

Single Spin Asymmetries (SSA) in $n(e,e')$ from a vertically polarized ^3He target.

Nucleon structure studies using two photon exchange

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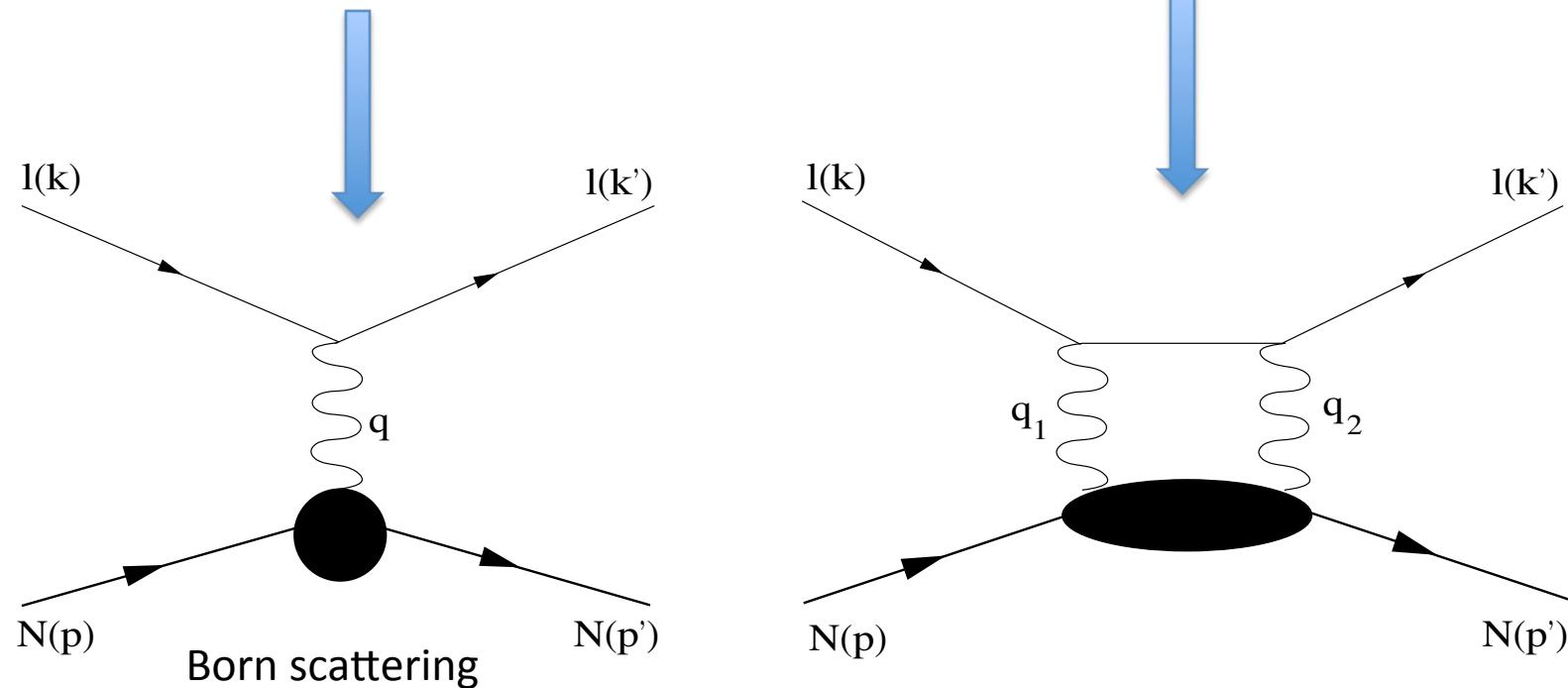
*On behalf of the Jefferson Lab Hall A and polarized
 ^3He collaborations*

Program Goal: Measure the “vertical” target single spin asymmetry A_y in:

- quasi-elastic $^3\text{He}(e,e')$
- deep-inelastic $^3\text{He}(e,e')$
- quasi-elastic $^3\text{He}(e,e'n)$

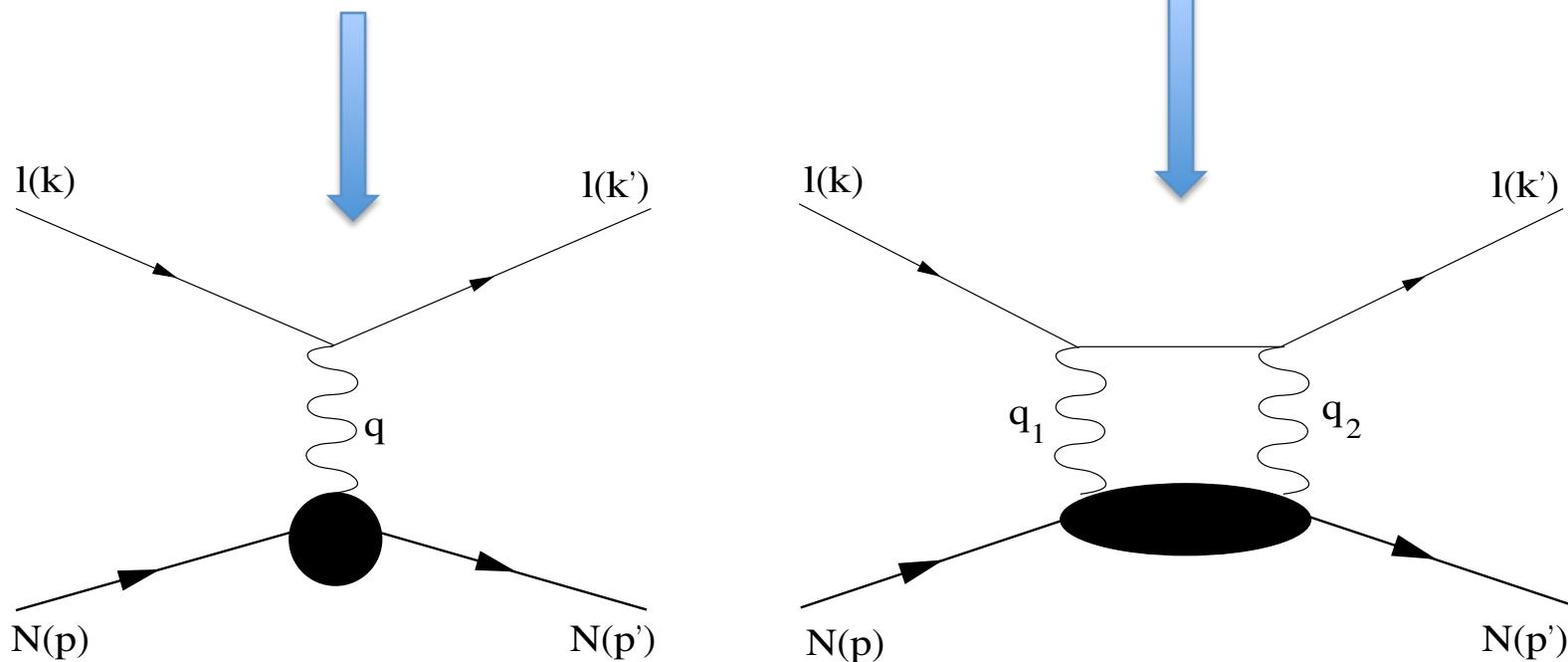
Born scattering and beyond

- Jefferson Lab physicists' favorite diagram (required for every talk):
- Irritating correction to favorite diagram.
- Suppressed by α relative to Born diagram



Born scattering and beyond

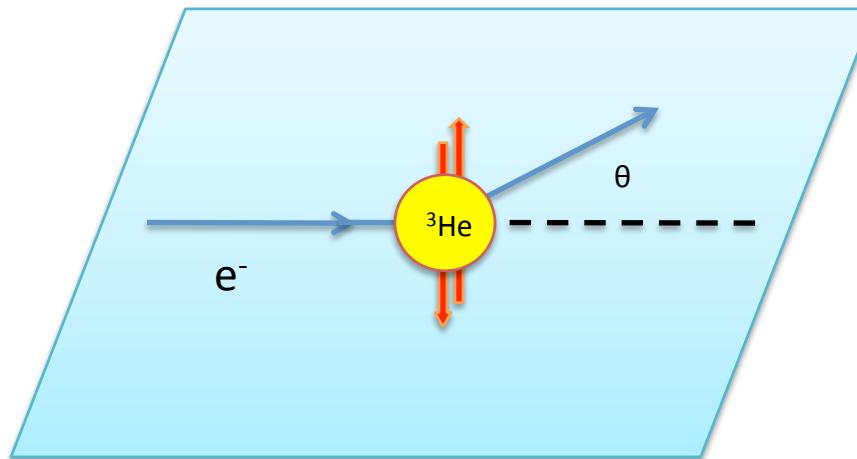
- Dominates unpolarized and most polarized $N(e,e')$ scattering.
- How is it useful?
- Loop integral contains *entire nucleon response*.
- How do we observe this?



Target Single Spin Asymmetry (SSA)

- Unpolarized e^- beam incident on ^3He target polarized normal to the electron scattering plane

$$A_y = \frac{\sigma^\uparrow - \sigma^\downarrow}{\sigma^\uparrow + \sigma^\downarrow}$$



- Note that unpolarized eN scattering and double spin asymmetries (DSA) with beam and target polarization in-plane are dominated by 1-photon exchange.
e.g. measurements of G_e^n , G_M^n , F_1 , F_2 , g_1 , g_2 <----(Born approximation)
- However, $A_y=0$ at Born level,
→ sensitive to physics at order α^2 ; two-photon exchange.

Two Photon Physics

- Topic 1: Elastic $N(e,e')$ scattering with two photon exchange:

$$l(k,h) + N(p,\lambda_N) \rightarrow l(k',h') + N(p',\lambda'_N)$$

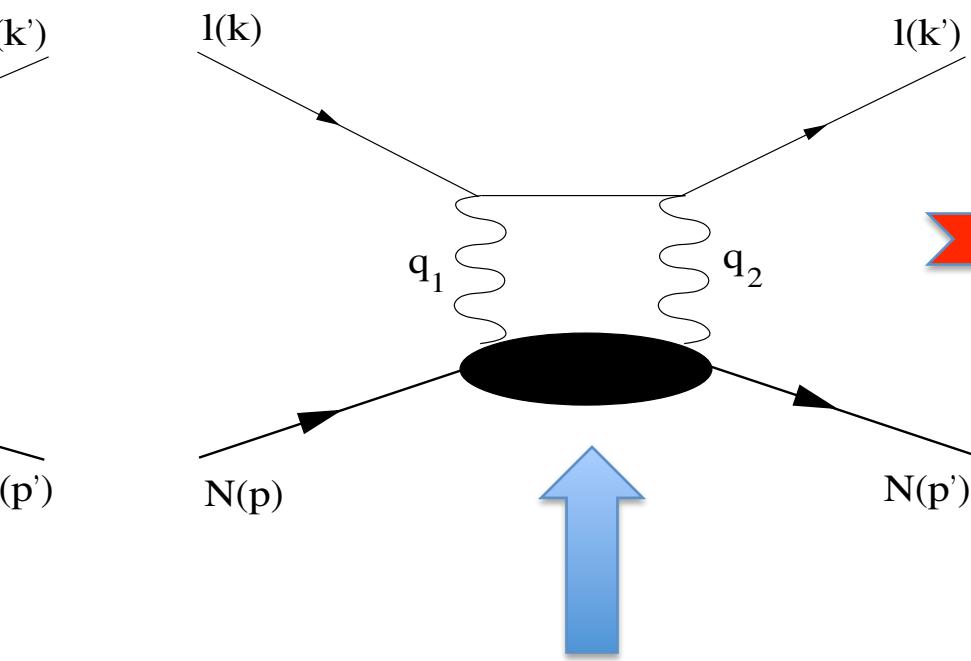
$$T = T_{1\gamma} + T_{2\gamma} = \frac{e^2}{Q^2} \bar{u}(k',h)\gamma_\mu u(k,h) \times \bar{u}(p',\lambda'_N) \left(\tilde{G}_M \gamma^\mu - \tilde{F}_2 P^\mu + \tilde{F}_3 \frac{\gamma \cdot K P^\mu}{M^2} \right) u(p,\lambda_N)$$

- h =electron helicity, $\lambda_N(\lambda'_N)$ =nucleon helicity, $K=(k+k')/2$, $P=(p+p')/2$
- The functions \tilde{G}_M^{Born} , \tilde{F}_2^{Born} , \tilde{F}_3^{Born} are **complex** and reduce to the usual (real) structure fucntions and form factors in 1γ exchange:

A. Afanasev *et al.*, Phys.Rev.D72:013008, 2005

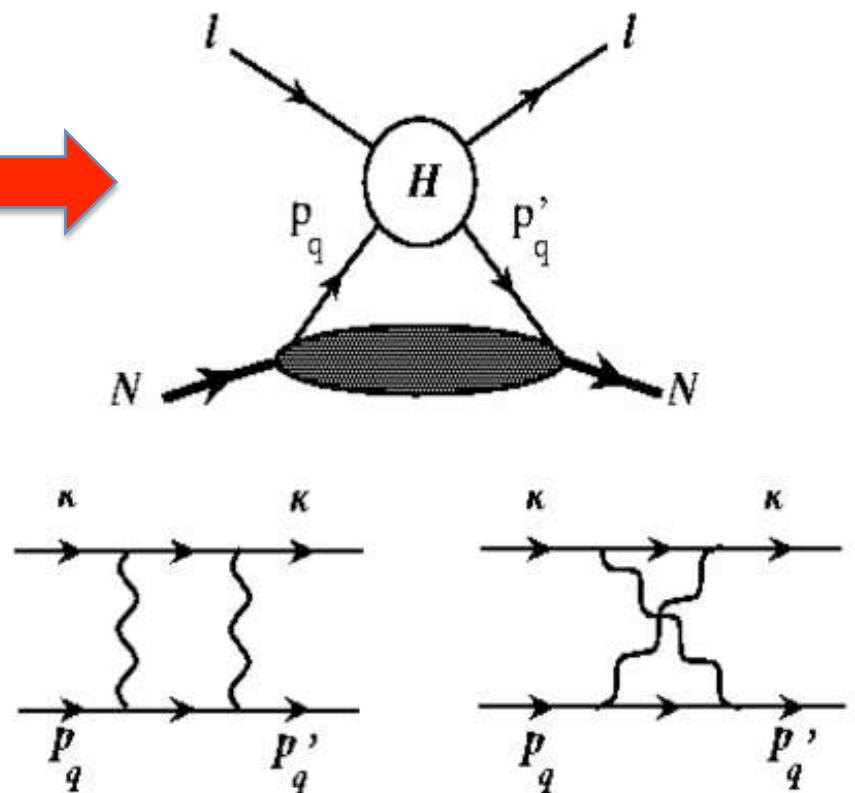
$$\begin{aligned}\tilde{G}_M^{Born}(\nu, Q^2) &= G_M(Q^2) \\ \tilde{F}_2^{Born}(\nu, Q^2) &= F_2(Q^2) \\ \tilde{F}_3^{Born}(\nu, Q^2) &= 0\end{aligned}$$

At low Q^2 , entire nucleon is involved



Loop integral contains entire elastic and inelastic response of nucleon

At large Q^2 , assume interaction with a single quark



Elastic form factor data: 2-photon exchange correction at large Q^2

- Note that both recoil polarization and Rosenbluth separation measurements of nucleon form factors must be corrected for 2-photon exchange

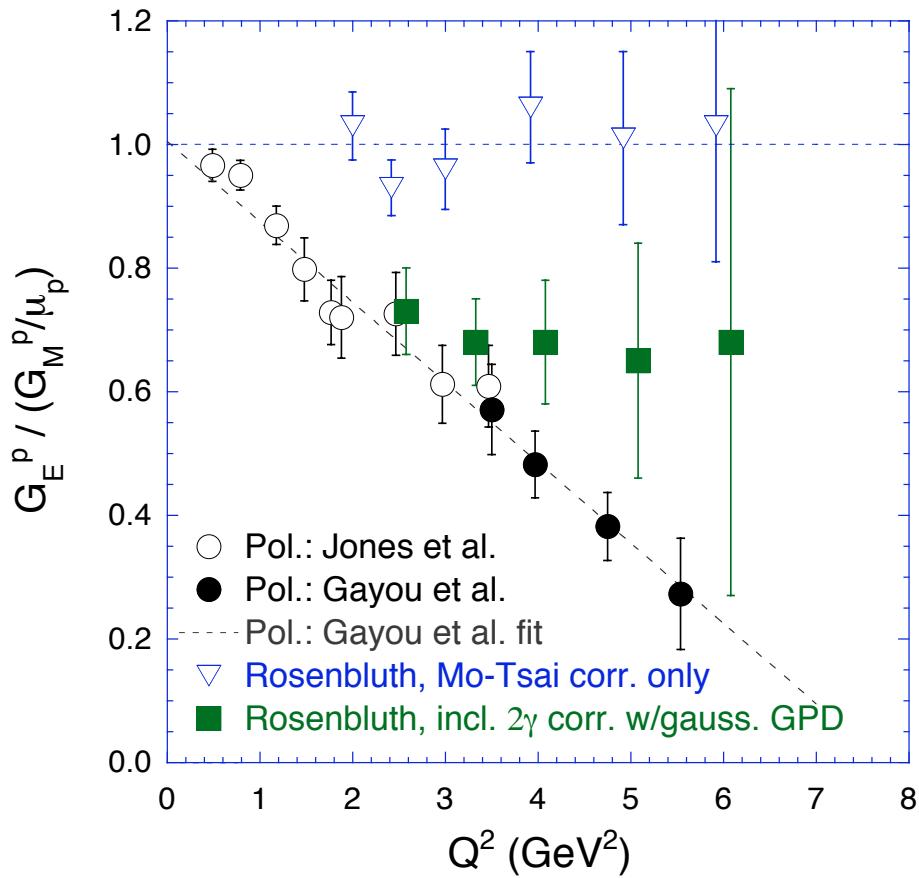
- Depends on the *real* part of the interference:

$$\sigma \propto \text{Re}(T_{1\gamma}^* T_{2\gamma})$$

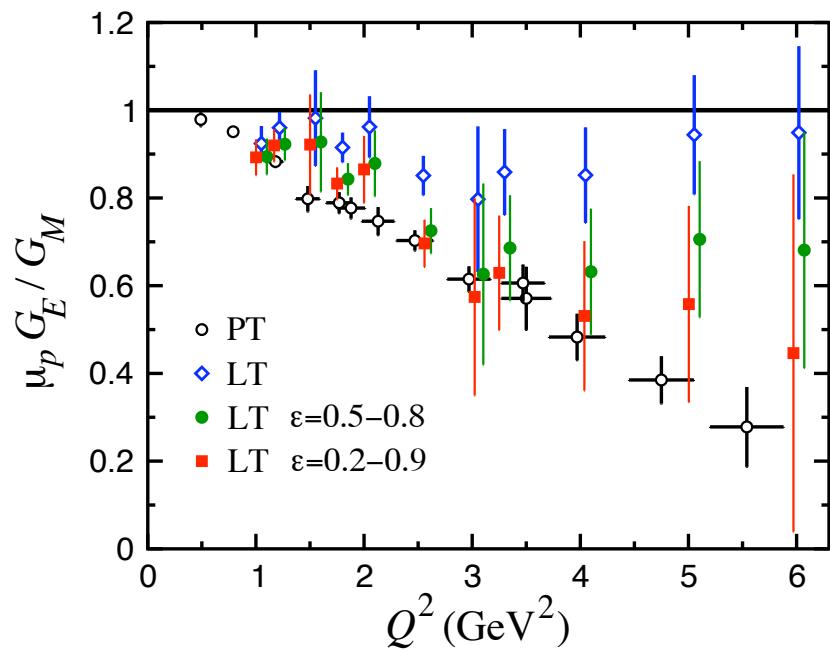
- Elastic contribution well known. Inelastic contribution estimated at large Q^2 using e.g. form factors, resonances, moments of GPD's,

Jefferson Lab G_E^P/G_M^P

Rosenbluth w/2 γ corrections vs. Polarization data



A. Afanasev *et al.*, Phys.Rev.D72:013008, 2005



Blunden *et al.*
Phys. Rev. C72 (2005) 034612

2-photon SSA physics

$$A_y \propto \frac{\text{Im}(T_{1\gamma} T_{2\gamma}^*)}{|T|^2}$$

Absorptive part=Imaginary contribution

A. DeRujula *et al.*, *Nuc. Phys. B35* (1971) 365

For *inclusive* scattering $N(e,e')$, $A_y^{Born} = 0$

N. Christ-T.D.-Lee, *Phys. Rev. 143* (1966) 1310

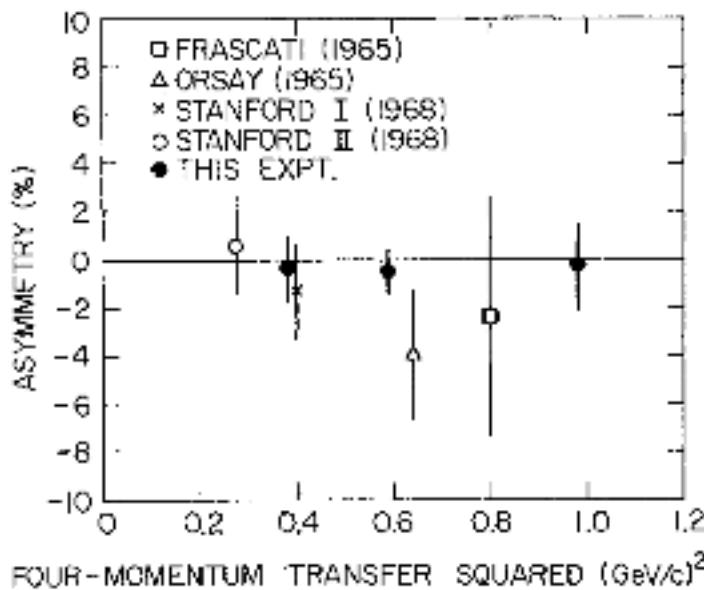
When we allow 2-photon exchange, the **leading contribution** is from
 $1\gamma + 2\gamma$ interference

- Calculable at large Q^2 using moments of GPD's.
- Measurement of A_y at large Q^2 provides new constraint on GPD's

Existing A_y Data

- SLAC Proton Data for A_y (solid) and P_n (open); expected $A_y^p < 1\%$

T. Powell *et al.*, PRL 24 (1970) 753.



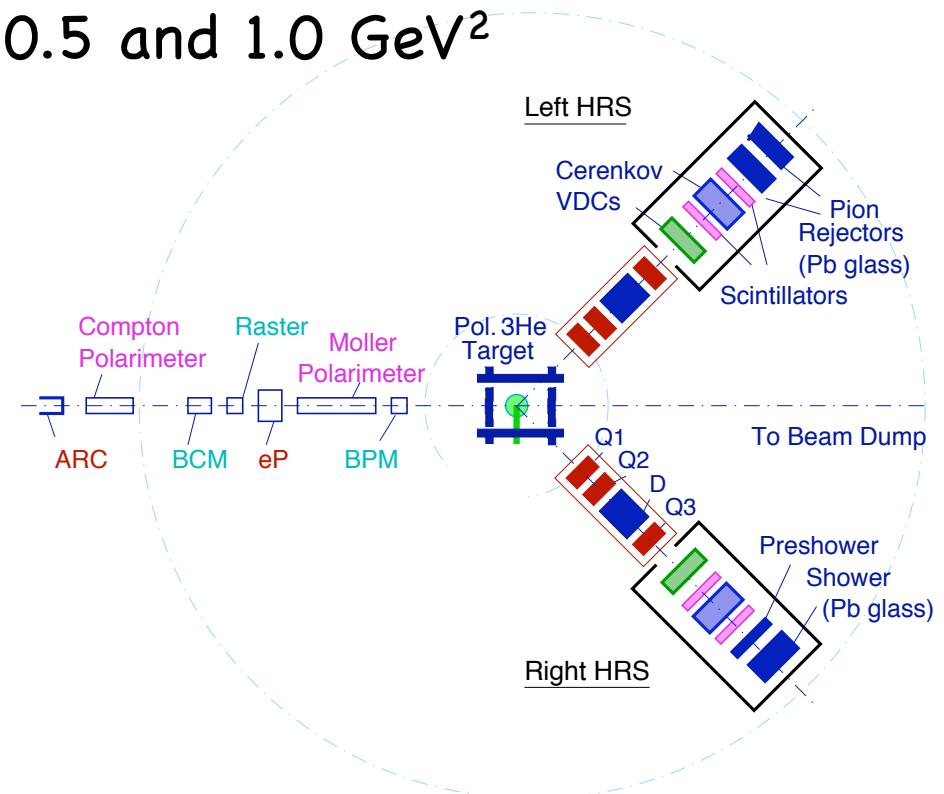
- NIKHEF QE ${}^3\text{He}^\dagger(e, e')$ at $Q^2 = 0.1 \text{ GeV}^2$ gave $A_y = -1.0 \pm 5.4\%$.

M. C. Harvey, Ph.D. thesis, Hampton University, 2001

- Precision measurements of A_y do not exist! A non-zero A_y never measured!

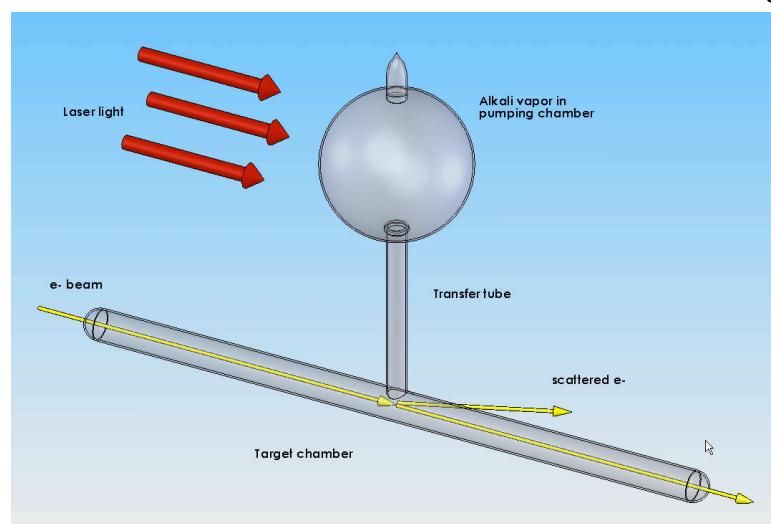
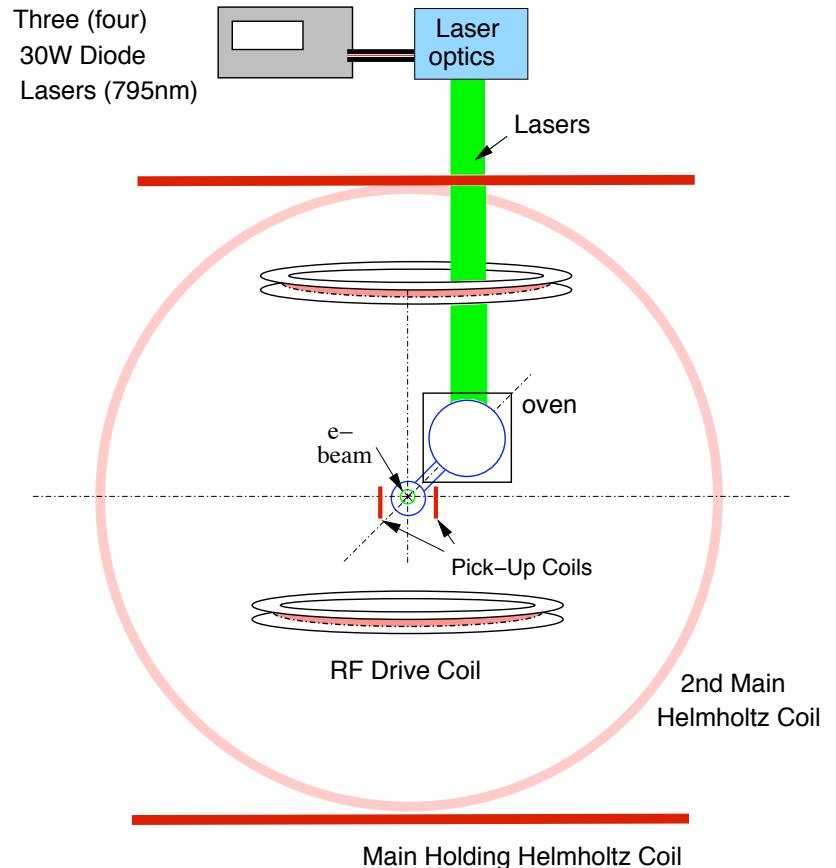
Experimental Design

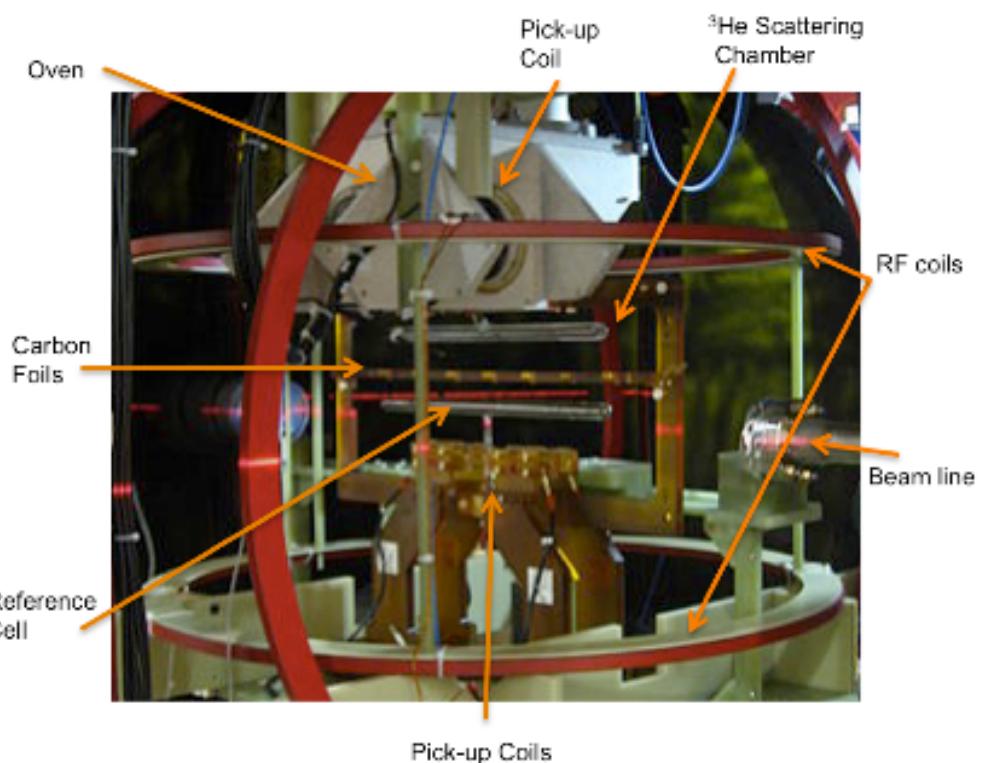
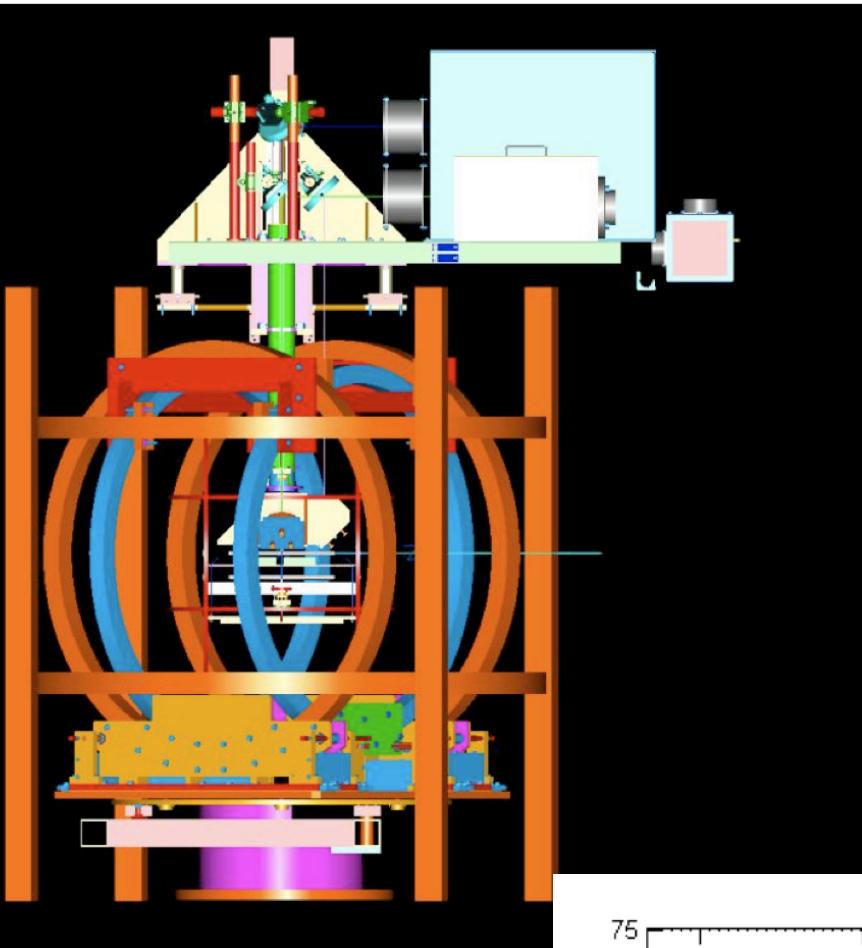
- Use two symmetric spectrometers for singles electron detection. Jefferson Lab Hall A HRS spectrometers.
- Vertically polarized ^3He target.
- Measurements at $Q^2=0.1, 0.5$ and 1.0 GeV^2
 - Test GPD calculation
 - Study Q^2 dependence
 - Parton to hadron transition



Hall A polarized ^3He target

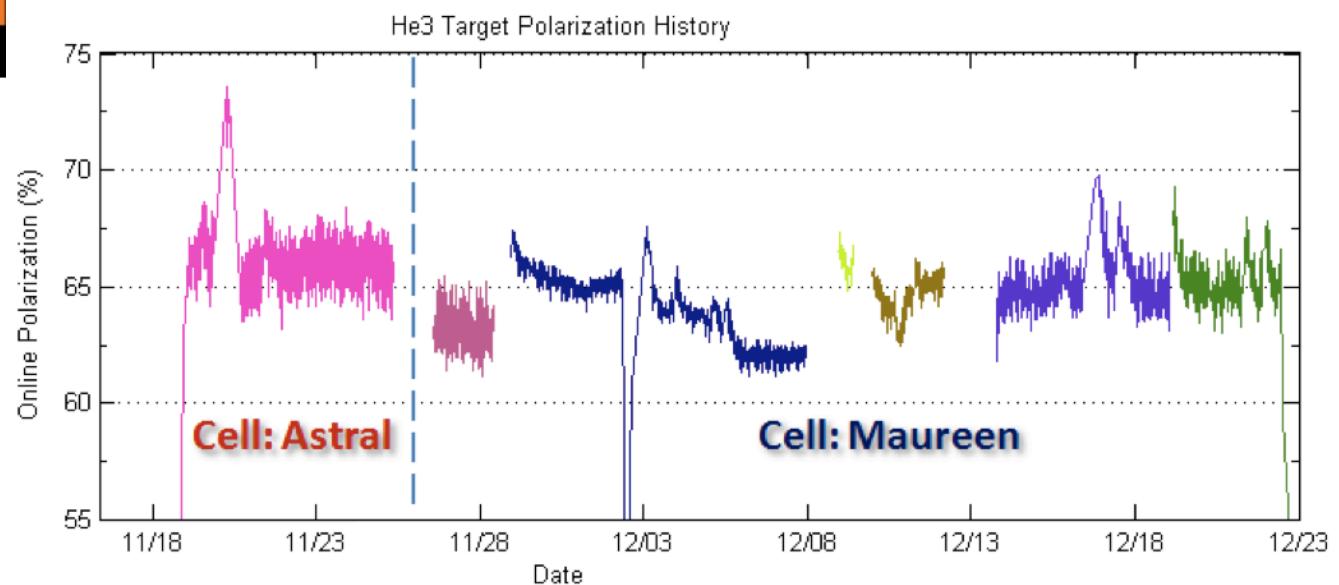
- Effective polarized neutron target
- Spin Exchange Optical Pumping (SEOP) technology
- 5:1 ratio of K:Rb for high efficiency optical pumping and spin exchange.
- Spectrally narrowed diode lasers
- With 15 μA beam, $\langle P_{\text{targ}} \rangle \sim 65\%$
- Luminosity $L \sim 10^{36} / \text{cm}^2/\text{s}$





New record for polarization at this luminosity

6/22/10

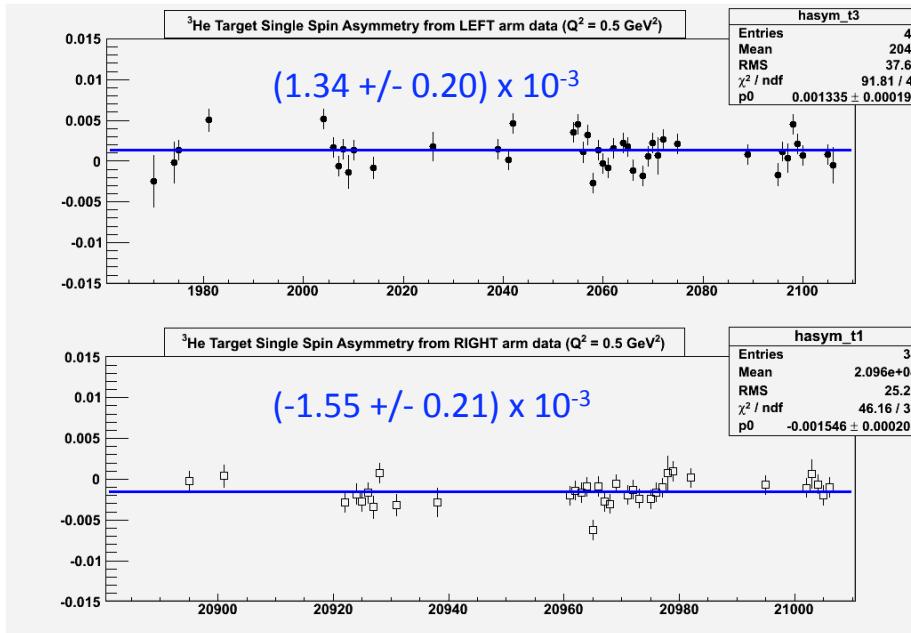


Preliminary results

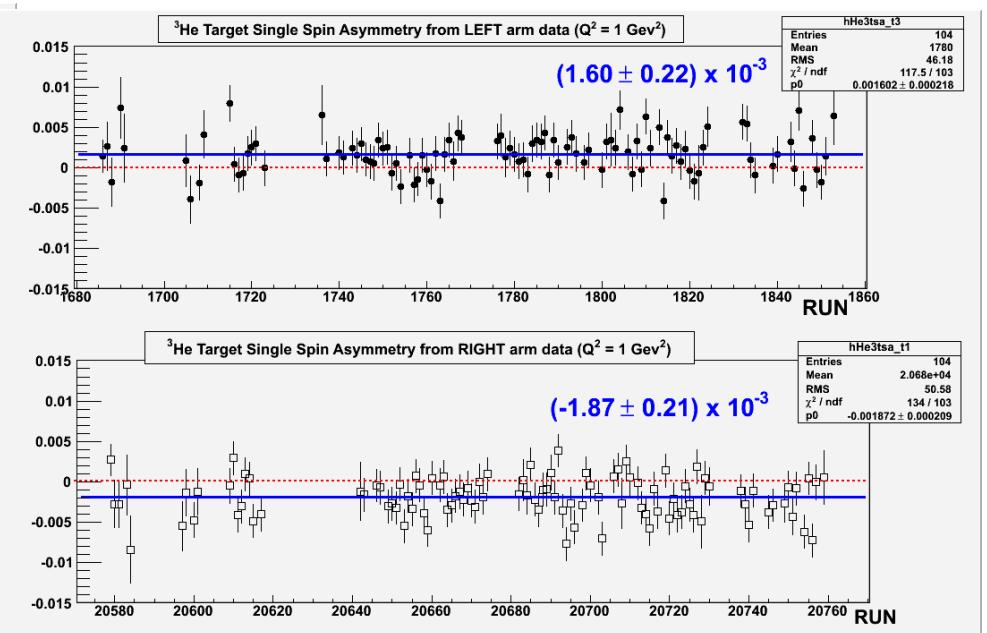
- Next two slides will show A_y for ${}^3\text{He}$
- Preliminary results with target polarization and nitrogen dilution corrections applied.
- No radiative corrections applied
- ${}^3\text{He}$ to neutron correction needed
- Systematic uncertainties not finished

Preliminary ${}^3\text{He}$ results at $Q^2=0.5$ and 1.0 GeV^2

$Q^2 = 0.5 \text{ GeV}^2$



$Q^2 = 1.0 \text{ GeV}^2$

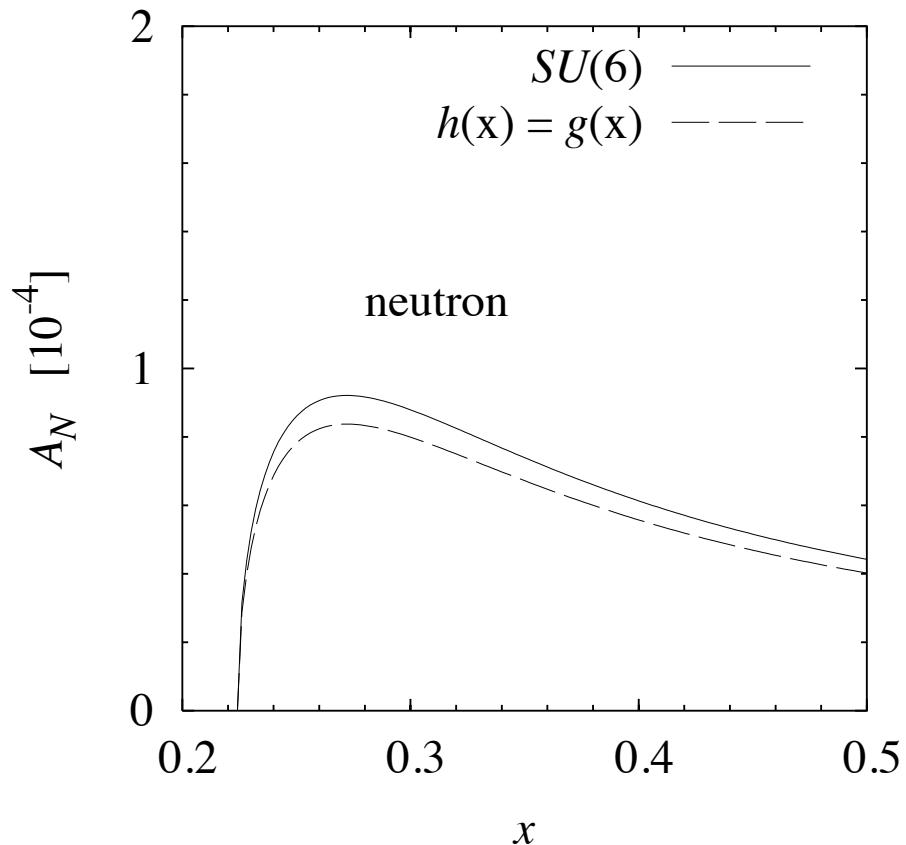


- $A_y {}^3\text{He} \sim -0.17\%$ at $Q^2=1 \text{ GeV}^2$, $A_y {}^3\text{He} \sim -0.14\%$ at $Q^2=0.5 \text{ GeV}^2$,
- Data at $Q^2=0.1 \text{ GeV}^2$ being analyzed. *Seems to show little Q^2 dependence.*

Topic 2: What about A_y for $n(e,e')$ in DIS?

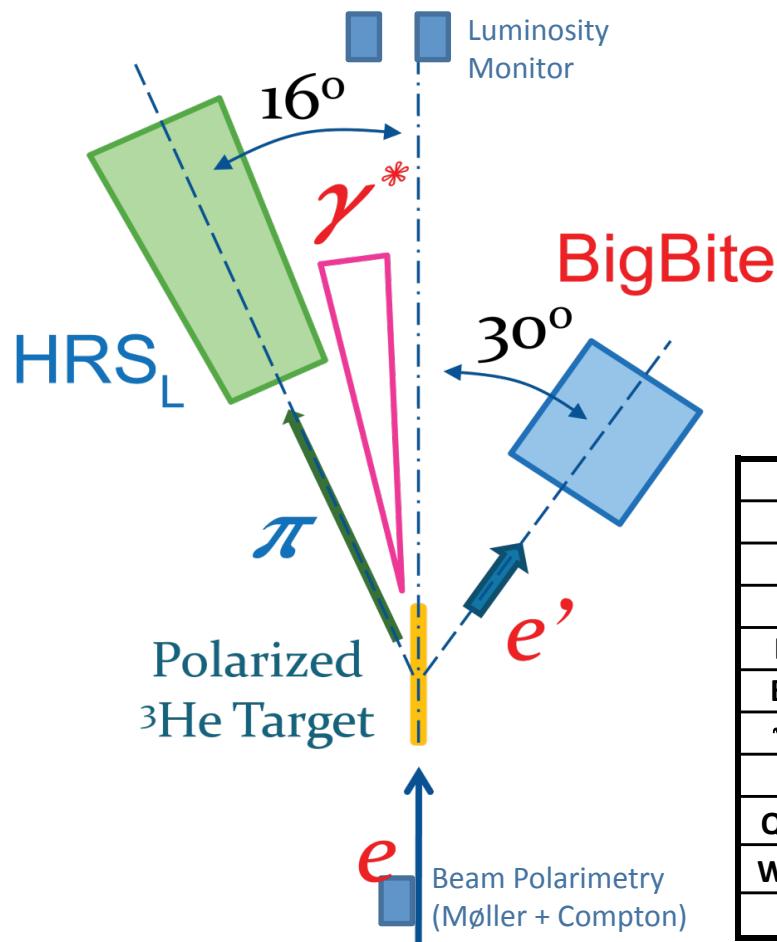
- The formalism remains the same:
 $A_y=0$ for 1-photon exchange
- For DIS, one assumes that the scattering is dominated by two photon exchange with a single quark.
- This was measured in Hall A during the transversity experiment, using the BigBite Spectrometer in singles mode.
- Joe Katich-W&M graduate thesis student

$n(e,e')$ prediction for DIS



- In a simple quark model, $A_y=0$ for two-photon exchange due to helicity conservation at the quark level.
- Afanasev, Strikman, Weiss (Phys.Rev.D77:014028,2008) predict $A_y \sim 10^{-4}$ using a model based on the quark transversity distribution and non-zero quark masses.
- The SSA should change by two orders of magnitude from DIS to QE kinematics.
- Allows one to study the “transition” from hadron-like to parton-like behavior.

Kinematics

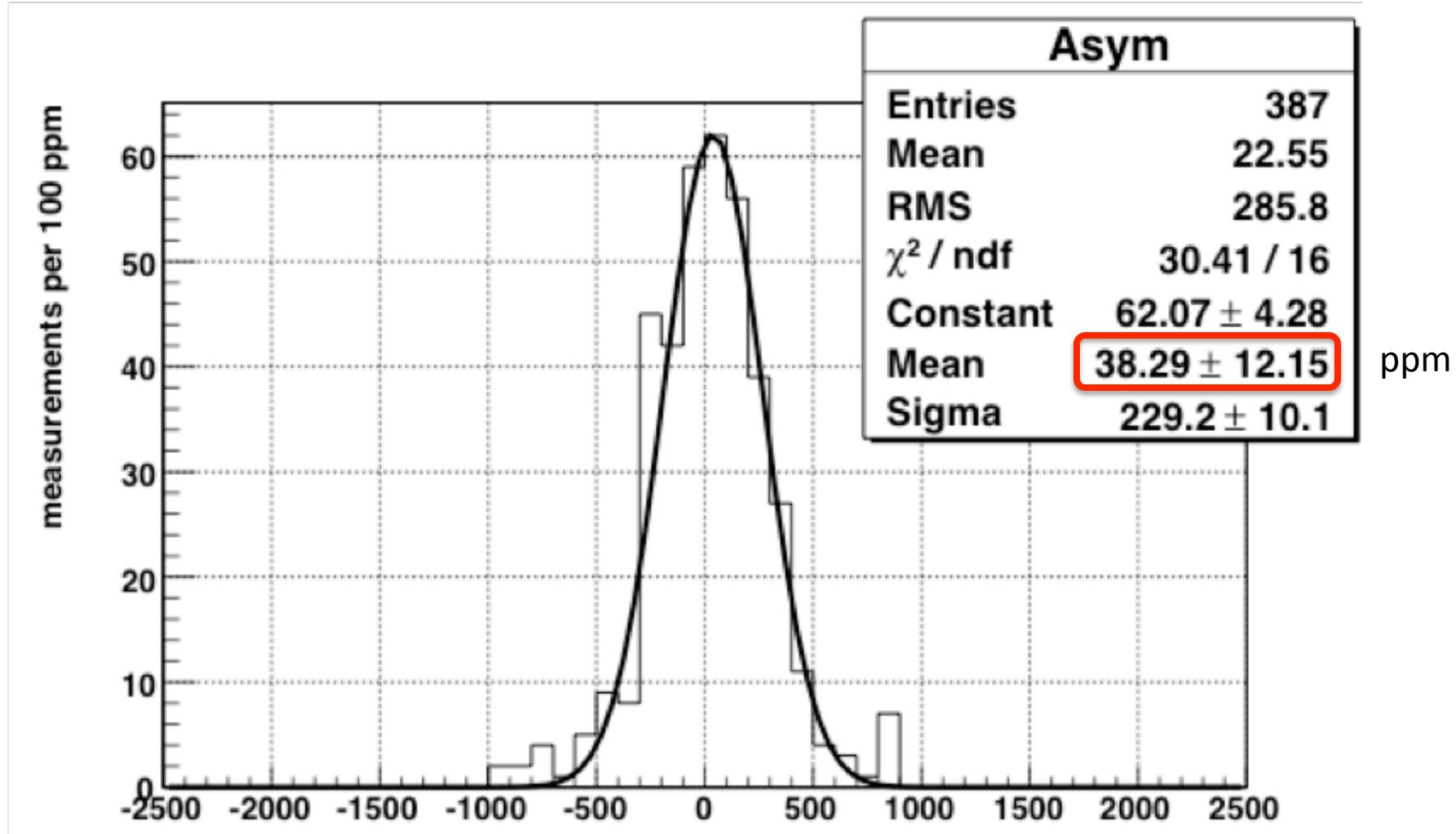


Measure ${}^3\text{He}(e,e')$ SSA using BB and LHRs in singles mode.

$E=5.89 \text{ GeV}$

	LHRs	BB			
		1	2	3	4
$\theta \text{ (deg)}$	16.00	29.60	29.60	29.50	28.80
$\theta \text{ (rad)}$	0.28	0.52	0.52	0.51	0.50
$E \text{ (GeV)}$	5.89	5.89	5.89	5.89	5.89
$E' \text{ (GeV)}$	2.35	1.12	1.36	1.65	2.05
$v \text{ (GeV)}$	3.54	4.78	4.53	4.25	3.84
$Q^2 \text{ (GeV}^2)$	1.07	1.71	2.09	2.51	2.99
$W^2 \text{ (GeV}^2)$	6.45	8.13	7.30	6.33	5.09
X	0.16	0.19	0.25	0.32	0.42

Check for False Asymmetries: Luminosity Asymmetry

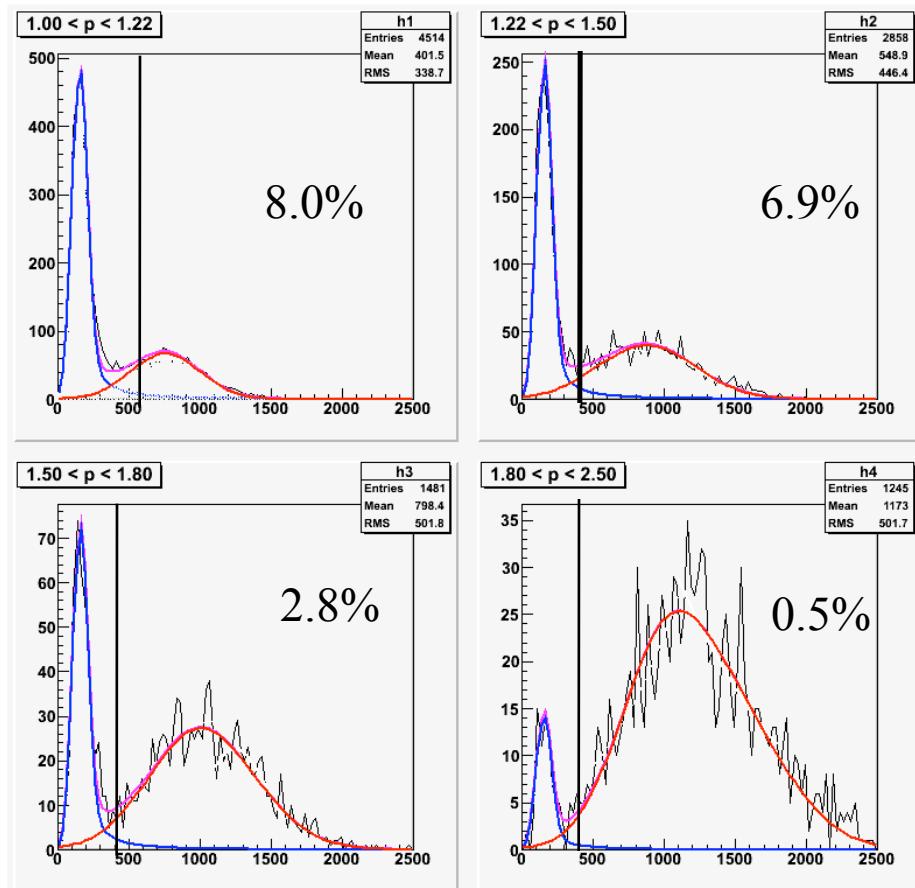


Backgrounds

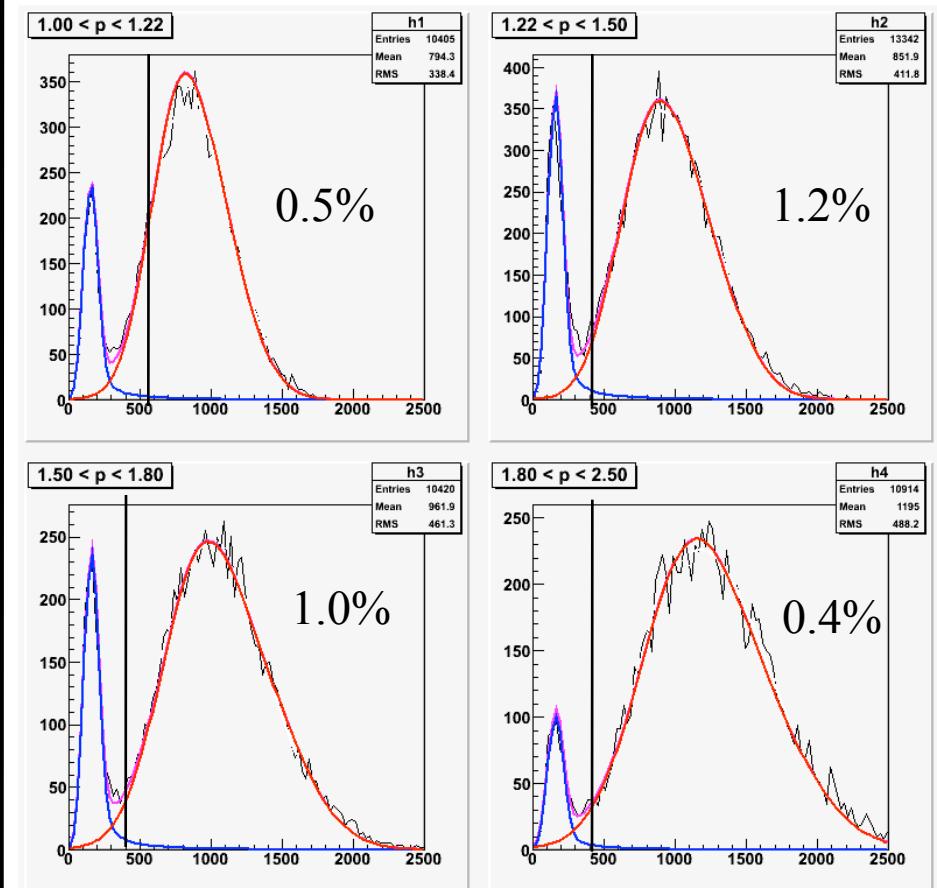
- BigBite: Pair produced e^+/e^- pairs from π^0 decay.
 - Measure using positive polarity
 - 50% contamination in lowest momentum bin
 - 1% in largest momentum bin
 - Largest systematic uncertainty
- BigBite: π^- in $e^-/+$ spectrum. No Cherenkov detector. EM pre-shower and shower calorimeter
- LHR spectrometer, virtually background free.
 - Good PID
 - Highest momentum = negligible pair-electron contamination

Final pi- Contamination

T1



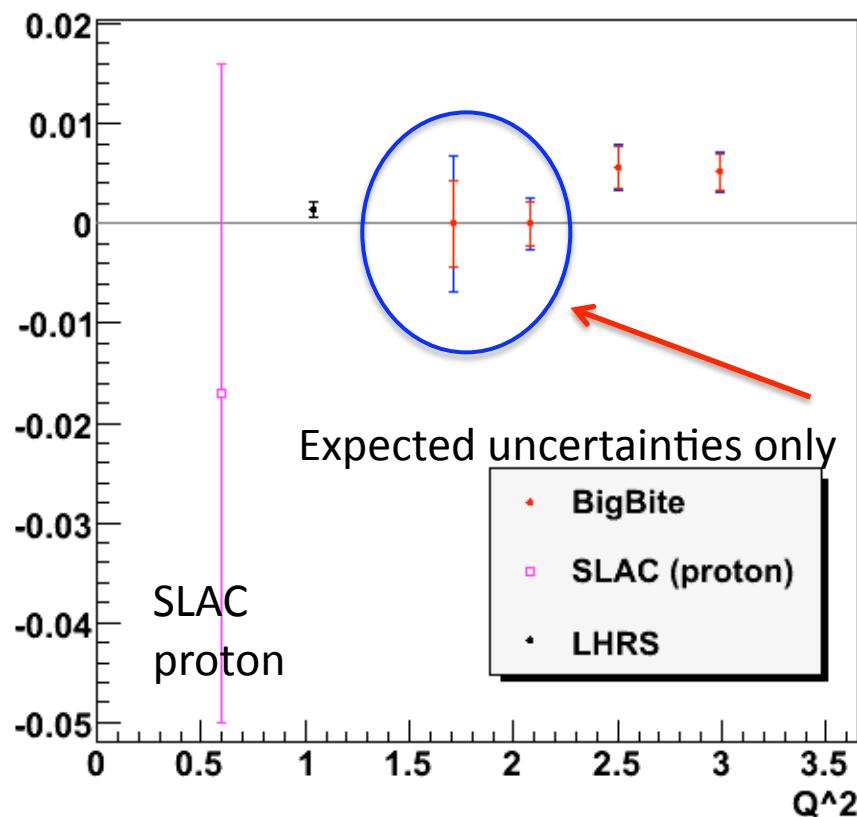
T6



A_y for ${}^3\text{He}$ versus Q^2

Preliminary results

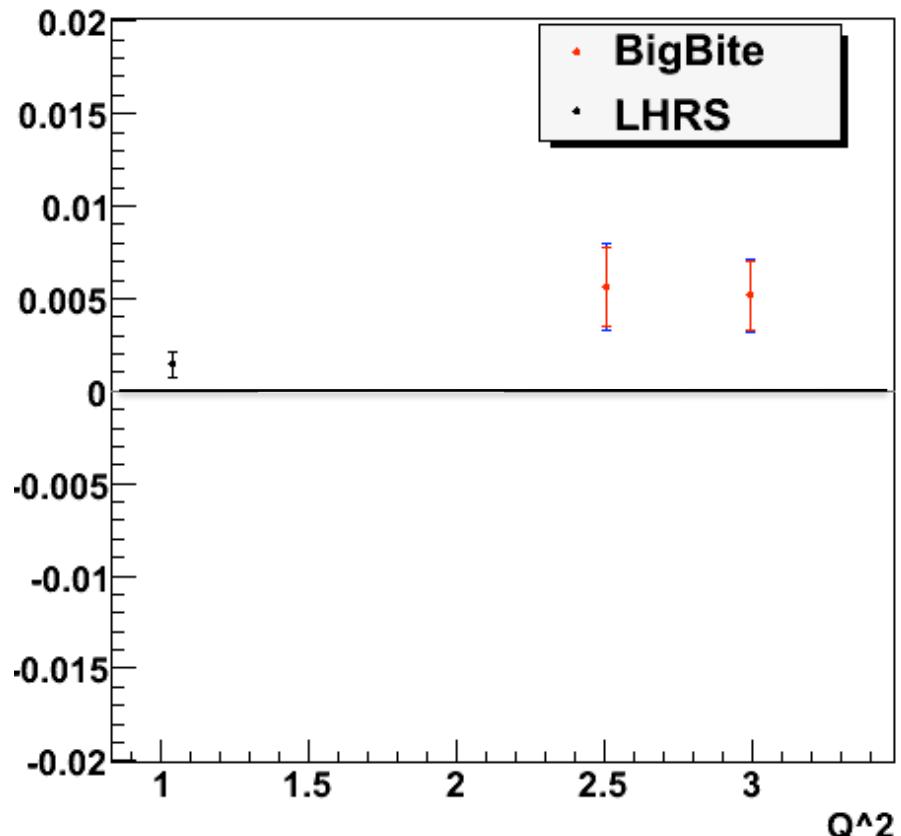
A_y vs. Q^2



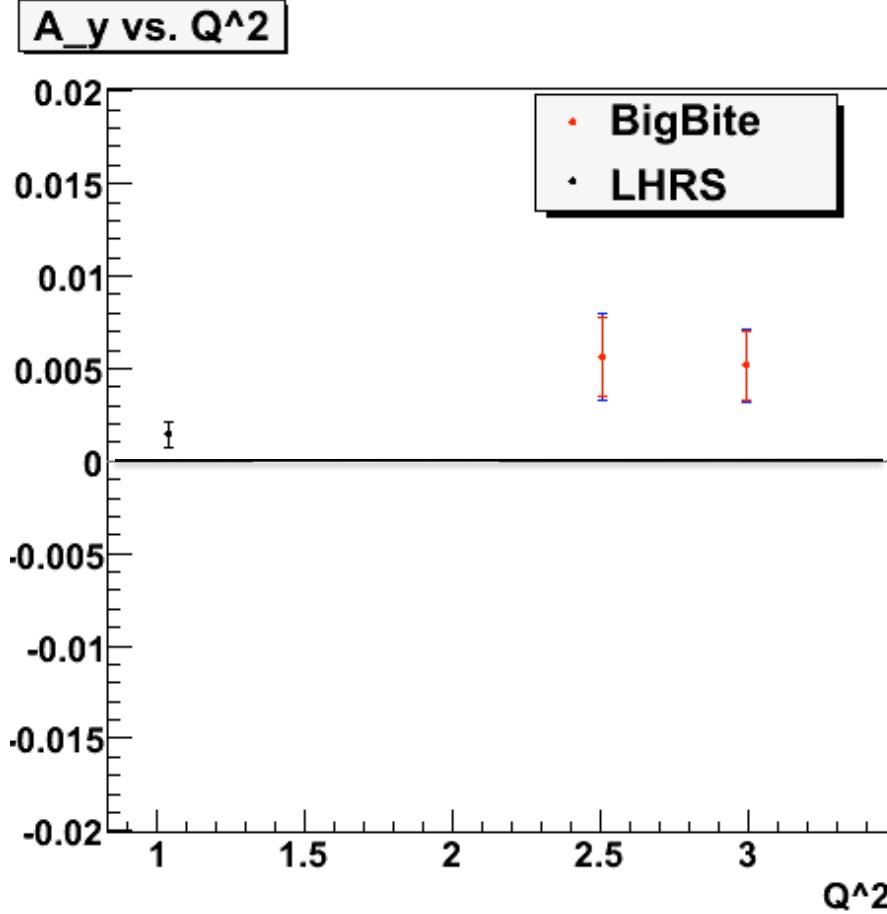
Statistical and systematic
uncertainties included

$A_y^{{}^3\text{He}} \sim 1-5 \times 10^{-3}$, not zero??

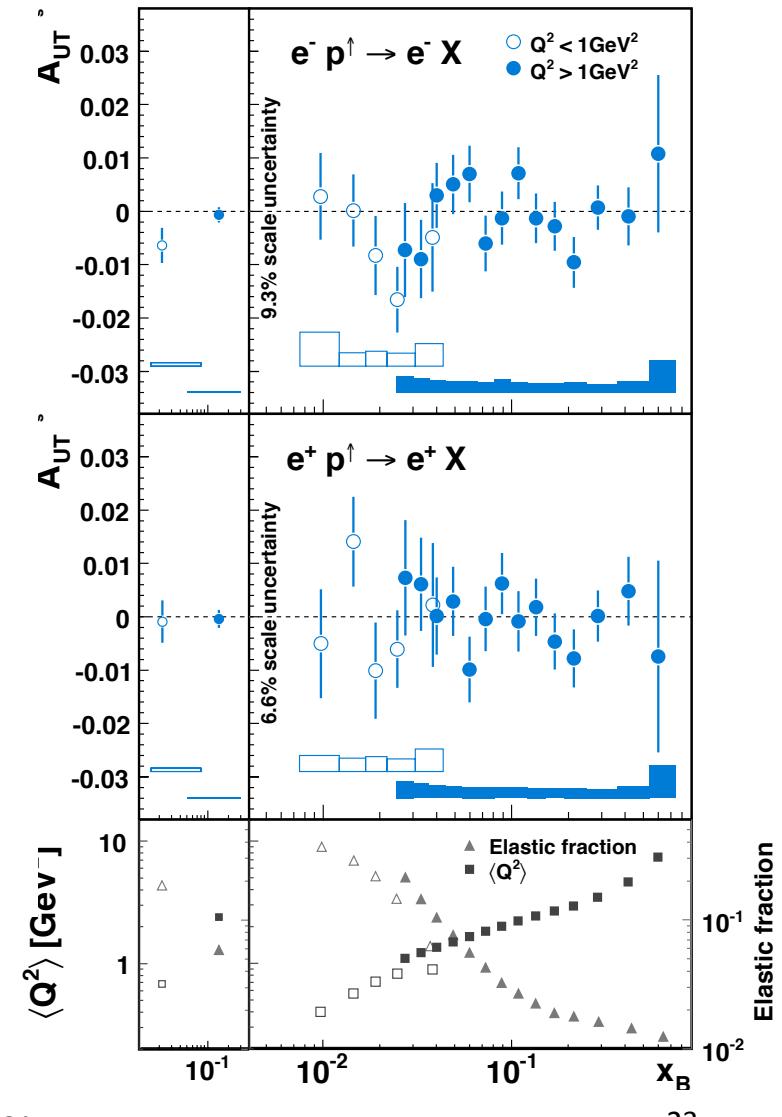
A_y vs. Q^2



HERMES proton DIS data



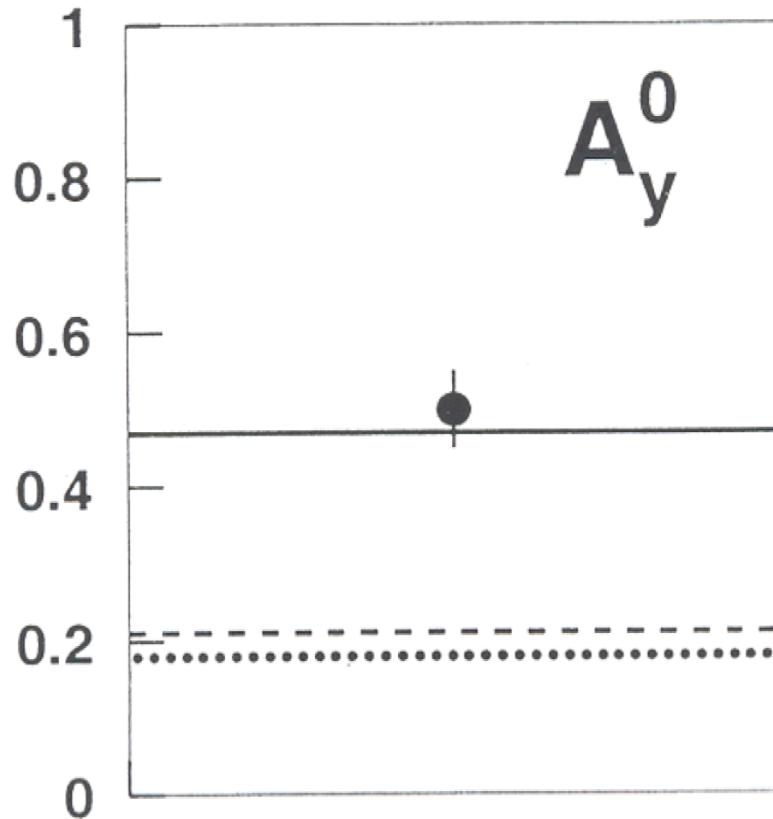
A. Airapetian et al,
Phys. Lett. B682, 351 (2010)



Topic 3: SSA in quasi-elastic ${}^3\text{He}(e,e'n)$

- Detect recoil neutron during QE scattering.
- Christ-Lee theorem doesn't apply for semi-inclusive scattering. A_y not necessarily zero.
- Sensitive to final state interactions
- PWIA predicts $A_y=0$
- Unpublished NIKHEF result shows $A_y=50\%$
- Precise laboratory for studying ${}^3\text{He}$ wavefunction

Unpublished NIKHEF Measurement



- Measured $A_y \sim 50\% !!!$
- $Q^2=0.2 \text{ GeV}^2$

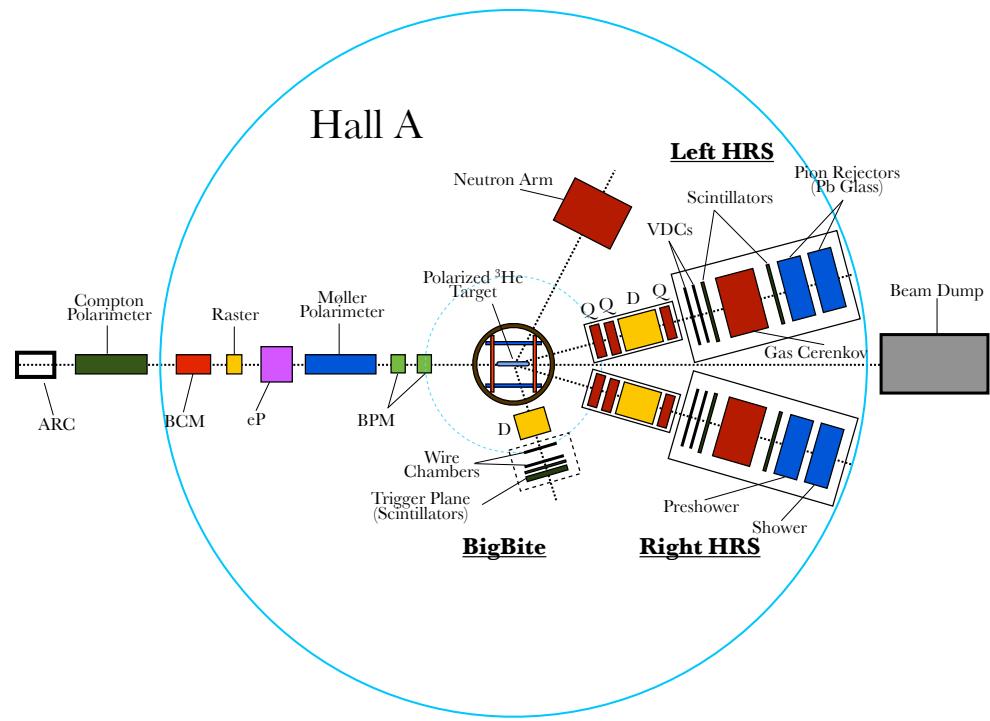
Golak et al., non-relativistic Fadeev

Laget, Nagorney, 3-body
partial wave analysis

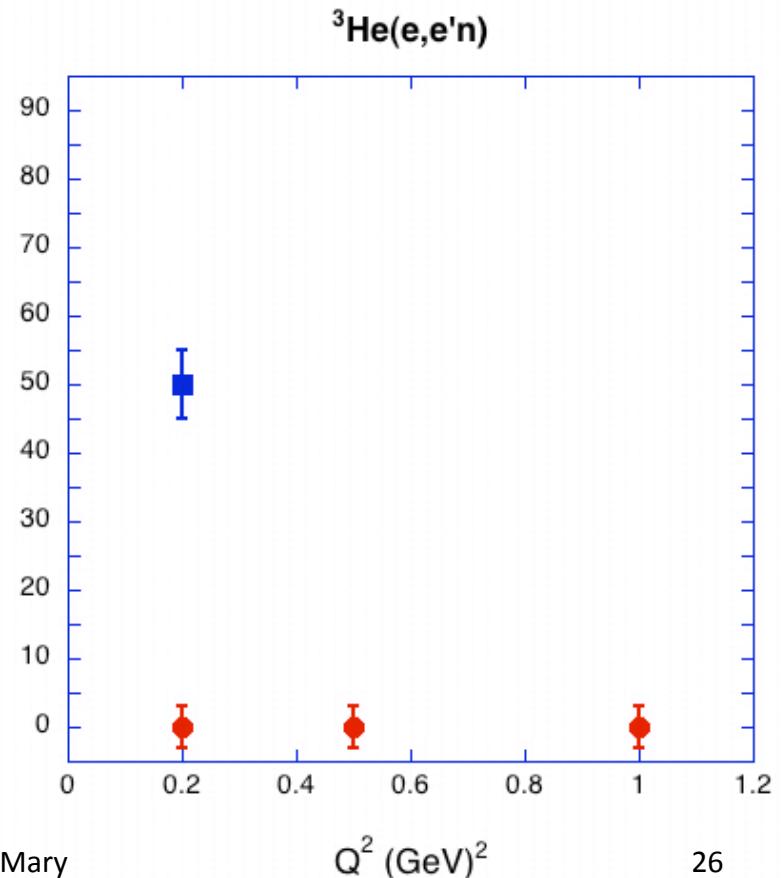
PWIA

Note: Golak calculation was used to extract G_e^n from deuteron and ${}^3\text{He}$ data.

Hall A Neutron Detector (HAND)



● Expected Statistical Uncertainties
■ NIKHEF data (unpub.)



- Detect coincidence between RHRs and HAND

Summary

- First measurements of the inclusive target SSA using vertically polarized ${}^3\text{He}$ in QE, DIS scattering.
- Measured QE $A_y^{{}^3\text{He}} \sim -0.14, 0.17\%$ for $Q^2=0.5, 1.0 \text{ GeV}^2$
- Measured DIS $A_y^{{}^3\text{He}} \sim -0.14, 0.17\%$ for $Q^2=0.5, 1.0 \text{ GeV}^2$
- First DIS results for $A_y \sim 1-5 \times 10^{-3}$ for ${}^3\text{He}$ at $Q^2=1.0-3.0 \text{ GeV}^2$.
 - Statistical precision comparable to HERMES proton results.
- Precision results for SSA in ${}^3\text{He}(e,e'n)$.
- Theoretical calculations needed.
- Measurements at high Q^2 possible with Jefferson Lab 12 GeV upgrade.

Connection with (GPDs) (con't)

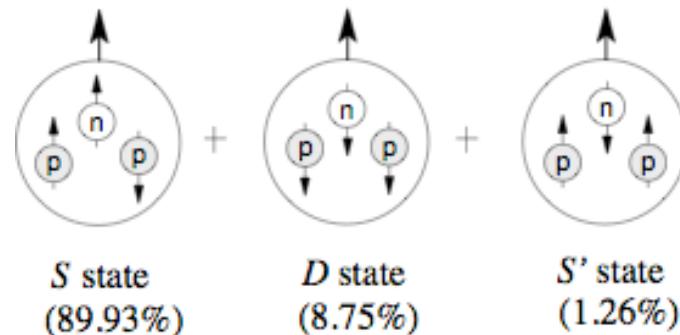
Y.-C. Chen, A. Afanasev, S. J. Brodsky, C. E. Carlson and M. Vanderhaeghen, PRL 93 (2004) 122301

$$A_y = \sqrt{\frac{2 \varepsilon (1 + \varepsilon)}{\tau}} \frac{1}{\sigma_R} \{-G_M \mathcal{Im}(\textcolor{red}{B}) + G_E \mathcal{Im}(\textcolor{red}{A})\}$$

$$\textcolor{red}{A} = \int_{-1}^1 \frac{dx}{x} \tilde{K} \sum_q e_q^2 [H^q(x, 0, t) + E^q(x, 0, t)]$$

$$\textcolor{red}{B} = \int_{-1}^1 \frac{dx}{x} \tilde{K}' \sum_q e_q^2 [H^q(x, 0, t) - \tau E^q(x, 0, t)]$$

- H^q and E^q are GPD's for quarks of flavor q .
- \tilde{K} and \tilde{K}' contain the contributions from the hard scattering amplitudes.
- $\mathcal{Im}(A)$ and $\mathcal{Im}(B)$ are non-zero through 2γ contribution in \tilde{K} and \tilde{K}' .
- Measuring *neutron* A_y provides new constraint on specific GPD moment.



S, S', D, Δ-isobar contributions to ${}^3\text{He}$ wavefunction

$$A_y^n = \frac{F_2^{{}^3\text{He}}}{P_n F_2^n (1 + \frac{0.056}{P_n})} \left[A_y^{{}^3\text{He}} - 2 \frac{F_2^p}{F_2^{{}^3\text{He}}} P_p A_y^p \left(1 - \frac{0.014}{2P_p} \right) \right]$$

$$P_n = 0.86^{+0.036}_{-0.020}, \quad P_p = -0.028^{+0.009}_{-0.004}$$

Phys. Rev. C65, 064317 (2002)