

Unified approach for nucleon knock-out and coherent and incoherent pion production in neutrino interactions with nuclei

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Outline

- Introduction

- relevant channels for accelerator exp.
- link with V oscillation physics
- why nuclear physics is important?

- Our model: nuclear response functions

- Comparison with other microscopical models
and with commonly used Monte Carlo

- Comparison with experimental results

- pion production, quasielastic (MiniBooNE)
- importance of multi-nucleon emission

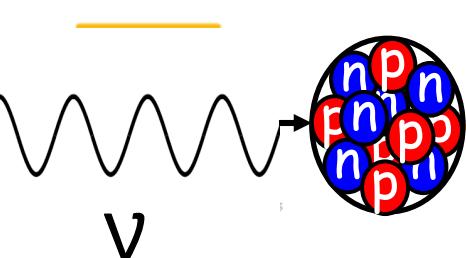
In collaboration with:

M. Ericson, G. Chanfray, J. Marteau
IPN Lyon

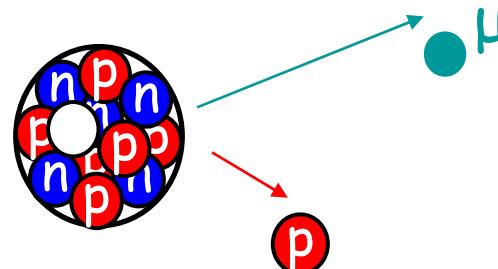
Phys. Rev. C 80 065501 (2009)
Phys. Rev. C 81 045502 (2010)

Neutrino-nucleus interaction and ν oscillation physics

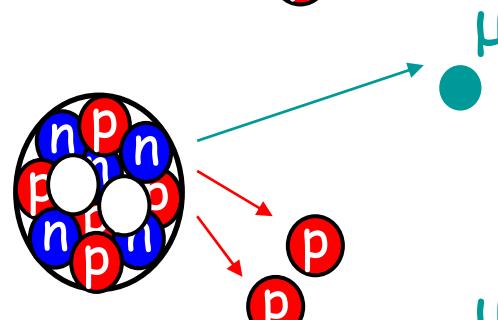
Neutrino - nucleus interaction @ $E_\nu \sim \mathcal{O}(1 \text{ GeV})$



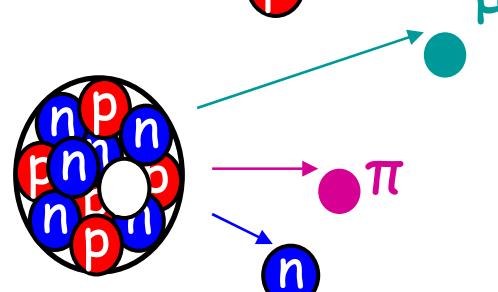
Quasielastic (QE)



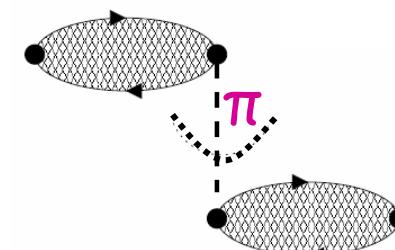
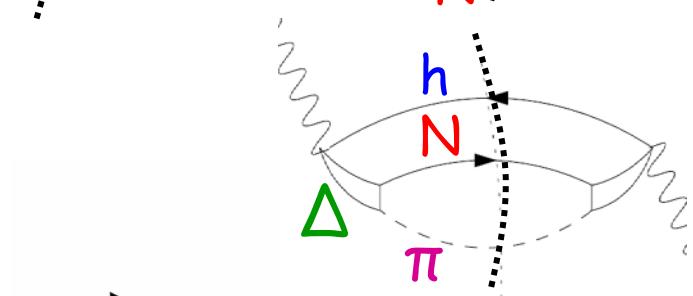
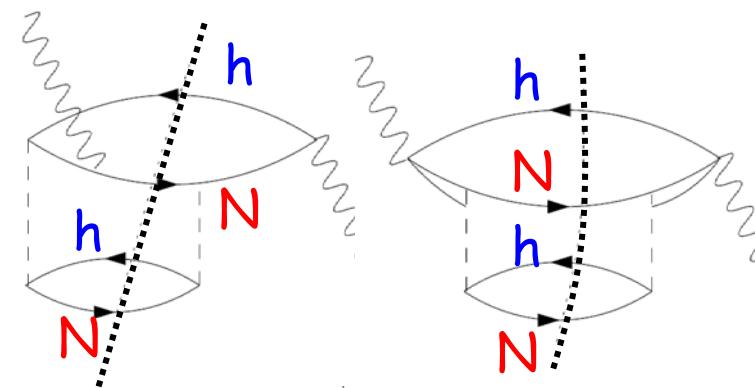
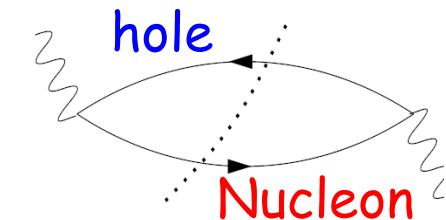
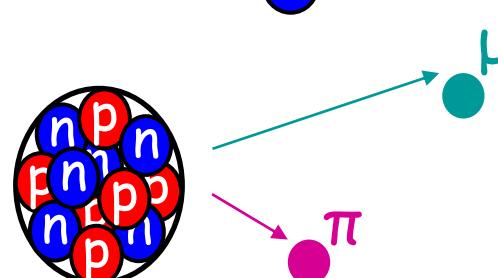
Two Nucleons knock-out (2p-2h)



Incoherent π production



Coherent π production



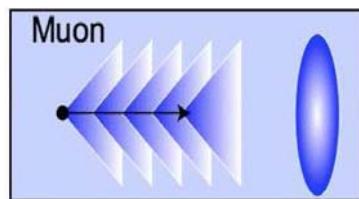
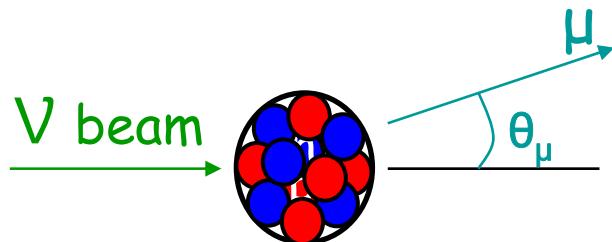
V_μ Disappearance - 2-3 sector - QE channel

énergie atomique • énergies alternatives

The measurement of θ_{23} and Δm^2_{23} is based on comparing the initial energy spectrum of V_μ measured at a near detector to the final spectrum measured at a far detector

The ability to reconstruct neutrino energy, which is not known for broad fluxes, is crucial

E_ν from $(V_\mu \text{ n} \rightarrow \mu^- \text{ p}) \text{ CCQE}$



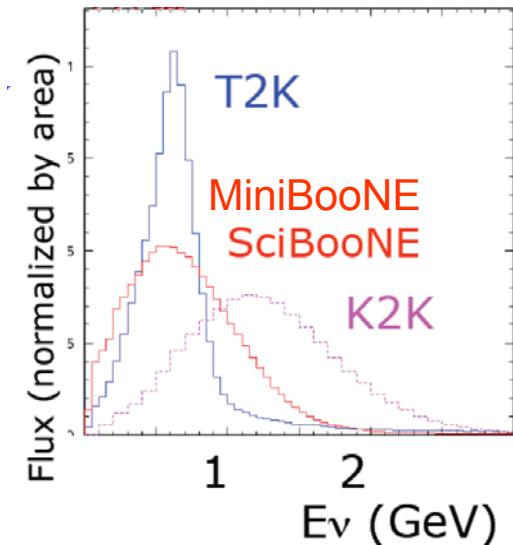
Cherenkov:
 μ, π detected
 n, p not detected

E_μ and θ_μ measured

E_ν reconstructed with two-body kinematics

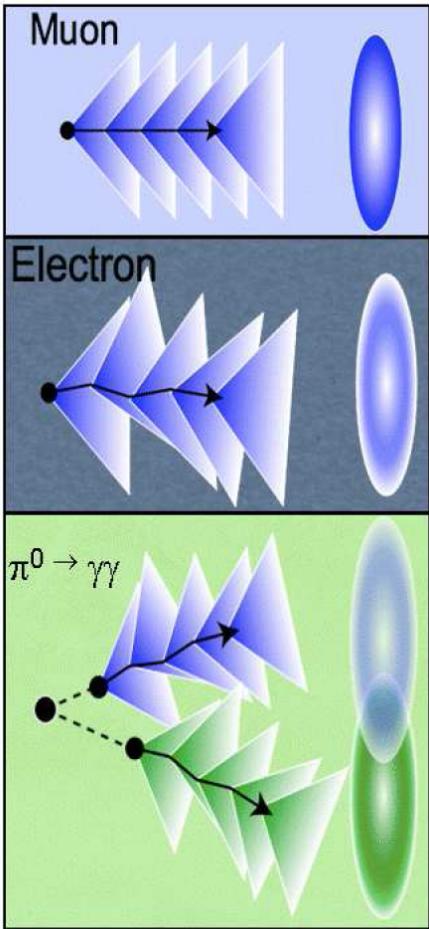
but:

- This is exact only for free neutrons
- Detectors are composed of nuclei
- E_ν is smeared due to momentum distribution of n
- Events not CCQE but look identical to them:
 - Two nucleons knock-out
 - $CC1\pi$ production if π is not detected



V_e Appearance - 1-3 sector - NC π^0 production

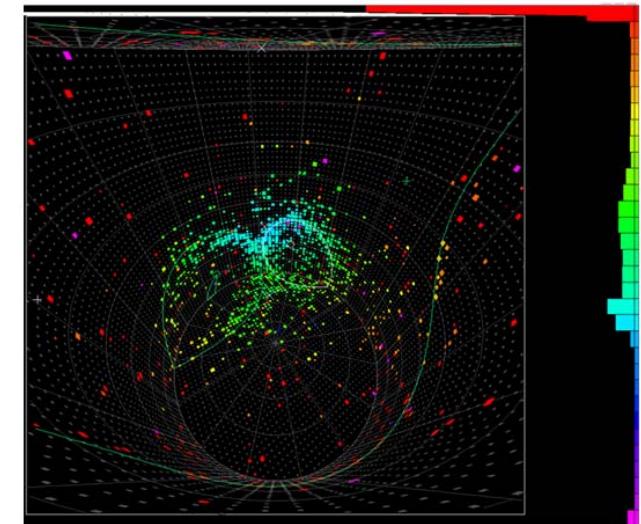
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High sensitivity searches for $V_\mu \rightarrow V_e$ appearance associated with Θ_{13} and CP violation

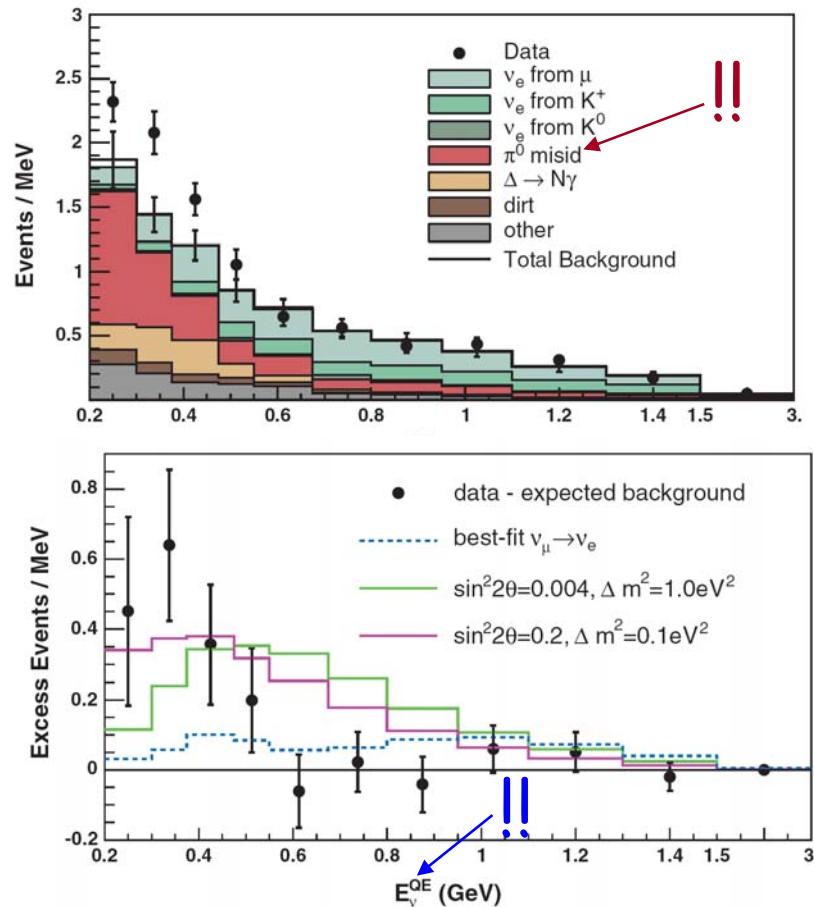
NC π^0 most important background

NC π^0 events can mimic CCQE V_e signal events when 1 of the 2 γ associated with $\pi^0 \rightarrow \gamma\gamma$ decay is not detected



24/02/2010 First T2K event seen is Super-Kamiokande

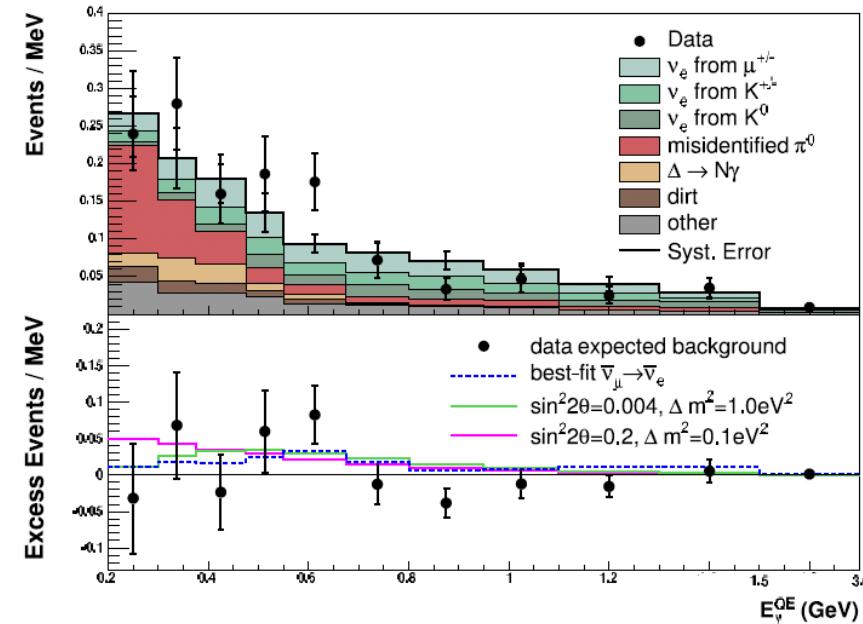
ν_e Appearance



MiniBooNE, PRL 102, 101802 (2009)

« MiniBooNE observes an unexplained **excess of electronlike events** in the energy region $200 < E_{\nu}^{\text{QE}} < 475$ MeV. These events are **consistent with being either electron events** produced by CC scattering **or photon events** produced by NC scattering. »

$\bar{\nu}_e$ Appearance



MiniBooNE, PRL 103, 111801 (2009)

« MiniBooNE observes no significant excess of $\bar{\nu}_e$ events in the low energy region $200 < E_{\nu}^{\text{QE}} < 475$ MeV. The **absence of an excess** at low energy in antineutrino mode should help distinguish between several hypotheses suggested as explanation for the low energy excess observed in neutrino mode. »

Our model: Nuclear response functions

Neutrino-nucleus cross-section

lepton

$$\mathcal{L}_W = \frac{G_F}{\sqrt{2}} \cos(\theta_C) l_\mu h^\mu$$

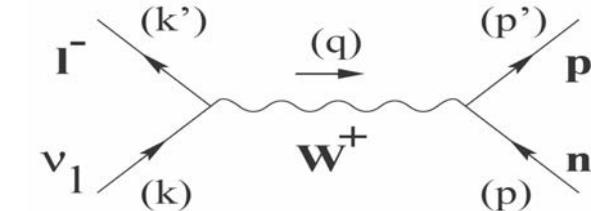
$$\langle k', s' | l_\mu | k, s \rangle = e^{-iqx} \bar{u}(k', s') [\gamma_\mu (1 - \gamma_5)] u(k, s)$$

hadron

$$\begin{aligned} \langle p', s' | h^\mu | p, s \rangle &= e^{iqx} \bar{u}(p', s') [F_1(t) \gamma^\mu + F_2(t) \sigma^{\mu\nu} \frac{i q_\nu}{2M_N} \\ &\quad + G_A(t) \gamma^\mu \gamma_5 + G_P(t) \gamma_5 \frac{q^\mu}{2M_N}] u(p, s) \end{aligned}$$

$$t = q^2 = \omega^2 - \mathbf{q}^2$$

$$G_A(t) = g_A [1 - \frac{t}{M_A^2}]^{-2}$$



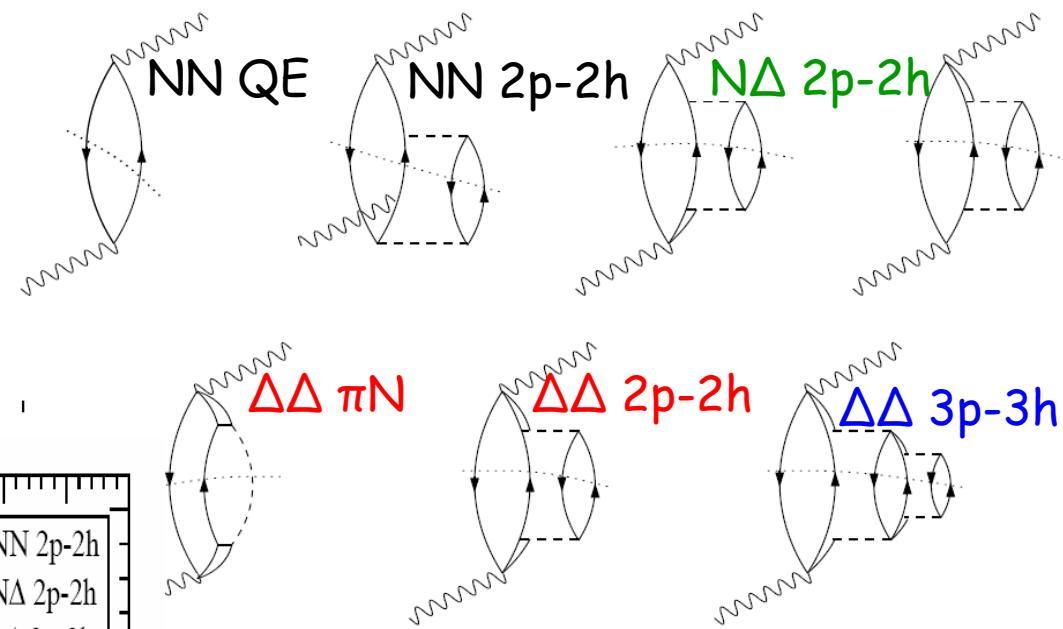
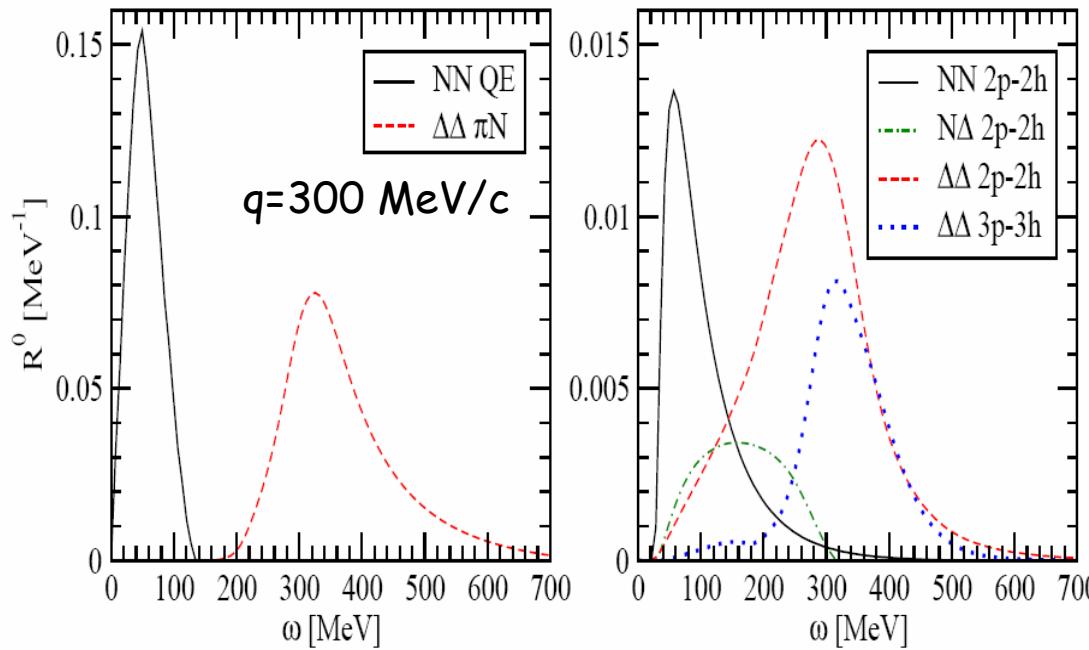
After non-relativistic reduction:

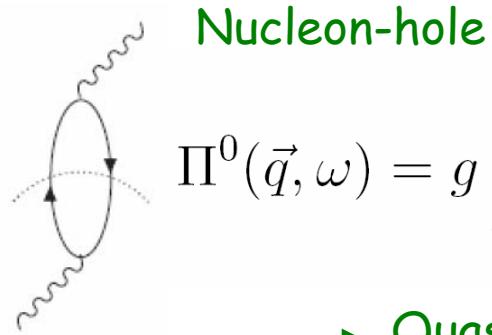
$$\begin{aligned} \frac{\partial^2 \sigma}{\partial \Omega \partial k'} &= \frac{G_F^2 \cos^2 \theta_c (\mathbf{k}')^2}{2\pi^2} \cos^2 \frac{\theta}{2} \left[G_E^2 \left(\frac{q_\mu^2}{\mathbf{q}^2} \right)^2 R_{\tau}^{NN} \right. && \text{charge nuclear response} \\ &+ G_A^2 \frac{(M_\Delta - M_N)^2}{2\mathbf{q}^2} R_{\sigma\tau(L)}^{N\Delta} + G_A^2 \frac{(M_\Delta - M_N)^2}{\mathbf{q}^2} R_{\sigma\tau(L)}^{\Delta\Delta} && \text{isospin spin-longitudinal} \\ &+ \left(G_M^2 \frac{\omega^2}{\mathbf{q}^2} + G_A^2 \right) \left(-\frac{q_\mu^2}{\mathbf{q}^2} + 2 \tan^2 \frac{\theta}{2} \right) (R_{\sigma\tau(T)}^{NN} + 2R_{\sigma\tau(T)}^{N\Delta} + R_{\sigma\tau(T)}^{\Delta\Delta}) && \text{isospin spin-transverse} \\ \left\{ \begin{array}{ll} + & (\nu) \\ - & (\bar{\nu}) \end{array} \right. & \pm 2 G_A G_M \frac{k + k'}{M_N} \tan^2 \frac{\theta}{2} (R_{\sigma\tau(T)}^{NN} + 2R_{\sigma\tau(T)}^{N\Delta} + R_{\sigma\tau(T)}^{\Delta\Delta}) \Big] && \text{interference V-A} \end{aligned}$$

Bare nuclear responses

Several partial components
(final state channels)

- QE (1 nucleon knock-out)
- Pion production
- Multinucleon emission

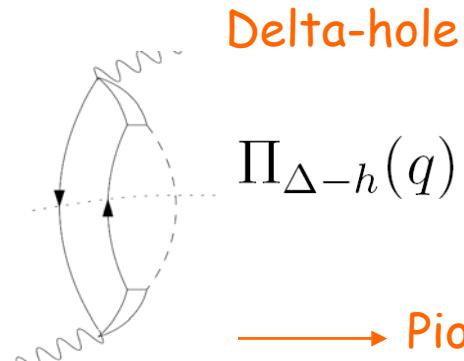




Nucleon-hole

$$\Pi^0(\vec{q}, \omega) = g \int \frac{d\vec{k}}{(2\pi)^3} \left[\frac{\theta(|\vec{k} + \vec{q}| - k_F) \theta(k_F - k)}{\omega - (\omega_{\vec{k}+\vec{q}} - \omega_{\vec{k}}) + i\eta} - \frac{\theta(k_F - |\vec{k} + \vec{q}|) \theta(k - k_F)}{\omega + (\omega_{\vec{k}} - \omega_{\vec{k}+\vec{q}}) - i\eta} \right]$$

→ Quasielastic



Delta-hole

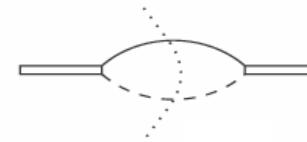
$$\Pi_{\Delta-h}(q) = \frac{32\tilde{M}_\Delta}{9} \int \frac{d^3k}{(2\pi)^3} \theta(k_F - k) \left[\frac{1}{s - \tilde{M}_\Delta^2 + i\tilde{M}_\Delta\Gamma_\Delta} - \frac{1}{u - \tilde{M}_\Delta^2} \right]$$

→ Pion production

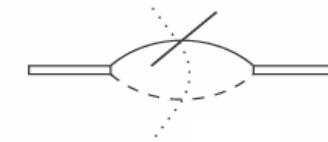
Delta in the medium

Mass

$$\tilde{M}_\Delta = M_\Delta + 40(MeV) \frac{\rho}{\rho_0}$$



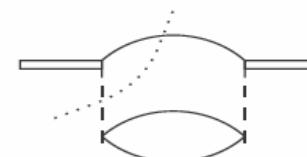
$\Delta \rightarrow \pi N$



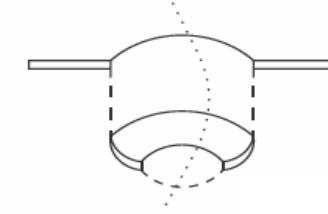
Pauli correction (F_P)

Width

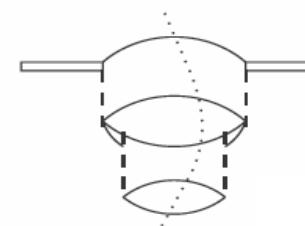
$$\widetilde{\Gamma}_\Delta = \Gamma_\Delta F_P - 2\text{Im}(\Sigma_\Delta)$$



Pion distortion (C_Q)



2p-2h



3p-3h

Self energy

$$\text{Im}(\Sigma_\Delta(\omega)) = - \left[C_Q \left(\frac{\rho}{\rho_0} \right)^\alpha + C_{2p2h} \left(\frac{\rho}{\rho_0} \right)^\beta + C_{3p3h} \left(\frac{\rho}{\rho_0} \right)^\gamma \right]$$

E. Oset and L. L. Salcedo, Nucl. Phys. A 468, 631 (1987)

Other 2p -2h contributions

Not reducible to a modification
of the Delta width

Initial state nucleon correlation

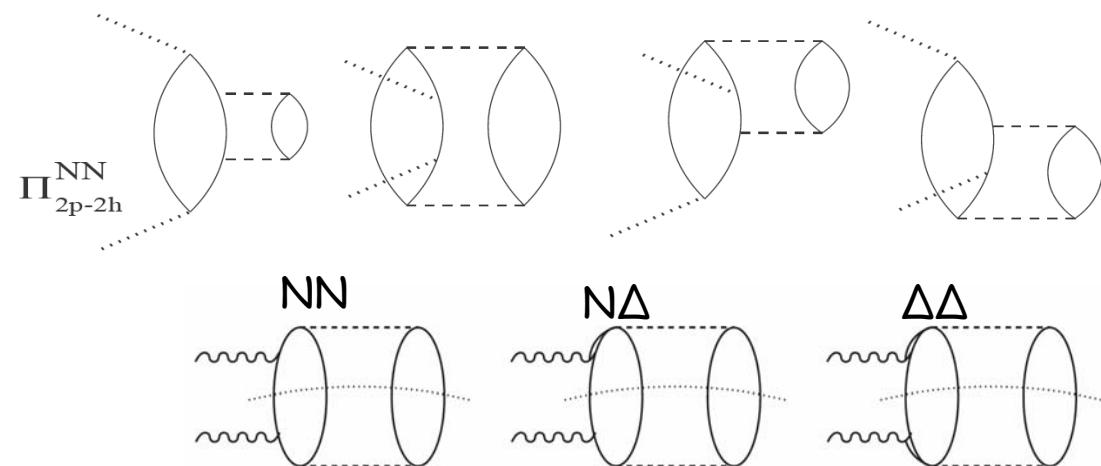
Mostly n-p pairs correlated
by tensor interaction

2p-2h π absorption at threshold

Shimizu Faessler, NPA 333,495 (1980)

extrapolation

Delorme, Guichon, 2 proceedings (1989)



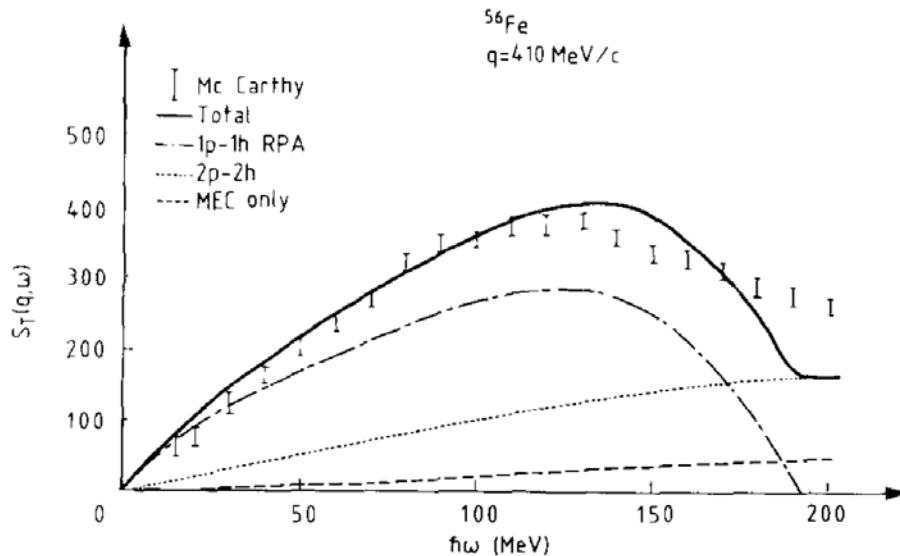
$$Im(\Pi_{NN}^0) = 4\pi\rho^2 \frac{(2M_N + m_\pi)^2}{(2M_N + \omega)^2} C_1 \Phi_1(\omega) \left[\frac{1}{\omega^2} \right]$$

$$Im(\Pi_{N\Delta}^0) = -4\pi\rho^2 \frac{(2M_N + m_\pi)^2}{(2M_N + \omega)^2} C_2 \Phi_2(\omega) \text{Re} \left[\frac{1}{\omega(\omega - \tilde{M}_\Delta + M_N + i\frac{\Gamma_\Delta}{2})} + \frac{1}{\omega(\omega + \tilde{M}_\Delta - M_N)} \right]$$

$$Im(\Pi_{\Delta\Delta}^0) = -4\pi\rho^2 \frac{(2M_N + m_\pi)^2}{(2M_N + \omega)^2} C_3 \Phi_3(\omega) \left[\frac{1}{(\omega + \tilde{M}_\Delta - M_N)^2} \right]$$

2p -2h: an alternative treatment

Microscopic evaluation: Alberico, Ericson, Molinari, Ann. Phys. 154, 356 (1984)



Transverse magnetic response of (e, e') ,
but:

${}^{56}\text{Fe}$, few q and ω , too large $\text{Im } C_0$

- Parametrization of the responses in terms of $x = \frac{q^2 - \omega^2}{2M_N \omega} \rightarrow$ Extrapolation to cover V region
- Absorptive p-wave π -A optical potential $\text{Im}C_0 \simeq 0.18m_\pi^{-6} \rightarrow \text{Im}C_0 \simeq 0.11m_\pi^{-6}$
- Levinger factor ${}^{56}\text{Fe} \rightarrow {}^{12}\text{C}$ \rightarrow Global reduction ≈ 0.5

Semi-classical approximation

$$\Pi^0(\omega, \mathbf{q}, \mathbf{q}') = \int d\mathbf{r} e^{-i(\mathbf{q}-\mathbf{q}') \cdot \mathbf{r}} \Pi^0\left(\omega, \frac{1}{2}(\mathbf{q} + \mathbf{q}'), \mathbf{r}\right)$$

Local density approximation $k_F(r) = (3/2 \pi^2 \rho(r))^{1/3}$

$$\Pi^0\left(\omega, \frac{\mathbf{q} + \mathbf{q}'}{2}, \mathbf{r}\right) = \Pi_{k_F(r)}^0\left(\omega, \frac{\mathbf{q} + \mathbf{q}'}{2}\right)$$

e.g. Lindhard funct. for QE

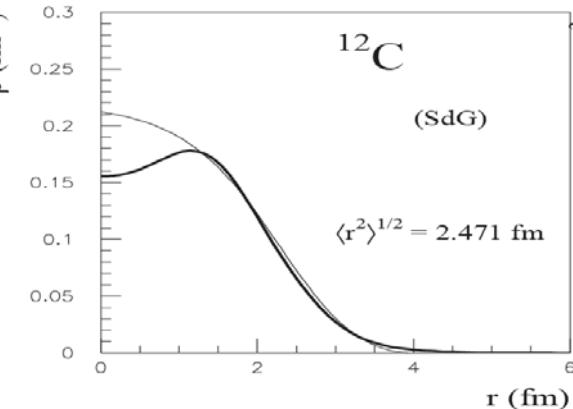
$$\Pi_{k_F(R)}^{0(L)}(\omega, q, q') = 2\pi \int du P_L(u) \Pi_{k_F(R)}^0\left(\omega, \frac{\mathbf{q} + \mathbf{q}'}{2}\right)$$

$$\begin{aligned} \Pi^{0(L)}(\omega, q, q') &= 4\pi \sum_{l_1, l_2} (2l_1 + 1)(2l_2 + 1) \begin{pmatrix} l_1 & l_2 & L \\ 0 & 0 & 0 \end{pmatrix}^2 \\ &\times \int dR R^2 j_{l_1}(qR) j_{l_2}(q'R) \Pi_{k_F(R)}^{0(l_2)}(\omega, q, q') \end{aligned}$$

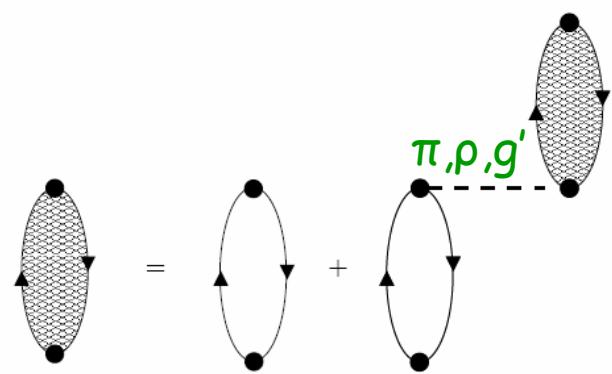
$$R_{(k)xy}^{0PP'}(\omega, q) = -\frac{\mathcal{V}}{\pi} \sum_J \frac{2J+1}{4\pi} \text{Im}[\Pi_{(k)xy_{PP'}}^{0(J)}(\omega, q, q)]$$

QE, 2p-2h, ... N, Δ

Longit., Transv., Charge



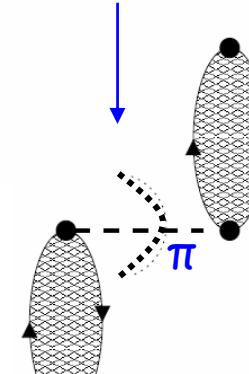
Switching on the interaction



RPA

$$\Pi = \Pi^0 + \Pi^0 V \Pi$$

$$\text{Im}\Pi = |\Pi|^2 \text{ Im}V + |1 + \Pi V|^2 \text{ Im}\Pi^0$$

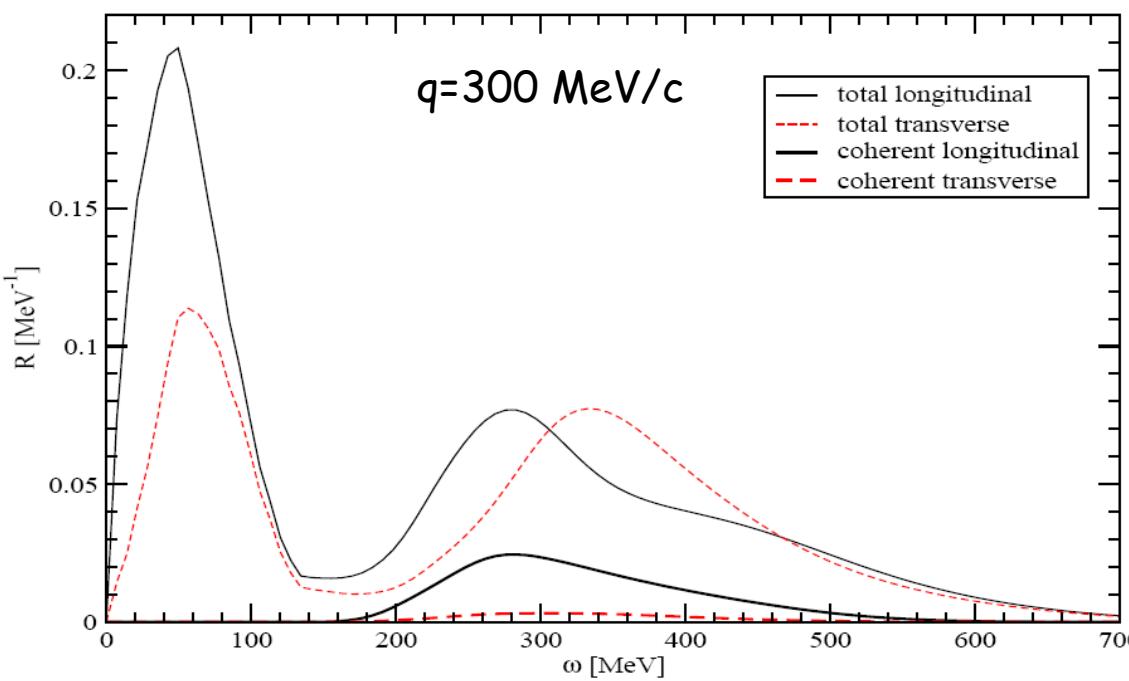


$$\Pi^0 = \sum_{k=1}^{N_k} \Pi_{(k)}^0$$

exclusive channels:
QE, 2p-2h, $\Delta \rightarrow \pi N$...

coherent π
production

Several partial components
treated in self-consistent,
coupled and coherent way



Details: p-h effective interaction

$$V_{NN} = (f' + V_\pi + V_\rho + V_{g'}) \boldsymbol{\tau}_1 \cdot \boldsymbol{\tau}_2$$

$$V_{N\Delta} = (V_\pi + V_\rho + V_{g'}) \boldsymbol{\tau}_1 \cdot \mathbf{T}_2^\dagger$$

$$V_{\Delta N} = (V_\pi + V_\rho + V_{g'}) \mathbf{T}_1 \cdot \boldsymbol{\tau}_2$$

$$V_{\Delta\Delta} = (V_\pi + V_\rho + V_{g'}) \mathbf{T}_1 \cdot \mathbf{T}_2^\dagger.$$

$$f' = 0.6 \quad g'_{NN} = 0.7 \quad g'_{N\Delta} = g'_{\Delta\Delta} = 0.5$$

$$G_M^*/G_M = G_A^*/G_A = f^*/f = 2.2$$

$$V_\pi = \left(\frac{g_r}{2M_N} \right)^2 F_\pi^2 \frac{\mathbf{q}^2}{\omega^2 - \mathbf{q}^2 - m_\pi^2} \boldsymbol{\sigma}_1 \cdot \hat{\mathbf{q}} \boldsymbol{\sigma}_2 \cdot \hat{\mathbf{q}}$$

$$V_\rho = \left(\frac{g_r}{2M_N} \right)^2 C_\rho F_\rho^2 \frac{\mathbf{q}^2}{\omega^2 - \mathbf{q}^2 - m_\rho^2} \boldsymbol{\sigma}_1 \times \hat{\mathbf{q}} \boldsymbol{\sigma}_2 \times \hat{\mathbf{q}}$$

$$V_{g'} = \left(\frac{g_r}{2M_N} \right)^2 F_\pi^2 g' \boldsymbol{\sigma}_1 \cdot \boldsymbol{\sigma}_2$$

$$C_\rho = 1.5 \quad F_\pi(q) = (\Lambda_\pi^2 - m_\pi^2) / (\Lambda_\pi^2 - q^2)$$

$$\Lambda_\pi = 1 \text{ GeV} \quad \Lambda_\rho = 1.5 \text{ GeV}$$

RPA

$$\Pi = \Pi^0 + \Pi^0 V \Pi$$

$$(1 + \Pi V)^* \Pi = (1 + \Pi V)^* \Pi^0 + (1 + \Pi V)^* \Pi^0 V \Pi$$

$$\Pi + \Pi^* V^* \Pi = (1 + \Pi V)^* \Pi^0 (1 + V \Pi)$$

$$\text{Im}(\Pi) = |\Pi|^2 \text{Im}(V) + |1 + V \Pi|^2 \text{Im}(\Pi^0)$$

coherent

exclusive channels:
QE, 2p-2h, $\Delta \rightarrow \pi N$...

Details: RPA resolution

$$\begin{aligned}
 \Pi_{\mu\nu_{PP'}}(\omega, \mathbf{q}, \mathbf{q}') &= \Pi_{\mu\nu_{PP'}}^0(\omega; \mathbf{q}, \mathbf{q}') \\
 &+ \sum_{QQ'=N\Delta} \int \frac{d^3k}{(2\pi)^3} \Pi_{\mu l_{PQ}}^0(\omega, \mathbf{q}, \mathbf{k}) W_l^{QQ'}(k) \Pi_{l\nu_{Q'P'}}(\omega, \mathbf{k}, \mathbf{q}') \\
 &+ \sum_{QQ'=N\Delta} \sum_{i=\pm 1} \int \frac{d^3k}{(2\pi)^3} \Pi_{\mu t_i P Q}^0(\omega, \mathbf{q}, \mathbf{k}) W_t^{QQ'}(k) \Pi_{t_i \nu_{Q'P'}}(\omega, \mathbf{k}, \mathbf{q}')
 \end{aligned}$$

$$U(i) = -\frac{k(i)^2}{(2\pi)^3} w_k(i) V(k(i))$$

$$\Pi^0(i, j) = \sum_k (\delta_{ik} + \Pi^0(i, k) U(k)) \Pi(k, j) \equiv \sum_k \mathcal{K}(i, k) \Pi(k, j)$$

$$\left(\begin{array}{cc|cc} \Pi^{0ll_{NN}} & \Pi^0_{lt_{NN}} & \Pi^0_{ll_{N\Delta}} & \Pi^0_{lt_{N\Delta}} \\ \Pi^0_{tl_{NN}} & \Pi^0_{tt_{NN}} & \Pi^0_{tl_{N\Delta}} & \Pi^0_{tt_{N\Delta}} \\ \hline \Pi^0_{ll_{\Delta N}} & \Pi^0_{lt_{\Delta N}} & \Pi^0_{ll_{\Delta\Delta}} & \Pi^0_{lt_{\Delta\Delta}} \\ \Pi^0_{tl_{\Delta N}} & \Pi^0_{tt_{\Delta N}} & \Pi^0_{tl_{\Delta\Delta}} & \Pi^0_{tt_{\Delta\Delta}} \end{array} \right) = \mathcal{K} \times \left(\begin{array}{cc|cc} \Pi_{ll_{NN}} & \Pi_{lt_{NN}} & \Pi_{ll_{N\Delta}} & \Pi_{lt_{N\Delta}} \\ \Pi_{tl_{NN}} & \Pi_{tt_{NN}} & \Pi_{tl_{N\Delta}} & \Pi_{tt_{N\Delta}} \\ \hline \Pi_{ll_{\Delta N}} & \Pi_{lt_{\Delta N}} & \Pi_{ll_{\Delta\Delta}} & \Pi_{lt_{\Delta\Delta}} \\ \Pi_{tl_{\Delta N}} & \Pi_{tt_{\Delta N}} & \Pi_{tl_{\Delta\Delta}} & \Pi_{tt_{\Delta\Delta}} \end{array} \right)$$

Neutrino-nucleus cross-sections

V-Nucleus Quasielastic scattering

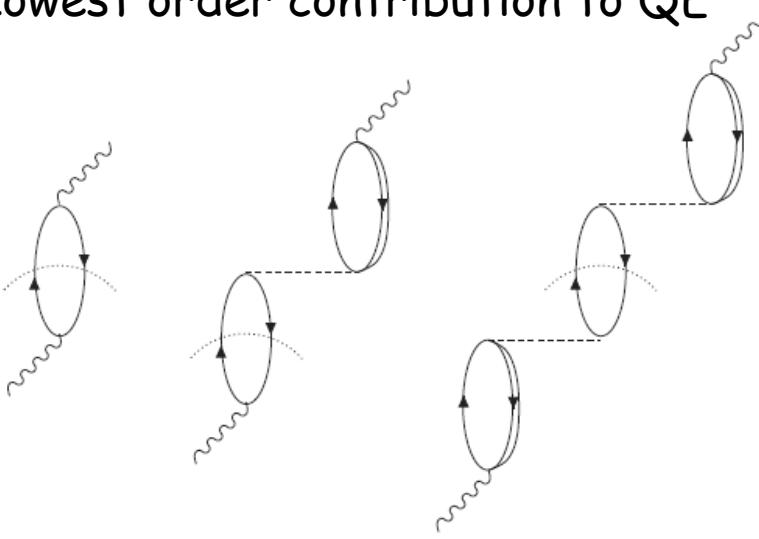
QE totally dominated by isospin spin-transverse response $R_{\sigma\tau}(T)$

RPA reduction

- expected from the repulsive character of p-h interaction in T channel
- mostly due to interference term $R^{N\Delta} < 0$
(Lorentz-Lorenz or Ericson-Ericson effect)

Test: electron-nucleus scattering

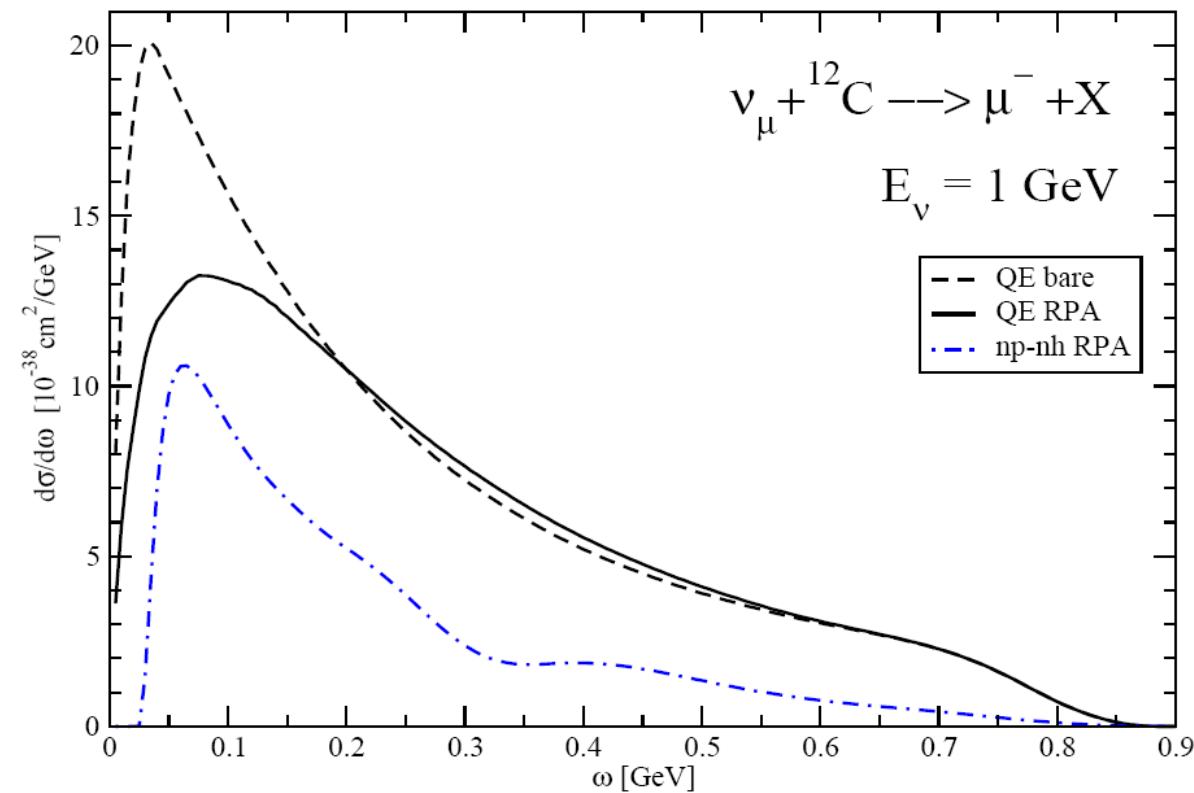
Lowest order contribution to QE



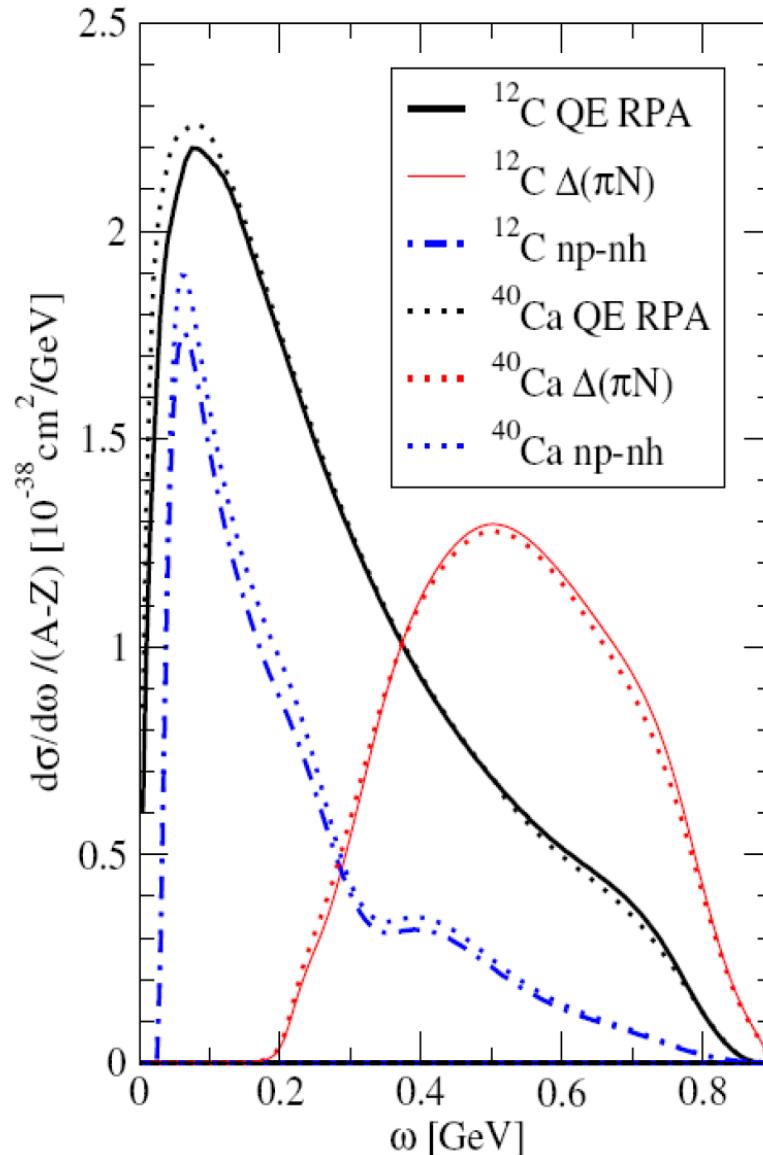
R_{NN}
QE

$R_{N\Delta}$
QE

$R_{\Delta\Delta}$
QE



π production and np-nh ; nuclear mass dependence



Scaling
with A

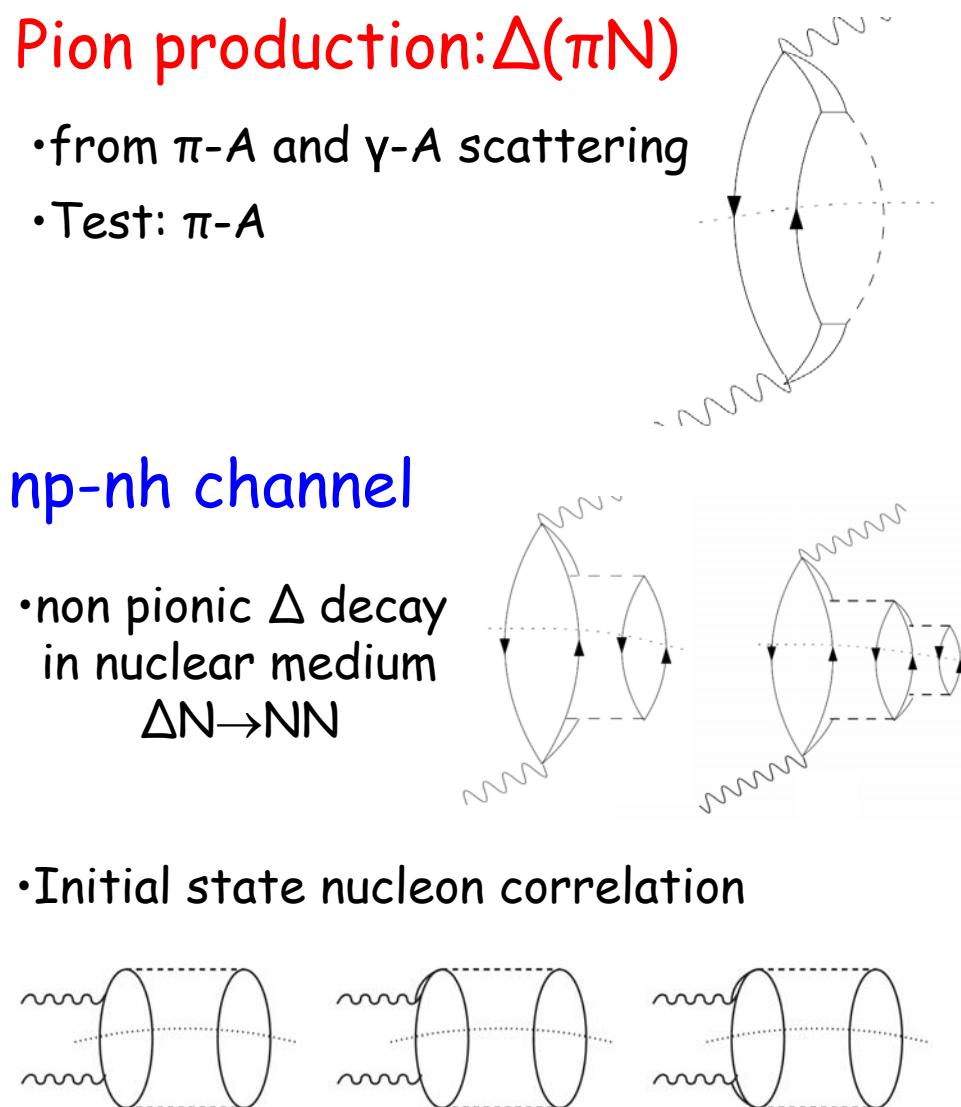
Pion production: $\Delta(\pi N)$

- from π - A and γ - A scattering
- Test: π - A

np-nh channel

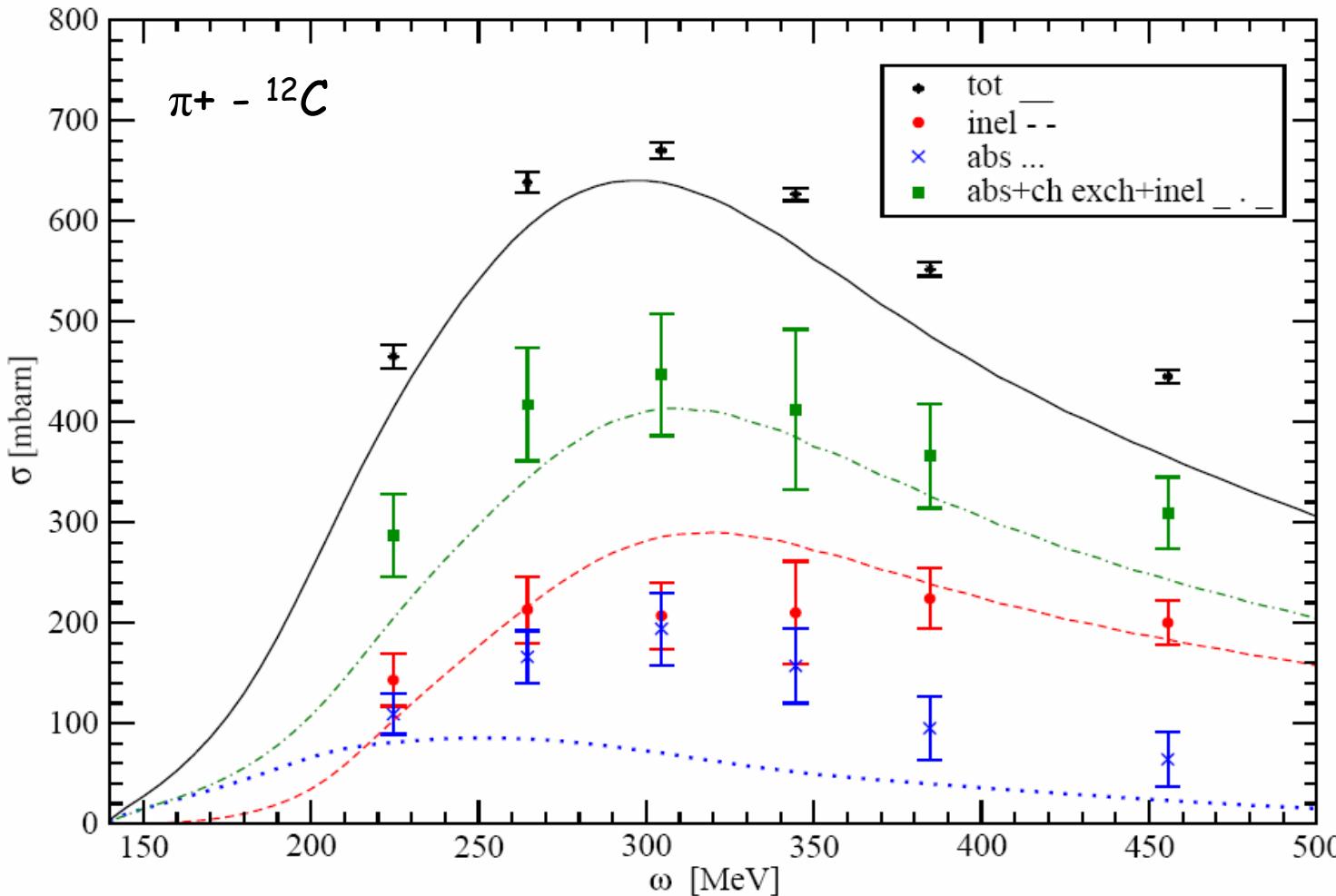
- non pionic Δ decay in nuclear medium
 $\Delta N \rightarrow NN$

- Initial state nucleon correlation



Pion-nucleus cross section

$$\sigma^{tot}(\omega) = \left(\frac{g_r}{2M_N} \right)^2 \pi q_\pi R_L(\omega, q_\pi)$$

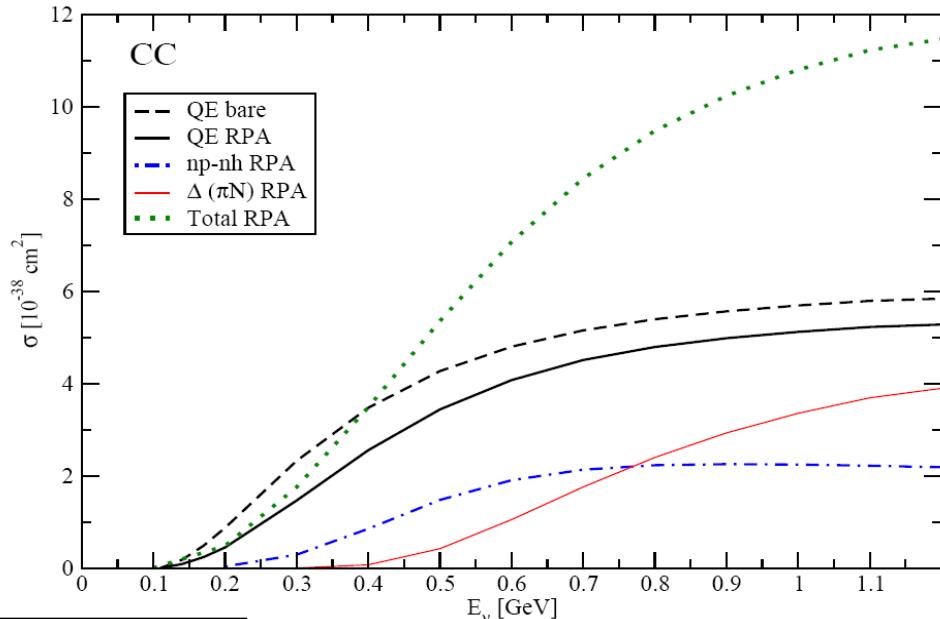
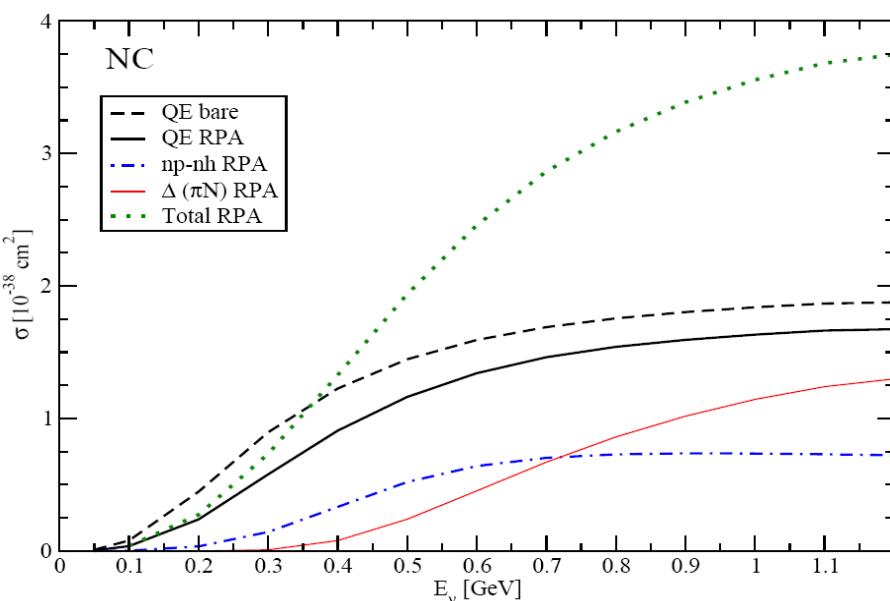


Overestimation of
inelastic ch. in the
peak region

Underestimation of
absorption

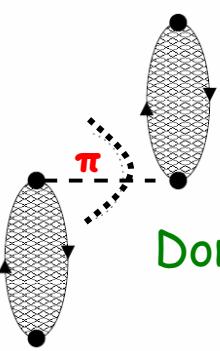
Absence of π FSI

$\bar{\nu}_\mu - {}^{12}\text{C}$ Cross sections



as a function of
 $\bar{\nu}$ energy

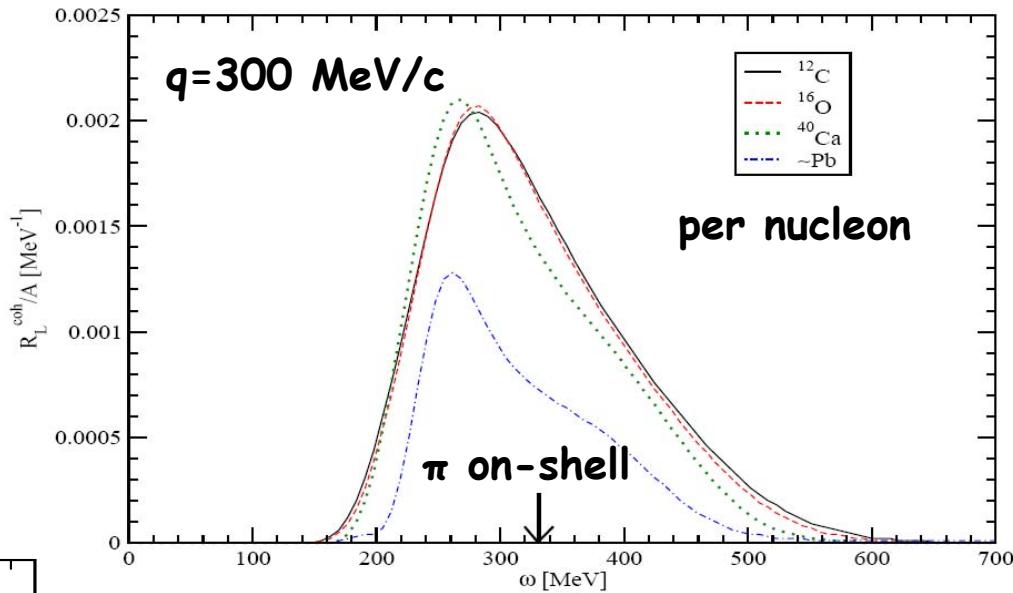
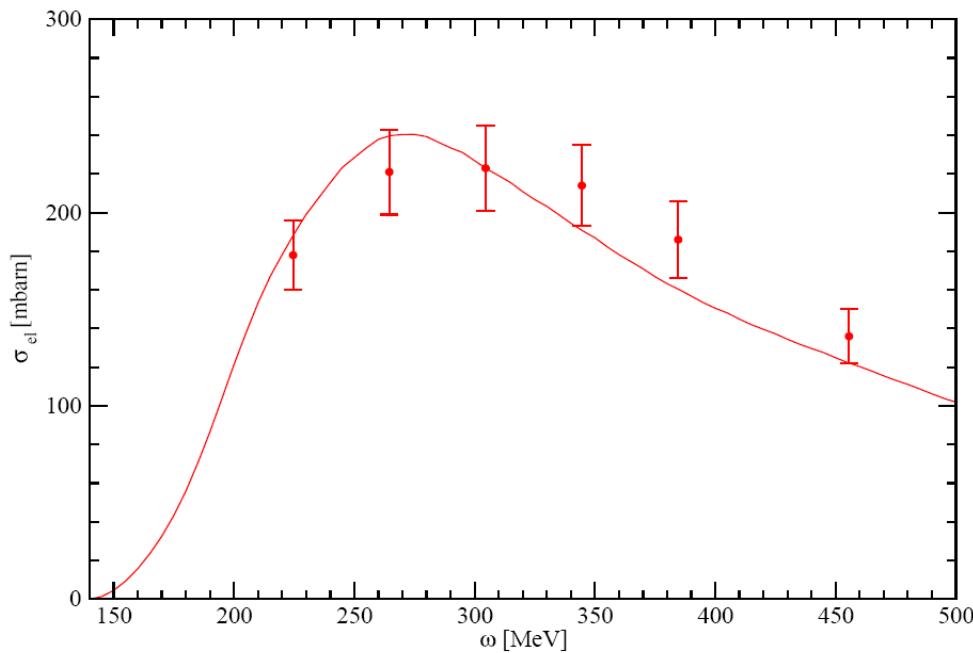
Coherent channel



Dominated by $R_{\sigma\tau}$ longitudinal

Reshaped by collective effects

Softening of the responses



Test: $\pi - {}^{12}C$ elastic cross-section

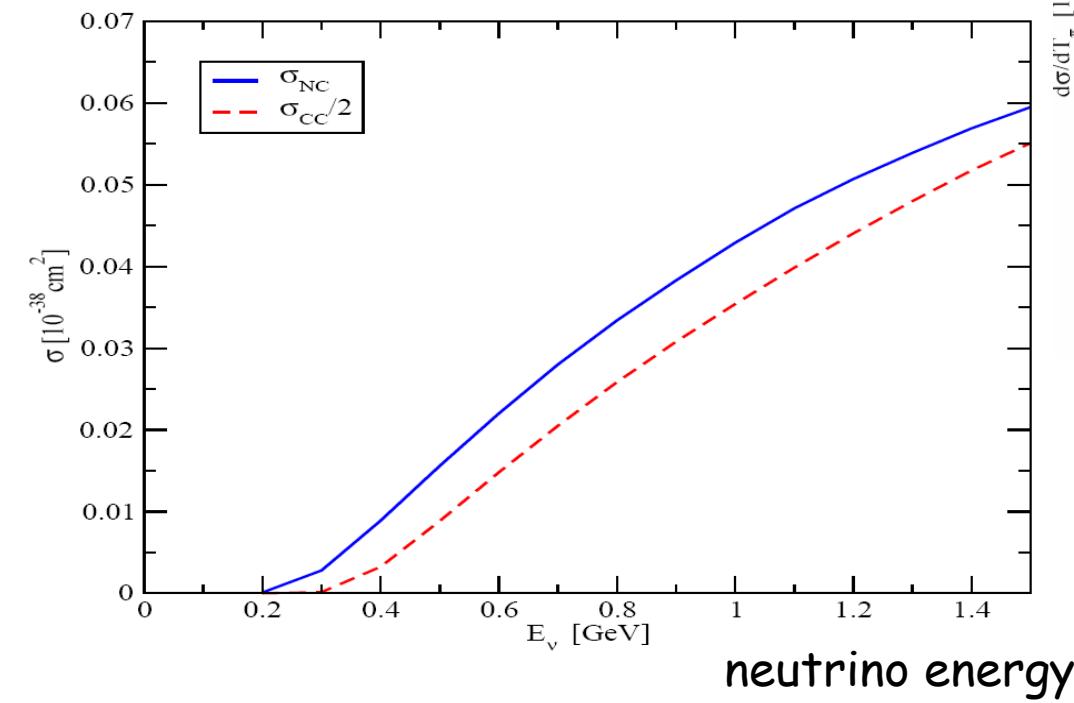
$$\sigma^{elas}(\omega) = \left(\frac{g_r}{2M_N} \right)^2 \pi q_\pi R_L^{coh}(\omega, q_\pi)$$

$$q_\pi^2 = \omega^2 - m_\pi^2$$

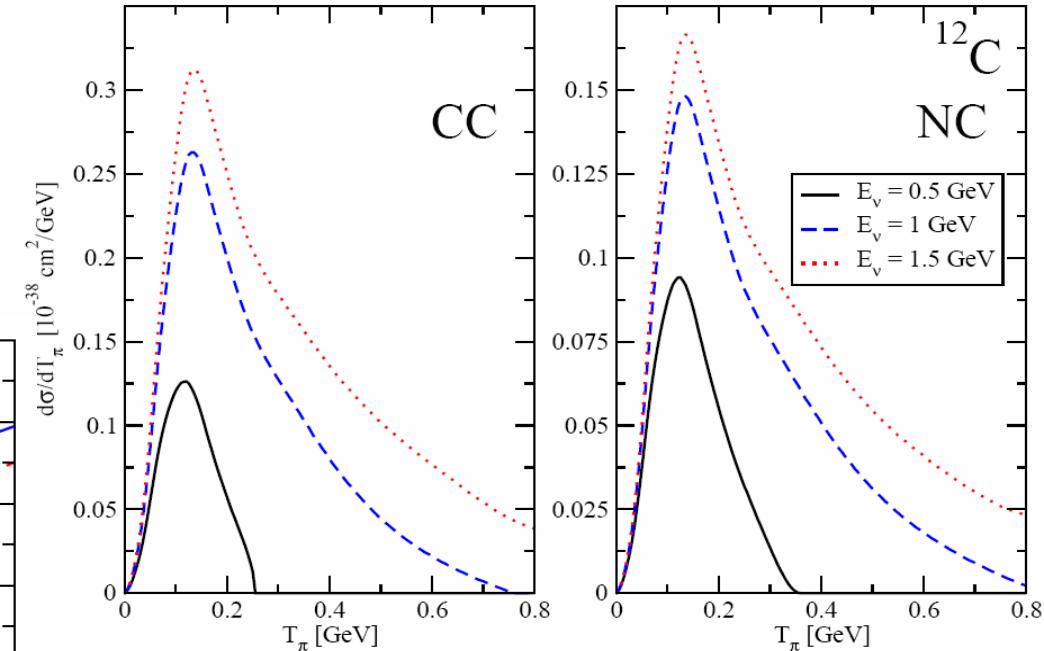
V_{μ} induced coherent pion production off ^{12}C

Differential cross section

Total cross section



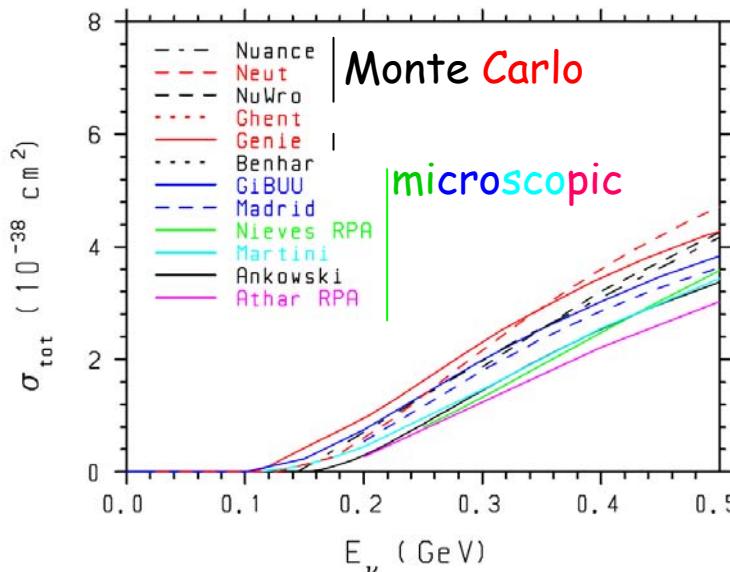
pion kinetic energy



Comparison of Models of Neutrino-Nucleus Interactions

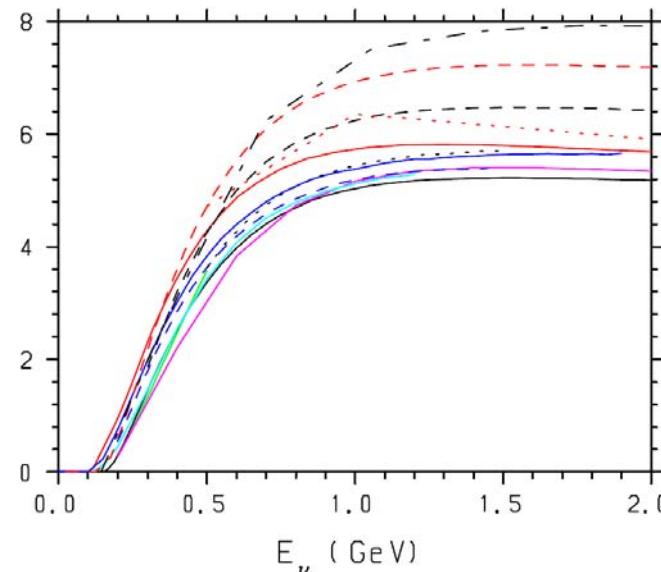
S. Boyd*, S. Dytman[†], E. Hernández**, J. Sobczyk[‡] and R. Tacik[§]

QE tot

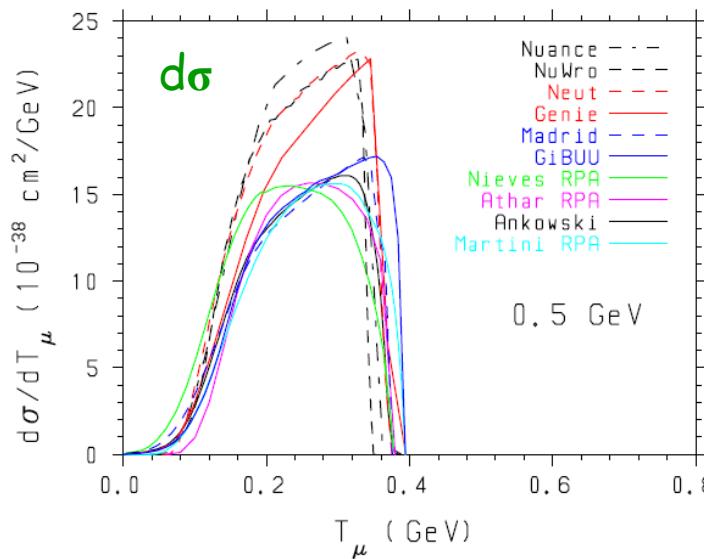


Monte Carlo

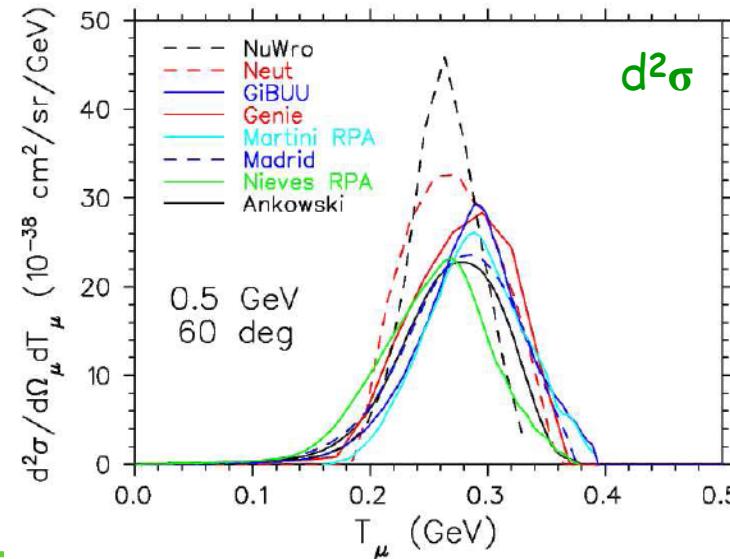
microscopic



QE diff

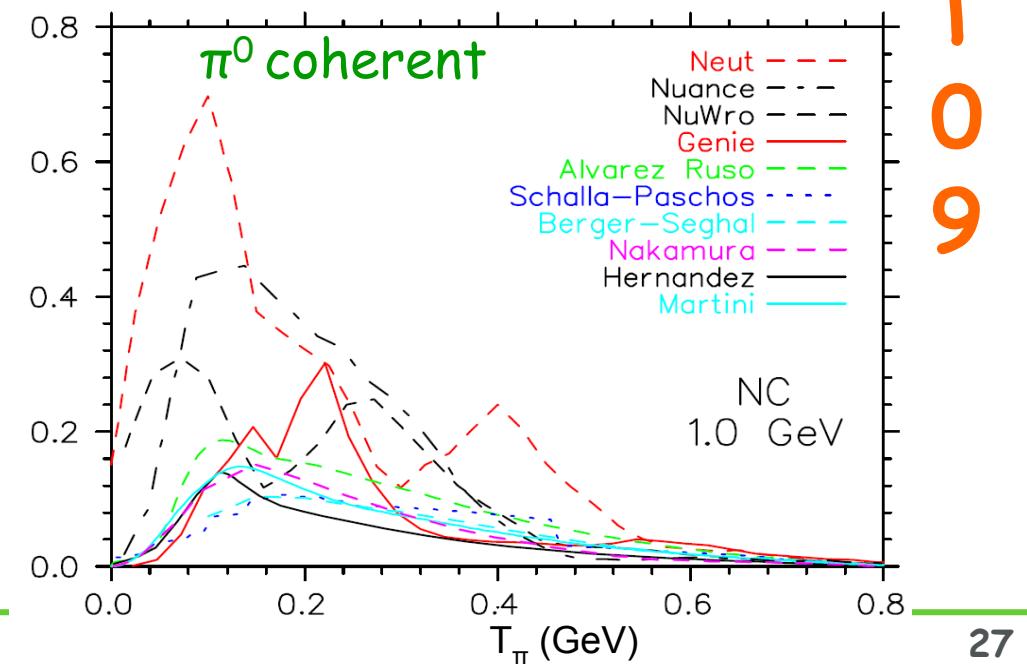
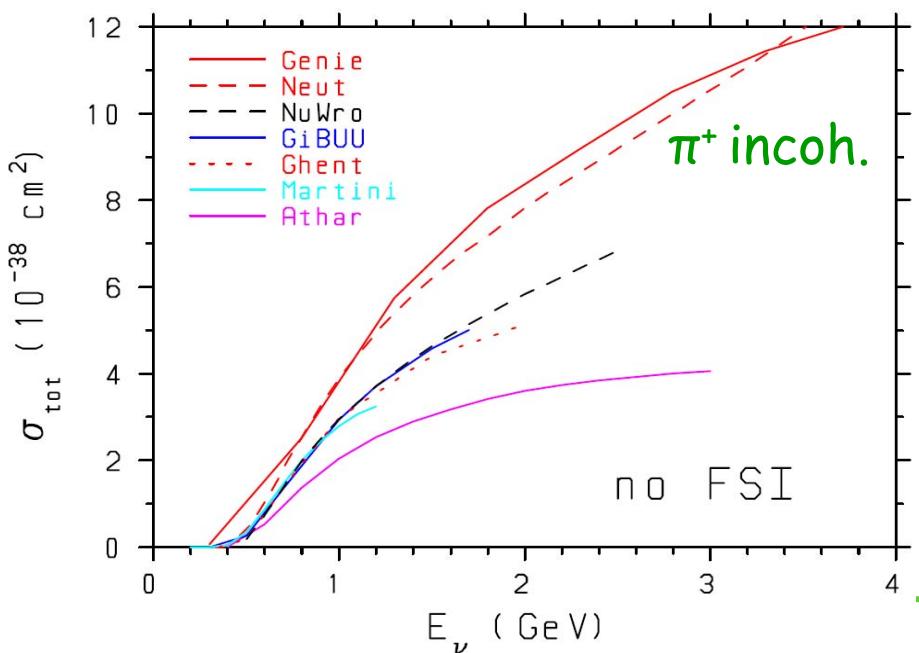
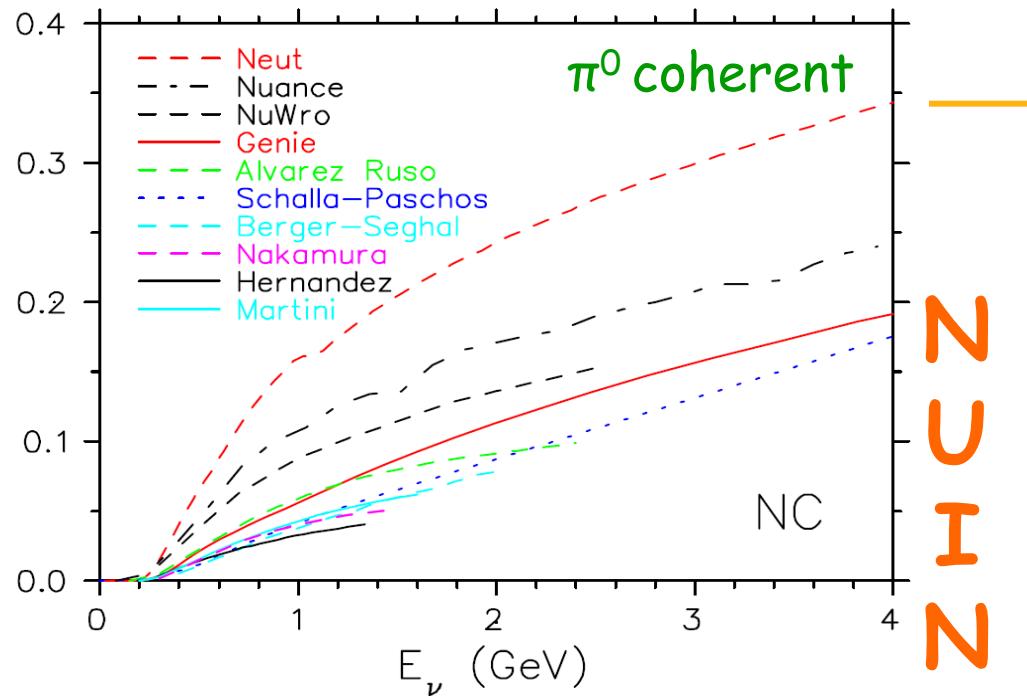
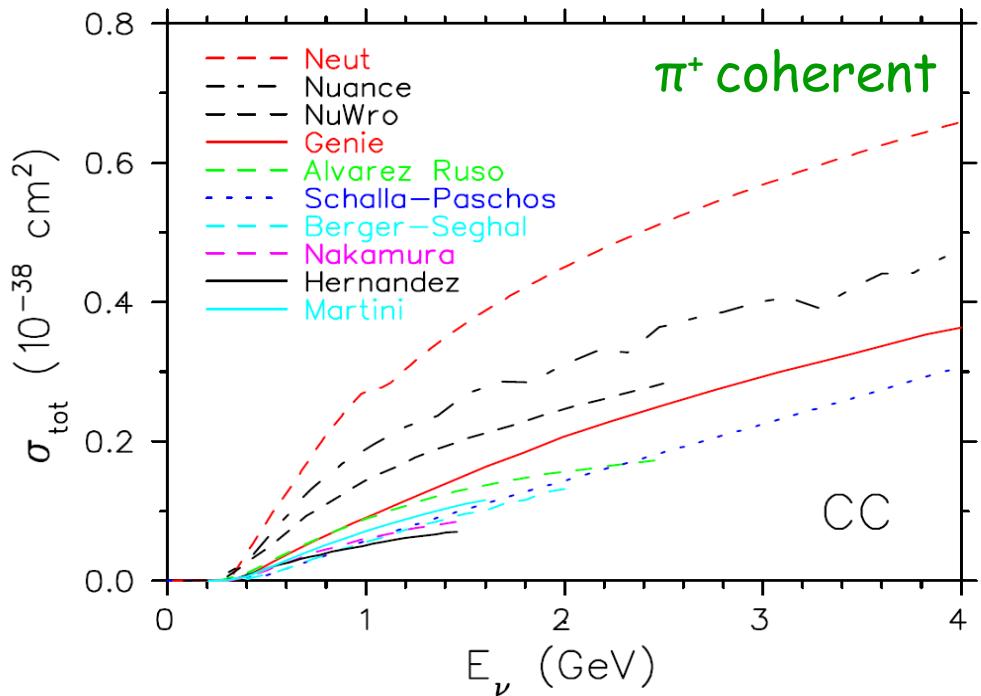


$d\sigma$



$d^2\sigma$

N Z H C N T O 9



Z H C T O 9

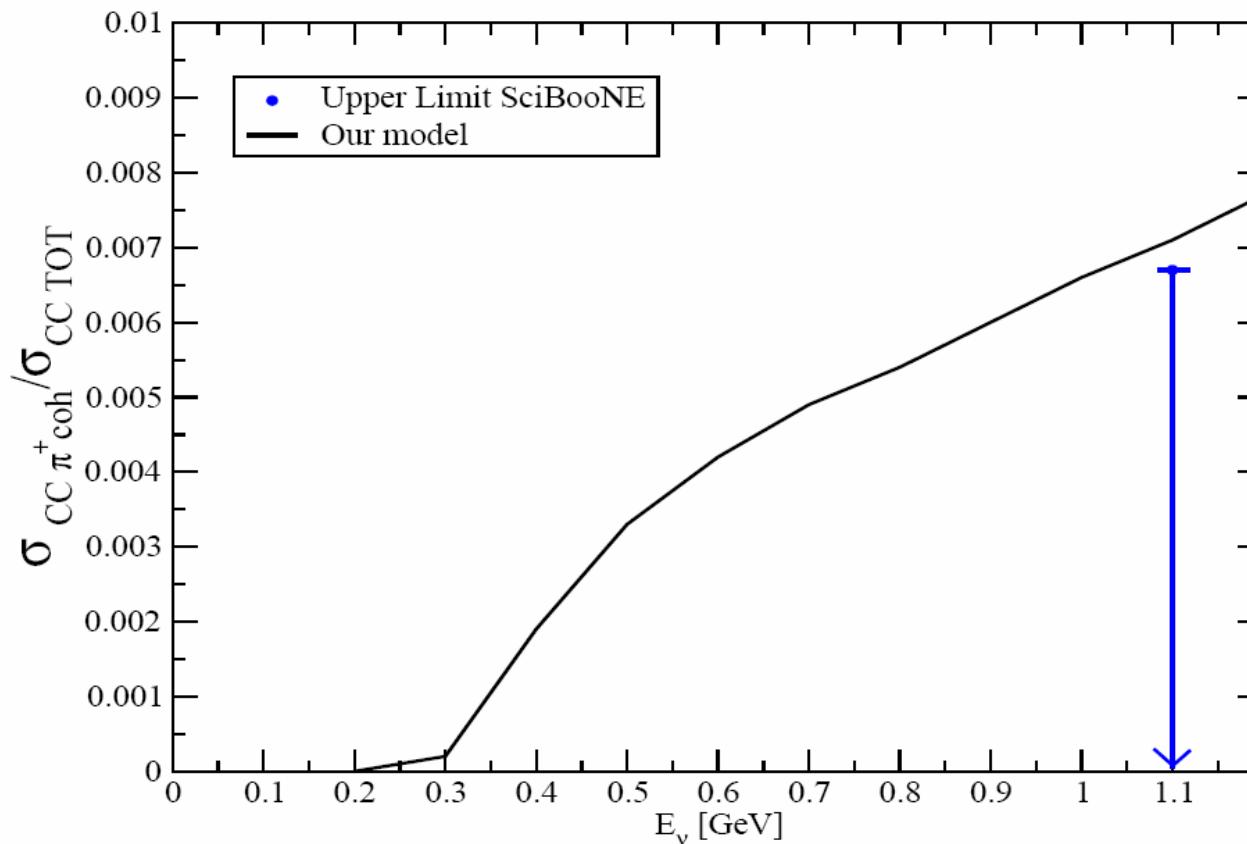
Comparison with data

- Ratios of cross sections
- Absolute cross sections
(last months)

Charged current coherent π^+ production

Upper limits

$$\frac{\sigma_{CC\pi^+ \text{coherent}}}{\sigma_{CC \text{ total}}} \quad \begin{array}{l} \text{K2K: } 0.60 \cdot 10^{-2} \text{ averaged over V flux } \langle E_\nu \rangle = 1.3 \text{ GeV PRL 95 252301} \\ \text{SciBooNE: } 0.67 \cdot 10^{-2} @ E_\nu = 1.1 \text{ GeV} \\ \qquad \qquad \qquad 1.36 \cdot 10^{-2} @ E_\nu = 2.2 \text{ GeV} \end{array} \quad (2005) \quad \text{PRD 78 112004 (2008)}$$

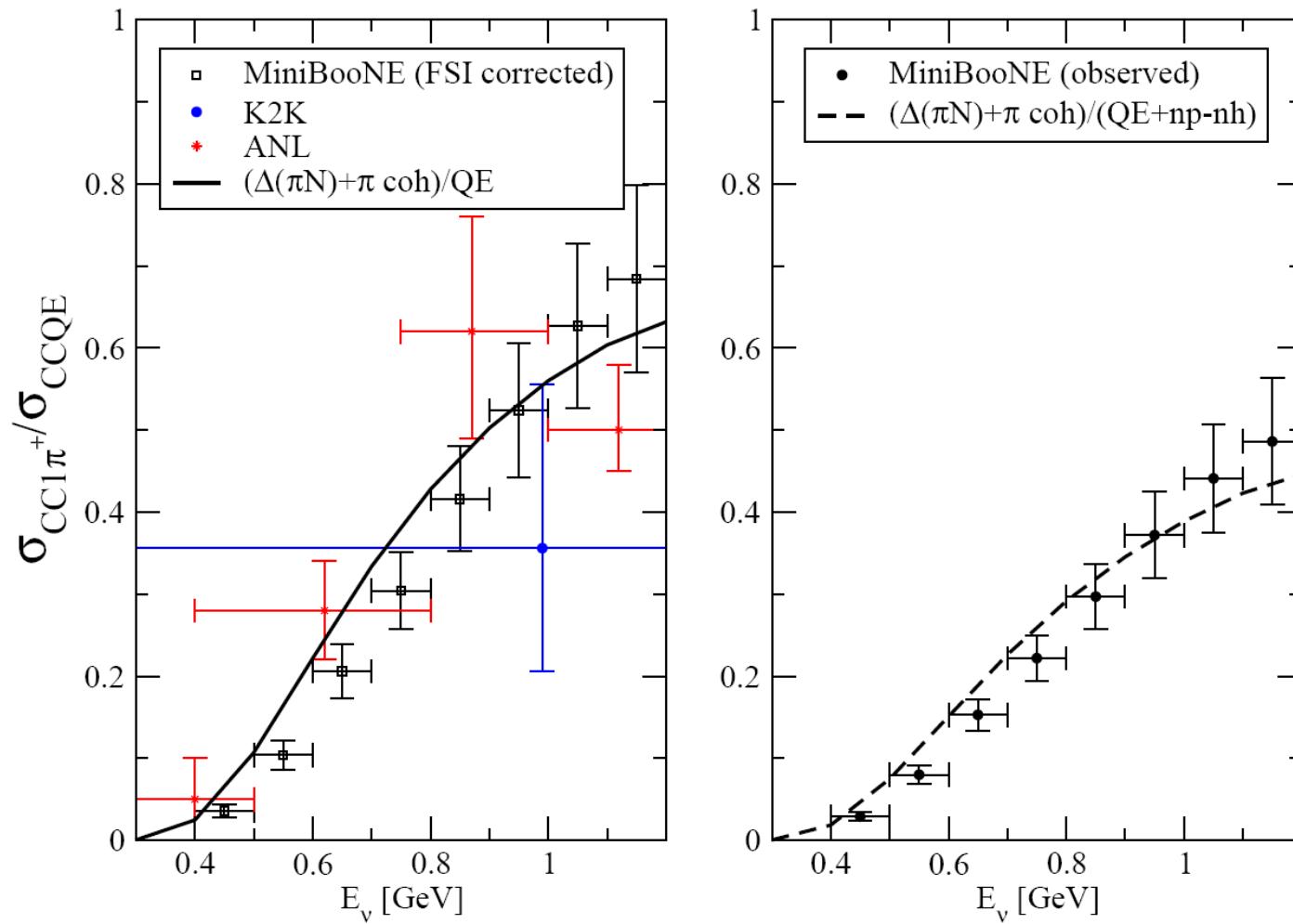


Our model @
 $E_\nu = 1.1 \text{ GeV}$
 $0.71 \cdot 10^{-2}$
 Just compatible

Without np-nh
 in $\sigma_{CC \text{ total}}$
 $0.89 \cdot 10^{-2}$
 Appreciably
 above u.l.

Charged current total $1\pi^+$ production over QE ratio

MiniBooNE, Phys. Rev. Lett. 103, 081801 (2009)



In our model π FSI are not included;
a reduction of $\sim 15\%$ is expected

NC π^0 production over CC total cross-section

Total π^0

$$\frac{\sigma(NC \pi_0)}{\sigma(CC_{TOT})} = (7.7 \pm 0.5(\text{stat.}) \pm 0.5(\text{sys.})) \cdot 10^{-2}$$

Phys. Rev. D 81, 033004 (2010)

SciBooNE @ $E_V = 1.1 \text{ GeV}$

Our model

$$\frac{\sigma(NC \pi_0)}{\sigma(CC_{TOT})} = 7.9 \cdot 10^{-2}$$

Suppressing np-nh in σCC_{TOT}

$$\frac{\sigma(NC \pi_0)}{(\sigma(CC_{TOT}) - \sigma(CC_{np-nh}))} = 9.8 \cdot 10^{-2}$$

Coherent π^0

$$\frac{\sigma(NC \pi_0 \text{ coh})}{\sigma(CC_{TOT})} = (0.7 \pm 0.4) \cdot 10^{-2}$$

SciBooNE @ $E_V = 1 \text{ GeV}$

Our model

$$\frac{\sigma(NC \pi_0 \text{ coh})}{\sigma(CC_{TOT})} = 0.4 \cdot 10^{-2}$$

Suppressing np-nh in σCC_{TOT}

$$\frac{\sigma(NC \pi_0 \text{ coh})}{(\sigma(CC_{TOT}) - \sigma(CC_{np-nh}))} = 0.5 \cdot 10^{-2}$$

Total cross section

	MiniBooNE $\sigma [10^{-40} \text{ cm}^2/\text{nucleon}]$	Our model $\sigma [10^{-40} \text{ cm}^2/\text{nucleon}]$
ν @ 808 MeV	$4.76 \pm 0.05 \text{ st} \pm 0.76 \text{ sy}$	5.42
$\bar{\nu}$ @ 664 MeV	$1.48 \pm 0.05 \text{ st} \pm 0.23 \text{ sy}$	1.37

Incoherent exclusive NC $1\pi^0$

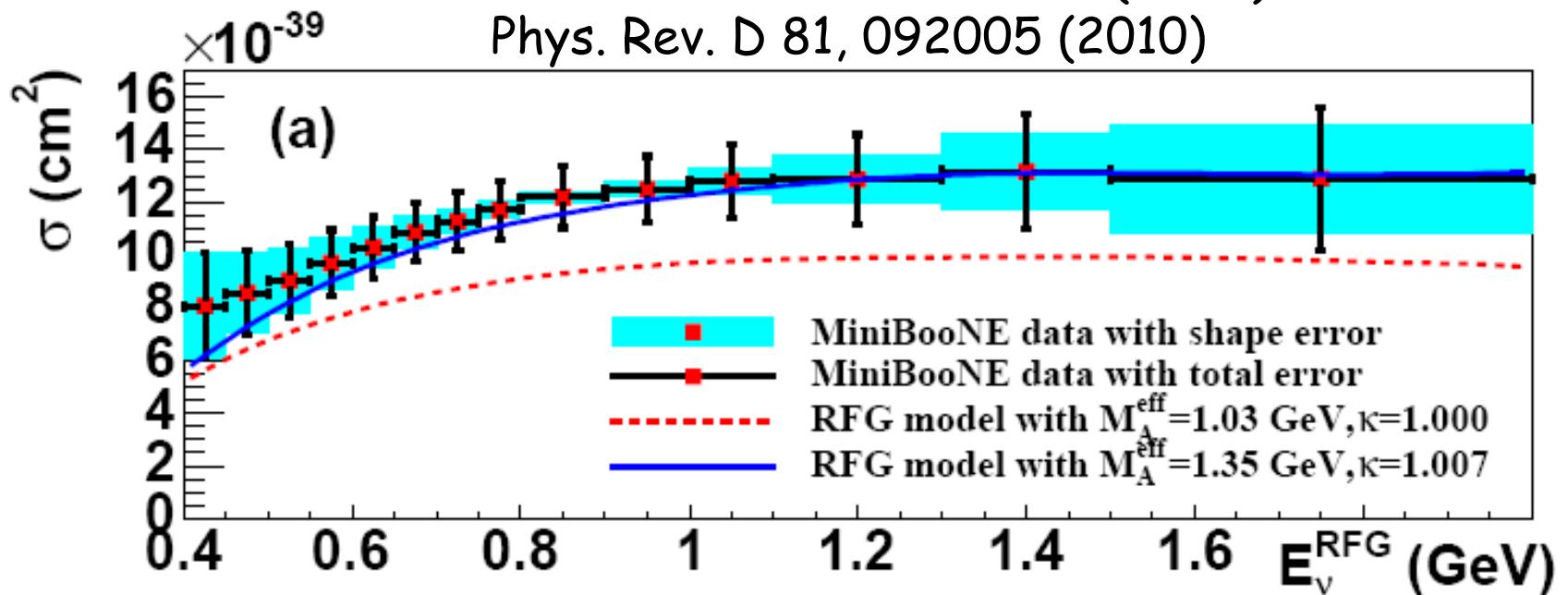
	MiniBooNE corrected for FSI effects	Our model
ν @ 808 MeV	$5.71 \pm 0.08 \text{ st} \pm 1.45 \text{ sy}$	5.14
$\bar{\nu}$ @ 664 MeV	$1.28 \pm 0.07 \text{ st} \pm 0.35 \text{ sy}$	1.17

MiniBooNE, Phys. Rev. D 81, 013005 (2010)

P.S. Our model: $\Delta N \rightarrow NN$ absorption process, but not absorption once π_{inco} is placed on-shell

Quasielastic cross section

MiniBooNE,
AIP Conf. Proc. 1189: 139-144 (2009);
Phys. Rev. D 81, 092005 (2010)



Comparison with a prediction based on RFG with $M_A=1.03 \text{ GeV}$ (standard value) reveals a discrepancy

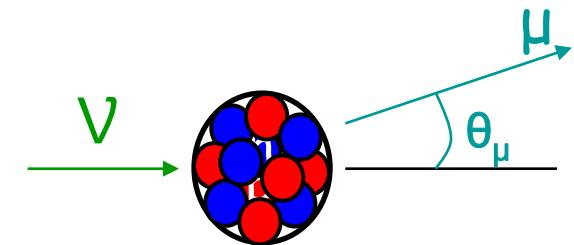
In RFG an axial mass of 1.35 GeV is needed to account for data

The introduction of a realistic spectral function does not alter this conclusion
(Benhar and Meloni, Phys. Rev. D80: 073003, 2009)

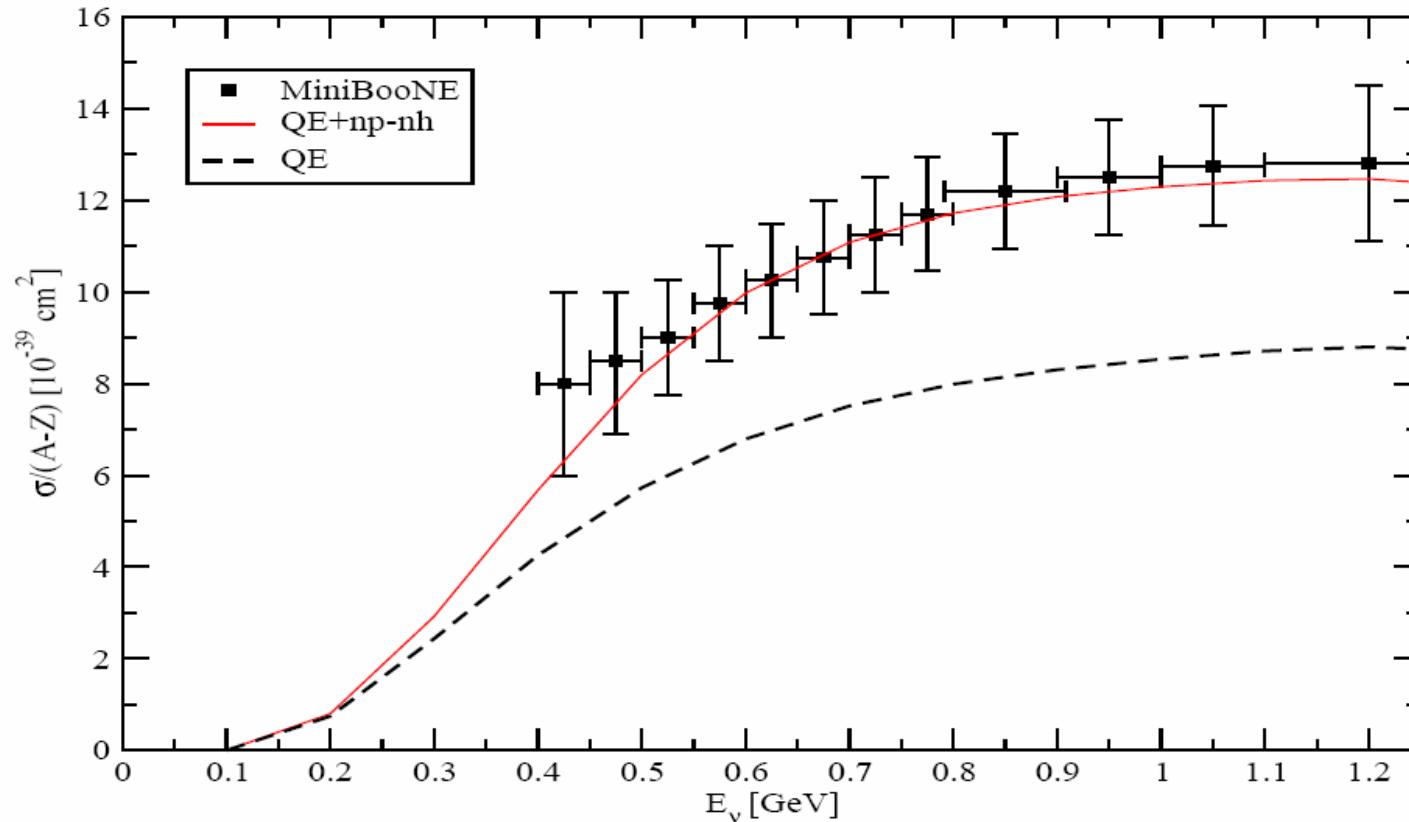
We proposed a possible alternative interpretation...

“Quasielastic” events if just μ is detected

- Ejection of a single nucleon (1N): “genuine” QE event



- Events involving a correlated nucleon pair: 2N ejected



Flux averaged:

MiniBooNE

$9.4 \cdot 10^{-39} \text{ cm}^2 \pm 11\%$

Our model

QE+np-nh

$9.1 \cdot 10^{-39} \text{ cm}^2$

Our model

genuine QE

$6.4 \cdot 10^{-39} \text{ cm}^2$

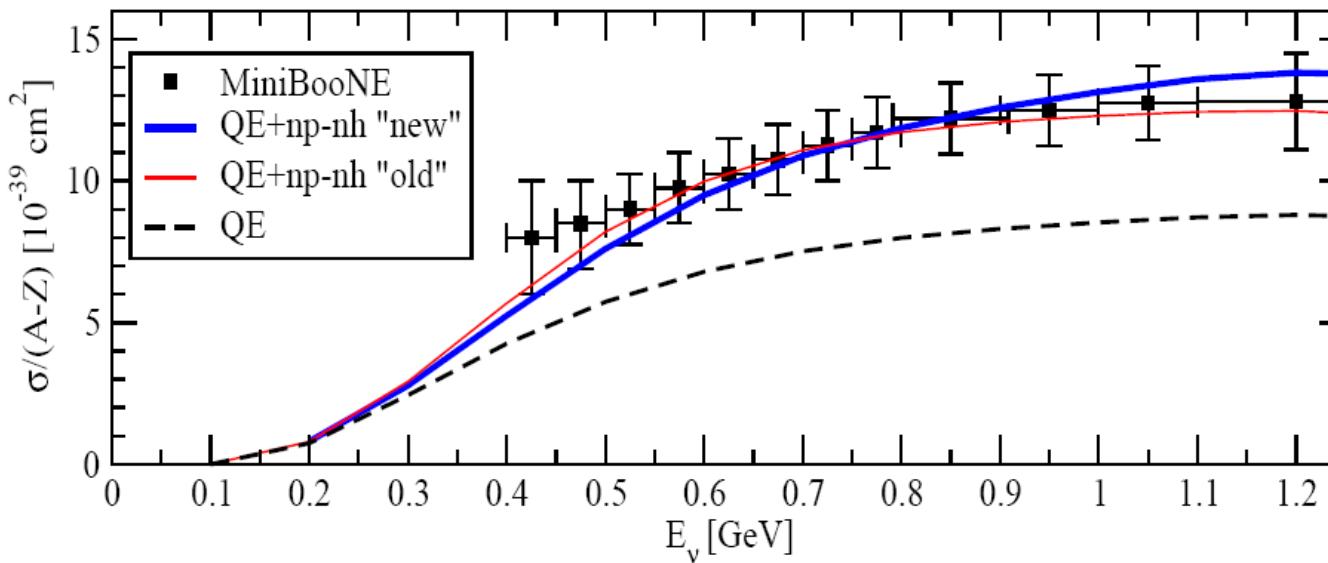
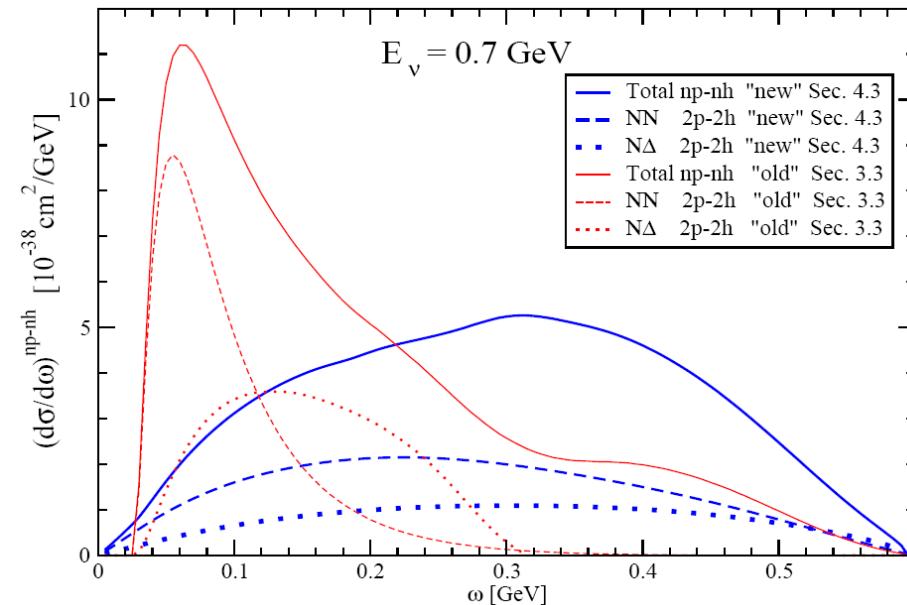
2p-2h contribution: comparison of the two parametrizations

énergie atomique • énergies alternatives

Red: from Delorme et al.
(2p-2h π absorption)

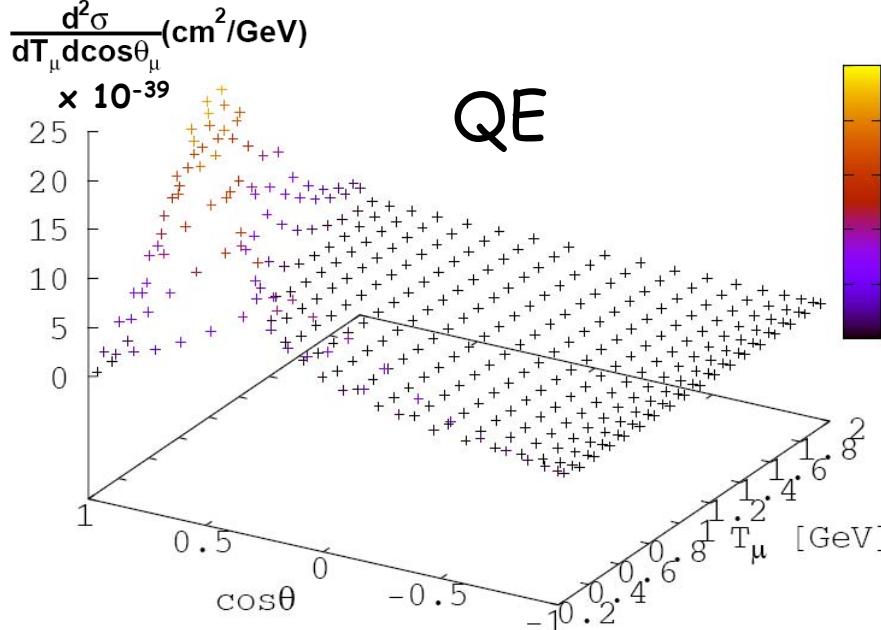
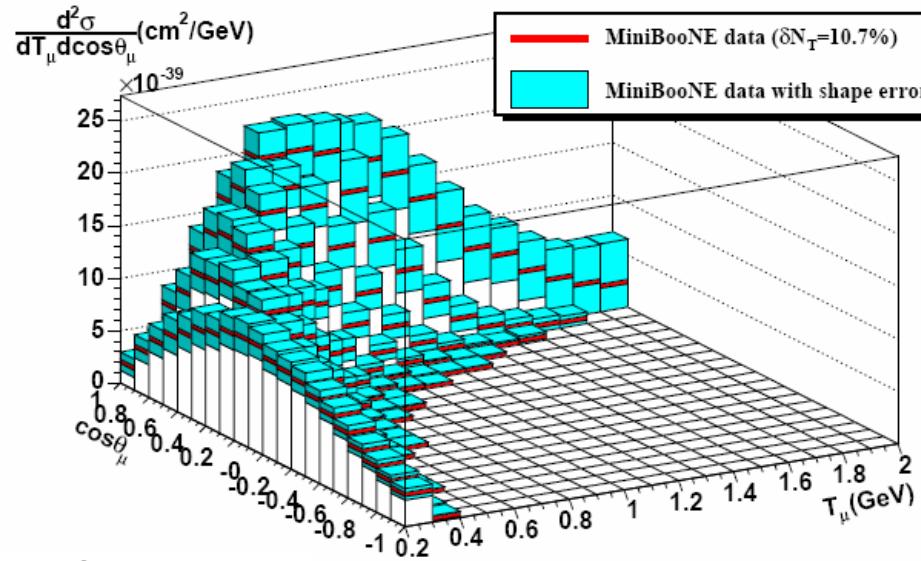
Blue: from Alberico et al.
(R_T of (e,e') ^{56}Fe)

Energy behaviors different, but...

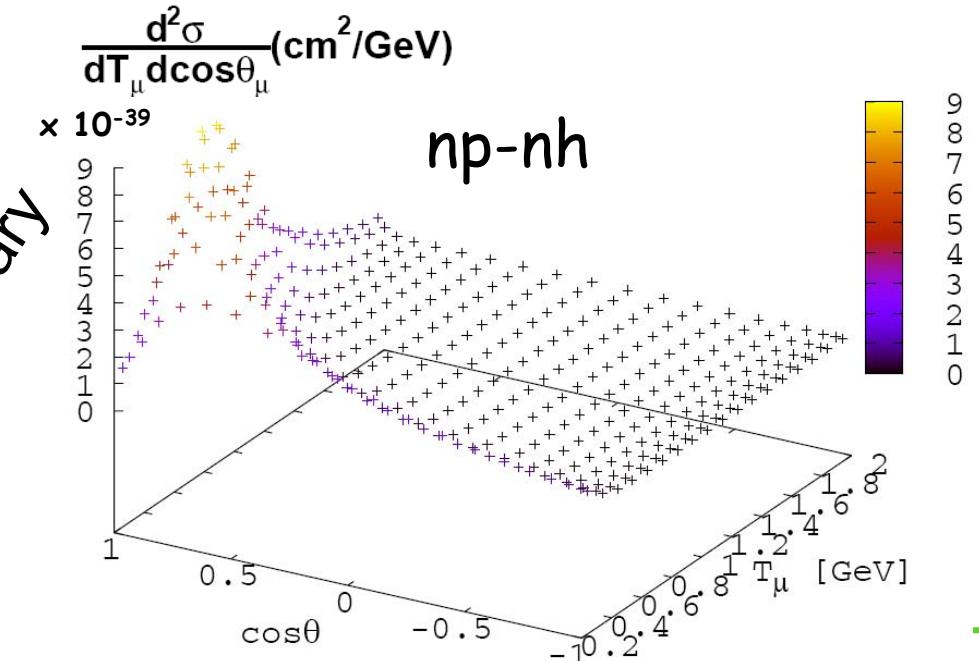


Similar conclusion:
important role of the
multinucleon channel

Neutrino do not interact
only with individual
nucleons but also with
pairs (mostly n-p)

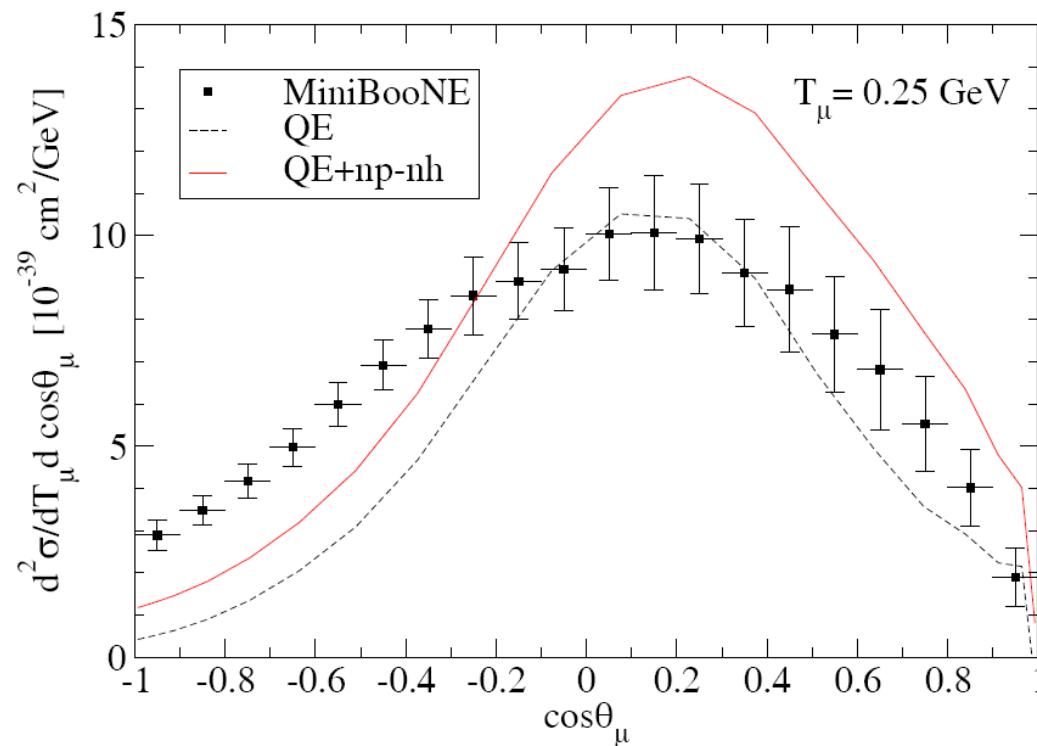


Preliminary

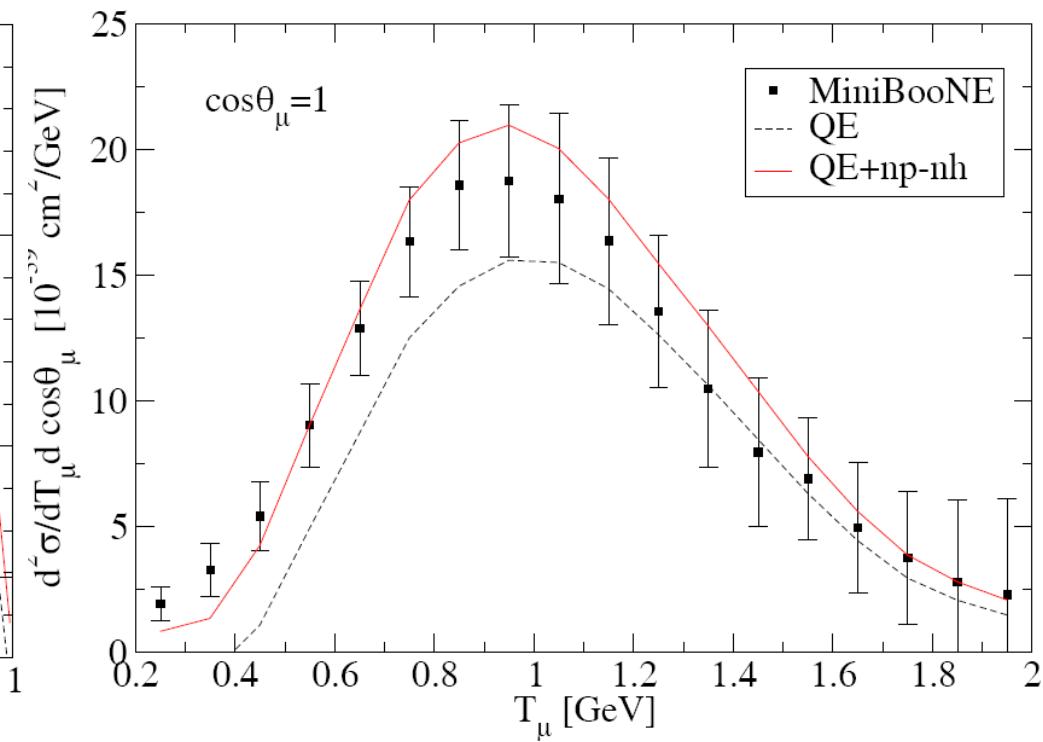


MiniBooNE,
Phys. Rev. D 81, 092005 (2010)

Fixed muon energy



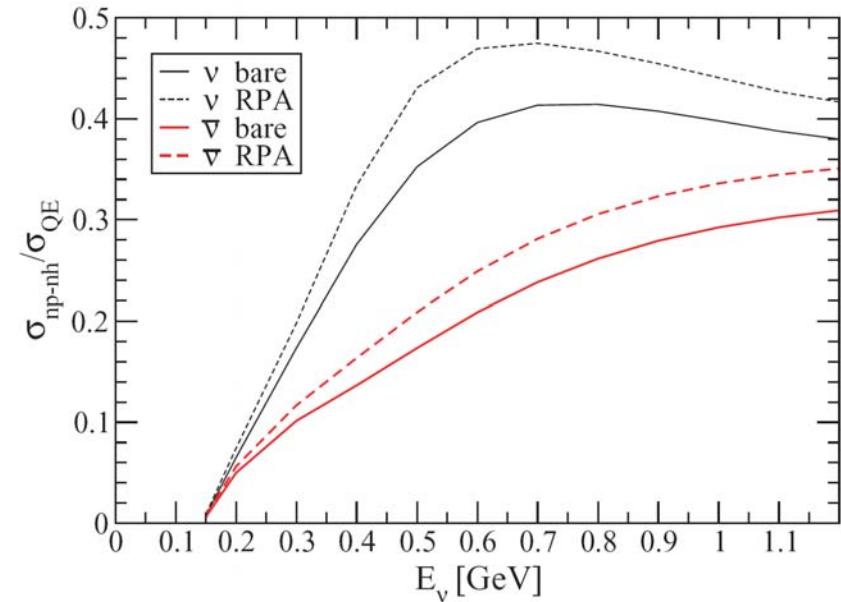
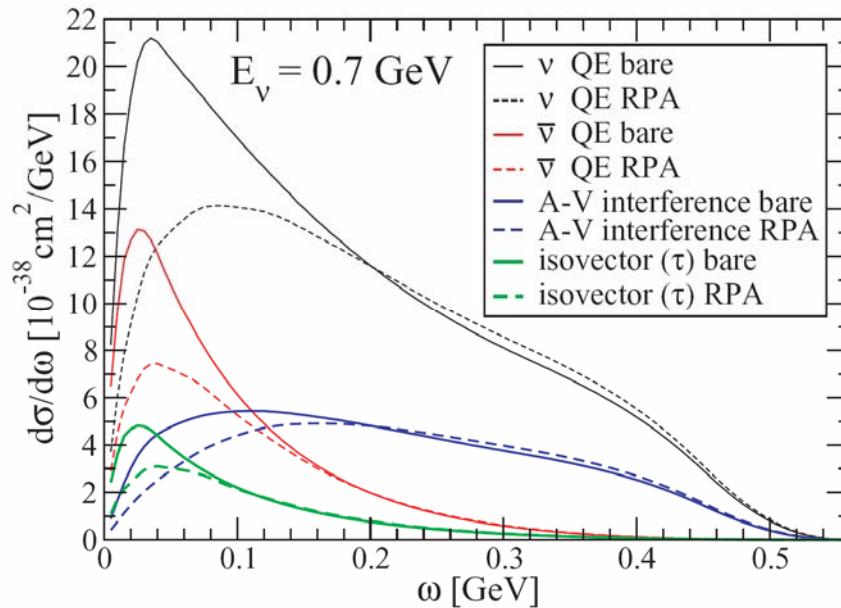
Fixed angle



N.B.

Final State Interaction for the outgoing nucleon not included

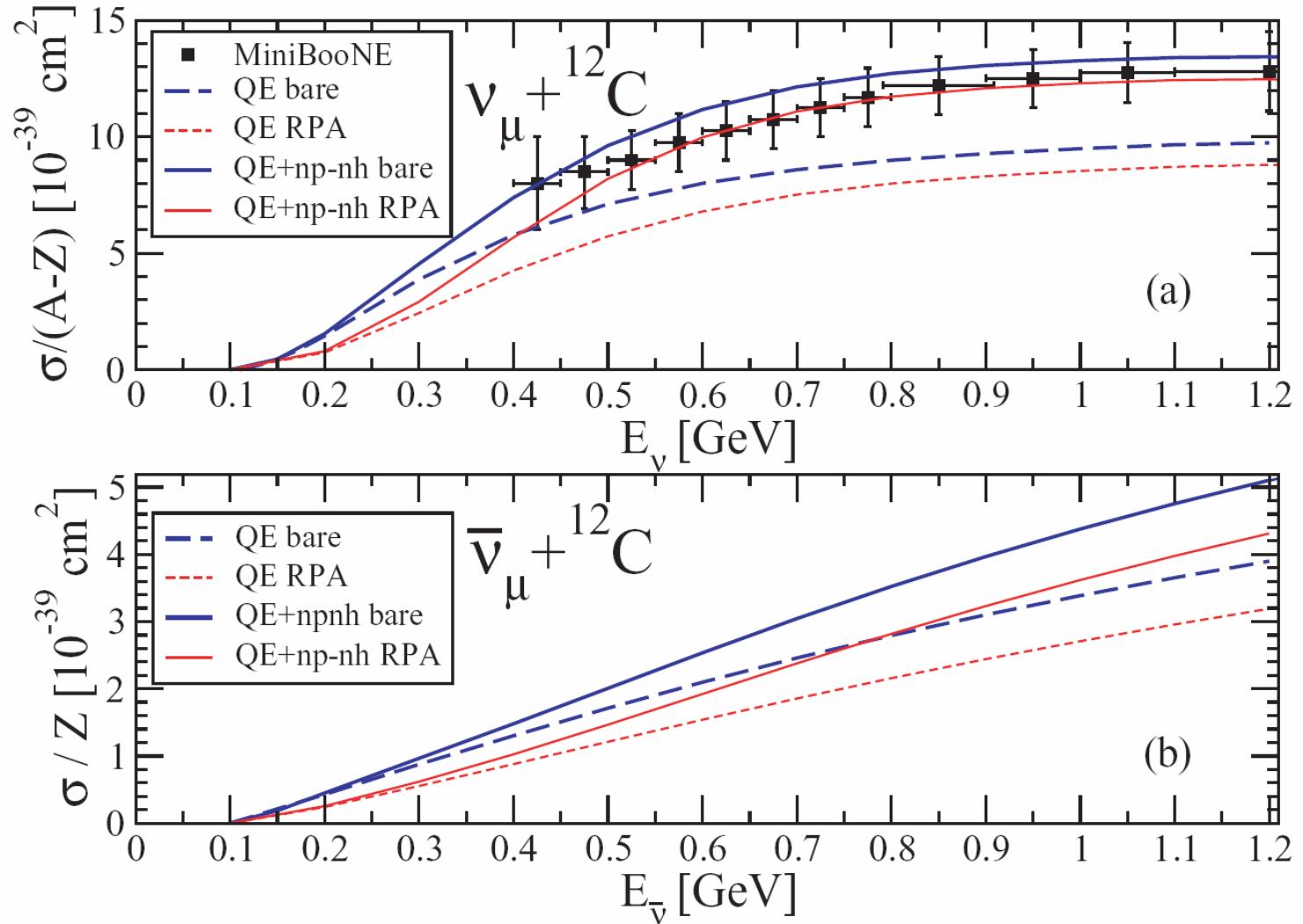
Neutrino vs Antineutrino QE scattering



$$\begin{aligned}
 \frac{\partial^2 \sigma}{\partial \Omega \partial k'} &= \frac{G_F^2 \cos^2 \theta_c (\mathbf{k}')^2}{2 \pi^2} \cos^2 \frac{\theta}{2} \left[G_E^2 \left(\frac{q_\mu^2}{\mathbf{q}^2} \right)^2 R_\tau^{NN} \right. \\
 &+ G_A^2 \frac{(M_\Delta - M_N)^2}{2 \mathbf{q}^2} R_{\sigma\tau(L)}^{N\Delta} + G_A^2 \frac{(M_\Delta - M_N)^2}{\mathbf{q}^2} R_{\sigma\tau(L)}^{\Delta\Delta} \\
 &+ \left(G_M^2 \frac{\omega^2}{\mathbf{q}^2} + G_A^2 \right) \left(-\frac{q_\mu^2}{\mathbf{q}^2} + 2 \tan^2 \frac{\theta}{2} \right) \left(R_{\sigma\tau(T)}^{NN} + 2R_{\sigma\tau(T)}^{N\Delta} + R_{\sigma\tau(T)}^{\Delta\Delta} \right) \\
 &\left. \pm 2 G_A G_M \frac{k + k'}{M_N} \tan^2 \frac{\theta}{2} \left(R_{\sigma\tau(T)}^{NN} + 2R_{\sigma\tau(T)}^{N\Delta} + R_{\sigma\tau(T)}^{\Delta\Delta} \right) \right]
 \end{aligned}$$

np-nh only affects magnetics and axial responses; no isovector

Interference: suppression for ∇



The role of the np-nh is smaller for antineutrinos

Theory of neutrino interactions with nuclei

Nuclear responses treated in RPA

Unified description of several channels:

- Quasielastic $\Leftrightarrow E_\nu$ reconstruction
- Pion production $\Leftrightarrow CC1\pi$ backgr. of CCQE; NC π^0 backgr. of Ve appearance
- Multi-nucleon emission \Leftrightarrow QE like scattering

Evolution with the mass number ($12 \rightarrow 40$): partial cross-sections scales with A

Collective effects in the coherent channel

Successful comparison to the available experimental data
(K2K, MiniBooNE, SciBooNE)

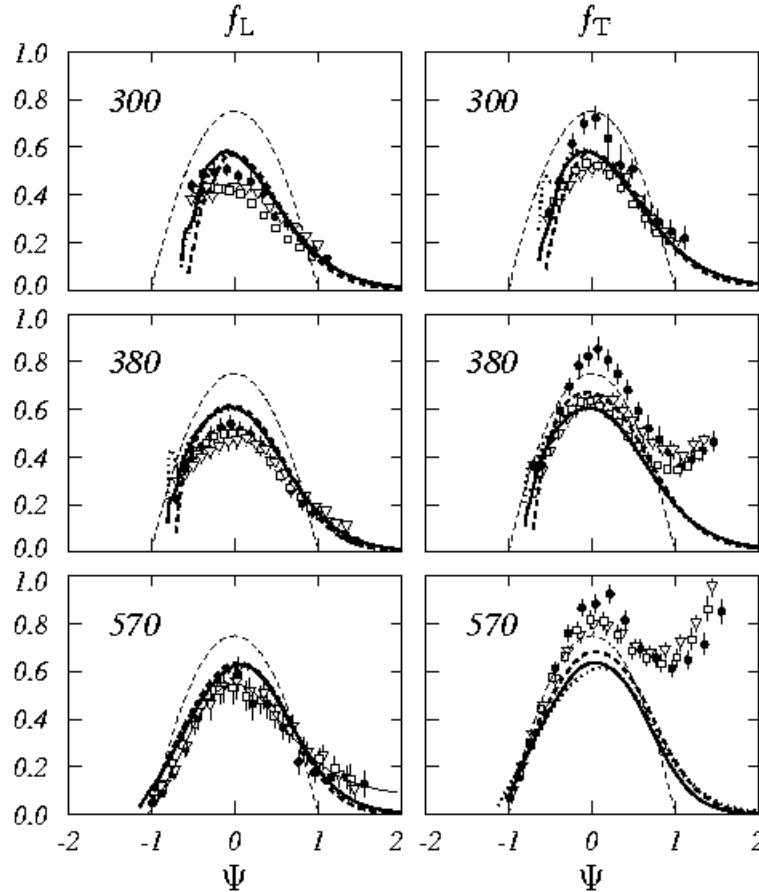
Multi-nucleon component quite relevant for the interpretation of the experiments, in particular for the QE of MiniBooNE

Test of "Quasielastic" anomaly: antineutrino scattering

Spares

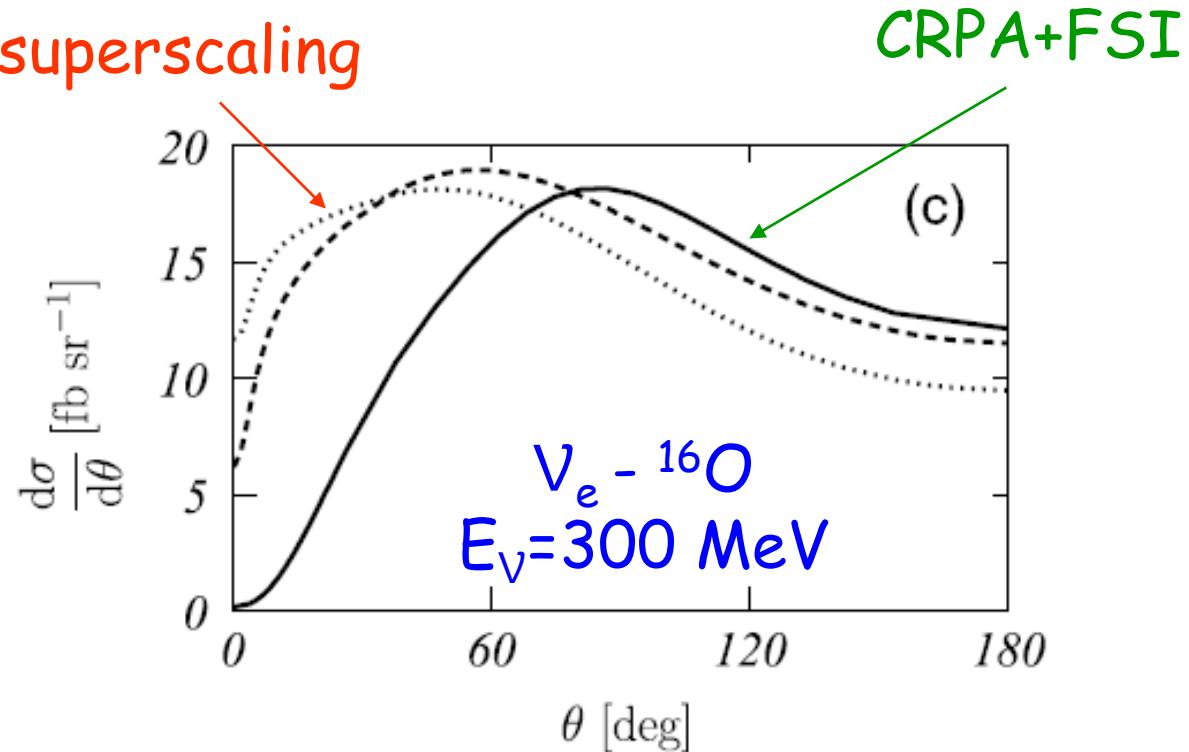
Superscaling approach

énergie atomique • énergies alternatives



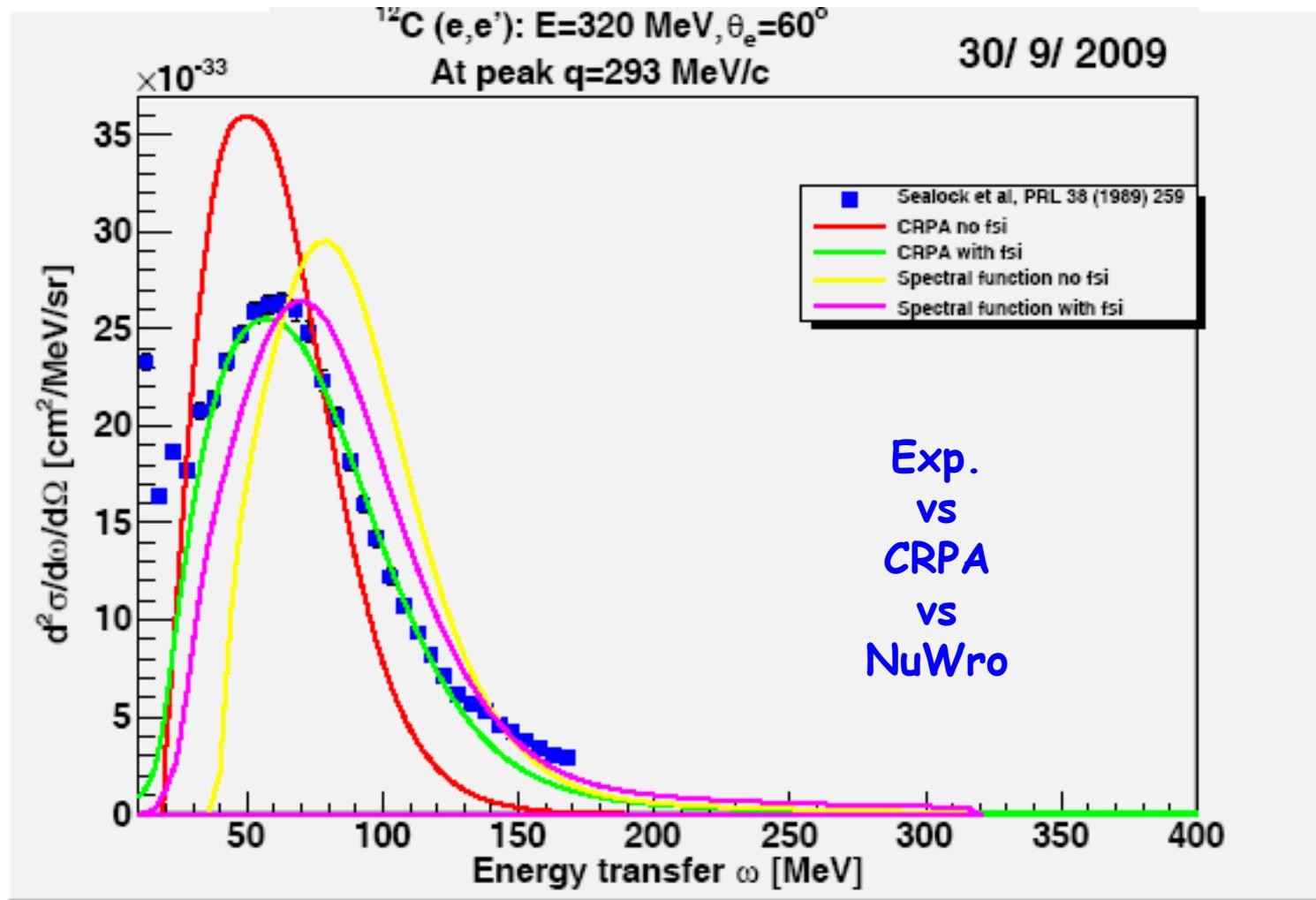
Experimental points:
 ^{12}C , ^{40}Ca , ^{56}Fe

superscaling



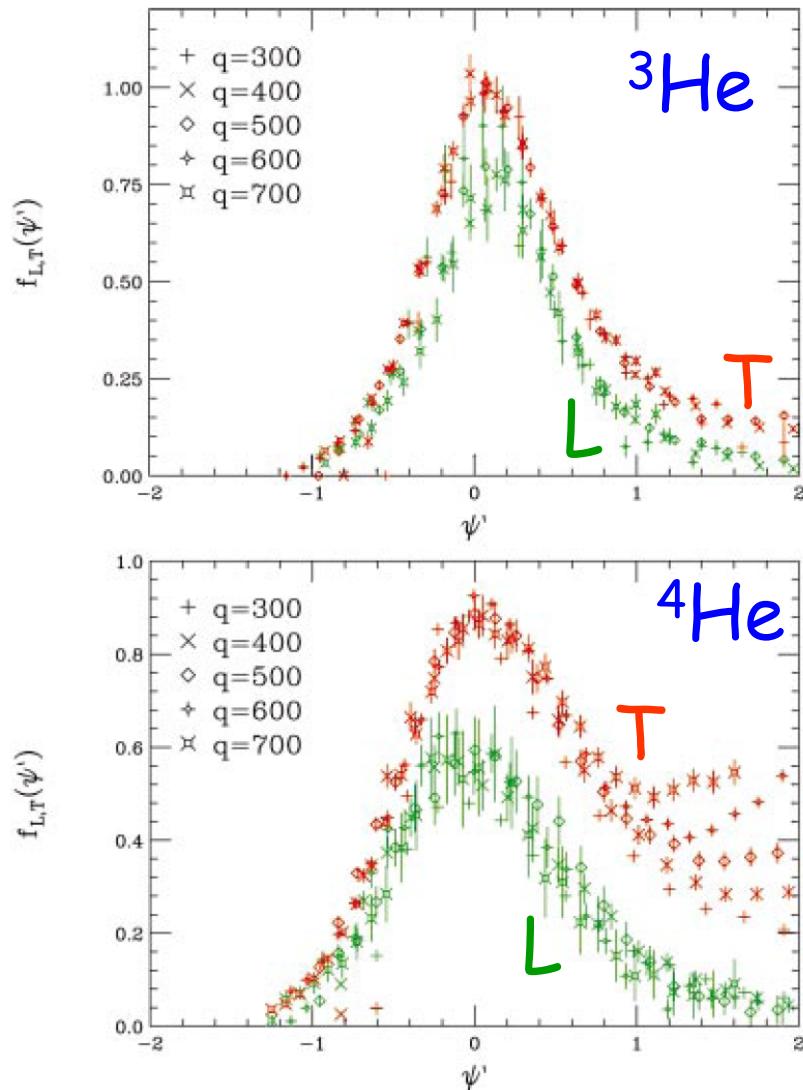
M. Martini, G. Co', M. Anguiano, A. Lallena,
 Phys. Rev. C 75, 034604 (2007)

Role of FSI



Longitudinal and transverse quasielastic response functions of light nuclei

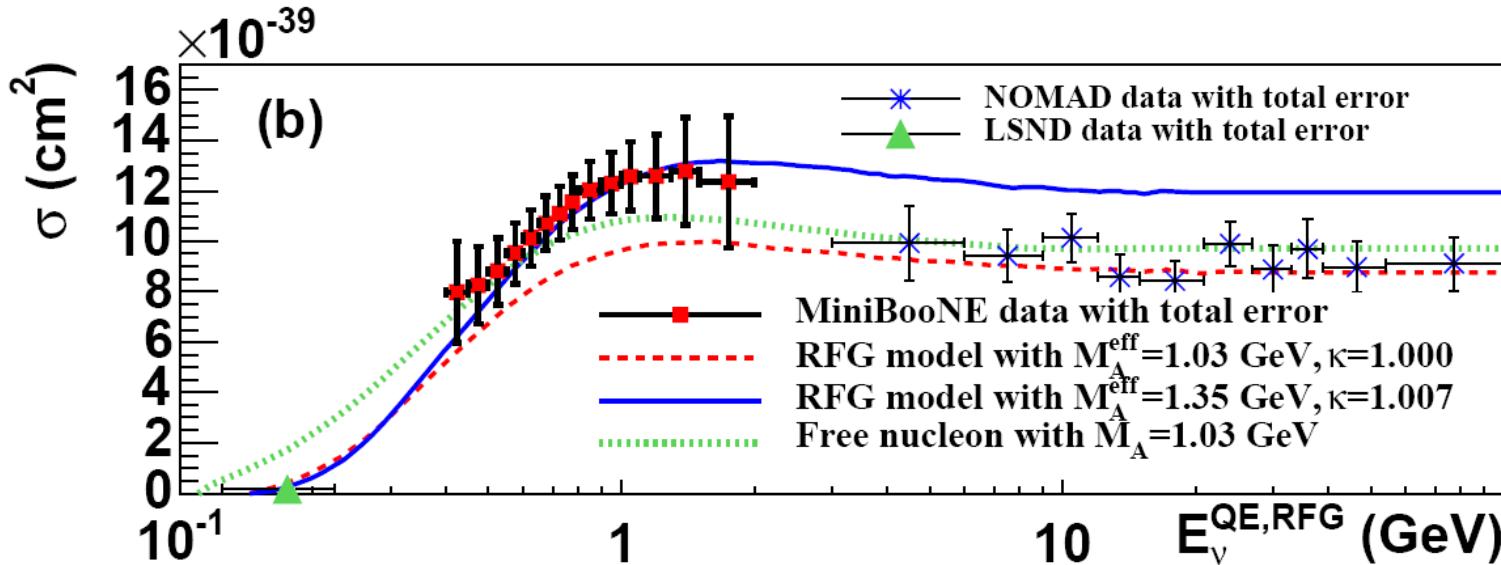
J. Carlson,¹ J. Jourdan,² R. Schiavilla,^{3,4} and I. Sick²



Finally, the role of tensor interactions and correlations has been investigated via model studies of the ^4He Euclidean transverse response function, using simplified interactions, currents, and wave functions. In contrast to earlier speculations [21] that the large enhancement from two-body currents was due to the presence of strong tensor correlations in the ground state, it is now clear that this enhancement arises from the concerted interplay of tensor interactions and correlations in both ground and scattering states. A successful prediction of the longitudinal and transverse response functions in the quasielastic region demands an accurate description of nuclear dynamics, based on realistic interactions and currents.

Observed increase of the quasielastic cross section

might reflect the underlying nuclear (rather than nucleon's) physics



It is interesting that the MiniBooNE measurement is also larger than this free nucleon value (at least at higher energies). This may indicate a significant contribution from neglected mechanisms for CCQE-like scattering from a nucleus such as multi-nucleon processes (for example, Ref. [17]). This may explain both the higher cross section and the harder Q^2 spectrum, but has not yet been explicitly tested. It may also be relevant for the difference between these results and those of NOMAD (or other experiments) where the observation of recoil nucleons enter the definition of a CCQE event.

MiniBooNE,
Phys. Rev. D 81, 092005 (2010)

MiniBooNE, Phys. Lett. B 664, 41 (2008)

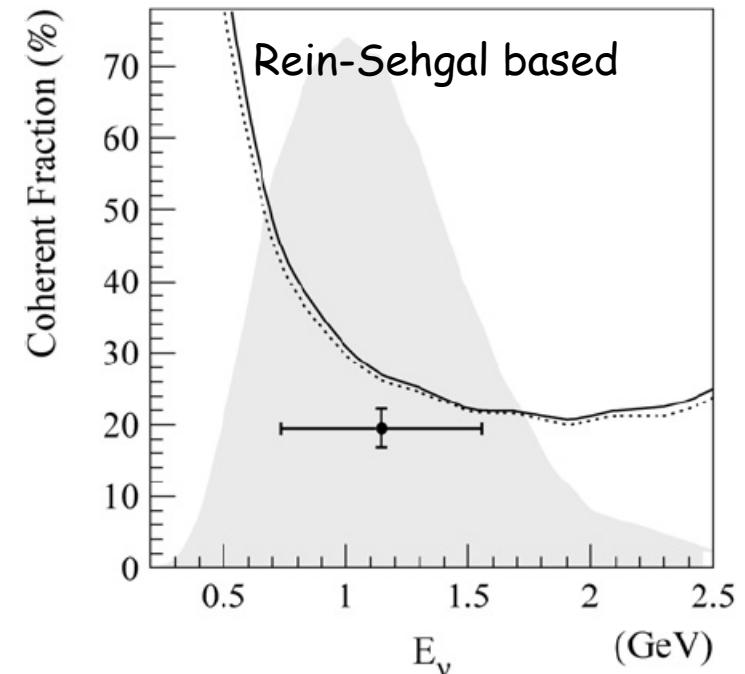
$$\frac{\sigma \pi^0_{\text{coherent}}}{\sigma \pi^0_{\text{total}}} = 19.5 \pm 1.1(\text{stat}) \pm 2.5(\text{sys}) \%$$

Our ratio: 6%

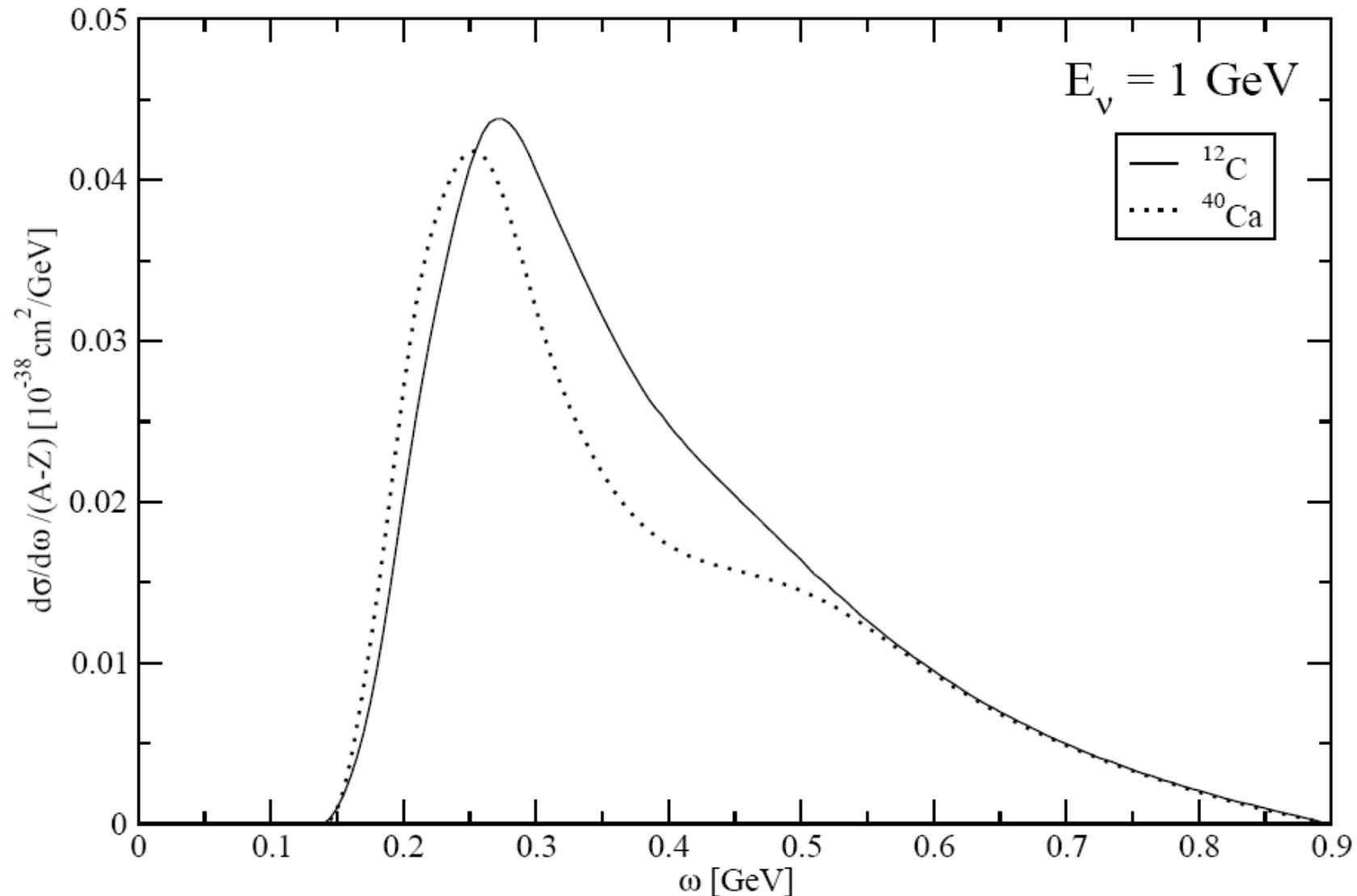
Difficult to reconcile with data

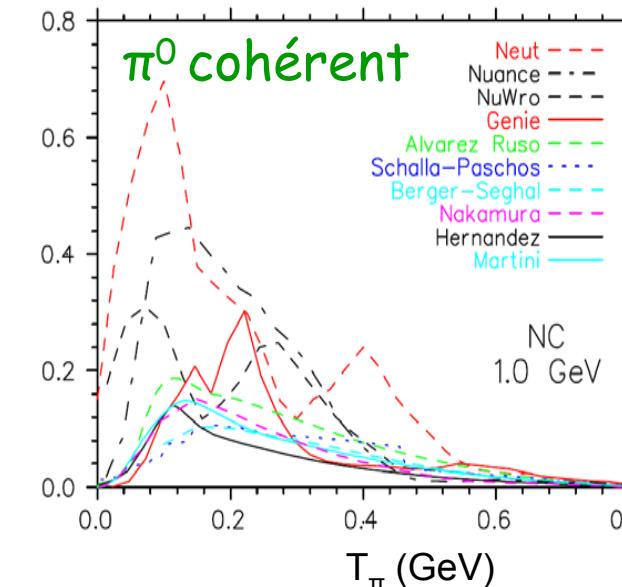
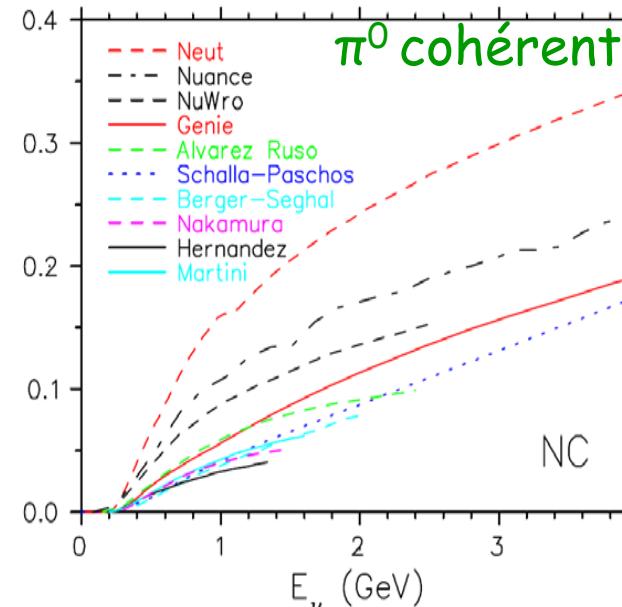
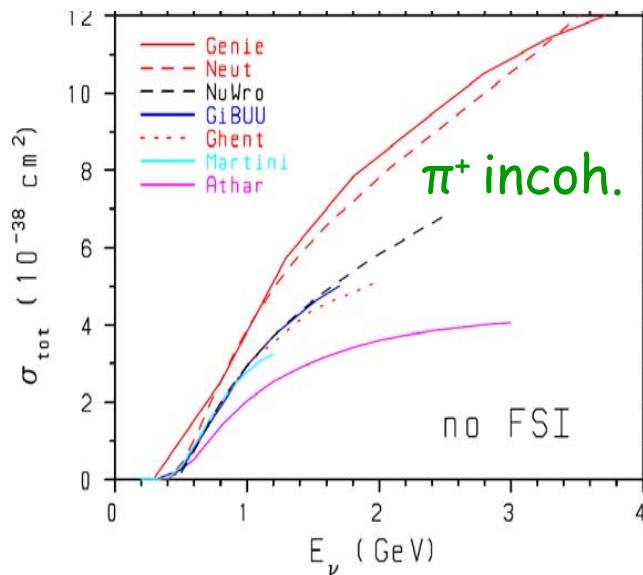
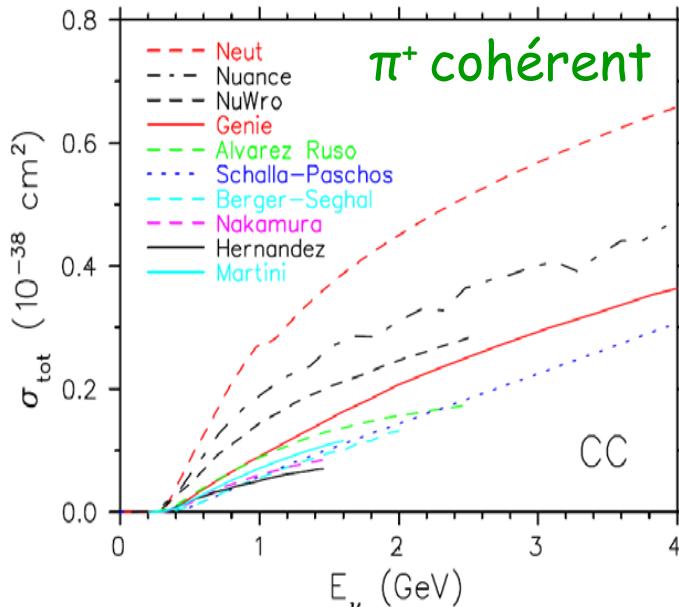
A problem that other groups also face

Compatibility with π^+ coherent production ?



V_μ induced coherent pion production





Monte Carlo

QE: Fermi Gas

π prod: Rein-Sehgal

- **Neut:** SuperKamiokande, K2K, T2K, SciBooNE
- **Nuance:** SuperKamiokande, MINOS, MiniBooNE
- **Genie:** T2K, MINOS, Minerva, NOvA, ArgoNEUT
- **NuWro:** Wroclaw theo. group

MC larger than microscopic models

THE ABSORPTIVE PION-NUCLEUS OPTICAL POTENTIAL

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Institut für Kernphysik, Kernforschungsanlage Jülich, D-5170 Jülich, West Germany

and

AMAND FAESSLER

Institut für Kernphysik, Kernforschungsanlage Jülich, D-5170 Jülich, West Germany

and

Physik-Department, University of Bonn, D-5300 Bonn, West Germany

Received 8 March 1979
(Revised 5 September 1979)

Abstract: We calculate s-wave and p-wave absorptive pion-nucleus optical potentials assuming that a pion is absorbed by a pair of nucleons. Employing a model which takes into account both a single nucleon absorption with nucleon-nucleon correlations and rescattering, we obtain simple analytic expressions for $\text{Im } B_0$ and $\text{Im } C_0$ of the pion-nucleus optical potential. The off-shell effect on the s-wave pion absorption is examined and shown to be strongly modified by short range correlations. The result for the p-wave absorptive part $\text{Im } C_0$ clearly shows the importance of the tensor correlations. The enhanced nn emission after π^- absorption is shown to be related with a large p-wave πN scattering length a_{33} via the tensor correlations.

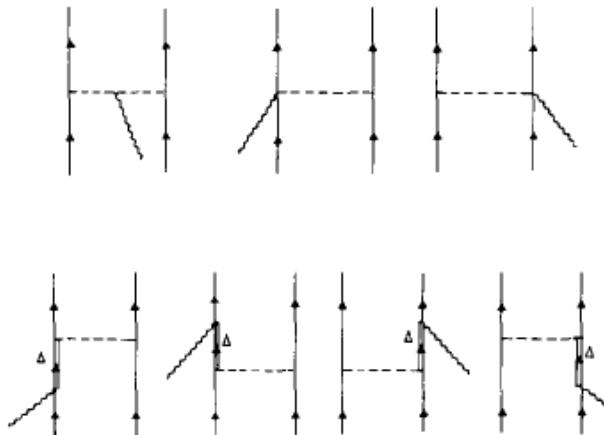


FIG. 2. The meson exchange current diagrams. In the upper graphs the pion-in-flight and contact terms are shown; in the lower graphs the pionic current is coupled to a Δ intermediate state.

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ALBERICO, ERICSON, AND MOLINARI

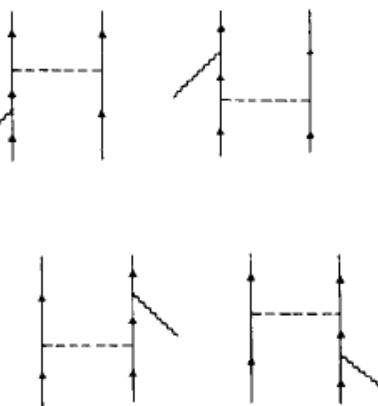
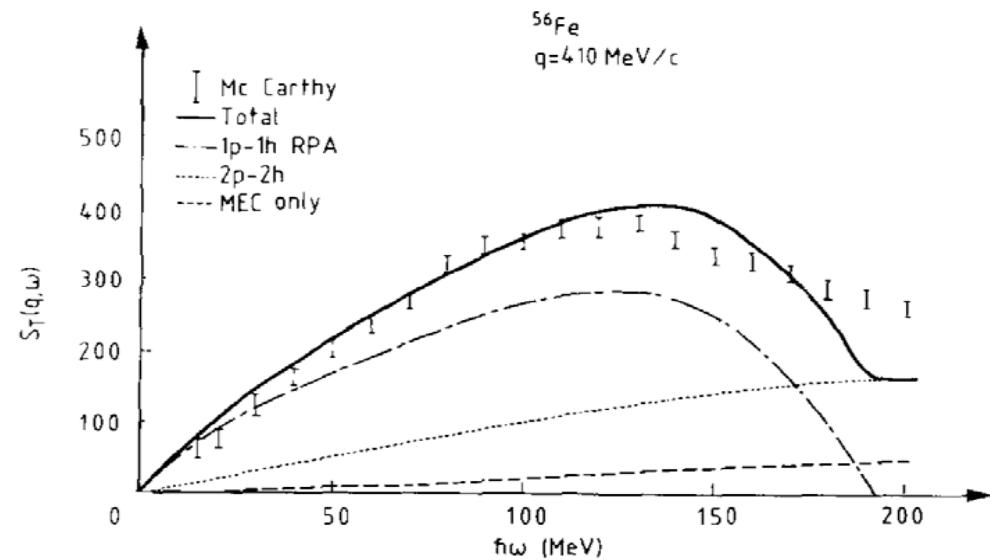
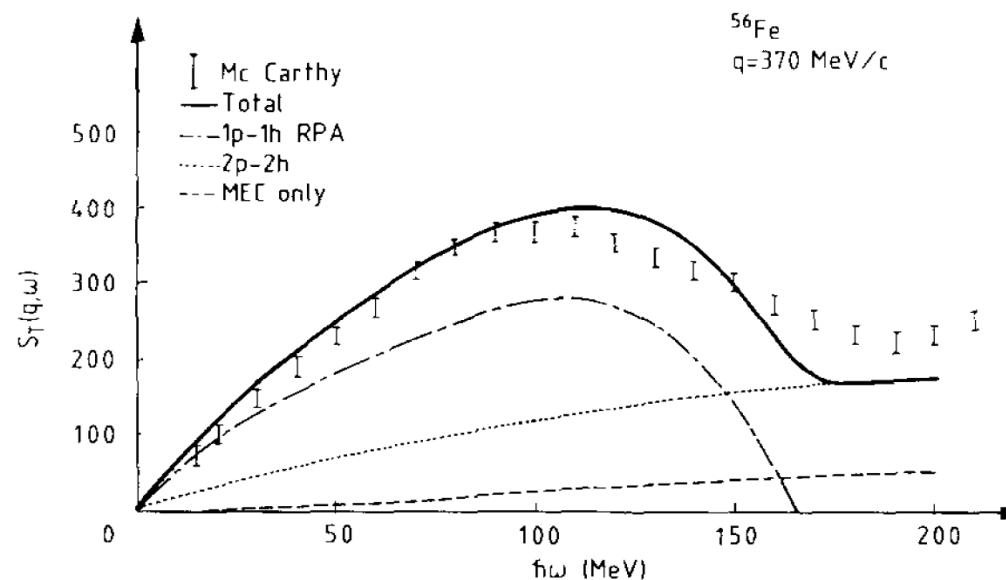
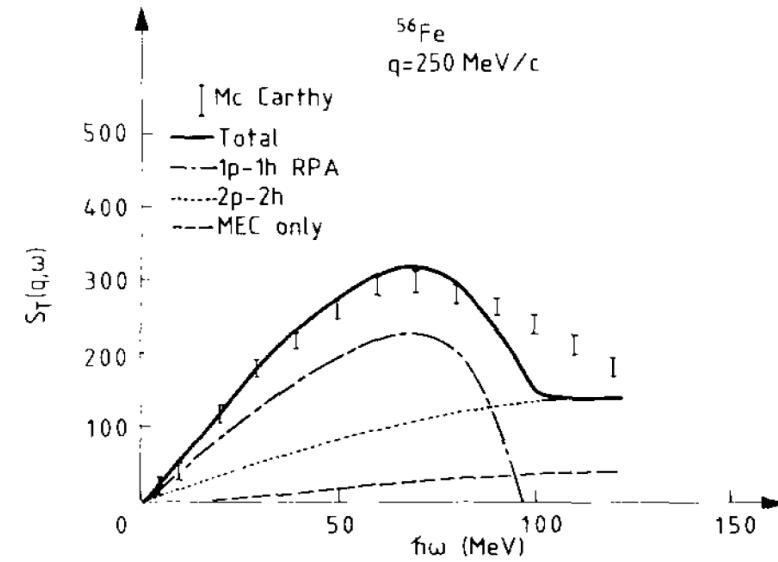
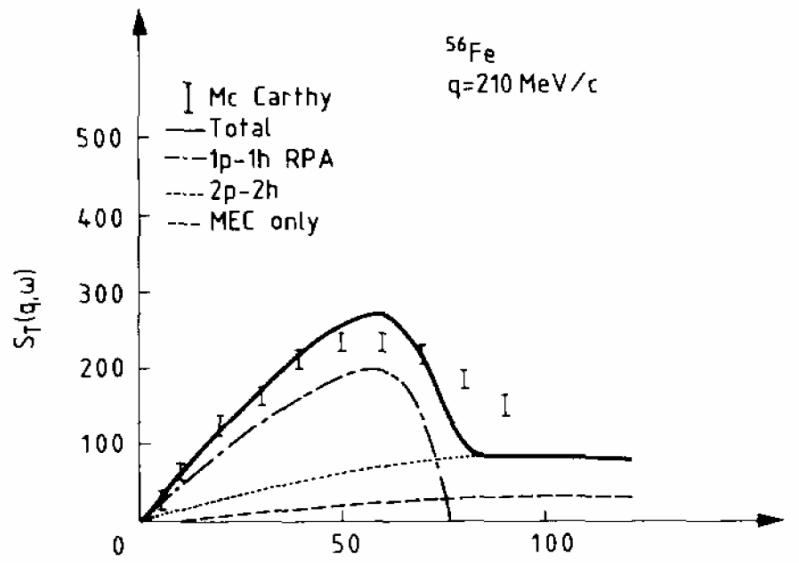


FIG. 5. Diagrams for the coupling of a photon to a pair of correlated nucleons (correlation "current").



De Pace, Nardi, Alberico, Donnelly, Molinari
"Role of 2p - 2h MEC excitations in superscaling"

Nucl.Phys.A741:249-269,2004

"The 2p - 2h electromagnetic response
in the quasielastic peak and beyond"

Nucl.Phys.A726:303-326,2003

