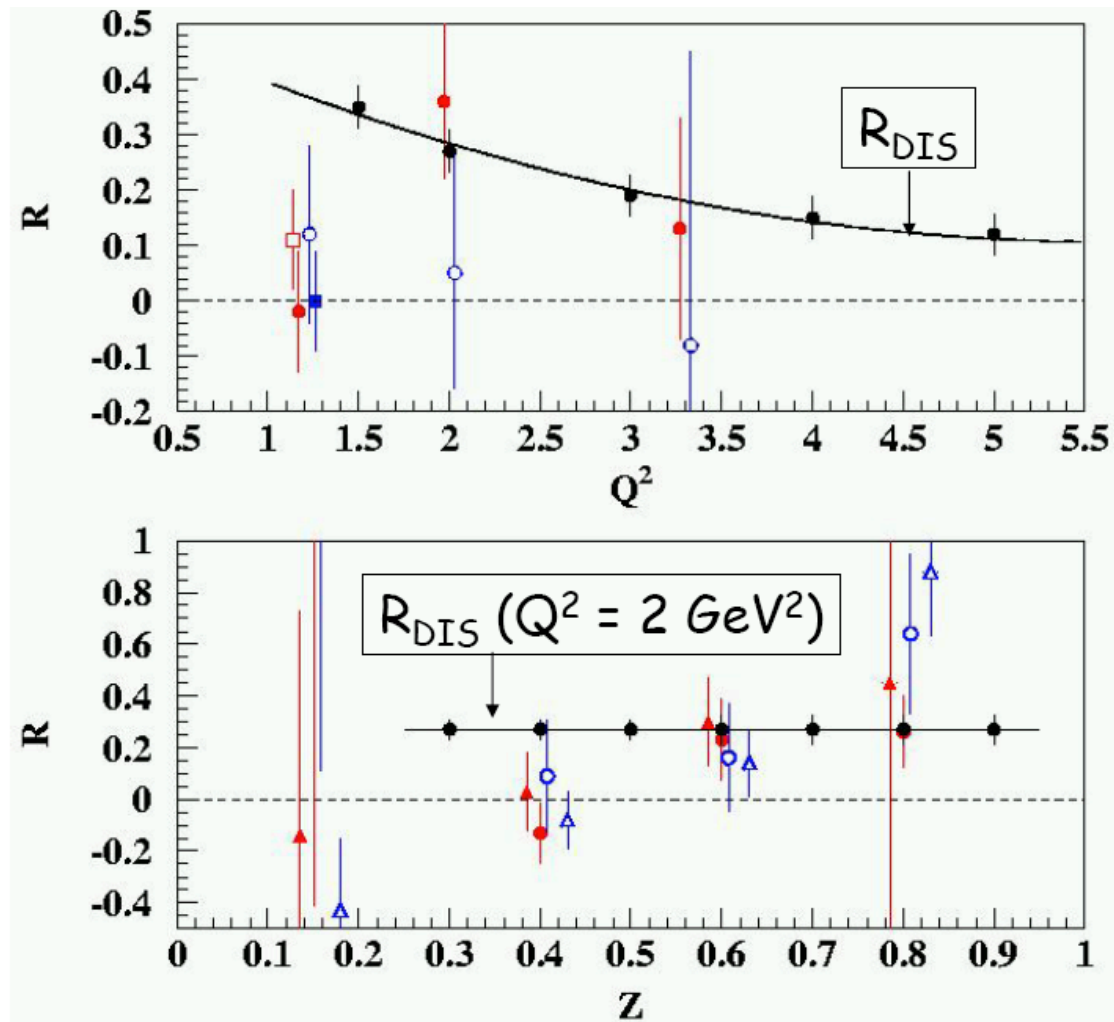
Super-HMS
11 GeV/c spectrometer
5°-25° angular range
e/h, π /K ID by Cherenkov

$$\frac{d^5 \sigma^{ep \rightarrow e' h X}}{dx dy dz d\phi dP_{h\perp}^2} \propto \{ F_{UU,T} + \epsilon F_{UU,L} + \sqrt{2\epsilon(1+\epsilon)} \cos(\phi) F_{UU}^{\cos(\phi)} + \epsilon s \cos(2\phi) F_{UU}^{\cos(2\phi)} \}$$

Knowledge on $R = \sigma_L / \sigma_T$
in SIDIS is non-existing!

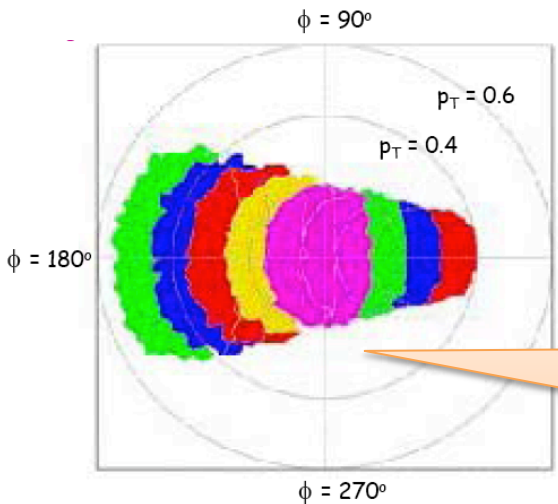
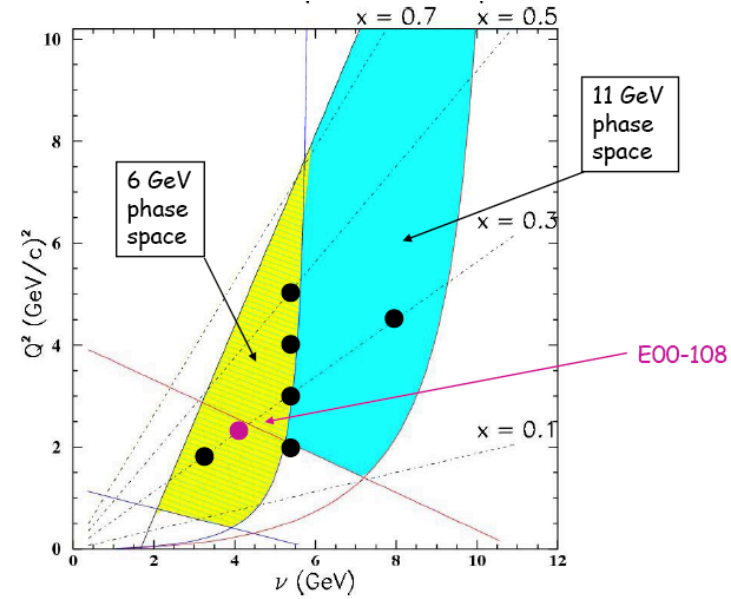
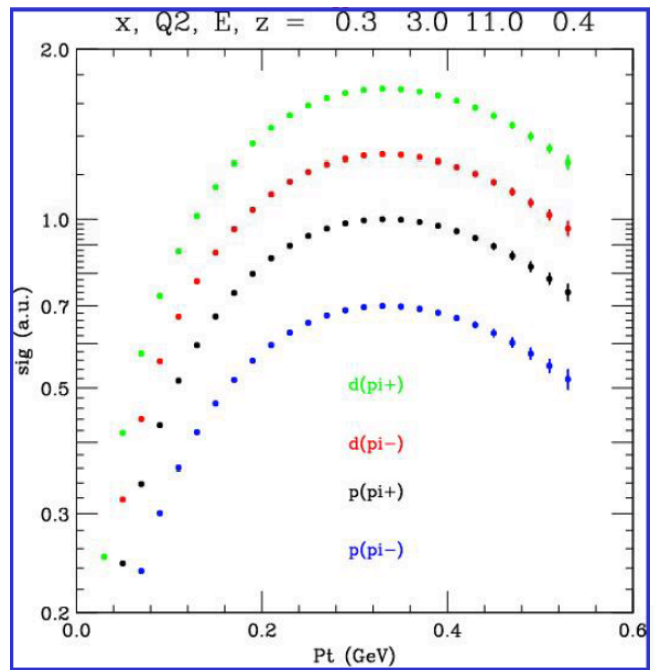
To be accounted in any TMD
asymmetry interpretation

- $R_{DIS} \rightarrow 0$ at $Q^2 \rightarrow \infty$ due to scattering off spin-1/2 quarks
- R_{DIS} sensitive to gluon and higher-twist effects
- $R_{SIDIS}(z, p_T) =$ un-integrated R_{DIS}

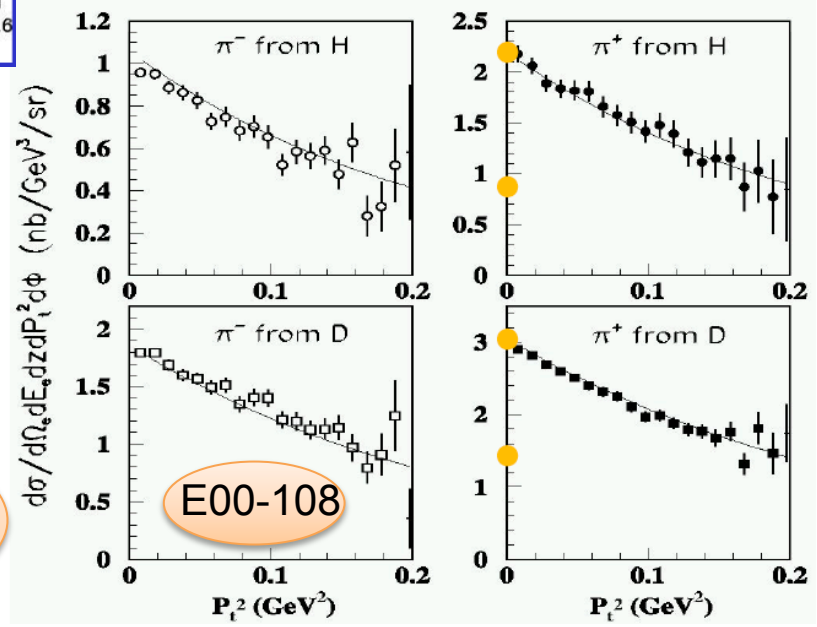


Map of p_T dependence for pion off proton and deuteron targets

$$P_{+} = p_{+} + z k_{+} + O(k_{+}^2/Q^2)$$



At $p_T > 0.2$ GeV/c use dependencies measured in CLAS12 experiment



The CLAS12 Spectrometer

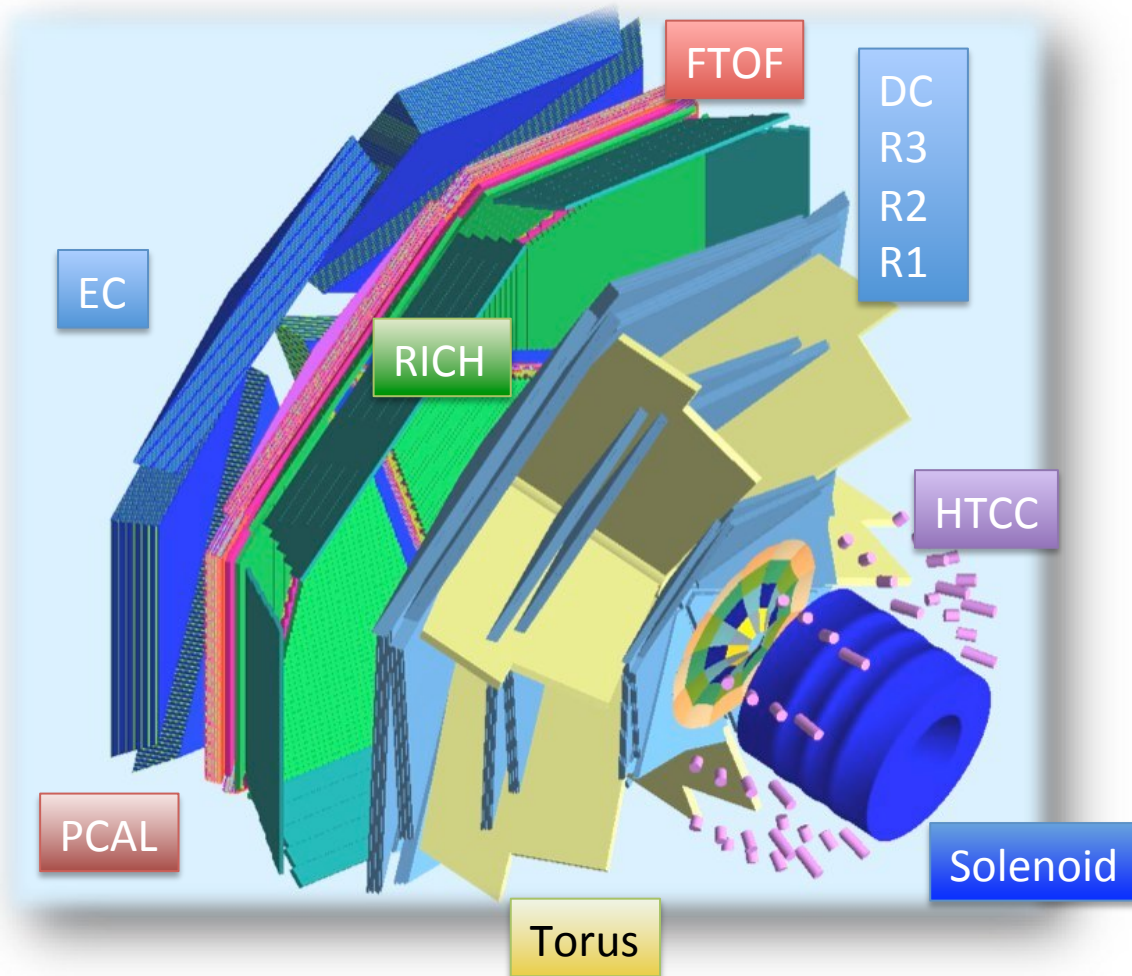
Luminosity up to $10^{35} \text{ cm}^{-2} \text{ s}^{-1}$

Highly polarized electron beam

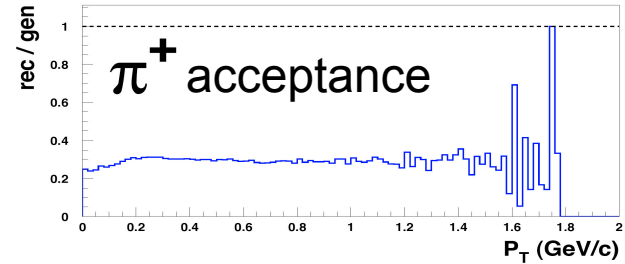
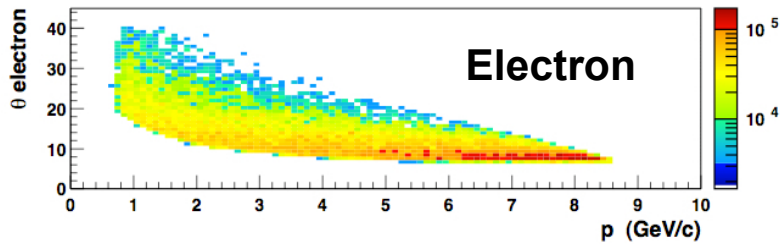
H and D polarized targets

Broad kinematic range coverage
(current to target fragmentation)

TOF + RICH for hadron ID

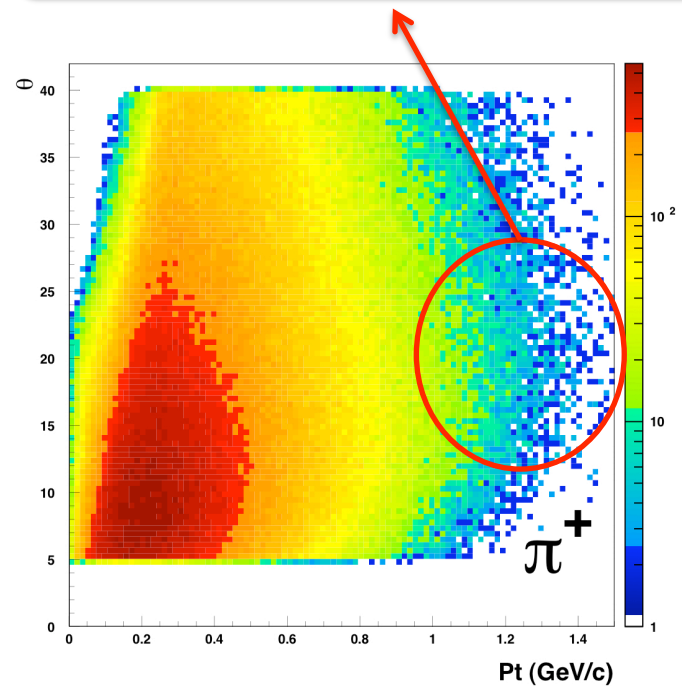
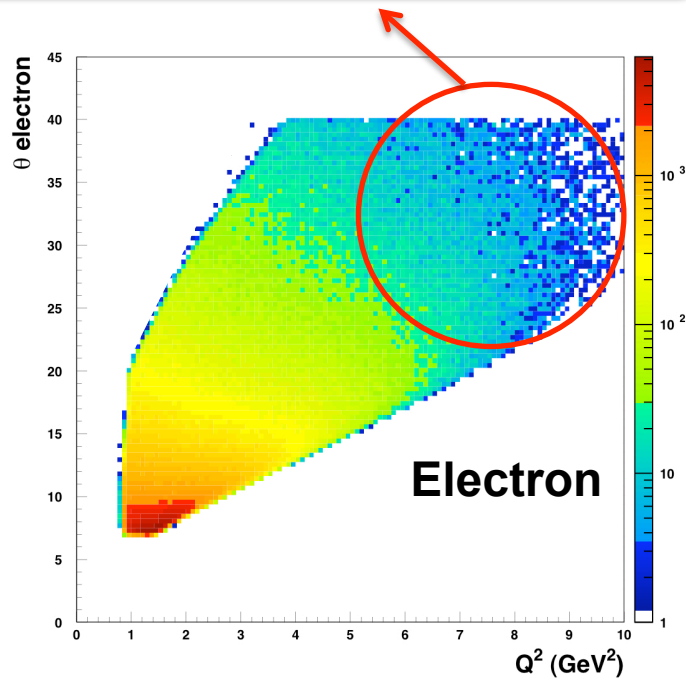


CLAS12 Kinematic Coverage



Large electron scattering angles ($> 20^\circ$) mandatory to reach high Q^2 values

Intermediate angular range ($15-25^\circ$) mandatory to reach high P_T values



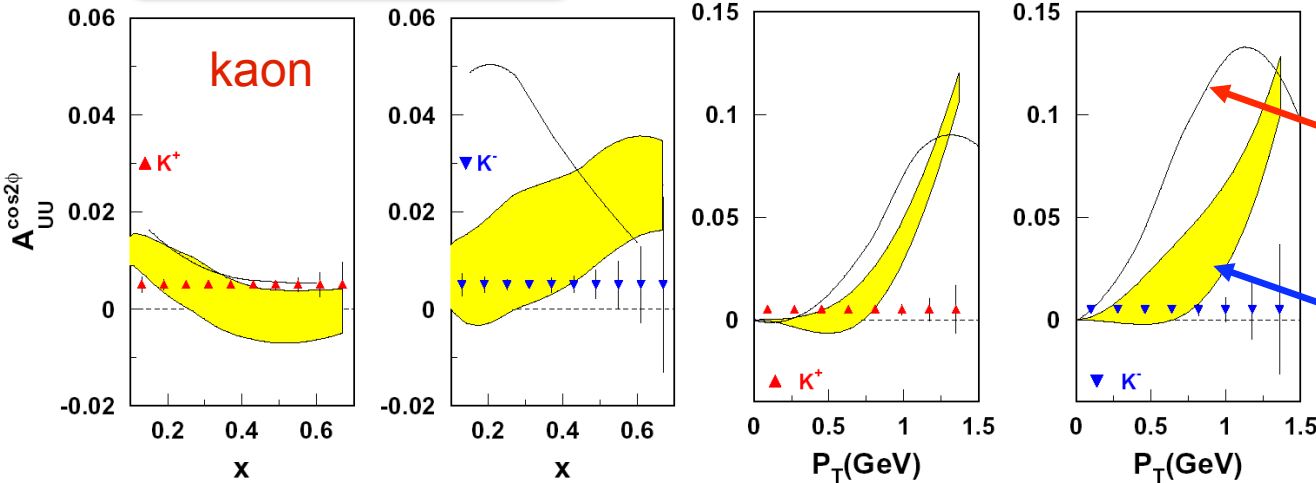
The CLAS12 forward detector is perfectly suitable for high- Q^2 and high- p_T measurements since designed to cover up to 40 degrees angles

Unpolarized Target @ CLAS12

$$F_{UU}^{\cos 2\phi} \propto h_1^\perp H_1^\perp$$

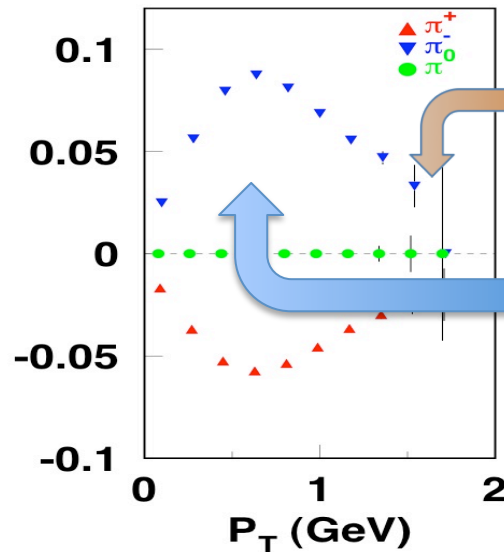
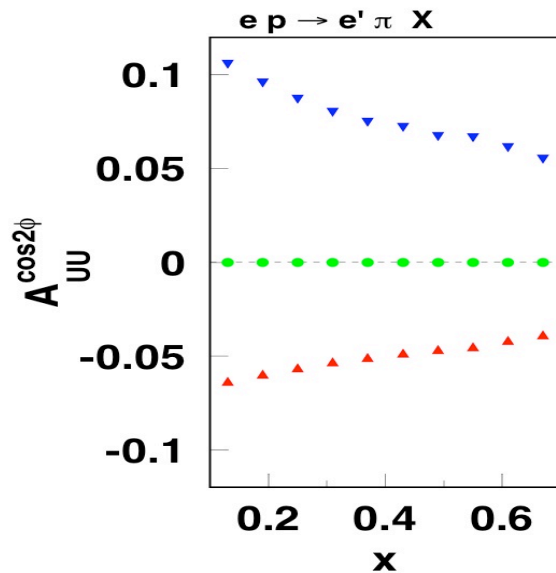
Boer-Mulders spin-orbit effect

56 d @ $10^{35} \text{ s}^{-1} \text{ cm}^{-2}$
LH₂ LD₂ targets



Line: Phys Rev D78 045022
Boer-Mulders from Sivers
Collins from e+e- data

Band: Phys Rev D78 034035
Boer-Mulders from DY data
Collins from chiral limit



Perturbative region
Collinear factorization

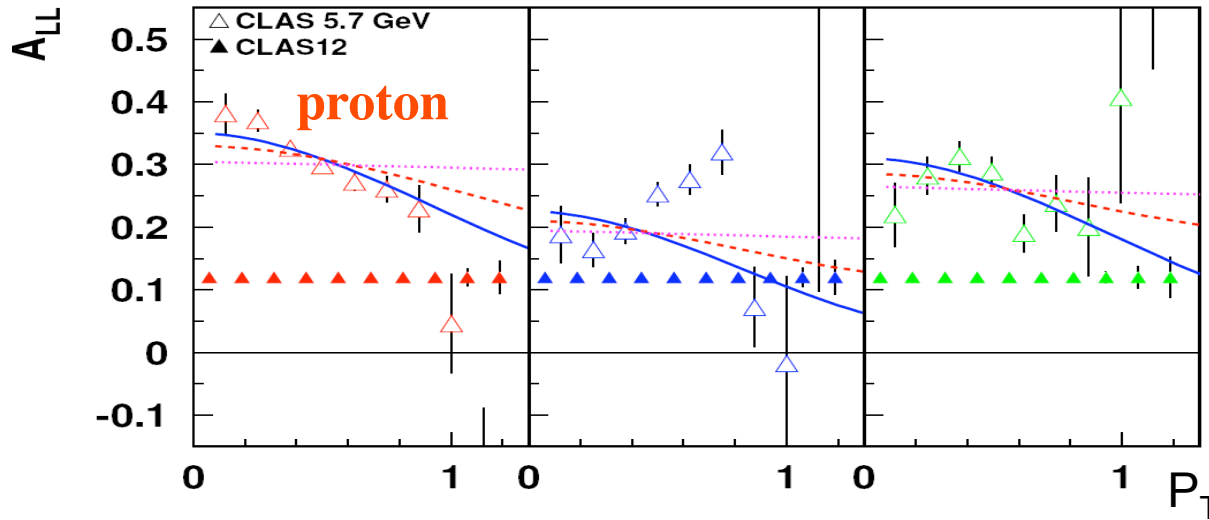
Non-perturbative
TMD factorization

$$\Lambda_{\text{QCD}} \ll P_T \ll Q$$

Polarized Beam @ CLAS12

$$F_{LL} \propto g_{1L} D_1$$

Helicity dependence of k_T -distribution of quarks



M. Anselmino et al hep-ph/0608048
Phys.Rev.D74:074015,2006

$$f_1^q(x, k_\perp) = f_1^q(x) \frac{1}{\pi\mu_0^2} \exp\left(-\frac{k_\perp^2}{\mu_0^2}\right)$$

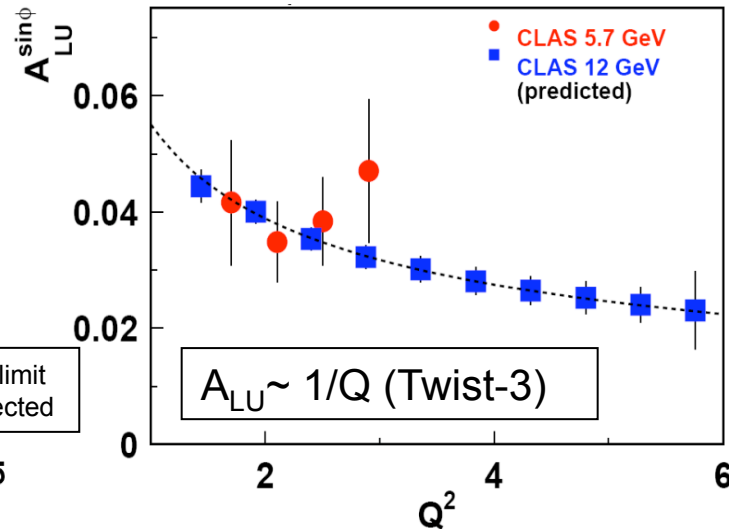
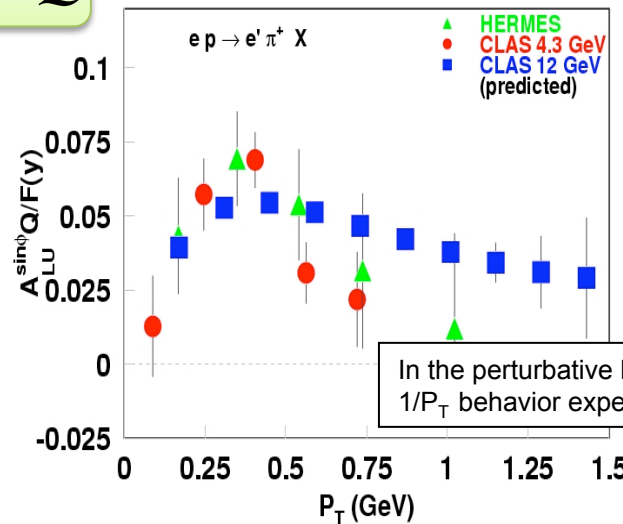
$$g_1^q(x, k_\perp) = g_1^q(x) \frac{1}{\pi\mu_2^2} \exp\left(-\frac{k_\perp^2}{\mu_2^2}\right)$$

$\mu_0^2 = 0.25 \text{ GeV}^2$ $\mu_D^2 = 0.2 \text{ GeV}^2$

$$F_{LU}^{\sin\phi} \propto \left[e H_1^\perp + \dots \right] / Q$$

Measurements of kinematic (x, Q^2, z, P_T) will probe HT distribution functions

2000h @ $10^{35} \text{ s}^{-1} \text{ cm}^{-2}$
NH₃ and ND₃ target
 $P_{\text{beam}} = 85\%$



Transversely Polarized HD-Ice Target

HD-Ice target vs standard nuclear targets (less luminosity for higher purity)

Advantages:

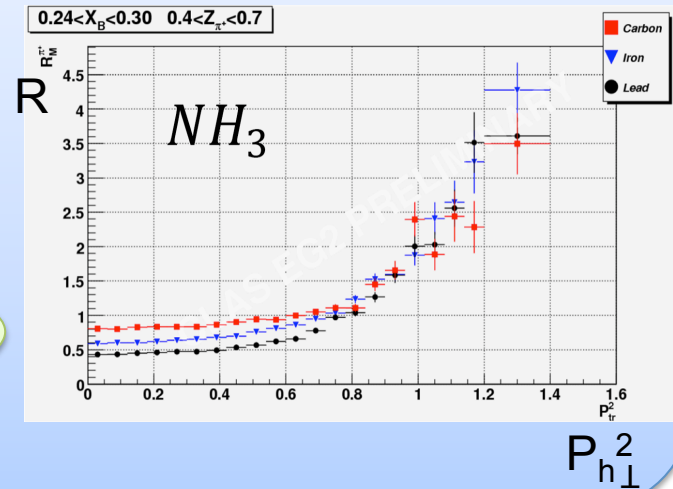
- + Minimize nuclear background
smaller dilution, no attenuation at large p_T
- + Weak holding field (BdL ~ 0.1 Tm)
wide acceptance, negligible beam deflection

Deuterium dilution is under control

Disadvantages:

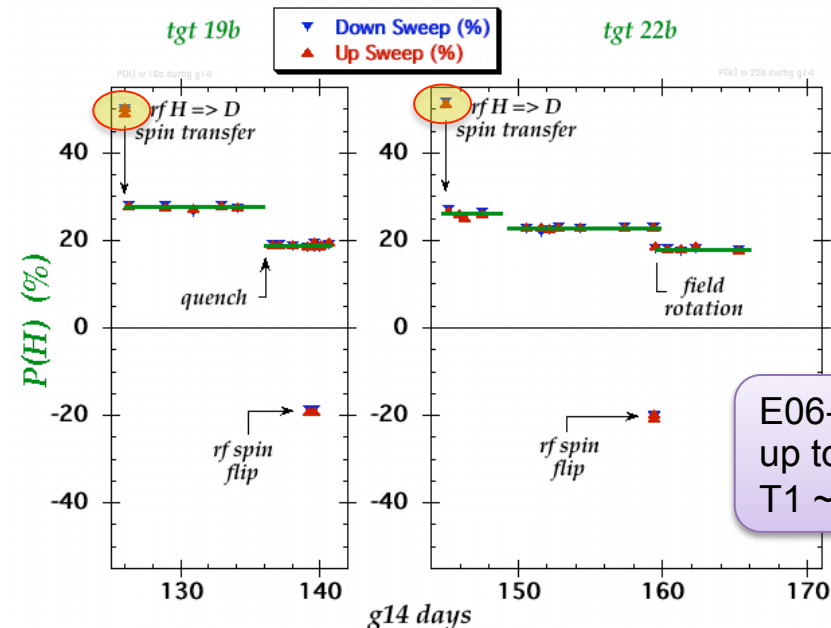
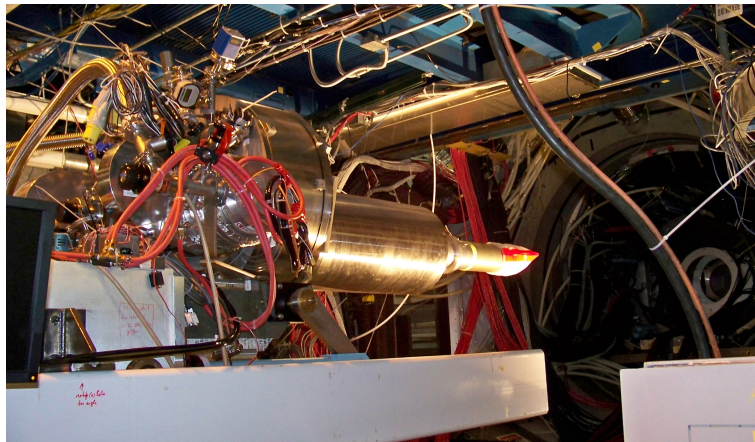
- ➔ Very long polarizing times (months)
- ➔ Sensitivity to local heating by charged beams

Suitable for di-hadron and recoil proton



HD-ice ran from Nov/11 to May/12 at Jlab

R&D work required to run with electron beams



E06-101
up to 10^8 γ/s
 $T_1 \sim$ years

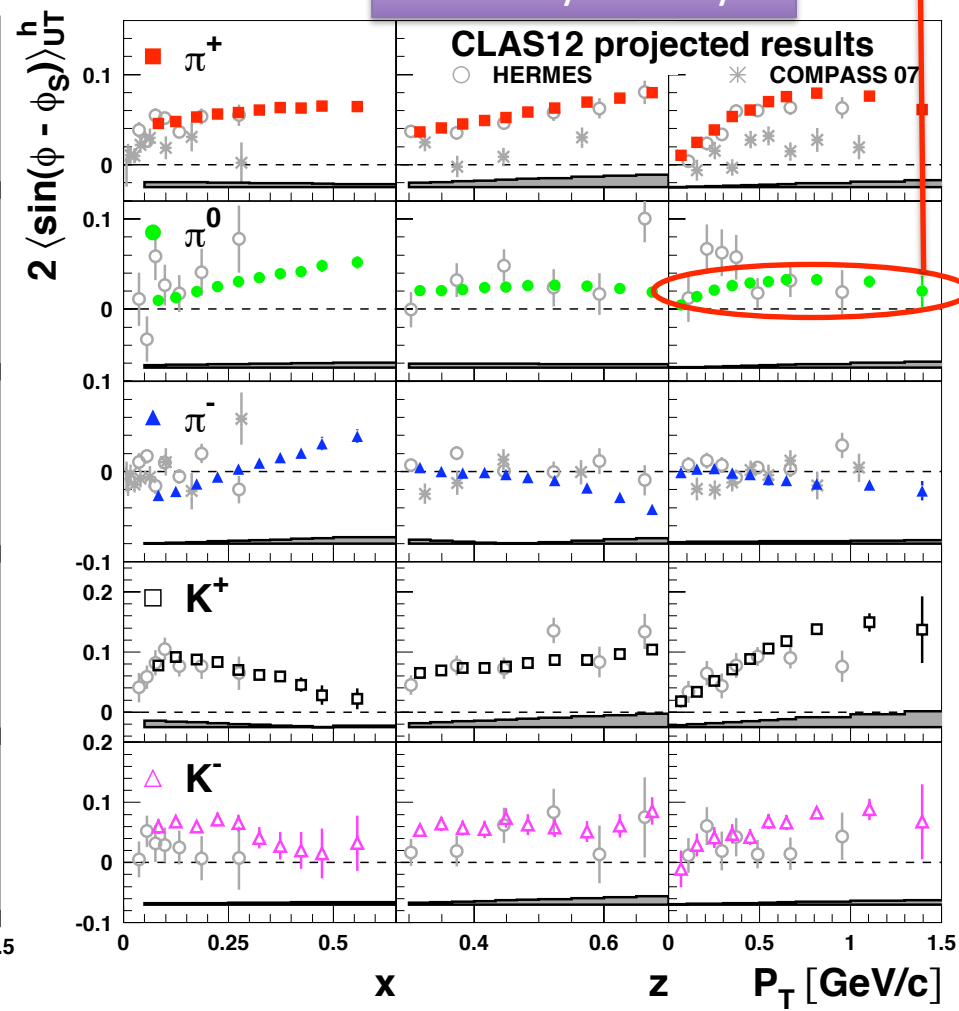
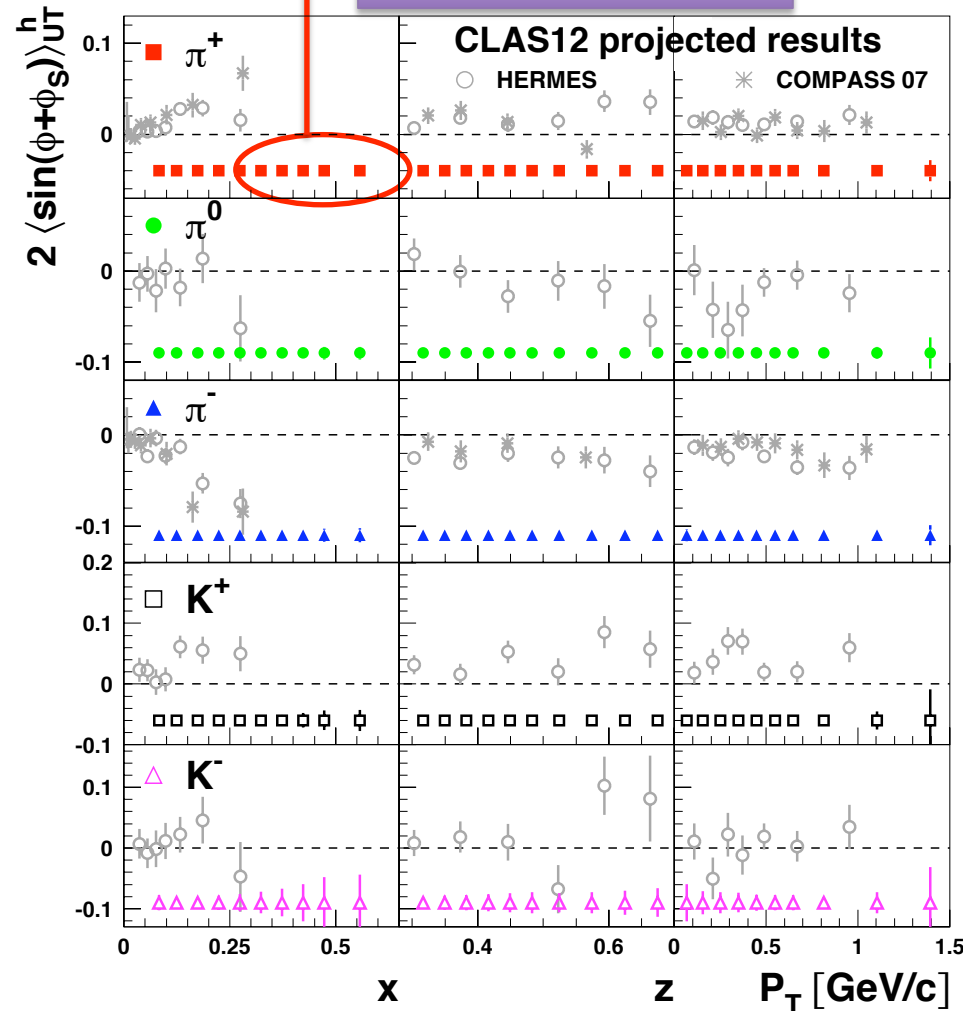
CLAS12 Projections

Large x important to constrain the tensor charge

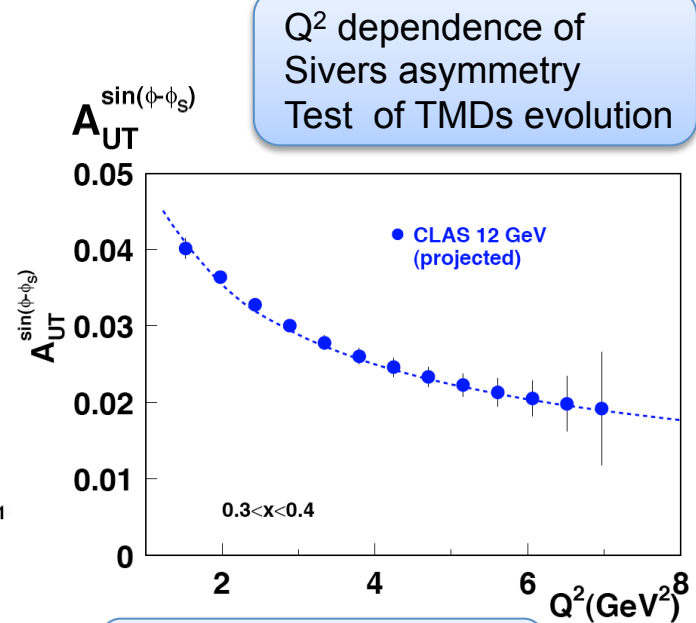
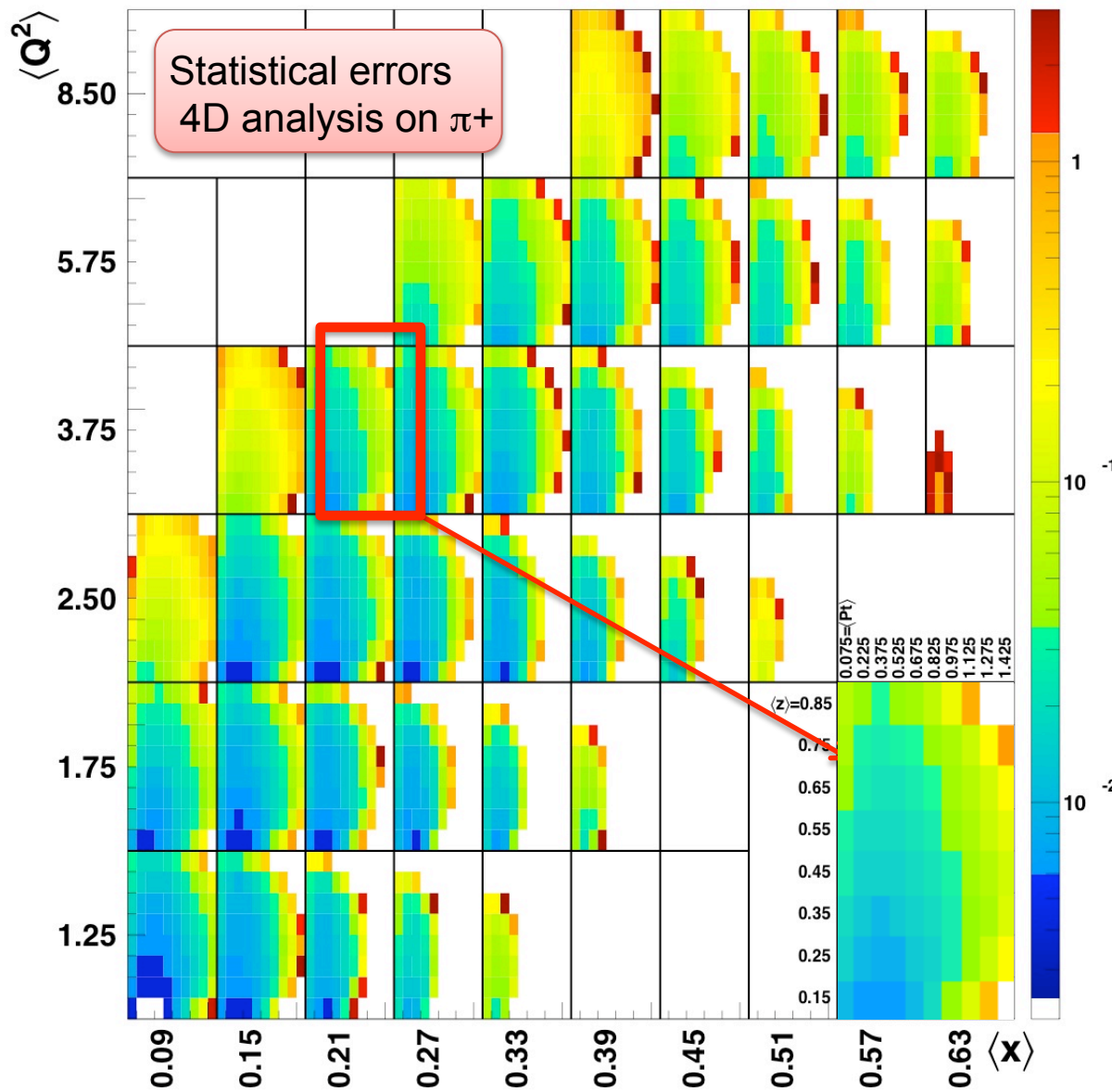
Collins asymmetry

High resolution and broad range in p_T to test perturb. non-perturb. transient and for Bessel function analysis

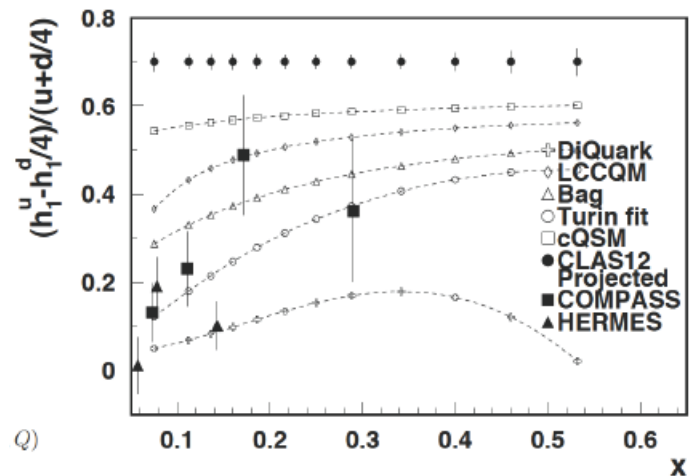
Sivers asymmetry



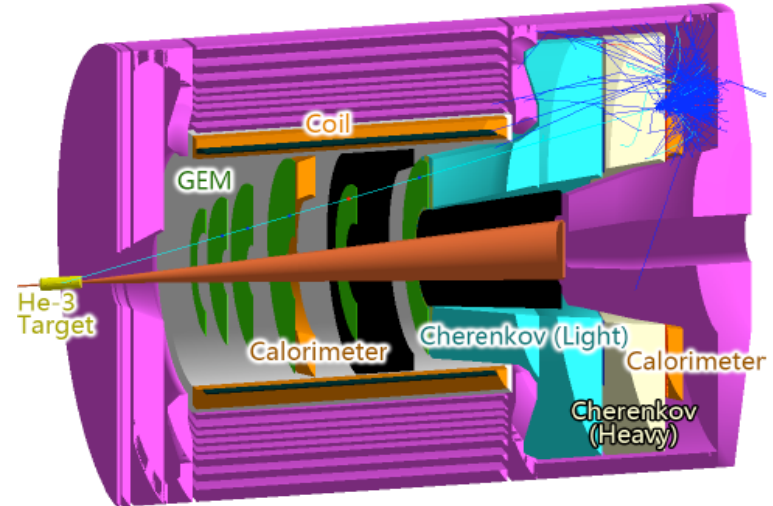
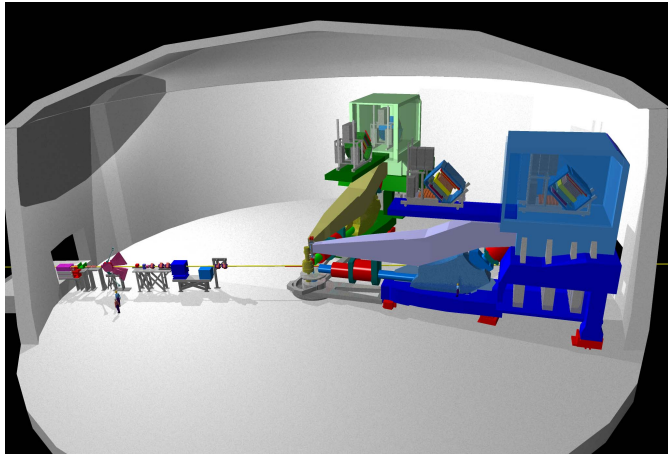
Statistical Precision



Di-hadron channel
Test of TMDs extraction

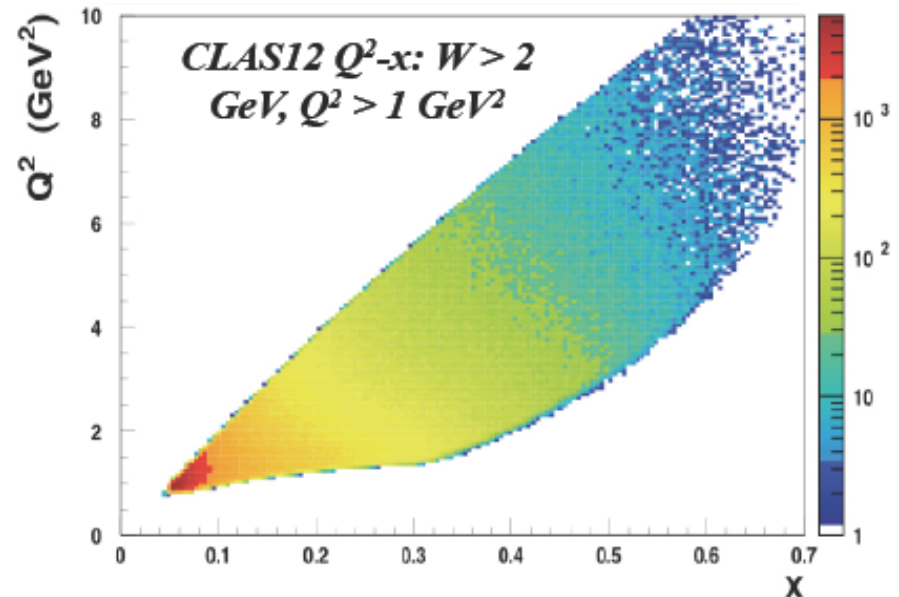
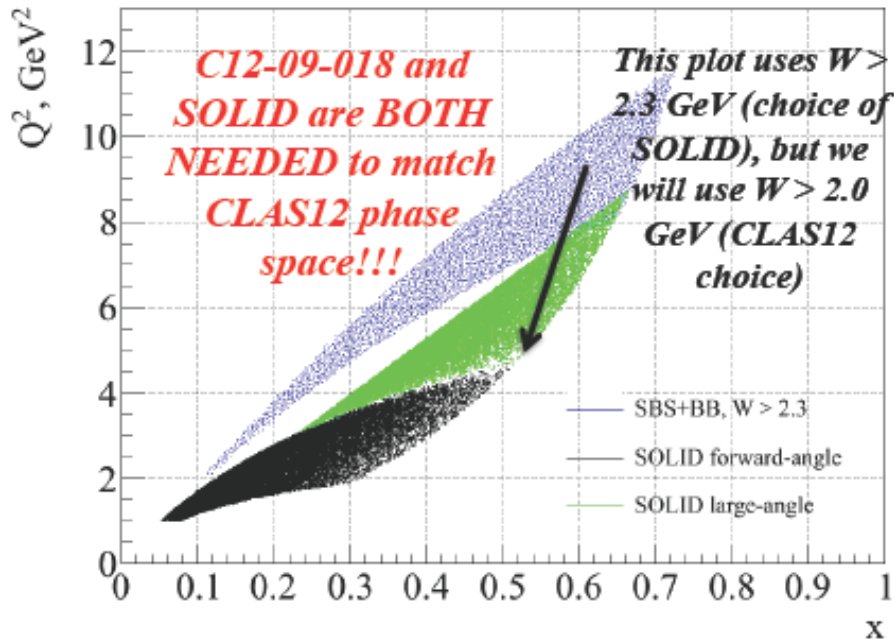


The Hall-A High-Luminosity Spectrometers

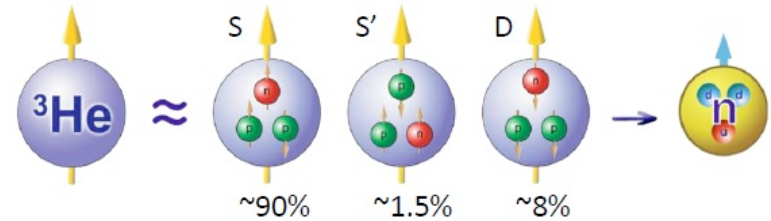
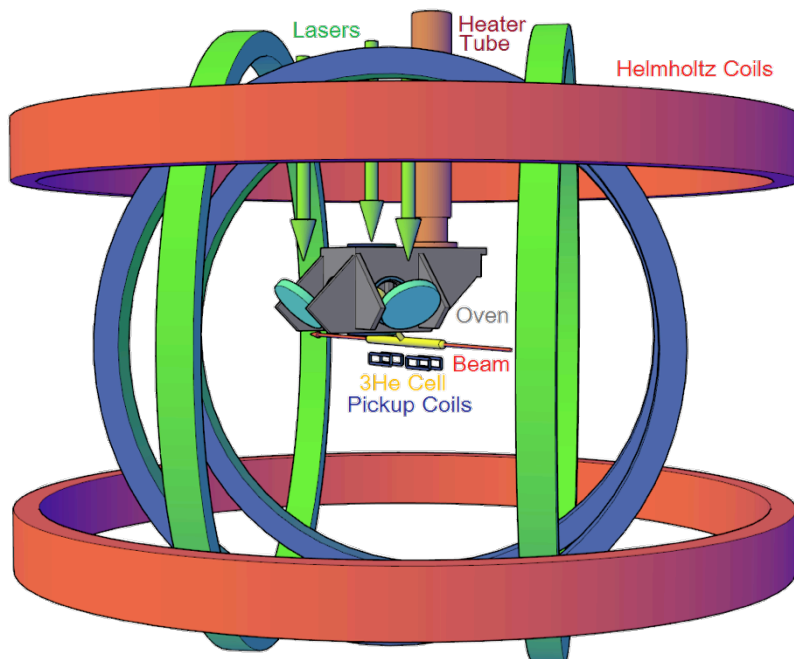
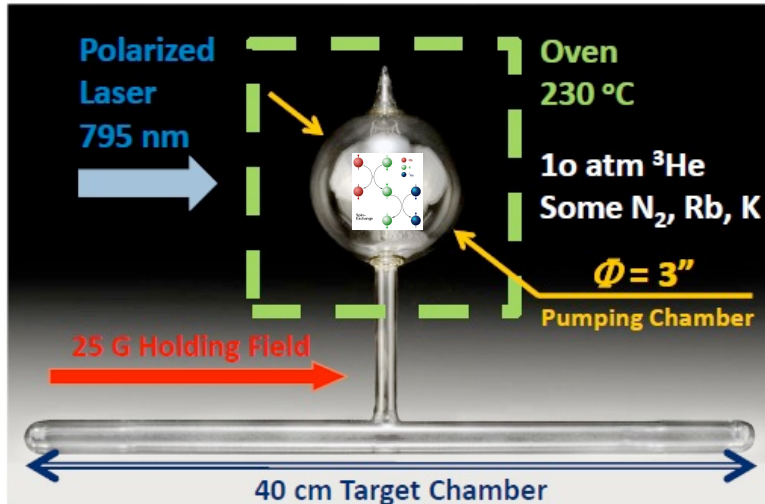


Present: spectrometer pair

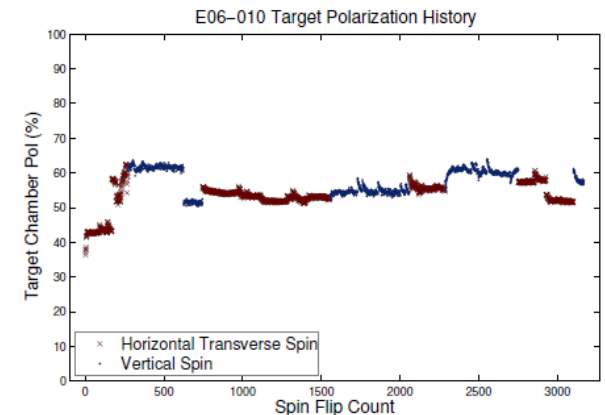
Future: large acceptance detector



$^3\text{He}(n)$ Polarized Target



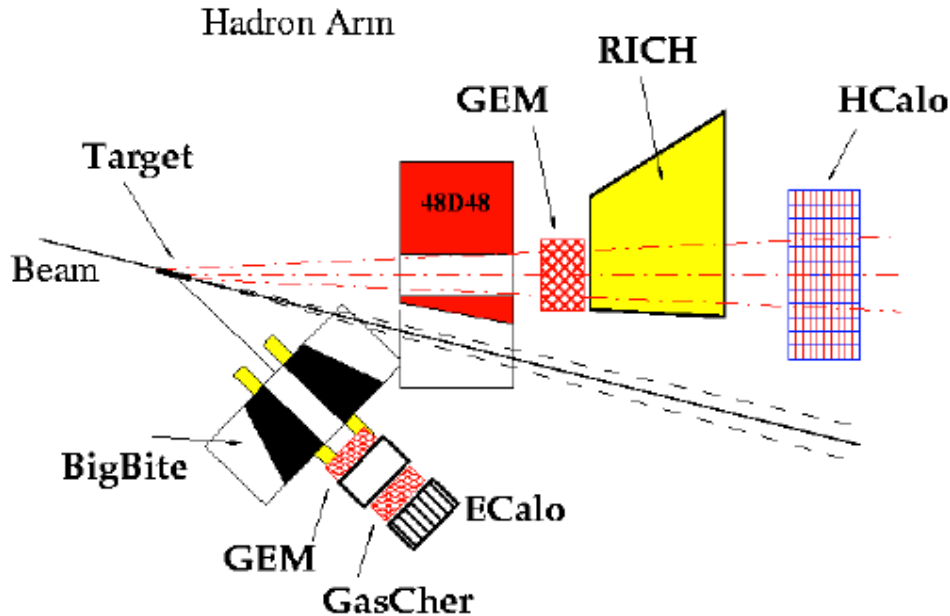
- Use 3 COMET lasers (narrow line, high power) for optical pumping of Rb vapor
- Fast spin exchange (via K) by ^3He hyperfine interaction in oven; small part of N_2 to quench soft photon depolarization of Rb
- Polarized ^3He diffuses to the target chamber
- **3D holding magnet field: spin to any direction**
- 20 minutes spin flip / NMR and EPR polarimetries
- Superior performances:
 - **Steady 65% polarization @ 15 uA beam (world record)**



SIDIS with Super-BigBite

SBS Tracker rate 60 kHz cm^{-2}

3xGEM support rate $> 10 \text{ Mhz cm}^{-2}$

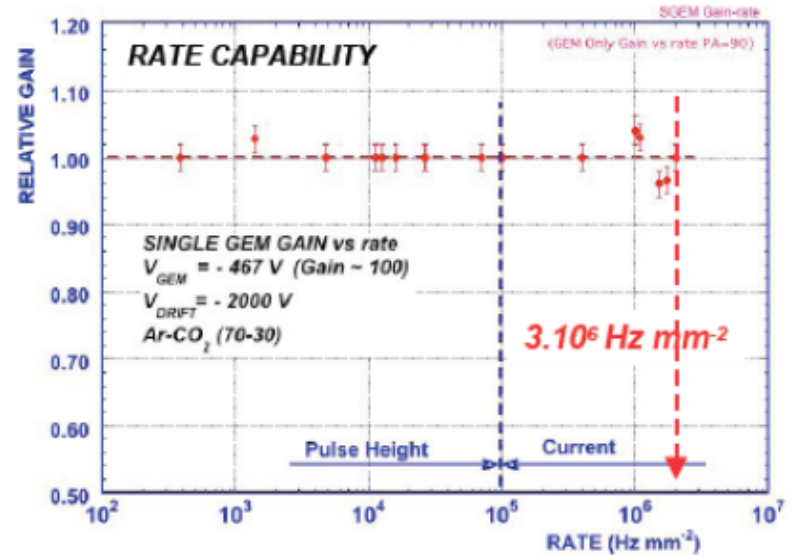


Electron Arm

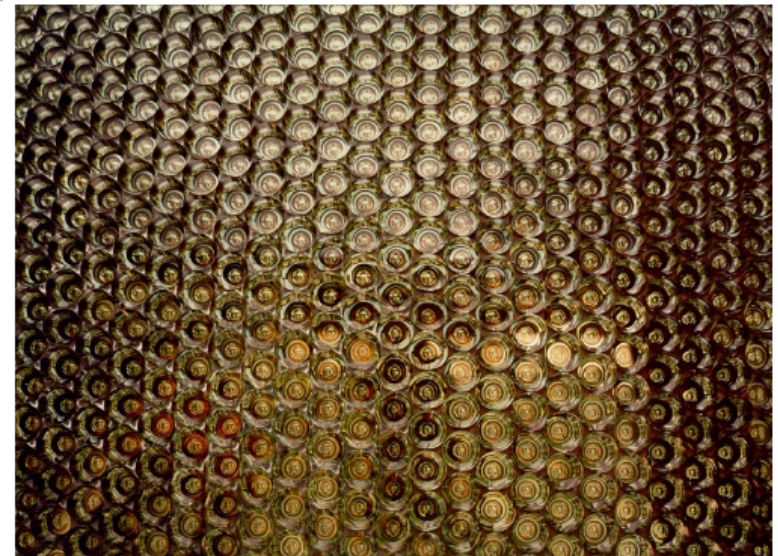
RICH PID

High segmentation of photon detector
(2000 PMTs)

2-5% occupancy with 50 ns gate width

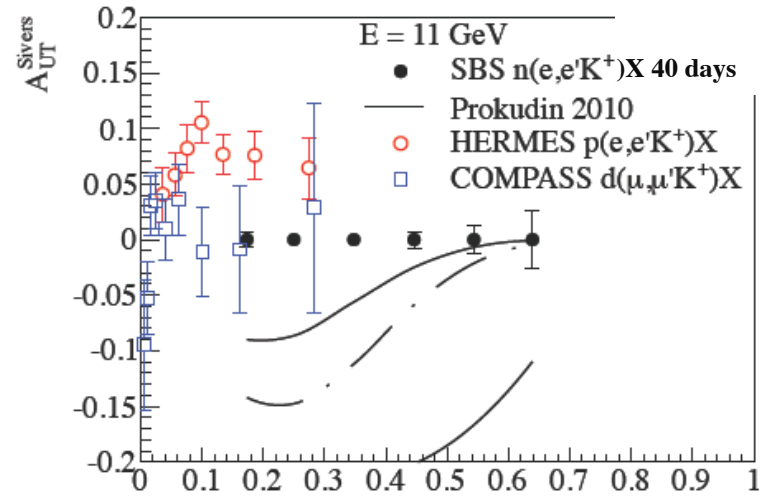
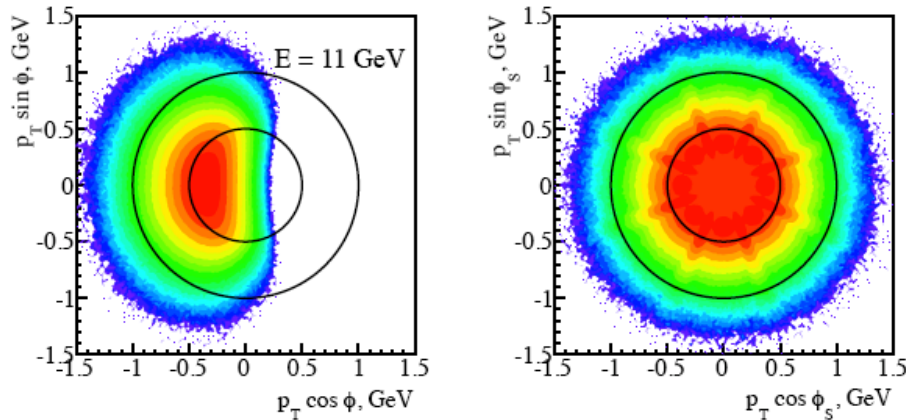


J. Benlloch et al, IEEE NS-45(1998)234



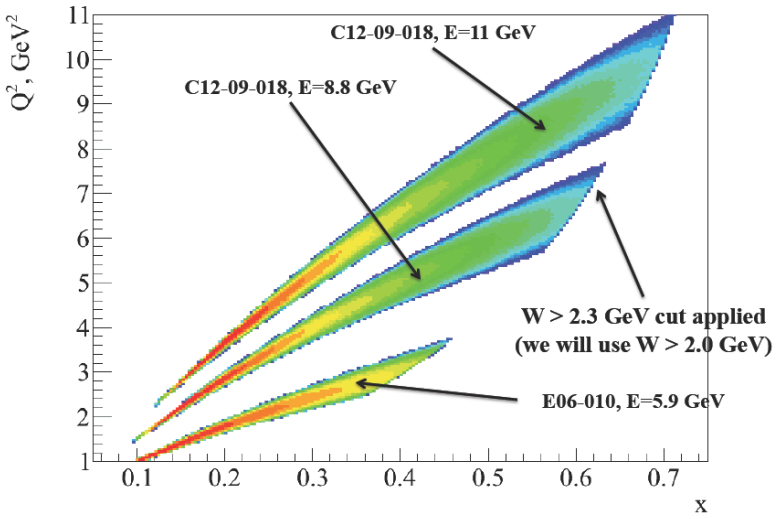
~20% of the HERMES RICH PMT array

SIDIS with Super-BigBite



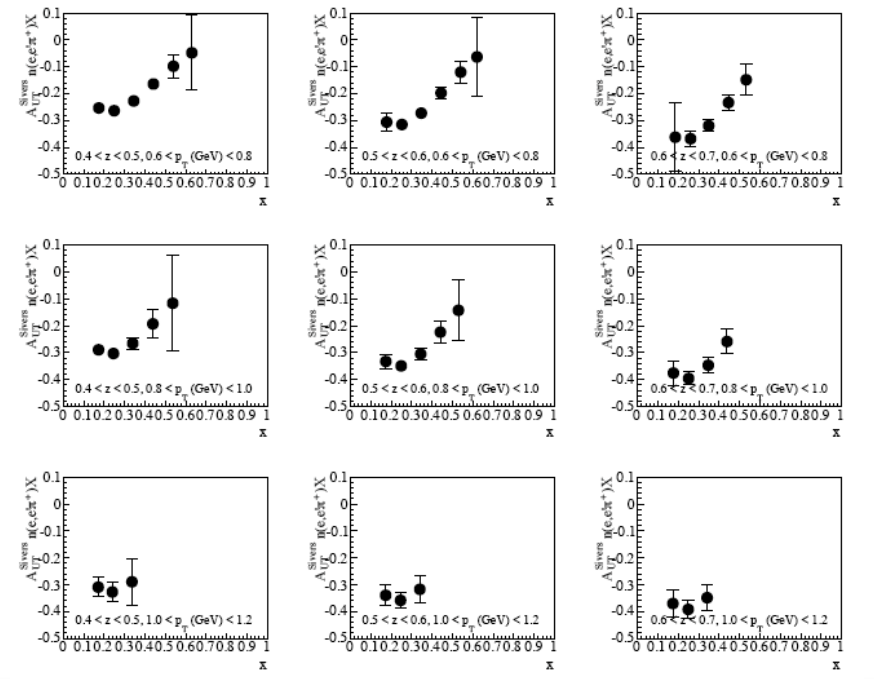
Precise 3D measurement on ^3He with hadron ID

- ✓ neutron TMD
- ✓ flavor separation

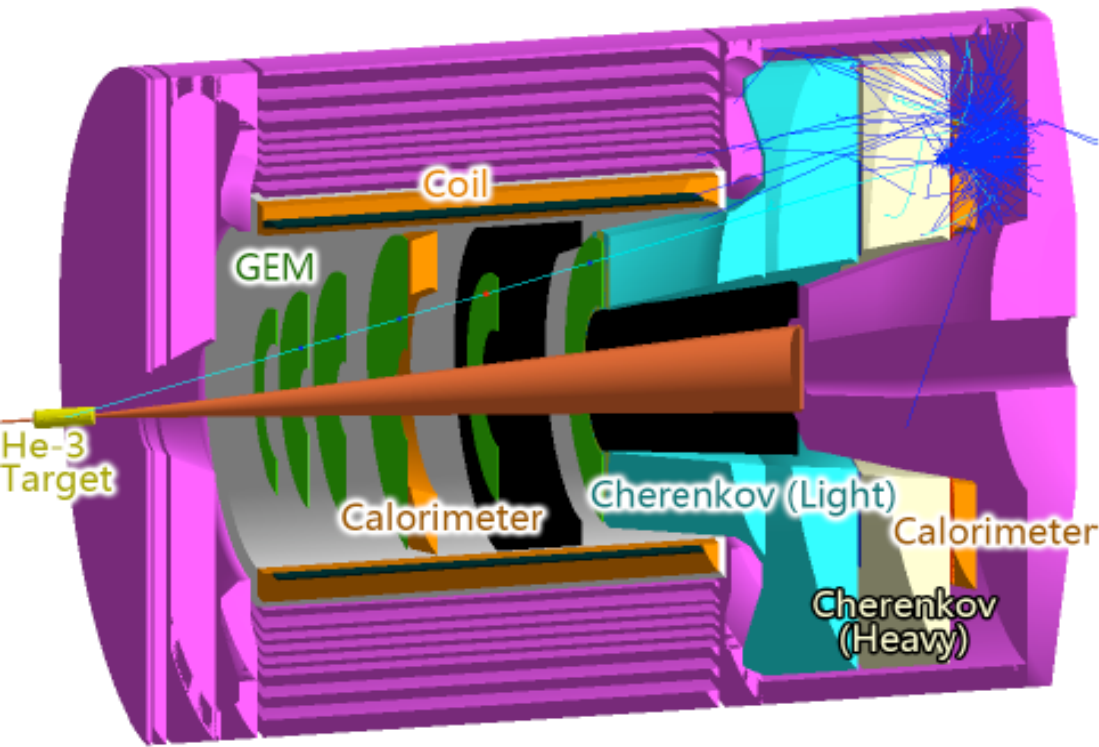


Increasing p_T

Increasing $z \rightarrow$



SIDIS with SOLID

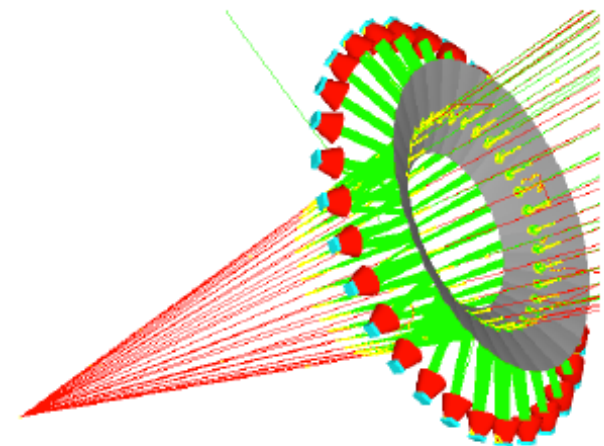


Luminosity: up to $10^{36} \text{ cm}^{-2} \text{ s}^{-1}$

Acceptance:

Electron 8-26 degrees

Pion 8-16 degrees

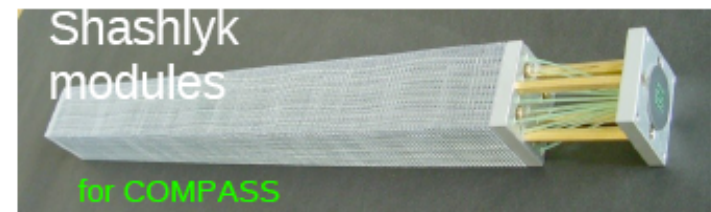


Particle ID with Cherenkov Detectors:

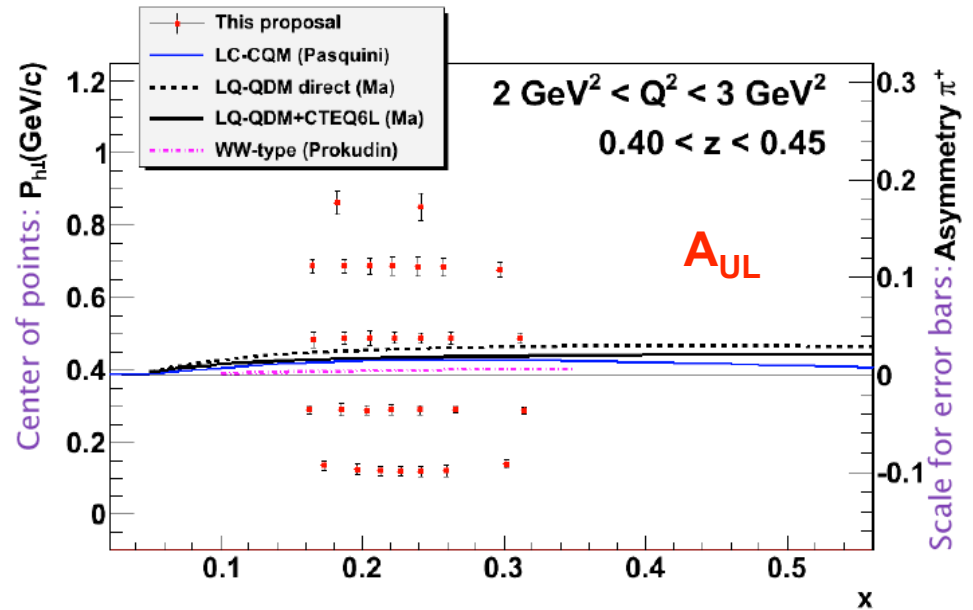
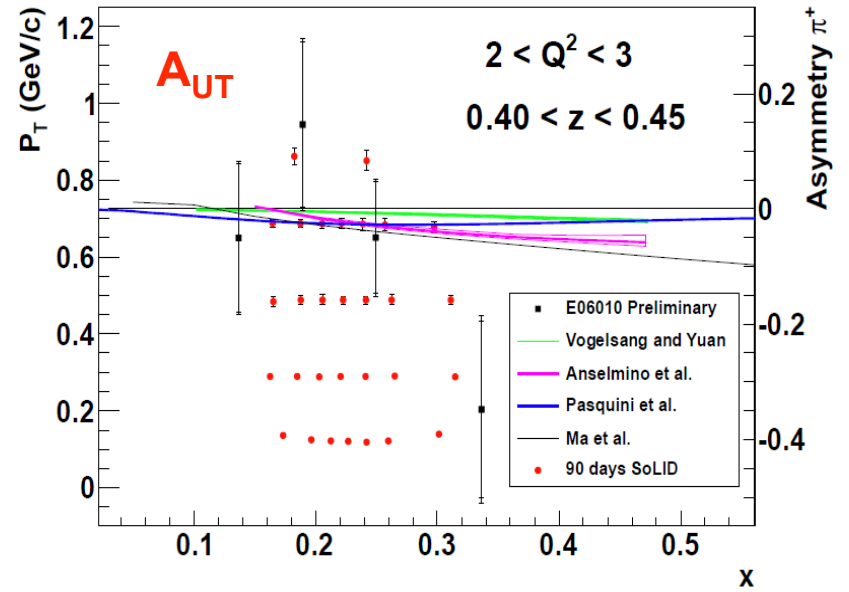
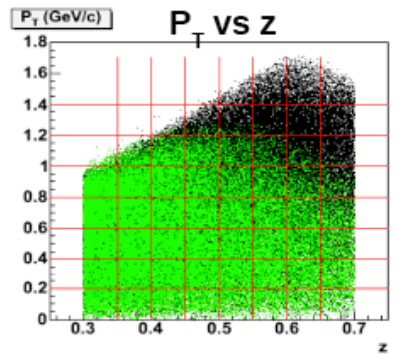
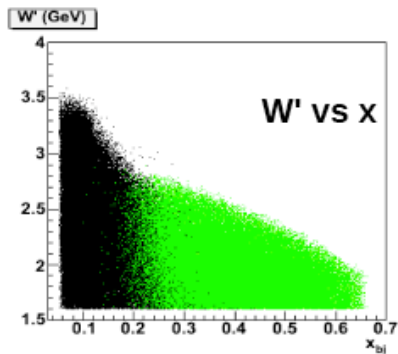
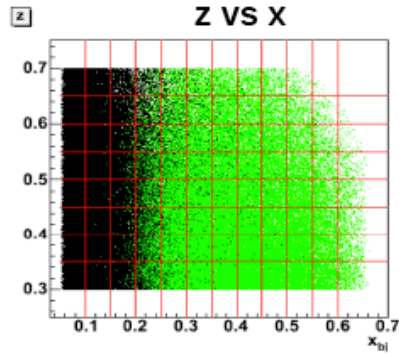
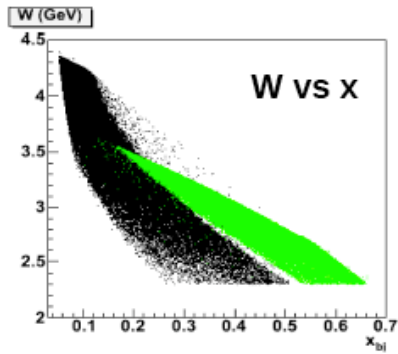
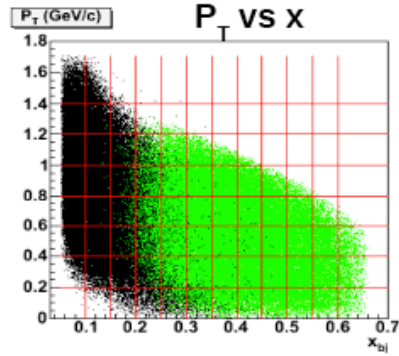
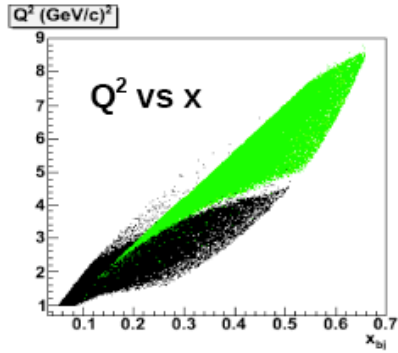
Electrons CF_4 + CSI GEMs
 CO_2 + MA-PMTs

Pions C_4F_{10} + PMTs

Shashlyk /SciFi calorimeter



SIDIS with SOLID



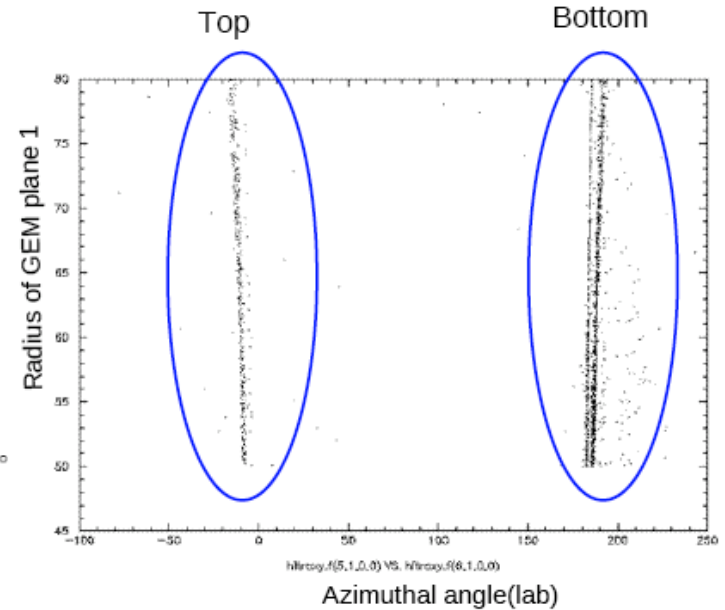
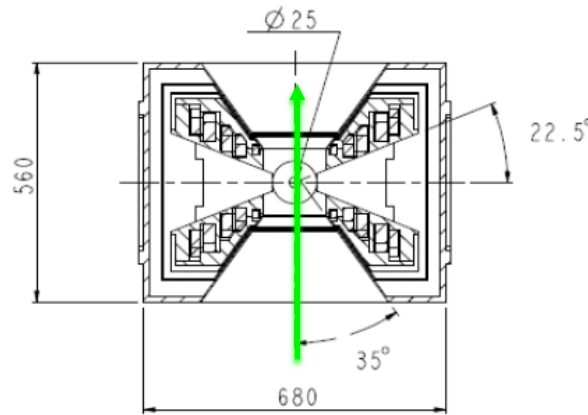
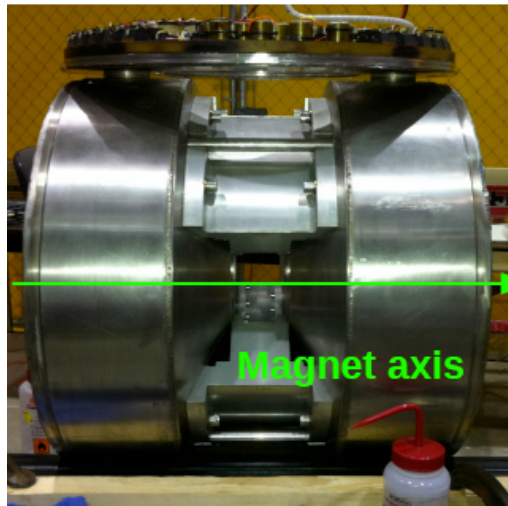
Forward detector
Large angle detector

SOLID with Proton Target

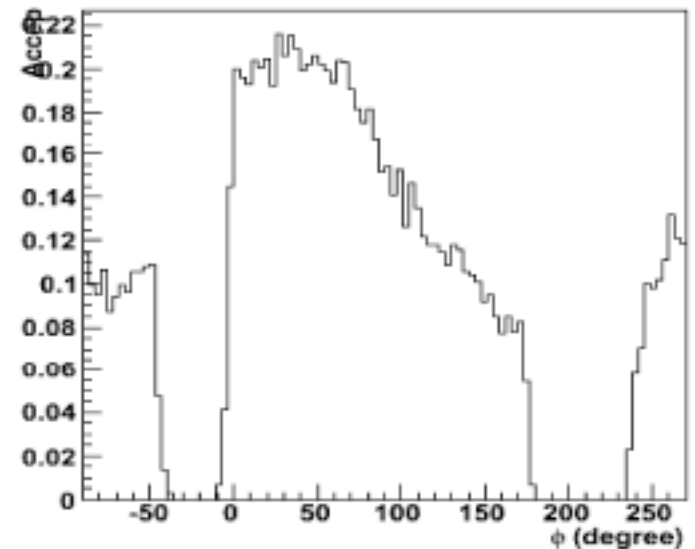
3 cm NH₃ polarized target

Dynamic Nuclear Polarization (DNP) by microwave

1k refrigerator



Forward Angle 82.92 msr @ 0.6-8 GeV



5T holding field:

Upgrade to enlarge opening in transverse direction $\pm 25^\circ$

Beam chicane to compensate target deflection

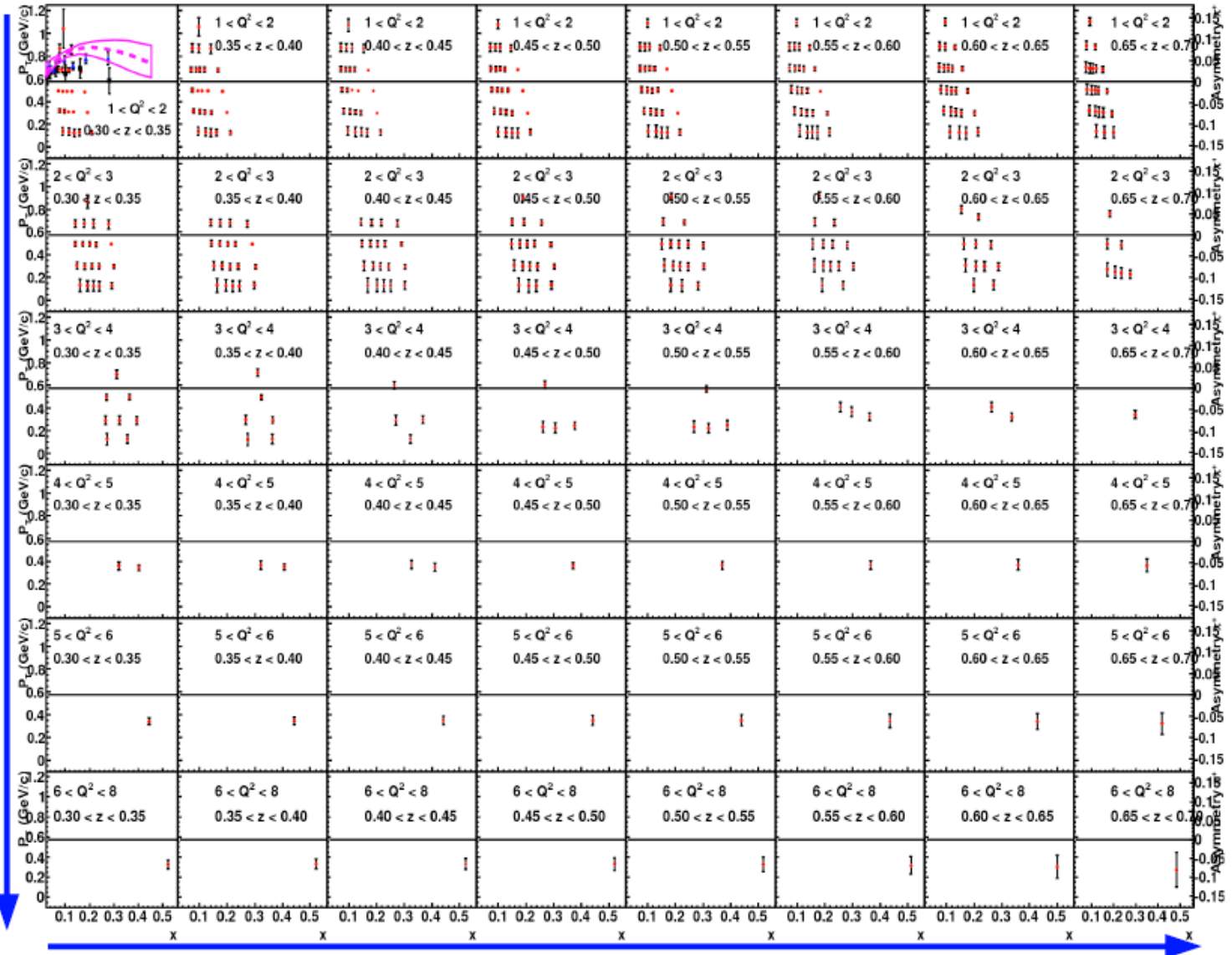
Sheet of flame background:
high rates prevent measurement in localized area

SIDIS with SOLID

$Q^2 = 1.0 \text{ (GeV/c)}^2$

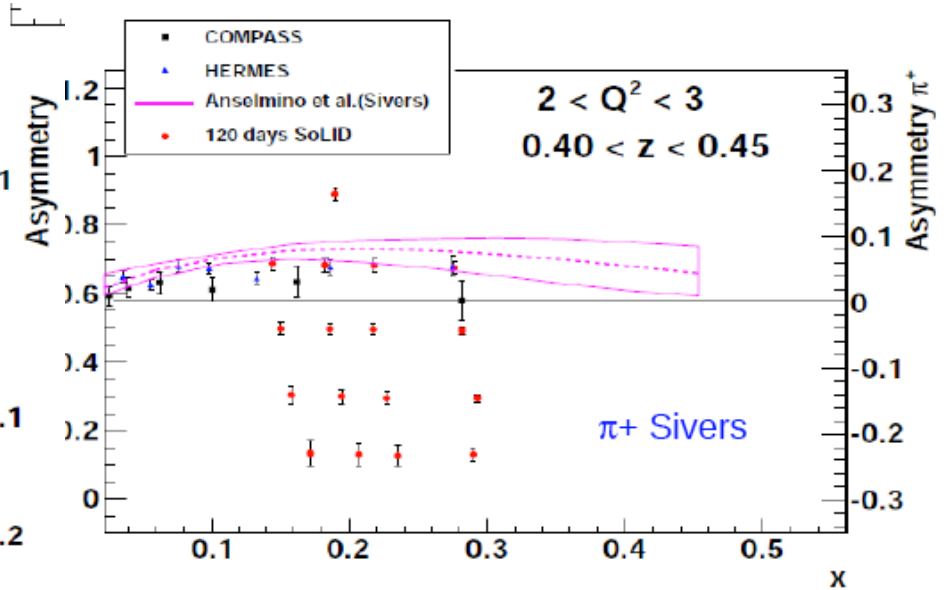
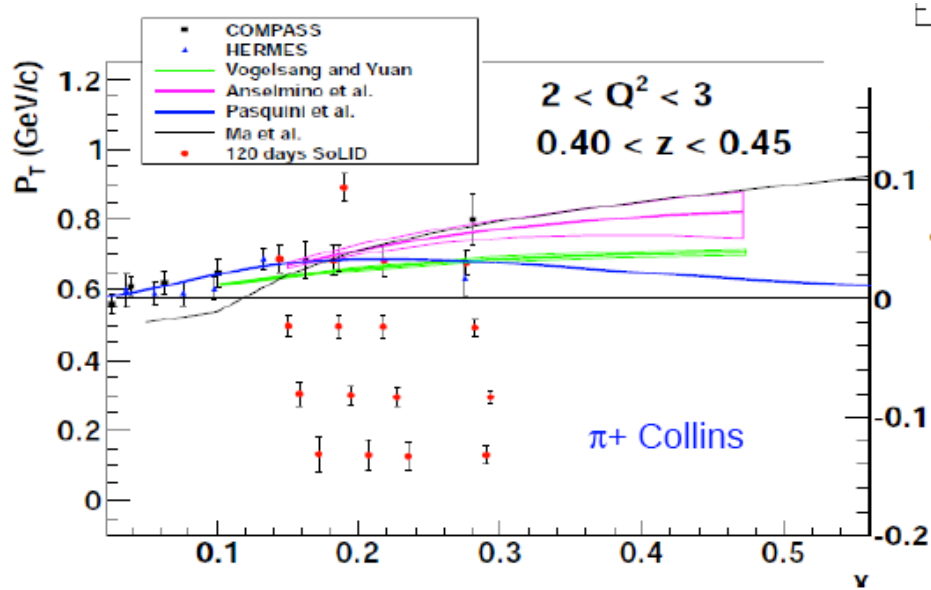
Multi-dimensional
binning in
 x, Q^2, p_T, z

(674 bins in total)

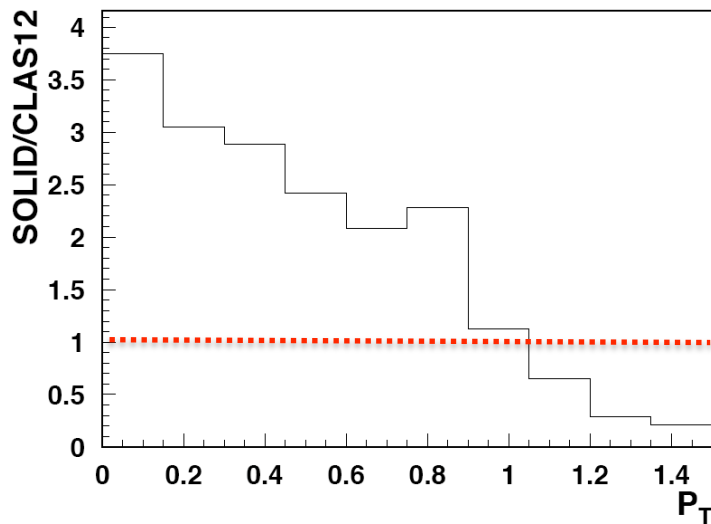


$Q^2 = 8 \text{ (GeV/c)}^2$

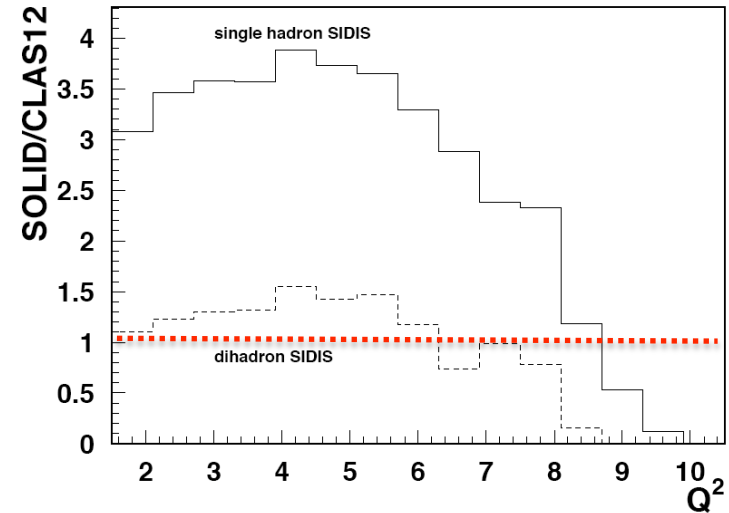
SIDIS with SOLID



yield ratios



yield ratios



The JLab12 Charge

Complete 3D mapping (momentum space) of the nucleon in the valence region High potentiality of the complementary programs of 3 experimental halls

- Access to leading-twist poorly known or unmeasured TMDs
(3D picture in momentum space, relativistic effects, spin-orbit effects, nucleon tomography);

- * UPA: **Number density, Cahn, Boer-Mulders**
- * SSA: **Transversity, Sivers, Pretzelosity, h_{1L} worm-gear functions;**
- * DSA: **Helicity, g_{1T} worm-gear function;**

- Multi dimensional analysis in x , Q^2 , z , p_T thanks to large-acceptance and high-luminosity;

- * **precise mapping of the valence** (tensor charge);
- * **disentangle parton distribution from fragmentation functions** (x vs z);
- * **isolate sub-leading-twist effects** from $1/Q$ dependence (g_2 as side product) ;
- * **flavor decomposition of p_T dependence** (Bessel analysis);
- * **investigate perturbative to non-perturbative QCD transient** from p_T dependence;